

Engineering Physics 1
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Module-01
Lecture-05
Optical Activity

This is the fifth lecture, the last one of the five lecture series on polarization. In the last lecture which was the fourth one, we studied interference of plane polarized light and considered different types of polarizations and their analysis. See, we studied the working of quarter wave plate and halfwave plate. These are the plates made of calcite or quartz cut such as that the optic axis is in the plane; the incidence is kept normal.

The propagation is along the optic axis. The extraordinary and ordinary within the crystal, they travel with different speeds.

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In the last lecture we studied interference of plane-polarized light and considered different types of polarizations and their analysis.

In the present lecture, we shall study the phenomena of optical activity, Fresnel's theory of optical rotation and the working of polarimeters. Laurent's half-shade and Biquartz.

There is no separation between them. And when they come out, there is a phase difference between them, depending on the thickness. It is of a $\lambda/2$ path difference in a half wave plate and $\lambda/4$ path difference in the quarter wave plate, leading to, reducing light of different polarizations. We also studied analysis of beam of different types of polarizations, the mixtures of them plane polarized, circularly polarized, elliptically polarized lights.

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In the last lecture we studied interference of plane-polarized light and considered different types of polarizations and their analysis.

In the present lecture, we shall study the phenomena of optical activity, Fresnel's theory of optical rotation and the working of polarimeters. Laurent's half-shade and Biquartz.

Just with the help of a polarizer working as an analyzer and a quarter wave plate. Now, in the present lecture, which is the last one, we shall study the phenomena of optical activity, the very interesting property of some substances. We shall go through Fresnel's theory of optical rotation which explains the phenomena and then, the working of polarimeters, half-shade polarimeter and Biquartz polarimeter.

Polarimeters are the instruments which measure the optical activity which measure the angle through which the plane of polarization gets rotated.

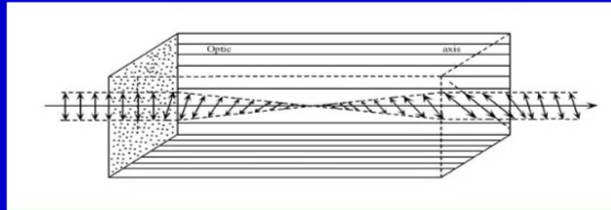
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VIII. Optical Activity

It is observed that certain substances like quartz, sugar crystals (or sugar in solution), turpentine, sodium chlorate, etc rotate the plane of vibration of the plane-polarized light passing through them.

So, let us consider what is Optical activity? It is observed that certain substances like quartz, sugar crystals or even sugar in a solution, turpentine, sodium chlorate, many other substances, they rotate the plane of vibration of the plane polarized light passing through them.

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This figure shows the plane of vibration of the light getting rotated as the light passes through a quartz plate.

This figure shows the plane of vibration of the light getting rotated as the light passes through a quartz of a quartz plate. Remember, the propagation is along the optic axis.

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This property of rotating the plane of vibration of plane-polarized light about its direction of propagation by the material is called *optical activity*.

Some observed facts about optical rotation are:

This property of rotating the plane of vibration, a plane polarized light about its direction of propagation by the material is called optical activity. Some observed facts about this optical rotation are:

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1. There are two types of optically active substances.

The substances which rotate the plane of polarization in clockwise direction (looking against the direction of light) are called as dextro-rotatory or right-handed.

The substances which rotate the plane of polarization in the anticlockwise direction are called laevorotatory or left-handed.

Number 1: There are two types of optically active substances. The substances which rotate the plane of polarization in clockwise direction looking at this direction of light they are called dextro-rotatory or right handed. And then, there are substances which rotate the plane of polarization in the anti-clockwise direction and they are called laevorotatory or left handed.

Number 2: The amount of rotation θ produced by an optically active substance, the sound to be proportional to its thickness, θ is proportional to ℓ .

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2. The amount of rotation (θ) produced by an optically active substance is found to be proportional to its thickness (ℓ), i.e., $\theta \propto \ell$.

3. In case of solutions or vapors, the amount of rotation for a given path length is proportional to the concentration (C) of the solution or the vapor, i.e., $\theta \propto C$

I mean proportional to the distance traveled in an optically active substance. Number 3: In case of solutions or vapors, the amount of rotation for a given path length, is proportional to the concentration C of the solution, or the vapor the θ is proportional to C . C is measured in grams per CC.

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4. The rotation varies inversely as the square of wave length (λ) of the light employed, i.e., $\theta \propto 1/\lambda^2$. Thus it is least for red and greatest for violet.

5. The total rotation (θ) produced by a number of optically active substances is the algebraic sum of the rotations ($\theta_1, \theta_2, \theta_3, \dots$) produced by individual substances, i.e., $\theta = \theta_1 + \theta_2 + \theta_3 + \dots$

Number 4: The rotation varies inversely as the square of the wavelength λ , of the light employed. The θ is proportional to $1/\lambda^2$. This is the rotational dispersion. Naturally, θ will be least for red in the visible spectrum and greatest for violet. Number 5:

The total rotation θ produced by a number of optically active substances is algebraic sum of the rotations $\theta_1, \theta_2, \theta_3$, produced by individual substances.

Some θ 's will be positive, the right handed system; some will be negative, if the system is left handed one.

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VIII.1 Specific rotation

As a measure of optical activity, one defines specific rotation.

The *specific rotation* of a substance at a particular temperature and for the wavelength of light used is defined as the rotation produced by one decimeter length of its solution when the concentration is 1 gm per c.c. Thus

Specific rotation as a major of optical activity one defines specific rotation. The specific rotation of a substance at a particular temperature and for the wavelength of the light used is defined as the rotation produced by 1 decimeter like note, it is not centimeter or meters, 1 decimeter length of its solution when the concentration is 1 gram per cc.

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$$\text{Specific rotation } S = \frac{\theta}{\ell \times C}.$$

Here, θ is the angle of rotation in degrees,
 ℓ the length of the solution in decimeter
and C is the concentration of solution in
gm per c.c.

Thus the specific rotation S is given by, theta upon l C theta is the angle of rotation in degrees value, the length of the solution in decimeters and C, the concentration of solution in grams per cc. Let us now come to Fresnel's theory of optical rotation, very interesting theory which explains how the plane of polarization gets rotated, when a plane polarized beam passes through adopting reactive substance.

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VIII.2 Fresnel's theory of optical rotation

Fresnel's theory of optical rotation is based on the fact that a linearly-polarized light can be considered as a resultant of two opposite circularly polarized vibrations of same frequency but of half the amplitude.

Fresnel's theory of optical rotation is based on the fact that a linearly polarized light can be considered as a resultant of two opposite circularly polarized vibration. Opposite means as a resultant of right circularly and left circularly on the same frequency but of half the amplitude.

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Fresnel made the following assumptions:

1. When a beam of plane-polarized light enters a crystal along the optic axis, it is broken up into two circularly polarized vibrations, one right handed and the other left-handed.

Fresnel made the following basic assumptions: Number 1: When a beam of plane polarized light enters a crystal along the optic axis, remember, here the propagation is along the optic axis. It is broken up into two circularly polarized vibrations as I said, one right handed and the other left handed.

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$$\begin{array}{ccc}
 a \cos(kz - \omega t) \hat{x} & \rightarrow & \frac{a}{2} \cos(kz - \omega t) \hat{x} \\
 \text{PP} & & + \quad \text{RCP} \\
 & & \frac{a}{2} \sin(kz - \omega t) \hat{y} \\
 & & + \\
 & & \frac{a}{2} \cos(kz - \omega t) \hat{x} \\
 & & + \quad \text{LCP} \\
 & & - \frac{a}{2} \sin(kz - \omega t) \hat{y}
 \end{array}$$

On the left, a cos of $kz - \Omega t$ along the x axis, this is the incident plane polarized beam; on the right side, we have now a by 2 times cos of $kz - \Omega t$ along the x axis + a by 2 sine of $kz - \Omega t$ along the y axis. These two together form the right circularly polarized wave + a by 2 cos of $kz - \Omega t$ along the x axis + with the - sign now, a by 2 sine of $kz - \Omega t$ along the y axis. These two together, form the left circularly polarized beam. And basically one can consider it as follows:

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One can consider it as follows:

The original vibration along the x-direction is divided into two parts and then vibrations along the y-direction are added with phase differences of $\pi/2$ and $3\pi/2$ to form left-circularly and right-circularly polarized beams.

The original vibration along the x direction is divided into two parts and then vibrations along the y direction or added with phase difference of $\pi/2$ and $3\pi/2$ to form the left circularly

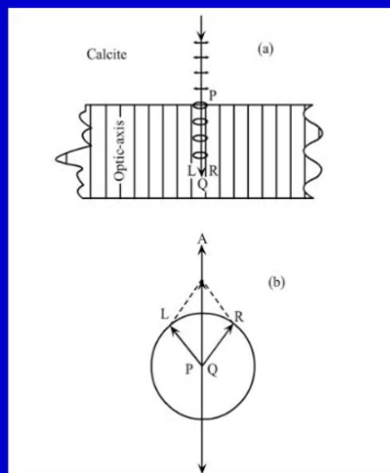
and right circularly polarized beams. The phase difference of π by 2 gives the left circularly one circular one and the phase difference of 3π by 2 leads to right circularly polarized beam.

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2. In an optically inactive crystal like calcite, the two circularly polarized vibrations so produced travel with the same velocity.

Number 2: In an optically inactive crystal important let us see note it optically inactive, inactive crystals, are those which do not produce any rotation. Calcite is an inactive crystal, a doubly refracting, but optically inactive. The two circularly polarized vibration so produced travel with the same velocity.

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The upper part of the figure shows the propagation of the circularly polarized to beam.

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The upper part of the figure shows the propagation of the circularly polarized beams, while the lower part shows the composition of the L (left) and R (right) vibrations

Since both vibrations arrive simultaneously at any given point along their path, their resultant will be a simple harmonic motion in the plane of the original vibration as shown in the figure.

While the lower part shows the composition of the left and right vibrations; since both the vibrations arrive simultaneously at any given point along the path, naturally, they will arrive simultaneously because they are traveling with the same speed. The resultant will be a simple harmonic motion in the plane of the original vibration. No change as shown in the figure.

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The situation at the point P is same as at the point Q.

Thus, in calcite, an optically inactive substance, a plane-polarized wave along the optic axis is propagated with its vibrations always in the same plane.

The situation at the point P in the figure is same as at the point Q. Thus, in calcite, which are optically inactive substance a plane polarized wave along the optic axis be propagated with its vibrations always in the same plane no rotation.

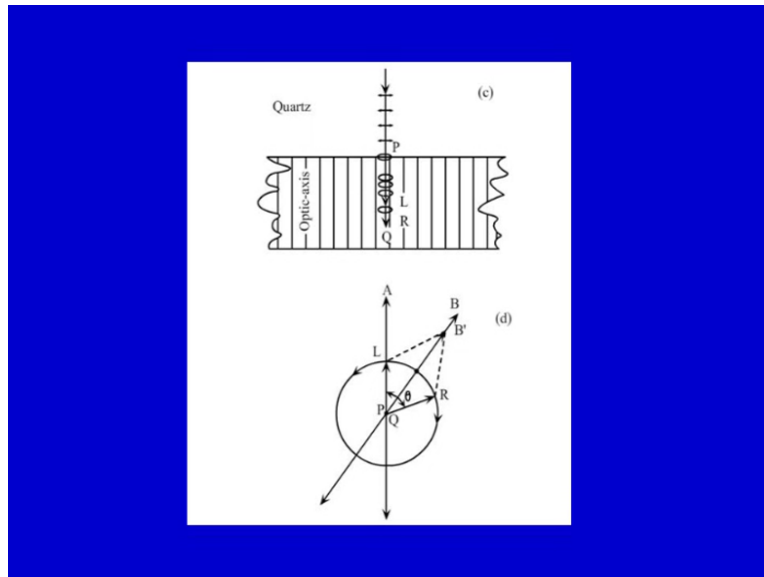
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3. In an optically active crystal, the two circular vibrations move forward with slightly different velocities.

In right-handed quartz, the right-handed or clockwise motion travels faster and in left-handed quartz the left-handed or counterclockwise motion travels faster.

Number 3: In an optically active crystal, the two circular vibrations move forward slightly different velocities in the right handed quartz, the right handed or clockwise motion travels faster and in left handed quartz, the left handed or the counterclockwise motion travels faster. This figure again shows the propagation.

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Consider some point PQ in the figure, in a right handed crystal along the path of a plane polarized incident beam.

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Consider some point Q in the figure in a right-handed crystal, along the path of a plane-polarized incident beam.

Let the amplitude and plane of the incident vibration be represented by AP .

Let the amplitude and the plane of the incident vibration be represented by AP in the figure, the right circular component R of this vibration arrives at Q first and the left handed component L arrives. The displacement turns through an angle θ , before the left handed component L arrives. They are arriving at a different instance because their speeds are different. At this instance, the two circular motions are in opposite senses with the same frequency but one is starting at R and the other at L .

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The right circular component R of this vibration arrives at Q first, and as the wave travels on, the displacement turns through an angle θ before the left-handed component L arrives.

At this instant, the two circular motions are in opposite senses with the same frequency, but one starting at R and the other at L .

The result is that the point B prime vibrates, along the fixed line BQ with the same amplitude and frequency as the original vibration AP . And this represents the vibration form of the light at

Q. Thus in traveling from the crystal face at P, to the point Q the plane of vibration has got rotated through an angle θ by 2.

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It is clear therefore, that the plane of vibration would under these assumptions rotate continuously as the light penetrates deeper and deeper into the crystal and that the angle of rotation would naturally be proportional to the thickness.

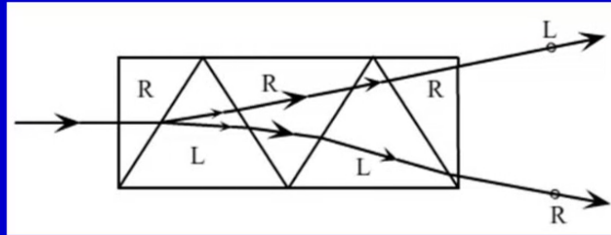
It is clear therefore that the plane of vibration would under these assumptions rotate continuously as the light penetrates deeper and deeper into the crystal and that the angle of rotation will naturally be proportional to the distance travelled that is proportional to the thickness of the active material. Number 4: Now, in order to experimentally show just an experimental verification of this idea that an incident plane polarized beam gets broken up into two circular polarizations: left circular and right circular.

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4. In order to experimentally show this feature that the plane-polarized light on entering an optically active crystal is resolved into two circularly polarized vibrations, Fresnel arranged a number of optically right-handed and left-handed prisms with optic axis parallel to the base of each prism as shown in the figure.

So, just to show it experimentally, during the day plane polarized light on entering an optically active crystal is resolved into two circularly polar vibrations. Fresnel arranged a number of optically right handed and left handed prisms with optic axis parallel to the base of each prism as shown in the figure.

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Alternate arrangement of right-left, right-left like this and the plane polarized incident beam.

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When plane-polarized light is incident normally on the first crystal surface R, the two component circular vibrations (clockwise and anticlockwise) travel along the same direction with different speeds.

When plane polar light incident normally on the first crystal surface R, the two components, two components circular vibrations clockwise and anti-clockwise, travel along the same direction with different speeds.

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When the beam is incident on the oblique surface of the second prism L, the beam which was faster in the first prism becomes slower in the second prism and vice versa..

Therefore one beam is bent away from the normal and the other is bent towards the normal. The two beams are separated apart while they travel through the prism L.

When the beam is incident on the oblique surface of the second program prism L, the beam which was faster in the first prism, becomes slower in the second prism and vice versa. Therefore one beam is bent away from the normal and the other beam is bent towards the normal. The two beams are separated apart while the two travel through the prism L.

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Again at the boundary of the next prism R, the speeds are interchanged and the beam that is bent towards the normal in prism L, is now bent away from the normal. Thus the two beams are separated more and more while passing through the arrangement.

When the two beams emerge out, they are widely apart and are found to be circularly polarized.

Again at the boundary of the next prism R, the speeds are interchanged and the beam that has been towards the normal in prism L is now bent away from the normal and thus the two beams are separated more and more while passing through the arrangement. When the two beams

emerge out, they are widely apart and are found to be circularly polarized which can be experimentally checked.

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5.Mathematical treatment :

Consider a plane-polarized beam

$$E_x = a \cos(kz - \omega t)$$

with vibrations along the x-axis entering an optically active crystal.

Within the crystal it breaks into two circularly (right-handed and left-handed) polarized beams traveling with different speeds, V_R and V_L .

Let us go through a mathematical treatment of this analysis to make the things a little more precise. Consider a plane polarized beam $E_x = a \cos(kz - \omega t)$, the vibrations along the x axis entering an optically active crystal, propagation is along the z axis. This A is the amplitude of the plane polarized beam. Within the crystal it breaks into two circularly as we pointed out earlier, right handed left handed circularly polarized beams, traveling with different speed. That is important traveling with different speeds, V_R on the right handed and V_L on the left handed.

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The corresponding wave vectors k_R and k_L are given by $k_R = \omega/v_R$ and $k_L = \omega/v_L$. These circularly polarized beams can be represented as

$$E_{1x} = \frac{a}{2} \cos(k_R z - \omega t)$$

$$E_{1y} = \frac{a}{2} \sin(k_R z - \omega t) \quad \text{RCP}$$

and

$$E_{2x} = \frac{a}{2} \cos(k_L z - \omega t)$$

$$E_{2y} = -\frac{a}{2} \sin(k_L z - \omega t). \quad \text{LCP}$$

The corresponding wave vectors k_R and k_L are given by $k_R = \omega/v_R$ and $k_L = \omega/v_L$. These circularly polarized beams can be represented as E for the first beam E_{1x} is $a/2 \cos(k_R z - \omega t)$ and $E_{1y} = a/2 \sin(k_R z - \omega t)$ together forming the right circularly polarized and $E_{2x} = a/2 \cos(k_L z - \omega t)$ and $E_{2y} = -a/2 \sin(k_L z - \omega t)$ forming the left circularly polarized.

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The corresponding wave vectors k_R and k_L are given by $k_R = \omega/v_R$ and $k_L = \omega/v_L$. These circularly polarized beams can be represented as

$$E_{1x} = \frac{a}{2} \cos(k_R z - \omega t)$$

$$E_{1y} = \frac{a}{2} \sin(k_R z - \omega t) \quad \text{RCP}$$

and

$$E_{2x} = \frac{a}{2} \cos(k_L z - \omega t)$$

$$E_{2y} = -\frac{a}{2} \sin(k_L z - \omega t). \quad \text{LCP}$$

You see at the entry point, if you put $z = 0$ and add them all the total is just a $\cos \omega t$. That is the incident plane polarized P . Now, the superposition of the above which is in the crystal, optically active crystal leads to along the x direction $E_x = E_{1x} + E_{2x}$, along the x component of the two beams $E_{1x} + E_{2x}$ which is $a/2 \cos(k_R z - \omega t) + a/2 \cos(k_L z - \omega t)$. And that leads to $a \cos((k_R + k_L)z - \omega t)$ and $a \cos((k_L - k_R)z - \omega t)$ along the y direction.

$E_y = E_{1y} + E_{2y} = a/2 \sin(k_R z - \omega t) - a/2 \sin(k_L z - \omega t)$ - remember this is the $-$ sign now $a/2 \sin(k_R z - \omega t) - a/2 \sin(k_L z - \omega t)$ this gives $a \sin((k_R - k_L)z - \omega t)$ into $a \sin(k_R - k_L)z$.

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Eliminating t between these, gives

or

$$\frac{E_y}{E_x} = \tan\left(\frac{k_L - k_R}{2}z\right) = \tan \theta$$

$$\theta = \left(\frac{k_L - k_R}{2}z\right) = \frac{\omega}{2}\left(\frac{1}{v_L} - \frac{1}{v_R}\right)z$$

You can very easily eliminate t between these, just by dividing E_y by E_x . If we do that, we get, E_y by E_x is tangent of $k_L - k_R$ times z . Let us call it $\tan \theta$ where θ is $k_L - k_R$ by 2 times z or ω by 2 into 1 by $v_L - 1$ by v_R times z .

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Thus the emergent light is plane-polarized with vibrations making an angle θ with the original direction of vibration (x -axis).

Note that the angle of rotation θ depends on the distance traveled in the material, and the wavelength λ of the light as the speeds v_L and v_R depend on it.

Thus the emergent light is plane polarized again with vibrations making an angle θ with the original direction of vibration the, which was x axis. So the original direction of vibration was the x axis along the x axis the emergent light now makes an angle θ with the x axis. It has got rotated and the angle of rotation θ depends on the distance travelled in the material, as it should be naturally. And the wavelength λ of light as the speeds v_L and v_R , they depend on it.

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VIII.3 Polarimeters

Polarimeters are the instruments designed to measure angle of rotation produced by an optically active substance.

In principle, a pair of crossed polarizers (a pair with their pass-axes perpendicular to each other) may be used as a polarimeter.

No light will emerge from such a combination.

Let us now consider the polar polarimeters which are the instruments used to measure the angle through which the plane of polarization gets rotated when the light beam, by a plane polarized light beam passes to an optically active substance. So, these are the instruments to measure the angle of rotation. In principle, a pair of crossed polarizers pair with their pass axes perpendicular to each other may be used as a polarimeter in a very simple way.

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But if an optically active substance is introduced between them, the plane of polarization of the light emerging from it will get rotated (say , by an angle α) and the second crossed polarizer will not be able to block the light now.

The intensity of the light emerging from the second polarizer will now be proportional $\sin^2 \alpha$.

If we have a pair of crossed polarizers, no light will emerge from such a combination just the Malus Law. Now if an optically active substance is introduced between these two crossed polarizers, the plane of polarization of the light emerging from the first polarizer, will get rotated

now, when it passes through the optically active substance. Suppose, it gets rotated by an angle α and the second polarizer now will not be able to block the light.

The intensity of the light emerging from the second polarizer will now be proportional to sine square α just the Malus Law. This is $\cos^2(90^\circ - \alpha)$.

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The second polarizer will have to be rotated by angle α in the same sense to make the field of view dark again. The angle of rotation can thus be measured by fitting a circular scale to the second polarizer.

The second polarizer now will have to be rotated by an angle α in the same sense to make the field of view dark again. The angle of rotation can just be measured by fitting a circular scale to the second polarizer. So, we have got a polarimeter to be able to measure the angle of rotation.

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The difficulty is that the field of view remains dark for a considerable angular range of the second polarizer and the measurement of optical rotation is not accurate.

The difficulty is that in actual practice, the field of view remains dark for a considerable angular range of the second polarizer. The range is quite a bit ± 10 degrees, some kind be, even more. And the measurement of optical rotation is not accurate.

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There is no provision here for a comparison of intensity between two regions placed side by side. Polarimeters, which are designed for this purpose, have this feature.

We shall consider two types of polarimeters. These are (a) Laurent's half shade polarimeter and (b) Biquartz polarimeter.

There is no provision here for a comparison of intensity between say two regions placed side by side. Polarimeters are designed for this purpose. To measure the angle, they have these features. We shall consider two types of polarimeters. These are Laurent's half shade polarimeter and the second one, the Biquartz polarimeter. That is the first one.

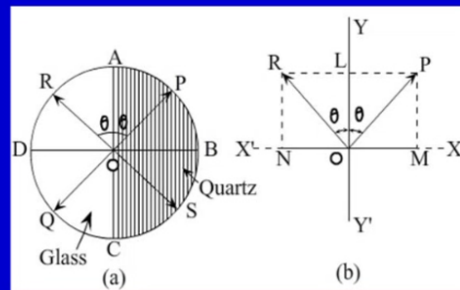
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VIII.3 (a) Laurent's Half Shade Polarimeter

To avoid the above pointed difficulty, Laurent designed a half-shade device.

Now, to avoid the ever pointed difficulties problem of getting darkness over a considerable range Laurent designed a half shade device.

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This device consists of a semicircular half wave plate ABC of quartz cut parallel to the optic axis as shown.

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It consists of a semi-circular half-wave plate ABC of quartz (cut parallel to optic axis as shown) so that it introduces a phase change of π between the extraordinary and the ordinary rays passing through it, and a semi-circular glass plate ADC as shown.

It is just a half wave plate. Remember, half wave plates are cut parallel to the optic axis, light passes through them normally and ultimately, on emergence a path difference of $\lambda/2$ or a phase difference of π is introduced. So, it says this is a half wave plate introduces the phase change of π between the extraordinary and the ordinary rays passing through it. To it we join a

semicircular glass plate ADC as shown. So, the half of the semicircular portion is parts and the other half is a glass plate.

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The two plates are cemented along the diameter AC. The thickness of the glass plate is such that it absorbs the same amount of light as the quartz plate.

The two plates are cemented along the diameter AC. The thickness of the glass plate is such that it absorbs the same amount of light as the quartz plate. The idea is that any extraneous loss of light is same in both the parts.

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Let the plane of vibration of the plane-polarized light incident normally on the half-shade device be along PQ making an angle θ with AC. The vibrations emerge from the glass plate part of the half-shade device as such, i.e., along the plane PQ.

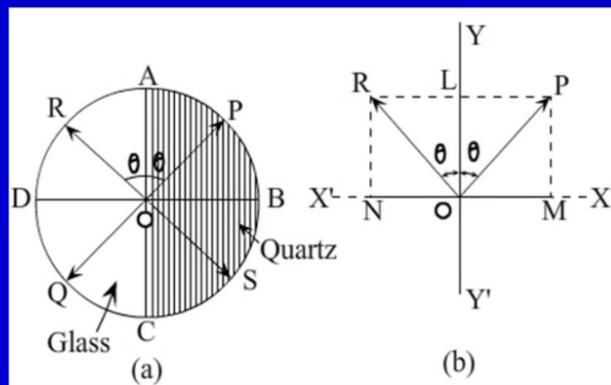
Now, let the plane a vibration of the plane polarized light incident normally on the half shade device be along PQ making an angle theta with AC. The vibrations emerge from the glass plate part of the half shade device; as such no change along the plane PQ.

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Inside the quartz plate (which is doubly refracting), the light is divided into two components, one ordinary component along XX' and the other extra-ordinary component parallel to the optic axis, i.e., along YY' .

Inside the quartz plate which is doubly refracting, the light is divided into two components as we know, one ordinary component X, X prime and the other extraordinary component parallel to the optic axis along Y, Y prime.

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The two components travel along the same direction through separation but with different velocities. The ordinary component moves with greater velocity than the extraordinary component.

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The two components travel along the same direction but with different velocities. The ordinary component moves with greater velocity than the extra-ordinary component and on emergence a phase difference of π is introduced between them.

And on emergence, a phase difference of π is introduced between them.

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Due to this phase difference, the direction of the ordinary component gets reversed, i.e., if the initial position of the ordinary component is represented by OM, then the final position is represented by ON

Due to this phase difference the direction of the ordinary component gets reversed. If the initial position of the ordinary component is represented by OM, then the final position is represented by ON. Now, on emergence the resultant of the extraordinary OL and ordinary component ON will be OR making an angle θ with the y axis.

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Now on emergence, the resultant of the extra-ordinary OL and the ordinary component ON will be OR making angle θ with y-axis. Thus the vibrations of the beam emerging out of the quartz portion of the half-shade device will be along RS .

The vibrations of the beam emerging out of the quartz portion of the half shade device will be along RS. That is the change.

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The essential parts of this polarimeter are a monochromatic light source, a convex lens which changes the incident light beam into a parallel one, a polarizer which makes this light beam plane-polarized, Laurent's half-shade device, a tube containing the optically active experimental substance.

The essential parts of this polarimeter are a monochromatic light source, a convex lens which changes the incident light beam into a parallel one. A polarization which makes this light plane polarized then, the Laurent's half shade device and then a tube containing the optically active experimental substance.

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The light beam emerging from this tube passes through an analyzer (which is really a polarizer). This analyzer is capable of rotation about a common axis. The rotation of the analyzer can be read on a circular scale fitted with verniers.

The light after passing through the analyzer is viewed through a telescope which is focused on the half-shade device.

The light beam emerging from this cube passes through an analyzer. This analyzer is capable of rotation about a common axis. The rotation of the analyzer can be read on a circular scale fitted with verniers. The light after passing through the analyzer is viewed through a telescope which is focused on the half shade device. If the pass direction of the analyzing polarizer which is capable of being rotated and if it is fitted with the circular.

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If the pass-direction of the analyzing polarizer (which is capable of being rotated and is fitted with a circular scale as pointed out earlier) is parallel to PQ , then light from the glass portion will pass unobstructed while light from the quartz portion will be partly obstructed. Due to this, the glass half will appear brighter than the quartz half.

So, when the past direction is parallel to PQ then light from the glass portion will pass unobstructed while the light from the quartz portion will be partly obstructed. And due to this, the last half will appear brighter than the quartz half.

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On the other hand, if the pass-direction of the analyzer is parallel to RS, light from the quartz portion will pass unobstructed while light from the glass portion will be partly obstructed. Thus the quartz half will appear brighter than the glass half.

On the other hand, if the pass direction of the analyzer is parallel to RS, light from the quartz portion will pass unobstructed. But the light from the glass portion will be partly obstructed. Thus the quartz half will appear brighter than the glass half. If however, the pass direction of the analyzer is parallel to AC, y axis it is equally inclined to the two planes polarized lights.

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If, however, the pass-direction of the analyzer is parallel to AC (y-axis), it is equally inclined to the two plane-polarized lights and hence the field of view in the two halves will be equally bright.

Thus the half-shade device serves the purpose of dividing the field of view in two halves.

And hence the field of view, in the two halves, will be equally bright because the half shade device serves the purpose of dividing the field of view in 2 halves. And a little change in the direction of the pass direction of the analyzer, makes one half brighter other half darker; measurements can be done in much more accurate way.

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When the analyzing polarizer is slightly rotated from the position of equal brightness,

a marked change in the intensity of the two halves is observed and the measurement could be carried out accurately.

So, when analyzing polarizer is slightly rotated from the position of equal brightness, as I said, a marked change in the intensity of the two halves is observed and the measurement could be carried out with much more accuracy.

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To begin with in an actual experiment, the experimental tube is filled with water. The telescope is focused on the half-shade device and the analyzer is rotated till the two halves are equally bright. This position is noted on the circular scale.

In the experiment to begin with, the experimental tube is filled with water; the telescope is focused on the half shade device. And analyzer is rotated till the 2 halves are equally bright. This position is noted on the circular scale.

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The tube is then filled with the optically active solution and placed in position. The analyzer is rotated and is brought to a position such that the two halves are equally bright again. This new position is noted. And the difference between the two readings gives the angle of rotation.

The tube is then filled with the optically active solution and placed in position. The analyzer is rotated and it brought to a position such that the two halves are equally bright again. This new position is noted and the difference between the two regions gives the angle of rotation, pretty accurately.

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VIII.3 (b) Biquartz polarimeter

We shall now describe biquartz polarimeter which is a sensitive instrument for this purpose.

Now we come to Biquartz polarimeter. This is a little more sensitive than the Laurent's half shade plate. Here a monochromatic light is not used rather than we use a white light; maybe a mercury lamp.

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It consists of a white light source, a convex lens which renders the incident light into a parallel beam, a polarizer to change the incident beam into a plane-polarized beam, biquartz plate, experimental tube containing the active substance, another polarizer working as an analyzer and a telescope fitted with a circular scale. The telescope is focused on the biquartz plate.

It consists of a white light source, a convex lens as before, which renders the light into a parallel beam, the polarizer changes the incident beam into a plane polarized beam, then a biquartz plate, then the experimental tube containing the active substance and a polarizer working as an analyzer as before. And a telescope fitted with a circular scale. The telescope is focused on the biquartz plate.

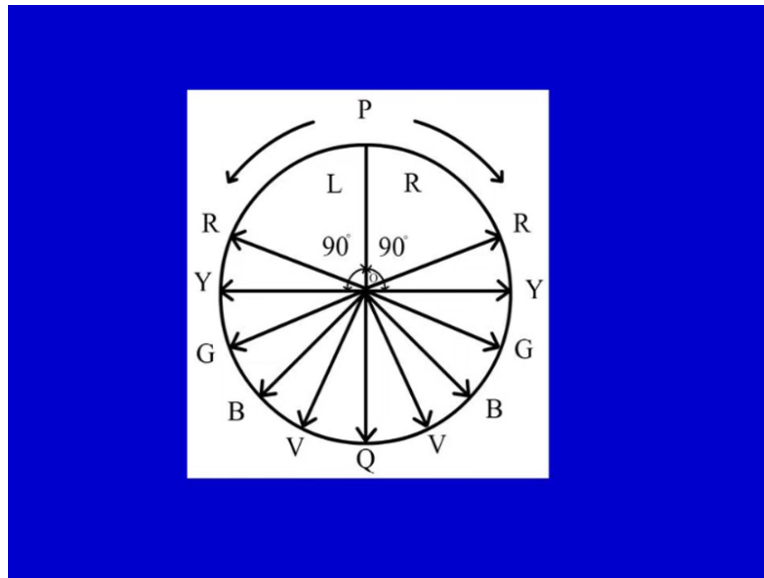
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The biquartz plate consists of two semicircular plates of quartz (one of left-handed quartz L and other of right-handed quartz R) each of thickness 3.75 mm. Both are cut perpendicular to the optic axis and joined together along the diameter PQ as shown in the figure.

Now the essential pieces the biquartz plate. It consists of two semicircular plates of quartz: One of left handed quartz L and other of right handed quartz R, each of thickness about 3.75

millimeters. Both are cut perpendicular to the optic axis. This means the propagation here is along the optic axis now. They are joined together along the diameter PQ as shown in the figure.

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L for the left handed quartz and R for the right handed quartz joined along the diameter PQ.

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When the plane-polarized white light passes through a biquartz plate normally i.e. along the optic axis, the phenomenon of rotary dispersion occurs because the planes of vibration of different colors are rotated through different angles.

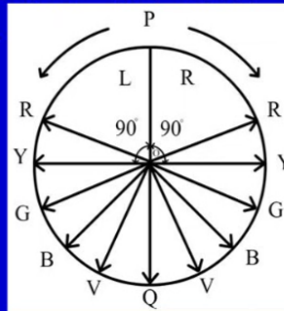
The amount of rotation is maximum for violet and least for red. The sense of rotation is opposite in the two halves of the biquartz plate.

When the plane polarized white light passes through a biquartz plate normally, along the optic axis the phenomena of rotary dispersion occurs because the planes of vibrations of different colors are rotated through different angles. Remember, we have seen that the amount of rotation is proportional to $1/\lambda^2$. And rotation will be in one sense for the left handed

portion and other direction for the right handed portion. The amount of rotation is maximum for violet which has the minimum wavelength and least for red.

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The amount of rotation also depends on the thickness. For a thickness of 3.75 mm, the rotation of the plane of polarization for yellow light is 90° and hence YOY is a straight line.



The sense of rotation is opposite in the two halves. The amount of rotation also depends on the thickness. For a thickness of 3.75 millimeters, the rotation of the plane of polarization for yellow light is about 90 degrees. And hence YOY is a straight line.

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If the pass-direction of the analyzer is parallel to POQ, the yellow light will not be transmitted through the analyzer and the appearance of the two halves will be similar. The two halves will have a greyish-violet tint, called the tint of the passage.

If the pass direction of the analyzer is parallel to POQ, the yellow light will not be transmitted through the analyzer, Malus Law. And the appearance of two halves will be similar. The two halves will have a grayish violet tint called the tint of the passage. When the analyzer is rotated

to one side from this position, one half of the field of view appears blue, while the other half appears red.

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When the analyzer is rotated to one side from this position, one half of the field of view appears blue, while the other half appears red.

If the analyzer is rotated in the opposite direction, the colors are interchanged i.e., the first half which was bluish earlier now appears red, and the second half which was reddish earlier now appears blue.

When the analyzer is rotated in the opposite direction, the colors are interchange the first half which was bluish earlier now appears red. And the second half which was reddish earlier now appears blue.

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The position dependence of the tint of the passage is very sensitive and is used for accurate determination of the angle of optical rotation.

The experiment may be performed in the same way and the angle of optical rotation measured as with Laurent's half-shade polarimeter.

The position dependence of the tint of passage is very sensitive and is used for accurate determination of the angle of optical rotation. The experiment we were born in the same way and the angle of optical rotation measured as with Laurent's half shade polarimeter. And with this, we

have come to the end of this lecture. Actually we have come to the end of this lecture series of five lectures. We have almost covered all aspects which need be covered in a series on polarizations. I hope you have enjoyed these lectures. Thank you very much for watching and listening.