

Basic Electrical Circuits

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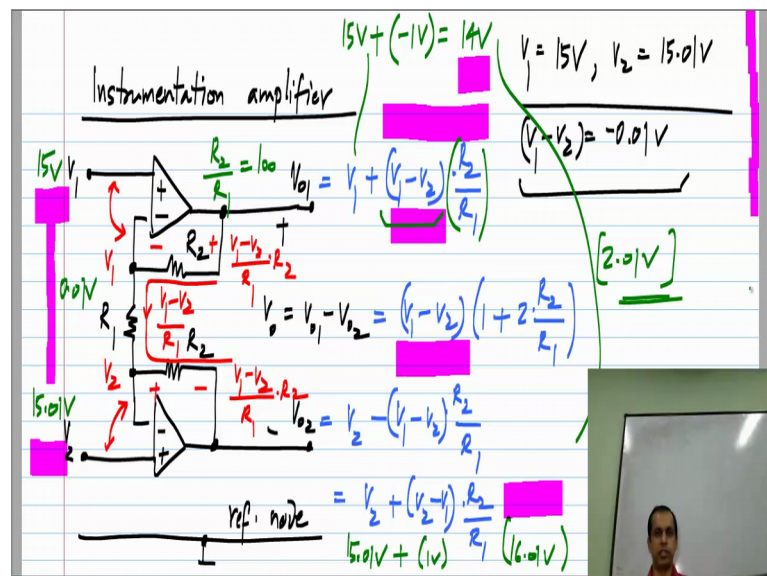
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Lecture – 109

In this lesson we will look at another frequently used op amp based amplifier circuits. It is used widely in instrumentation applications and it is rapidly called the instrumentation amplifier.

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It is based on the non inverting amplifier and it can be derived from that, but I am here just putting down the circuit. This has two op amps and you will be able to verify that each of them is a negative feedback. And let say I have V_1 and V_2 are the two inputs, again this means that they are V_1 and V_2 with respect to some reference node and I have these two node voltages as the outputs V_{o1} or V_{o2} . In particular the difference between these is considered to be the output V_o which is V_{o1} minus V_{o2} and the resistance values are chosen systematically.

So, let say this is R_2 , this is R_2 and this one is R_1 , I will show the analysis with ideal op amps, if you want to see what happens with non ideal op amps that is op amps with the finite gain, then you can replace each of this op amps with voltage control voltage sources and carry out the analyses yourselves. Now, ideal op amp circuit analysis is very

easy, I will use the virtual short between these two, there is negative feedback around each of these op amps that can be verify as I mentioned earlier.

So, the virtual short at the input of this op amp means that the voltage here is also V_1 with the respect to the reference node. Similarly, the virtual short at the inputs of this op amp means that, the voltage difference between these two is 0 and this node voltage V_2 with respect to the reference node. So, this resistance R_1 it is upper terminal is connected to V_1 , the lower terminal to V_2 , so the current flowing through this is V_1 minus V_2 divided by R_1 .

That current goes in to this resistor; nothing goes in to the op amp and similarly goes into that resistor. So, the voltage drop across the R_2 is in this polarity, this current times R_2 it is V_1 minus V_2 by R_1 times R_2 . And similarly across this R_2 with this polarity we have V_1 minus V_2 by R_1 times R_2 . Now, if you look at each of these voltages V_{o1} will be V_1 plus the voltage drop across R_2 . So, V_{o1} is V_1 plus the voltage drop across R_2 which is V_1 minus V_2 times R_2 by R_1 .

Similarly, V_{o2} will be V_2 minus the voltage drop across this lower R_2 , these two resistors have to be of the same value, V_{o2} would be V_2 minus V_1 minus V_2 times R_2 by R_1 which is also the same as V_2 plus V_2 minus V_1 times R_2 by R_1 . Now, what is special about this? I can also compute V_{o1} minus V_{o2} , you can see there it is V_1 minus V_2 times 1 plus 2 times R_2 by R_1 .

So, we have V_1 there and this V_2 gives you V_1 minus V_2 and we have V_1 minus V_2 times R_2 by R_1 , V_1 minus V_2 times R_2 by R_1 , so we get 2 times R_2 by R_1 . What is special about this? The point is you can set this R_2 by R_1 ratio to be a large number, then what happen is even if you look at each of these outputs V_{o1} and V_{o2} a large part of that consists of the difference V_1 minus V_2 , the individual voltage V_1 here is multiplied by again 1 , whereas the difference voltage V_1 minus V_2 is multiplied by R_2 by R_1 .

So, what it means is that, this prefers the difference V_1 minus V_2 as oppose to V_1 or V_2 by itself and if you take the difference between these two V_{o1} minus V_{o2} , you will find that it is proportional only to the difference. Now, why is this useful? This is useful it turns out that many times you have to compute the difference between two large voltages, but the difference is small, but each of the voltages is large.

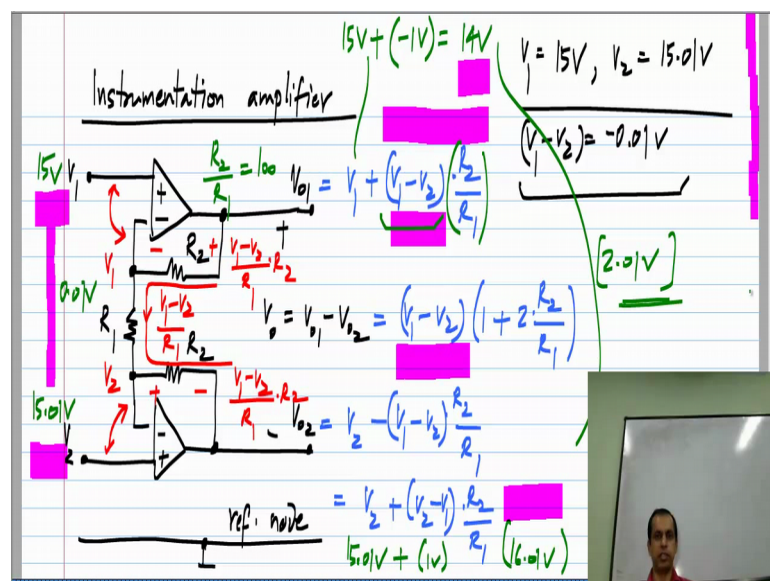
So, let say I have 15 volts V_1 is 15 volts and V_2 is 15.01 volts and I am interested in

only the difference $V_1 - V_2$ which is actually a very small number, which is minus 0.01 volts. I need a circuit that amplifies this very small difference and ignores the fact that each of these voltages is large, so that it emphasizes the difference. So, what happens if I apply those two voltages to the circuit? So, let's say I have 15 volts and 15.01 volts, now here I will have 15 volts plus let me assume that R_2 by R_1 is 100. So, I have 15 volts plus this is a 100 and $V_1 - V_2$ is minus 0.01 volts.

So, I will have 15 volts plus this $V_1 - V_2$ times R_2 by R_1 which is minus 1 volt. And similarly here I have V_2 which is 15.01 volts plus $V_2 - V_1$ which is 0.01 volts times R_2 by R_1 which is 100, so I will have plus 1 volt. So, if I take the total, this is 14 volts and this is 16.01 volts, so now, the value of the circuit is very clear. We have 2 voltages with the very small difference between them they have been amplified in to 2 voltages with the much larger difference; we have 15 volts and 16.01 volts.

Again this is important in instrumentation applications, where you have trying to sense difference between two quantities precisely each of those quantities can be large, but the difference can be small. So, what happens is that what is the very small difference 15 and 15.01 there is only 0.01 volts difference between these two has been converted in to 2 voltages, which have 2.01 volts difference between these two. So, that is the value of this circuit this is clear. So, very useful circuit and we will find, that it is commonly used in instrumentation applications.

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So, clearly recognize the value of the instrumentation amplifier we can compare it with

another structure based on non inverting amplifiers which also amplifiers the difference by the same amount, this is instrumentation amplifier the inputs are V_1 or V_2 as we have seen, the difference output is $V_1 - V_2$ times $2 \times R_2 / R_1$ and more importantly the individual outputs are $V_1 + V_1 - V_2$ times R_2 / R_1 and other one is $V_2 - V_1 - V_2$ times R_2 / R_1 .

Now, if I have two input voltages we can think of using two separate non inverting amplifiers, I will replicate the exact same circuit on the other side, if you do this what happens is the individual outputs will be V_1 times $1 + R_A / R_B$, the other one will be V_2 times $1 + R_A / R_B$ and the difference between them would be $V_1 - V_2$ times $1 + R_A / R_B$, it appears that if I set $1 + R_A / R_B$ to be the same as $2 \times R_2 / R_1$, the difference output will be the same, but the important difference in the individual outputs.

Taking the same example values are before, if this is 15 volts and this is 15.01 volts and we also say that R_2 / R_1 is 100. We saw that this would be $15 - 0.01$ times 100 or 14 volts and this will be 16.01 volts. Now, the difference between these two is occurs minus 2.01 volts. Now, if you do that in this case, let us say this is 15 volts, this is 15.01 volts and I said this $1 + R_A / R_B$ to be the same as $2 \times R_2 / R_1$ which is 200 because R_2 / R_1 is 100.

So, this is 200 so; that means, that the output should be 15 times 200 which is 300 volts and this one will be 15.01 times 200 which is 302 volts. So, you can see that the difference output is minus 2.01 volts here and minus 2 volts over there 300 minus 302, but the individual voltages are much higher in this case. In fact, this is completely impractical if you have op amps with let us say 20 volts power supply you cannot have a 300 volt output this will say a later.

But, you can see that this 300 volts is too high and this 302 volts also too high two separate amplifiers like this individually amplifier V_1 and V_2 whereas an instrumentation amplifier like this does not amplifier the individual voltages much V_1 comes out as it is, V_2 comes out as it is what gets amplifier is only the difference. So, such properties known as common own rejection we want going to that you can refer to some book to get more details of that, the point is individual voltages are not amplified, but their differences and that is the value of the instrumentation amplifier, which is require to sense small differences of two large voltages in many, many applications.