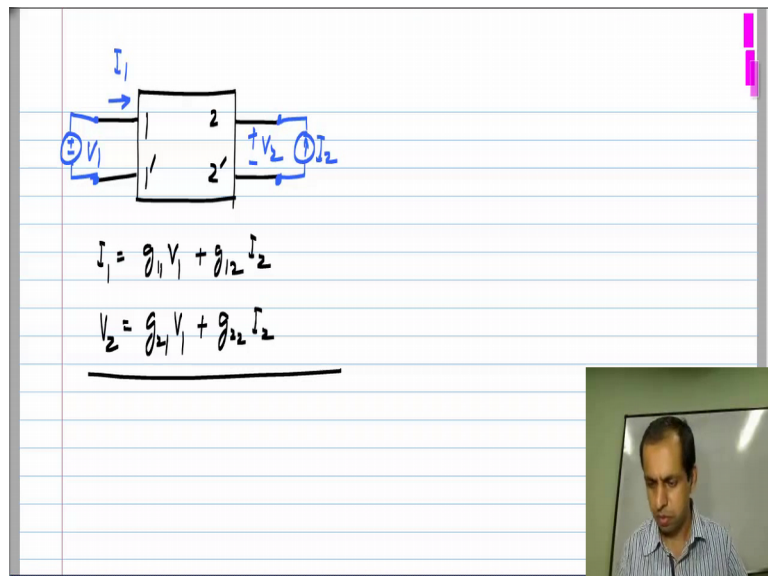


**Basic Electrical Circuits**  
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**Lecture – 87**

Now, I will consider the last set of two port parameters, which are known as g parameters or inverse hybrid parameters. In case of hybrid or H parameters, we took  $I_1$  and  $V_2$  as independent variables, now in this case we will take  $V_1$  and  $I_2$  as independent variables. Otherwise, the rest of the step is similar to H parameters and also to z and y, in that you set one of the parameters to zero fourth the measurements and so on.

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So, we apply  $V_1$  and  $I_2$  and measure  $I_1$  and  $V_2$ , as you expect both  $I_1$  and  $V_2$  are linear combination of the applied independent sources, which are  $V_1$  and  $I_2$ . Now, to measure this, again we do 4 measurements with independent some independent source set to 0 each time.

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$I_2 = 0$  (open circuit port 2)

port 1 conductance with port 2 open circuited.

$$I_1 = g_{11} V_1; \quad g_{11} = \frac{I_1}{V_1} \Big|_{I_2=0}$$

Voltage gain from port 1 to port 2 with port 2 open circuited.

$$V_2 = g_{21} V_1; \quad g_{21} = \frac{V_2}{V_1} \Big|_{I_2=0}$$

First we set  $I_2$  to 0; which means, that we open circuit port 2 and apply a voltage  $V_1$  to port 1 and then, we measure  $I_1$  and  $V_2$ . So,  $I_1$  will turn out to be  $g_{11}$  times  $V_1$ , the contribution from  $I_2$  is 0, because  $I_2$  itself is 0. So, this tells you that  $g_{11}$  is  $I_1$  by  $V_1$  with port 2 open circuited and you can see that  $g_{11}$  is nothing but, the conductance looking in to port 1 with port 2 open circuited. Now,  $V_2$  will be  $g_{21} V_1$ , so  $g_{21}$  will be nothing but,  $V_2$  by  $V_1$  with port 2 open circuited.

So, this  $g_{21}$  is nothing but, the voltage gain from port 1 to port 2 with port 2 open circuited. So, very similar to whatever we had earlier and naturally,  $g_{11}$  has dimensions of conductance and  $g_{21}$  is dimensionless.

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$V_1 = 0$  (port 1 short circuited)

current gain from port 2 to port 1 with port 1 shorted.

$$I_1 = g_{12} I_2; \quad g_{12} = \frac{I_1}{I_2} \Big|_{V_1=0}$$

Resistance looking into port 2 with port 1 shorted.

$$V_2 = g_{22} I_2; \quad g_{22} = \frac{V_2}{I_2} \Big|_{V_1=0}$$

Now, for the other set of measurements, we set  $V_1$  to 0, so that is port 1 short circuited and we apply a current  $I_2$  to port 2, with that we measure  $I_1$  and  $V_2$ . So, in this case  $I_1$  will be  $g_{12}$  times  $I_2$  or  $g_{12}$  is  $I_1$  by  $I_2$  with port 1 shorted. In other words, it is the current gain from port 2 to port 1 with port 1 shorted and  $V_2$  is  $g_{22}$  times  $I_2$  or  $g_{22}$  is  $V_2$  by  $I_2$  with  $V_1$  equal to 0, which is nothing but, the resistance looking in to port 2 with port 1 shorted, so that is what  $g_{22}$  is. So, very, very similar to all the other parameters, the measurement techniques are.

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$$[g] = \begin{bmatrix} g_{11} & g_{12} \\ g_{21} & g_{22} \end{bmatrix} = [H]^{-1}$$

Annotations in the image:  
 -  $g_{11}$  and  $g_{21}$  are labeled as "dimensionless".  
 -  $g_{12}$  is labeled as "conductance".  
 -  $g_{22}$  is labeled as "resistance".

Now, the  $g$  parameter matrix is  $g_{11}$ ,  $g_{12}$ ,  $g_{21}$ ,  $g_{22}$ , where these two are dimensionless and this one is a conductance and that one is a resistance. And from the definitions, it must be obvious that this is the inverse of the  $H$  parameter matrix,  $z$  and  $y$  are inverses of each other and  $g$  and  $H$  are inverses of each other.