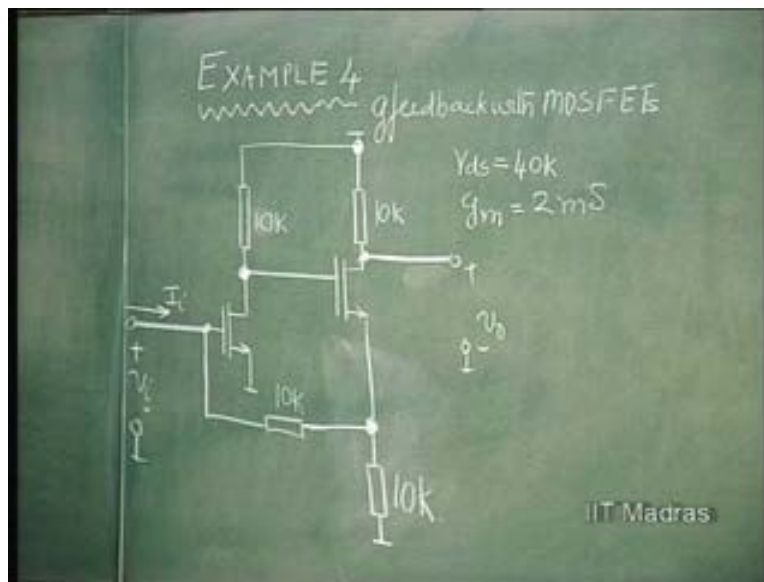


Electronics for Analog Signal Processing - II
Prof. K. Radhakrishna Rao
Department of Electrical Engineering
Indian Institute of Technology – Madras

Lecture - 6
g Feedback with MOSFET

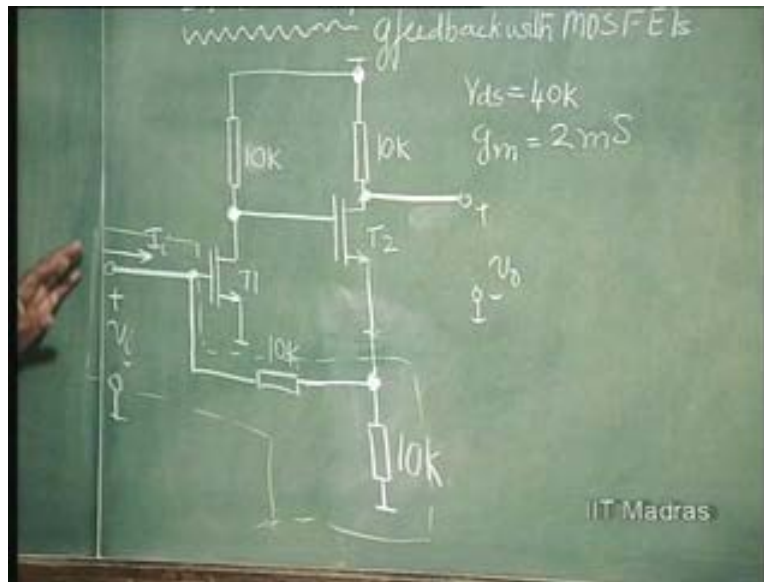
Before we consider operational amplifier negative feedback circuit, let us complete the last example that we had considered under the feedback. That is, g feedback with MOSFETs. Purposely I am taking MOSFETs so as to illustrate the fact that the attacking of the problem remains the same as the bipolar structure.

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So, we have MOSFET T 1 amplifier cascaded to MOSFET T 2. Actually, this is, this was originally grounded and we wanted g feedback. So, we put the network shunt at the input and series at the output. So we connected it in series. So, this is the feedback network that comes into picture here; coming in series at the output and in shunt at the input.

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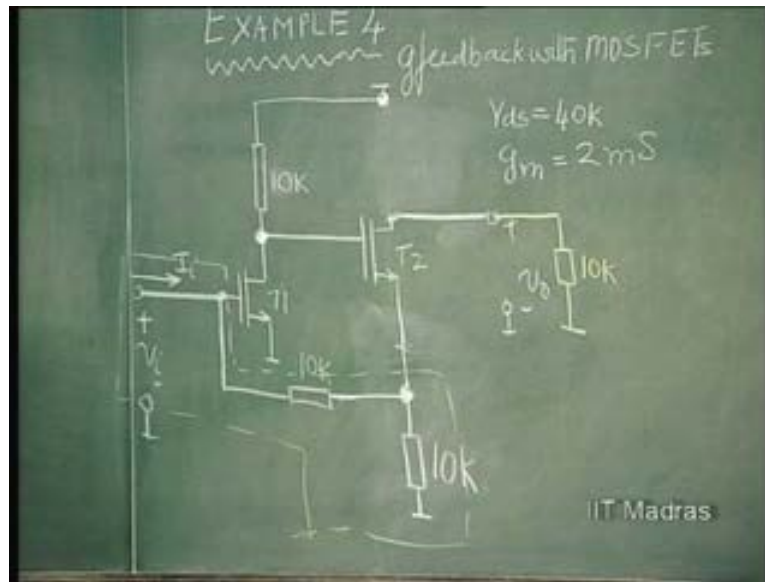


Now, this has been illustrated in shunt at the output. V_i is common to both the feedback network as well as the amplifier. V_{naught} is common; that is, I_{naught} is common to the thing at the output. V_{naught} is going to be shared between the amplifier and the feedback network.

Now, one thing you have to be extremely careful. Now, V_{naught} is not common and therefore I_{naught} is common. So, the load that you put must be put at this point so that this load comes in series with the amplifier as well as the feedback network.

So, this connection from here to ground is simply lifted and put here. So, this is considered as the load. In addition, actual load may be there.

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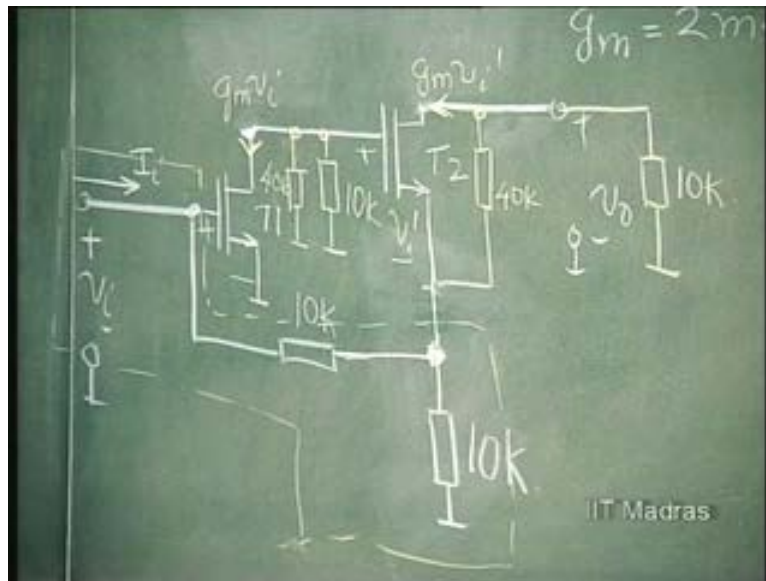
So, in this problem, the actual load is not given; just the R_{D2} has been given as 10 K. That has been put here. So now, the current is common to the load, the amplifier and the feedback network. This is how it should look.

So, this is an important point that you should note. Same things should happen when we have things in series at the input. There should not be anything in shunt at the input. Things should be in series at the input for H feedback. There also, the amplifier should come in series with the feedback network and bias networks and all should be considered with the source impedance; not with the amplifier. Likewise, in the case of series arrangement at the output, the load resistance should always be considered outside. This is something that you have to bear in mind. Now, once you do that, this is going to be pretty simple problem here.

This 10 K, also is nothing but a 10 K connected like this; the same thing can be depicted as being connected like this. So, simple enough. Now, we have V_i applied to this. This V_i is same as this. So, we have here $g_m \times V_i$; and if R_{DS} is 40 K, we will put R_{DS} also here, let us say, in the equivalent. This is 40 K. And please remember to put that R_{DS} of 40 K here in the equivalent.

So here now, the current here is going to be g_m times V_i , V_i being the gate to source voltage. The current here, if I call this as V_i dash, is going to be g_m times V_i dash. That is the equivalent circuit, part of it. So, this much if you do, you have almost solved the problem.

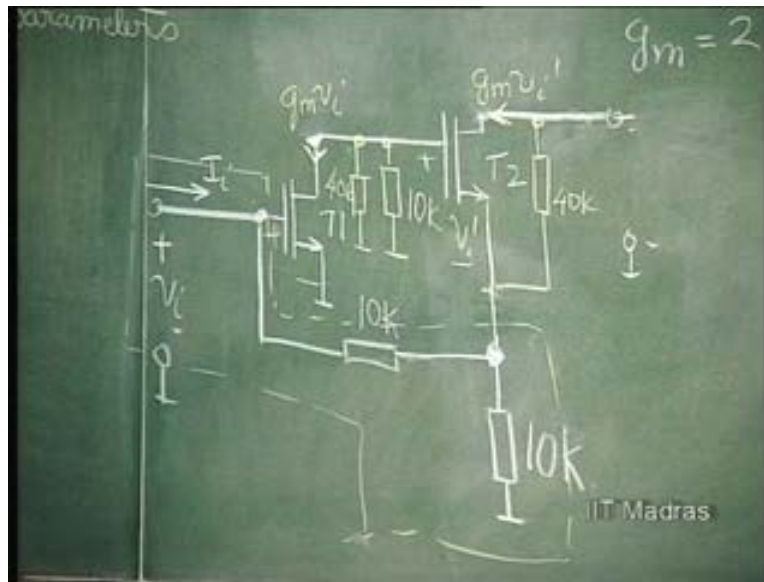
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Now, we have to evaluate the composite g parameters for this. That means, first I open circuit the output. Remember. g parameter - the two input parameters g_i and g_f are defined for open circuit output; g_r and g_{naught} are defined for short circuit input.

So, when I open circuit, what happens? So, we want to evaluate, in this condition, g_i which is V_i by I_i , under this situation. Now, as far as this amplifier is concerned, it is very convenient. There is no current drawn from this. The only current drawn is by this. And this current is zero. If this current is zero, this current is going to be zero. This current is zero; therefore, this current is zero. In this network, this is open because this is a MOSFET here. So, this is open. This current is zero; this current is zero, automatically.

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So, this resistance that comes is simply equal to... g_i is equal to $1 / (10\text{K} + 10\text{K})$. That is, 20K , simply. That of the amplifier... g_i amplifier is zero; the conductance, input conductance of the amplifier is zero; or input impedance is infinity, in the case of MOSFET. Otherwise, that would have been added to it.

Then we have g_f . What is g_f definition? When I apply I_i here, I find out what? V_{naught} is open circuit output voltage. So, if I find... apply I_i and find out V_{naught} , it is V_{naught} divided by I_i . That is defined as g_f . That is, V_{naught} divided by V_i , that is defined as g_f . So, we know that this voltage V_i is going to appear here as V_i and because of this g_m times V_i , the voltage developed at across this is going to be g_m into V_i into parallel combination of this 40K parallel $20, 10\text{K}$. So, $4, 40$ into 10 by $40 + 10$; and g_m is already known to be 2 millisiemens. So, 2 into 10 to power minus 3 gets cancelled with 10 to power 3 here. So actually, the gain here of this single stage is going to be 16 times V_i .

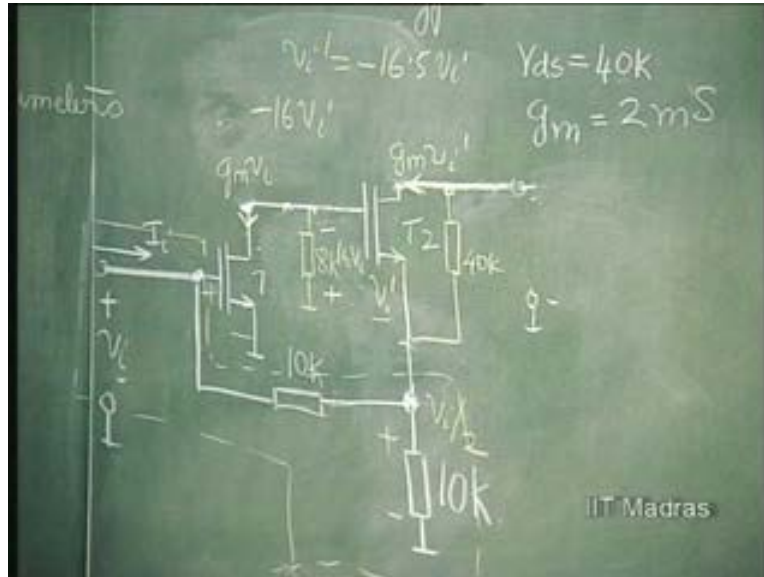
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16 times V_i and this end positive; and therefore, it will be minus 16 times V_i . This voltage is going to be minus 16 times V_i across this. Remember. So, across 10 K, it is minus 16 times V_i coming here; and this V_i is this minus 16 times V_i minus this voltage. What is this voltage? If this is V_i , half of V_i comes here. If this is V_i , half of V_i comes here, because this is open. So, this is 10 K, 10 K. So, half of V_i comes here. V_i by 2. So, we have minus 16 times V_i here. That is, plus here, minus here, 16 V_i ; and here we have plus here, minus here. So effectively, plus, minus, plus, minus; these voltages add. V_i by 2 adds with plus minus 16 V_i ; or it is effectively having a V_i dash which is minus 16 point 5 V_i .

Once again, let us see this. This 10 K parallel 40 K is 8 K; and 8 into 2 millisiemens is 16. So, this is giving you minus, plus, minus, 16 V i, this. You have, plus, minus, V i by 2. So, this will add on to this and V i dash is going to be minus 16 point 5 V i.

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Now, that into g_m is the current in this, in this direction. If it is minus 16 times...16 point 5 times V_i , the current will be actually in this direction with 16 point 5 into 2. 16 point 5 into 2 - that is 33 times V_i flowing in this direction, which will develop a voltage in this direction, which is 33 V_i into 40 K. 33 into 16 point 5 V_i into 2 millisiemens. So, 33 into 10 to power minus 3 into 40 K.

So basically, the voltage developed here is going to be 40 into 33 times V_i , positive here and negative here. And there is V_i by 2 getting added to it, plus if you want point 5 V_i . So, that is really the gain. V_{naught} over V_i . V_{naught} is, open circuit voltage is, from here to ground. So, we have 40 times 33 V_i positive, negative, here and V_i by 2 here. So, 40 into 33 plus point 5 V_i is the total output voltage.

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A chalkboard with handwritten equations. At the top, there are some faint markings '1' and '0'. The main equations are:

$$g_i = \frac{1}{20k}$$
$$g_f = \frac{V_o}{V_i} = 40 \times 33 + 0.5$$

On the right side of the board, there is a vertical diagram showing a signal path with a '+' sign and a '2' below it. The IIT Madras logo is visible in the bottom right corner.

So basically, we can even ignore this because this is 1320 and the contribution due to this forward path is only point 5. So, we have now evaluated g_f . So, 1320 point 5. This is the parameter g_f ; we have already evaluated g_i . We now have to evaluate g_r and g_{naught} .

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A chalkboard titled "Composite g parameters". The equations shown are:

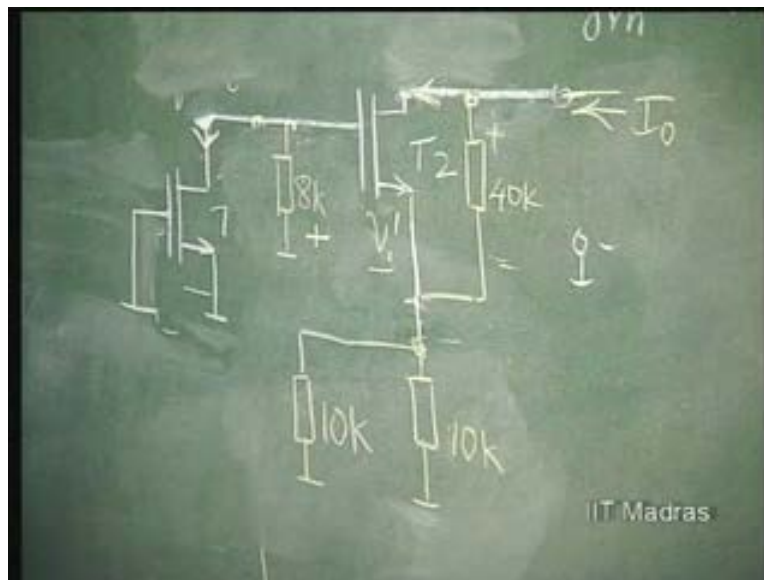
$$g_i = \frac{1}{20k}$$
$$g_f = \frac{V_o}{V_i} = 1320.5$$

Next to these equations are the labels g_r and g_o . On the right side, there is a vertical diagram showing a signal path with a '+' sign and a '2' below it. The IIT Madras logo is visible in the bottom right corner.

What are these parameters? Now I apply a voltage at this point which I call as... actually, I should apply a current here; I naught, we will call it; and short circuit this. So, it is a parameter with input shorted. Now, when I short this input, you will know that this 10 K come in parallel with this 10 K. I have shorted this. So, this 10 K will come in parallel with 10, 10 K.

I will remove all these values. So, we will redraw this. So, V_i is zero. So, I have the circuit becoming like this. This is shorted; at input is shorted; and this 10 K comes in parallel with this 10 K. So effectively, we have a resistance of 5 K. So, please understand that that comes about because of the 10 K; and the input shorted 10 K coming here. So, that, you should remember. That is effectively 5 K.

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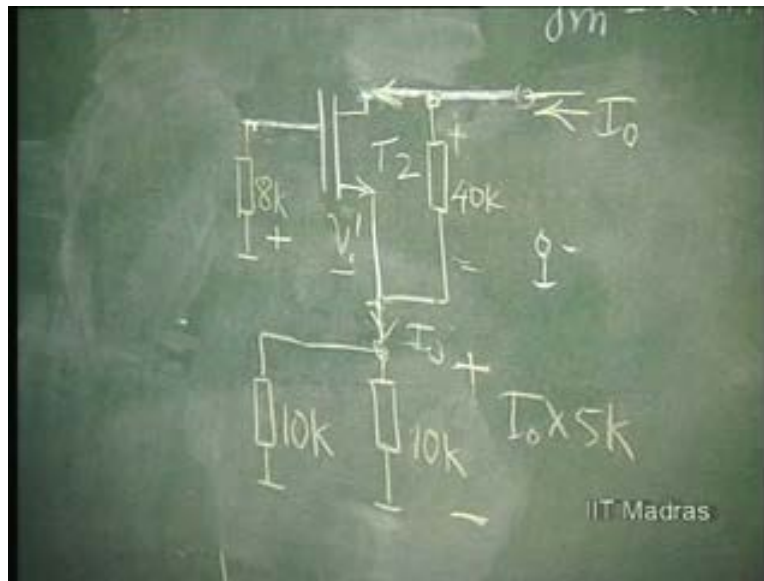


So, if I_{naught} is this current here, whatever be the situation, I_{naught} should be the current here, because this current is entering, this current should be leaving; this is open. So, I_{naught} ... What is the current that is going to be fed back to the input? It is through this 10 K. So, half of I_{naught} is going to be fed back. So, g_r is equal to half. Out of the output current, half of it is fed back; and what is the direction? If this is entering, this will be leaving. So, minus. If this is entering, half of this current is fed back to the input. But

if that is also going to leave the input port... So, half, minus half; if the current entering is positive; current leaving is negative; so, it is minus half.

What is $g_{m\text{naught}}$? $g_{m\text{naught}}$ is... obviously, we have to evaluate $V_{i\text{naught}}$, when $I_{i\text{naught}}$ is the pumped in current. If $I_{i\text{naught}}$ is the pumped in current, this is $I_{i\text{naught}}$ and the voltage across this is $I_{i\text{naught}}$ into 5K . This is the voltage across this. As far as this is concerned, this is useless. V_i is zero. So, this current, source current is zero. So, circuit gets simplified very much.

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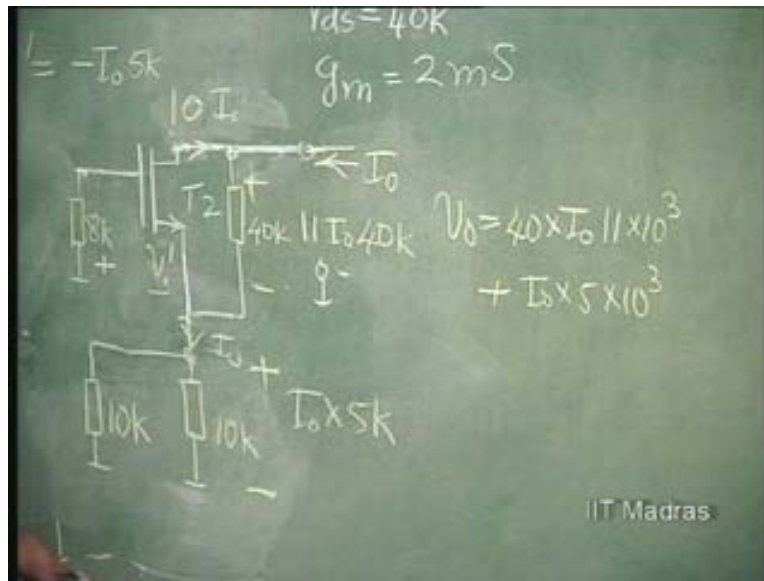
So, this has 5 times $I_{i\text{naught}}$ into K as voltage across this; and that voltage will be coming with this end positive and this end negative. That means, this is negative. So, $V_{i\text{dash}}$ is equal to minus $I_{i\text{naught}}$ into 5K . That is because, this is at ground potential. So, from here to here, whatever voltage is occurring, is appearing as $V_{i\text{dash}}$, but with negative sign. What it means is, g_m times $V_{i\text{dash}}$ which is this value, will be flowing in this direction.

If I say that g_m times $I_{i\text{naught}}$ times 5K is flowing, then this direction has to be changed because that minus says it is in the opposite direction to what we have assumed. In which

case, I_{naught} is flowing here. g_m times I_{naught} into 5 K is flowing there. What is g_m ? It is 2 millisiemens. So, this is 2 into 5, which is 10 times I_{naught} ; which means, here we have 10 I_{naught} flowing; I_{naught} flowing.

So, through the 40 K resistance, we have 11 times I_{naught} flowing; which means, the drop across this is 11 times I_{naught} times 40 K. That is in this direction. Already this is I_{naught} times 5 K. So, the total voltage, V_{naught} , total voltage V_{naught} from here to ground. So, we have 40 into I_{naught} times 11 K plus I_{naught} into 5 K. That is all.

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So, V_{naught} over I_{naught} which is the output resistance is nothing but 440 K plus 5 K which is 445 K. So, this is 445 K. So now, we have evaluated the composite g parameters completely.

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Composite g parameters

$$g_i = \frac{1}{20k} \quad g_r = -\frac{1}{2}$$
$$g_f = \frac{v_o}{v_i} = 1320.5 \quad g_o = 445k$$

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So, we have to now convert it into composite h parameters in order to find out what is the effect of negative feedback. That is g feedback.

So, composite h is what we have to convert. Before that, let us find out the loop gain. Loop gain is, once again, these things have become routine. You see, 1320 point 5 into half, minus... So minus, divided by this into this. 445 by 20. So, this is 22 point 25. So, you have the loop gain which is minus 660 point 25 divided by 22 point 25. If you neglect this point 25, it is simply... 22 goes 3 times. So, about 30. 30. So, if you ignore this... So, the loop gain is pretty high. So, minus 30 is the loop gain indicating that it is negative feedback.

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Handwritten calculation of loop gain on a chalkboard. The text "loop gain" is written at the top. Below it, the calculation is shown as
$$= \frac{-660.25}{\frac{22.25}{20}}$$
 with a circled arrow pointing to the denominator. To the right, there is a circled "g". At the bottom right, "IIT Madras" is written.

Now, we can go ahead with everything that we want to do. h parameter. So, h f first and foremost. Fine. So, once again, we can see here, Delta g is what is the modification factor. It involves loop gain. So, how much is this? This is 660 point 25 plus 22 point 25 which is point 5, 2, 8,... 682 point 5. That is Delta g.

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Handwritten calculation of Δg and h_f on a chalkboard. On the left, Δg is calculated as
$$= \frac{660.25}{22.25} = \underline{\underline{682.5}}$$
 with "loop gain" written next to it. On the right, $h_f =$ is written above the same fraction
$$= \frac{-660.25}{\frac{22.25}{20}}$$
 with a circled arrow pointing to the denominator. At the bottom right, "IIT Madras" is written.

So, this gets modified as 1320 point 5 with minus sign. Minus. That divided by Delta g which is 682 point 5. You can see that this is very nearly equal to 2; slightly less than 2. So, this is very nearly equal to 2, minus 2. That is what it should be. It should be 1... minus 1 over g r, essentially. So, it is very nearly equal to 2.

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Composite
h
$$h_f = \frac{-1320.5}{682.5}$$

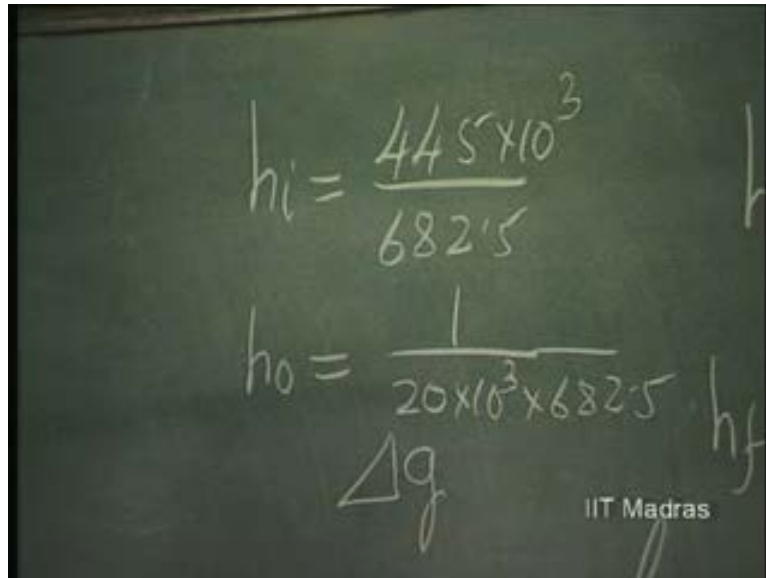
Compo
$$g_i = \frac{1}{2}$$

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Next, let us find out h_i . h_i is this 445 K divided by 682 point 5; less than 1 Kilo ohm. This is going to be less than 1 Kilo ohm. So, the input resistance has come down drastically. It is becoming current controlled.

Output conductance, is going to be 1 over 20 K into 682 point 5.

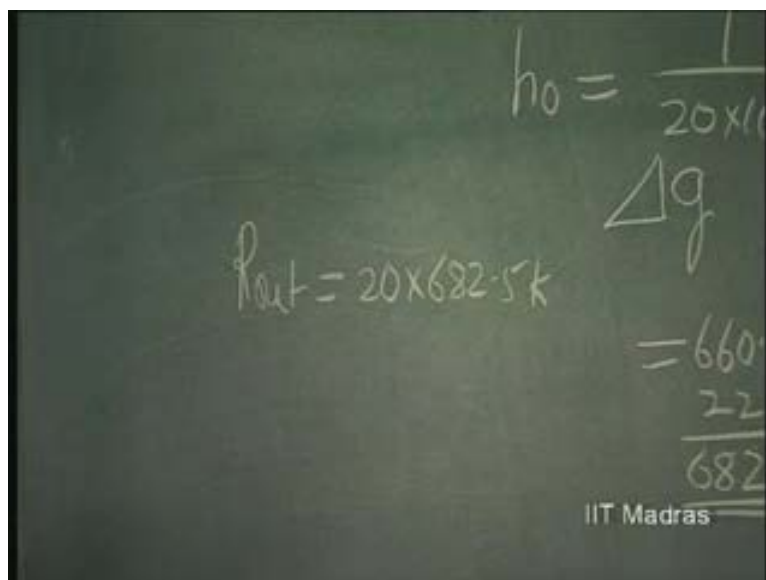
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$$h_i = \frac{445 \times 10^3}{682.5}$$
$$h_o = \frac{1}{20 \times 10^3 \times 682.5}$$

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So, the output resistance, R out is going to be 20 into 682 point 5 K; or going... it is going to be of the order of mega ohms.

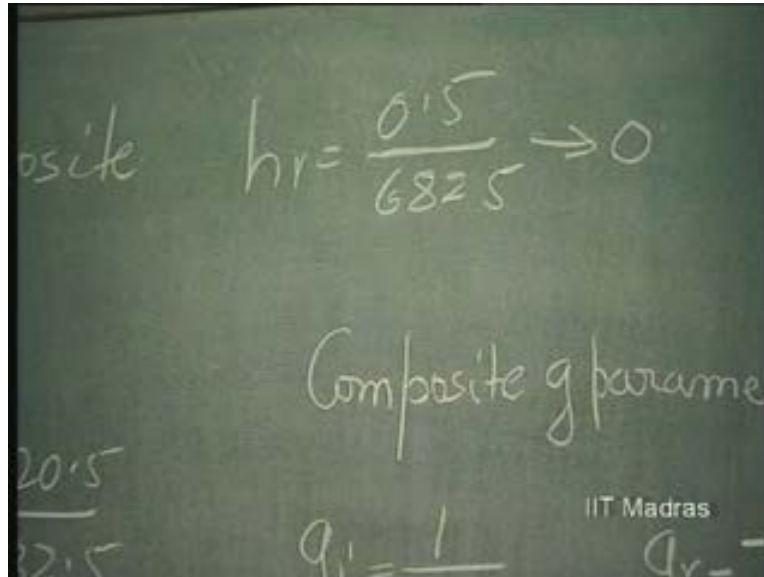
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$$h_o = \frac{1}{20 \times 10^3 \times 682.5}$$
$$R_{out} = 20 \times 682.5 \text{ k}$$
$$= 660.22 \text{ k}$$

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So, you can see that because of negative feedback, now, all these parameters have got modified. h_i goes towards zero; h_{naught} goes towards zero; h_r also goes towards zero, which is, h_r is going to be point 5 divided by 682 point 5 - goes towards zero.

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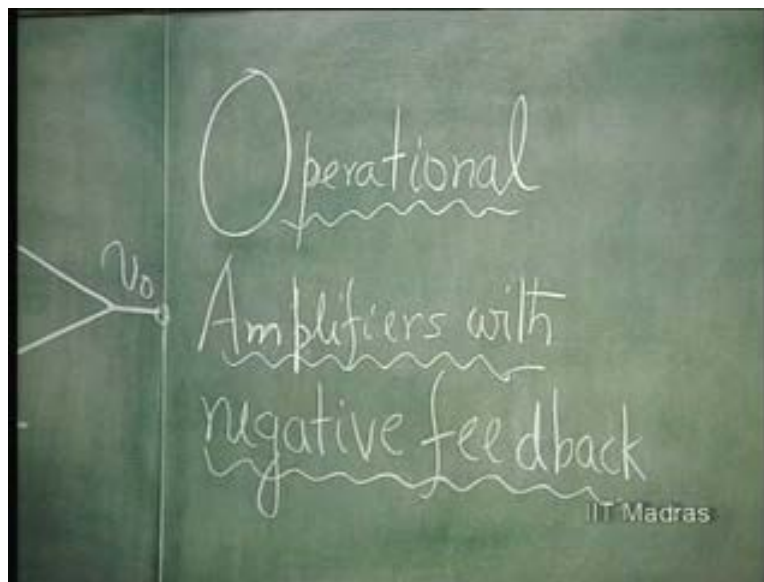


So, this is how we can analyze a given circuit with negative feedback and conclude very quickly without even doing any evaluation that the forward transfer parameter is very nearly equal to 1 over the reverse transfer parameter of the feedback network. So, input impedance decreases; output impedance increases.

This can also be done this way. The original input impedance was 20 K. The actual current input impedance is going to be reduced, by how much? 20 K divided by 1 plus loop gain. That means 20 K divided by 683. That is, loop gain is 20 K divided by 31. So, 20 K divided by 31 is going to be same as this. Similarly, the output resistance is going to increase. Original output resistance was about 440 K. What is the current output impedance? Everything is going to change by 1 plus loop gain. Loop gain is 30. So, 31. So, 445 into 31 is again this. 445 into 31. So, you will get this by the other method also.

So, input impedance increases by what factor? $1 + \text{loop gain}$. Original input impedance, if it is something, input impedance increases in the case of h feedback. In this case, it is decreasing by what factor? $1 + \text{loop gain}$. 20 K divided by 31 . 445 K gets boosted up by 31 . This particular thing, originally we had this feedback factor of half. So now, the forward transfer parameter is going to be very nearly equal to 2 ; 1 over the feedback factor. So, these are the modifications that take place in the case of feedback. Now we will come to an important topic.

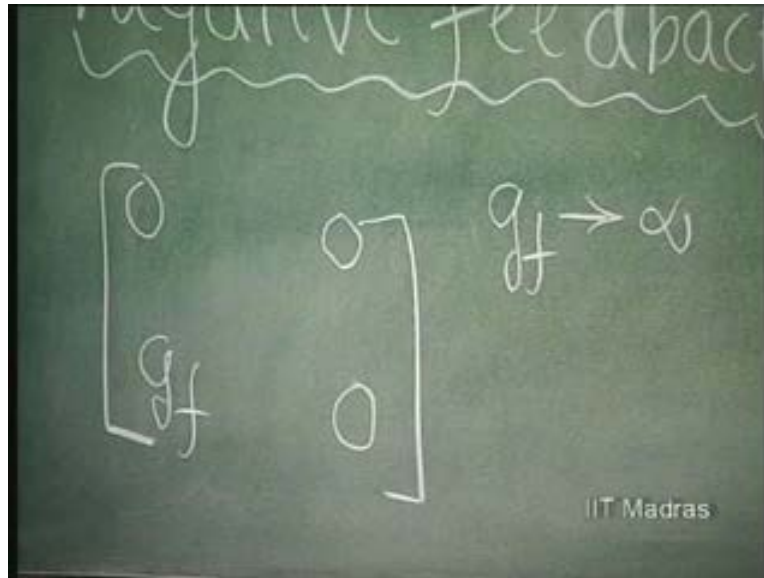
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Operational amplifiers, which are amplifiers which have been designed in such a manner, that they are primarily used in negative feedback configuration. So, operational amplifiers with negative feedback - this is the topic that we are going to discuss. We had seen in our previous lectures how we can build operational amplifiers; saw the four types and out of these, for the present discussion, we will consider operational voltage amplifier which is nowadays commonly available; which means, basically it is an amplifier. Ideally speaking, operational voltage amplifier can be defined using only g parameters where g_i is zero, g_r is zero, g_{naught} is zero and $g_{forward}$ is going to be infinity.

This is defined as... operational voltage amplifier; tends towards infinity.

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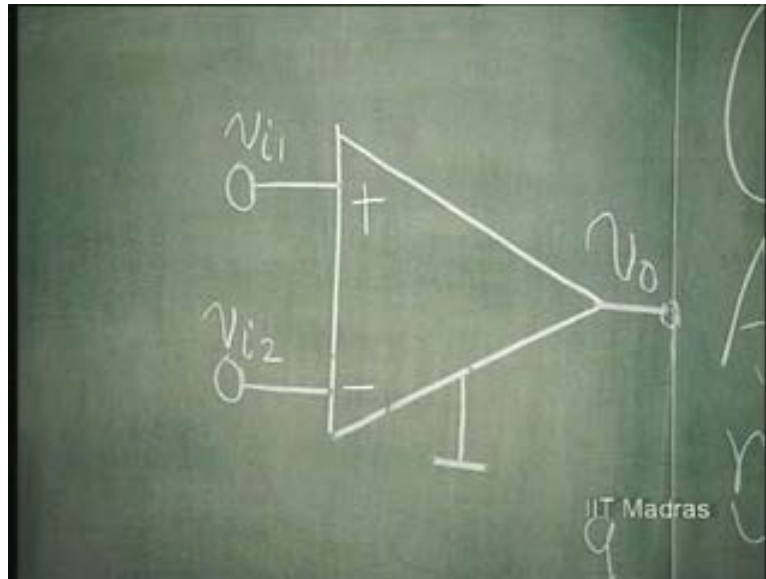
g_i zero means it is voltage controlled; the input conductance is zero; therefore, input impedance is infinity. g_o zero means output impedance is zero. g_r zero; no negative, no feedback, negative or positive. So, zero feedback. So, feed forward is very high. If we do that, obviously, the most popular one is the differential input. Single ended output op amp which may be designed by cascading several differential amplifiers together.

Now, in practice obviously, because of cascading, the forward transfer parameter keeps on increasing; the reverse transfer parameter keeps on decreasing. That we have also seen. The input impedance mainly depends upon the input amplifier circuit; output impedance depends upon the output amplifier circuit.

So, in a cascaded version, please remember; this is the multiplication of the forward transfer parameters of the individual stages. So, it improves drastically. This keeps on coming down; feedback. This is due to the input stage; this is due to the output stage. Anyway, we can design these things so that these represent operational voltage amplifier.

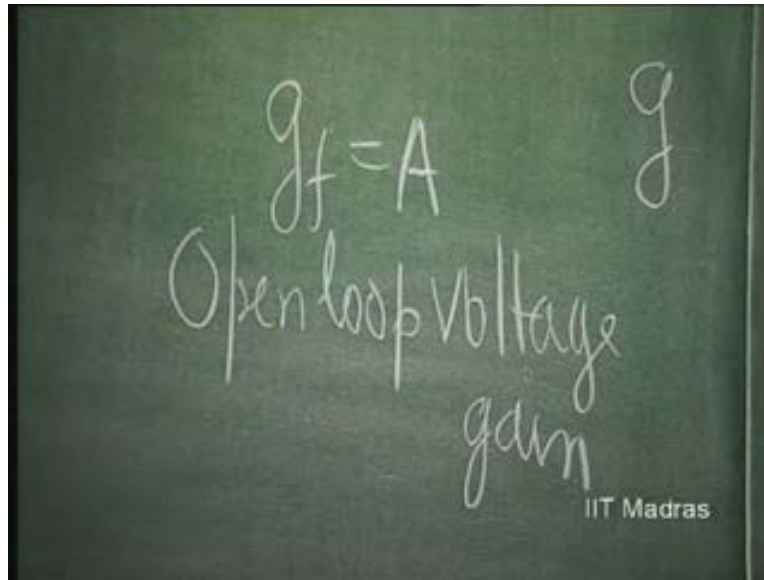
That means, input impedance is made very high; output impedance is made very low; and it is a cascaded stage. When you do that, let us see what happens.

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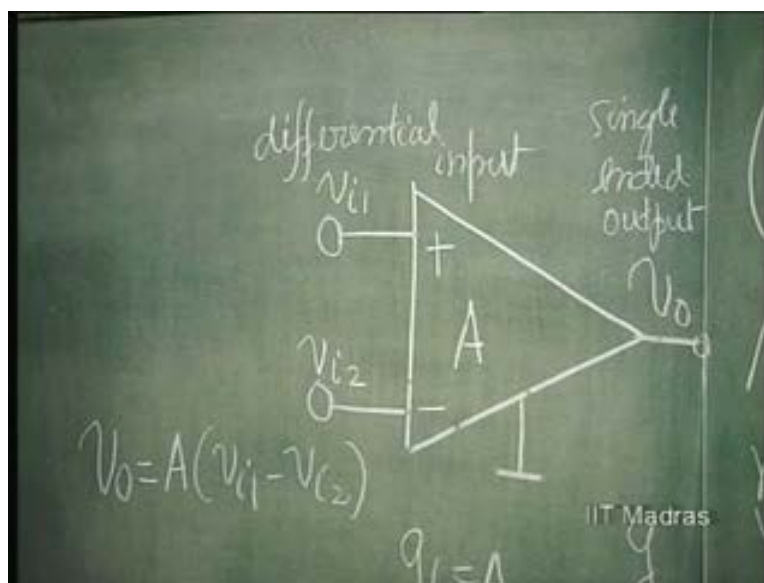
V naught is... let us consider only the g f. g f in this case, we will take as A. This is called open loop gain of the op amp. Typically, the D C gain; it is frequency dependent; the D C gain is of the order of 10 to power 5 to 10 to power 6; which means, it is of the order of 100 to 120 decibels. That is the kind of gain we are talking about. It is made, it is made very very high.

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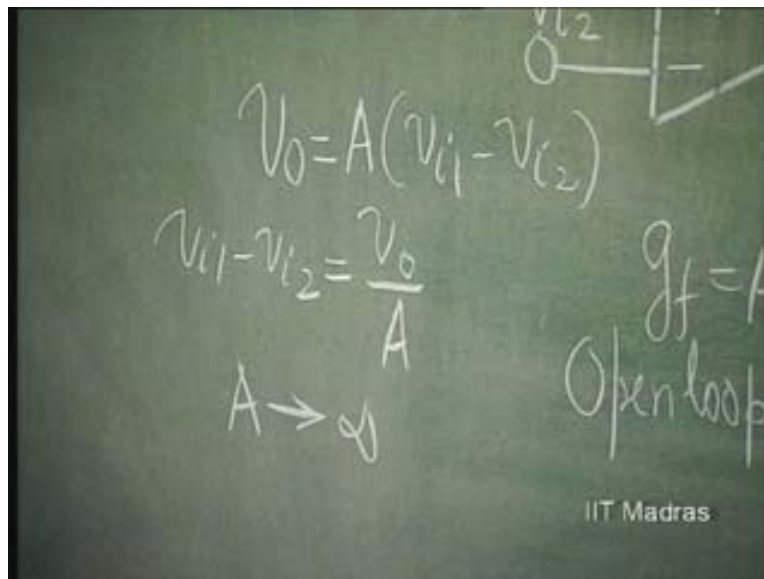
So, V_{naught} is going to be A times... this is called non-inverting amplifier terminal; this is called inverting terminal. So, V_{i1} minus V_{i2} ; it is always referred to single ended output. That means, one is... one end of the source is grounded; other end is giving you an output V_{naught} equal to A times V_{i1} minus V_{i2} . So, differential input, single ended output, we are talking of.

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So, if you consider first that only the forward transfer parameter is con ... high, rest of the things are all going to be zero, zero, zero, then, we can indicate that $V_{i1} - V_{i2}$ always becomes equal to V_{naught} by A . This is an important principle I am trying to discuss. A is tending towards infinity; which means in an op amp, we can pronounce a statement which is always valid.

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If A tends towards infinity, $V_{i1} - V_{i2}$ tends towards zero because A is coming in the denominator. V_{i1} is...or, $V_{i1} - V_{i2}$ becomes zero; or V_{i1} becomes equal to V_{i2} . This error that sustains finite output is zero. That means, in this case, V_{naught} should be finite. This is important. As long as V_{naught} is finite, V_{i1} is very nearly equal to V_{i2} in all operational amplifier circuits.

If V_{naught} is infinity, then V_{i1} can be different from V_{i2} ; or in practice, what is infinity? If this V_{naught} goes to such a value in an op amp circuit that it is going towards power supply, or the amplifier gets saturated; positive power supply or negative supply, that is called infinity, practically. So, our amplifier reaches saturation. Then, V_{i1} can be different from V_{i2} . But, if amplifier does not reach saturation, then V_{i1} has to be always equal to V_{i2} .

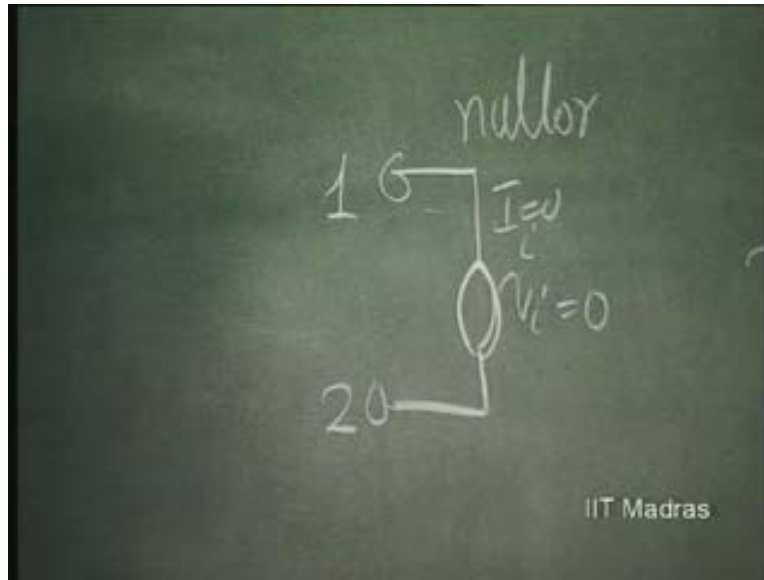
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This is an important principle that is used in diagnosing any fault associated with an operational amplifier. That, what it means is, this voltage is same as this voltage. That means this voltage difference is zero; or, this circuit is not drawing any current.

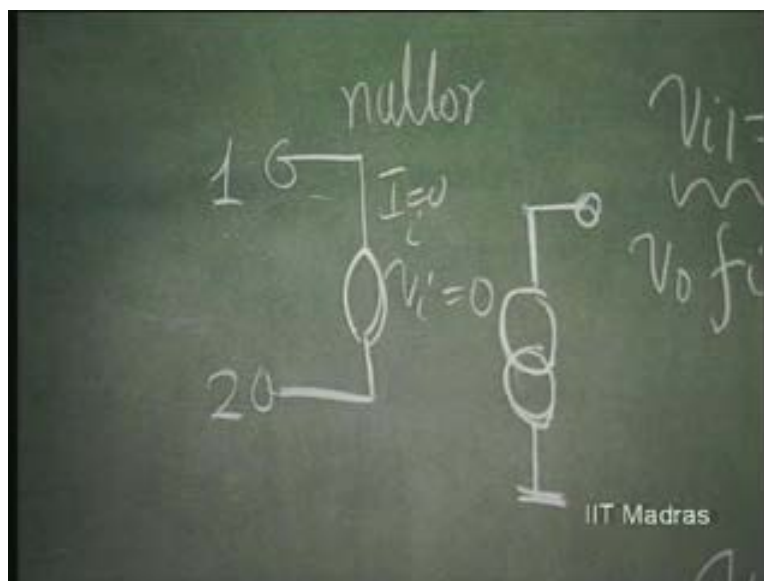
So, I is equal to zero and V_i equal to zero; or, this is a nullor. This we had earlier also considered. This input of an op amp is nothing but a nullor. So, this is called 1, let us say; this is called 2. Within 1 and 2, ideally speaking, you have a nullor.

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And, of course, at the output... output can be anything finite. So, it can have any voltage and any current. So, this is a norator. So this is the simplest equivalent circuit in terms of nullator-norator, for an operational amplifier of this type. We have already discussed this nullator-norator concept earlier in equivalent circuit.

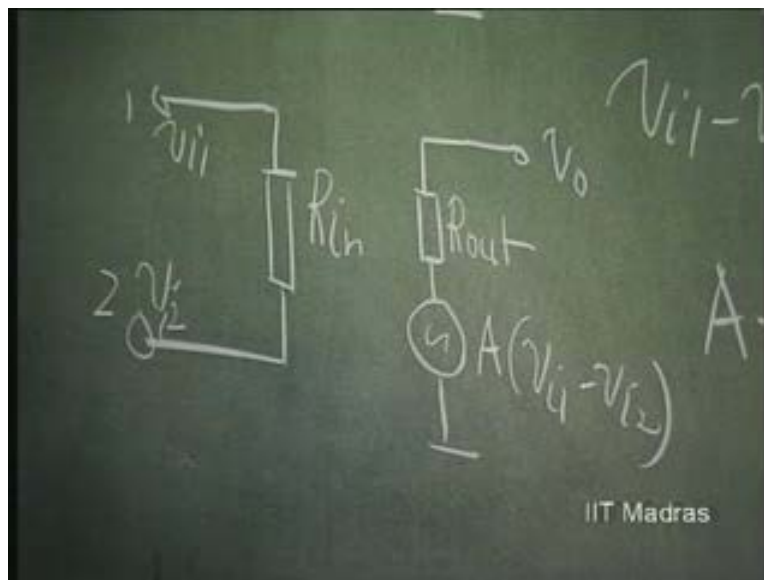
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So therefore, these nullators and norators will always occur in pairs. That is... Why is that this nullor has zero voltage and zero current? It is because of the existence of norator, which is capable of giving any voltage or any current, finite. So, this equivalent circuit can be used for most of the operational amplifier circuits and you can understand this very well.

Otherwise, obviously, the equivalent circuit is going to be between 1 and 2. We will always have an impedance which is called R_{in} of the amplifier source; and this is going to be having an output V_{naught} . But there will be output impedance of the amplifier and this will be A times... This, if you call it as V_1 , this as V_2 , V_{i1} , V_{i2} , this is going to be $V_{i1} - V_{i2}$. This is the equivalent circuit which we had again discussed long ago when we discussed about amplifiers; input impedance, output impedance and open circuit voltage gain.

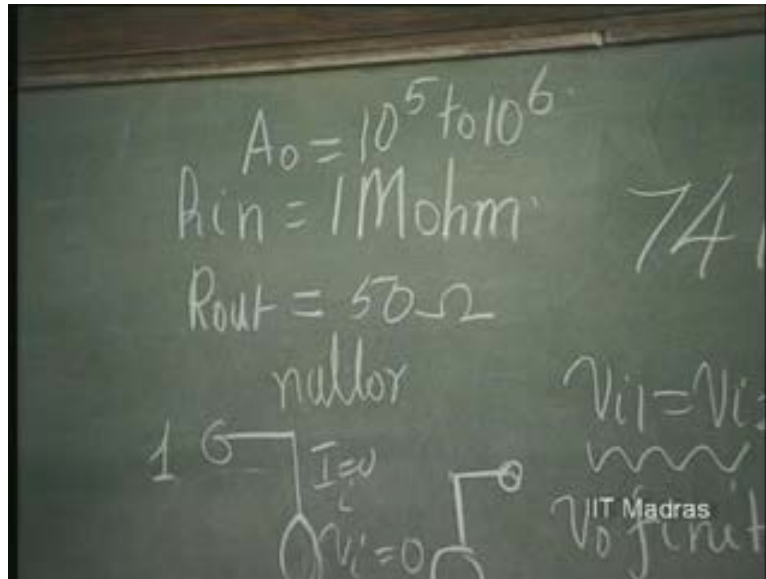
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So, this is the equivalent circuit of the operational amplifier. Normally, the order of input impedance for typical operational amplifiers, which are general purpose operation... For example, popular one is 741 or 747 op amp. R_{in} is of the order of 1 mega ohm. R_{out} is of the order of about say, 50 ohms. A_{naught} , that is D C gain here, is of the order of 10

to power 5 to 10 to power 6. This is what is commercially available as general purpose operational amplifier, to be used for a variety of useful applications.

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So, you should roughly have this idea about the order of magnitude involved. If you are asked to design such op amp, you will obviously cascade one amplifier with another. You might get gains of the order of 10 to power 4 to 10 to power 5; and this impedance also, you can get. This output impedance can be easily got.

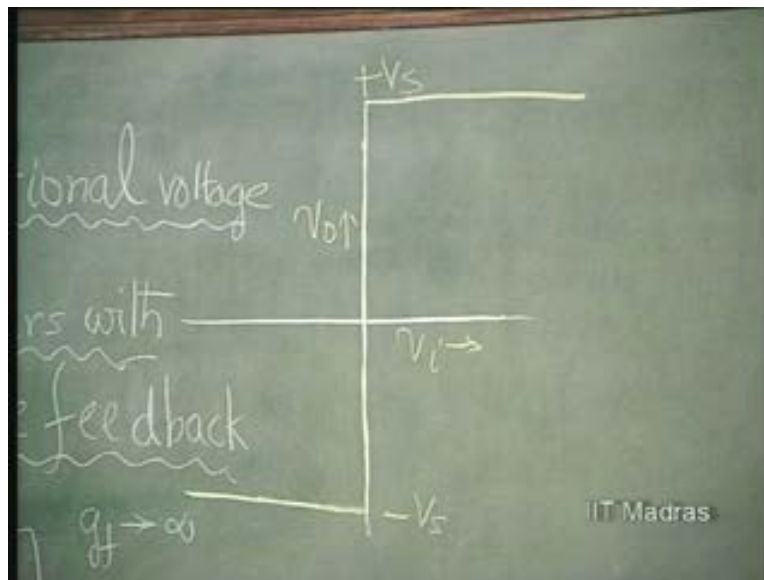
So, even if it is a question of your designing an op amp, you can also get this kind of parameters for the op amp. Now, how do we use this in the negative feedback configuration? First, of all, let us try to see the forward characteristics of the op amp. If you try to plot, what will you see?

If we ground this and try to apply voltage here, since by definition, this is going to work in the active range only in a situation when V_{i1} close to V_{i2} . So, until V_{i2} becomes equal to zero, because we had maintained V_{i2} at zero; until V_{i1} comes close to zero, this op amp will be in saturation. That will be in positive saturation because we are applying it to the non-inverting terminal.

So, if I apply a positive voltage here, this will go to positive saturation. If I apply a negative voltage here, it will go to negative saturation. So, the characteristic of this amplifier will be looking like this. If I apply negative voltage, it will go to negative saturation. So, this is V_o versus V_i . These have been, let us say, plotted in terms of volts. So, almost up to this point, it will be in the saturation region.

This is minus, let us say, V_s supply. Then, at this point, when V_i is exactly equal to zero, it is going to change state and go to plus V_s . This is almost vertical. Why do I say almost vertical? If I really see... if the gain is taken as 10^6 , you can say that this is about 10 volts supply voltage. 10 volts divided by...even for the maximum output, 10 volts divided by 10^6 is going to be, 10 micro volts.

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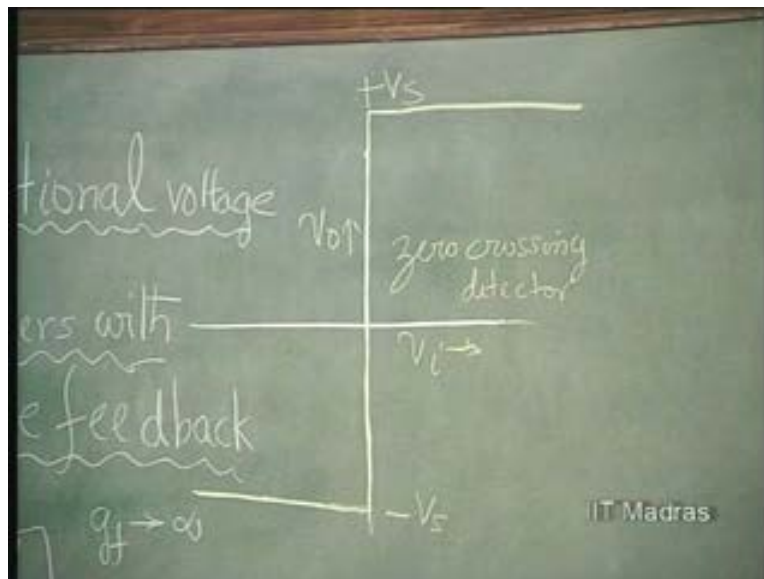


In a voltage scale, in a range of volts scale, this is not at all visible. So, the region where it is going to have high gain... if you expand this, it will be having a slope, of course, which is equal to one of... That is A . The slope of this is equal to A . If A is going towards infinity, this is almost vertical. Obviously, for the same reason that this is almost vertical, it can be also used as a voltage comparator. Just telling us in this mode, it can be used as a voltage comparator or zero crossing detector. So, it tell us for a great degree of

accuracy when exactly the input voltage crosses zero. Where do we use this zero crossing detector? Normally, when we design electronic switches, these electronic switches tend to operate... Power line is being switched, let us say. When the power line is being switched, we would like to switch this exactly when the voltage is crossing zero.

If we do not switch this this way, then the voltage suddenly rises at that point and it causes lot of high frequency to be generated. This causes lot of interference. This noise generates lot of interference all around. In order to suppress this electromagnetic interference, we would like to operate every switch when the voltage is crossing through zero. Now, for that purpose, the electronic device needs a zero crossing detector to tell us exactly when a given voltage is crossing zero. Such ICs are available and such ICs also use a high gain op amp for the purpose of detecting this zero.

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Now, in our application here, is not for this. We would like to operate this amplifier in this range between these voltages, output voltages. So, and under this situation, obviously, the active region is going to be extremely small here; range, as far as the input voltage is concerned. But, as far as the output is concerned, it is extending all the way from plus V_s to minus V_s . The moment output voltage reaches V_s , it has ceased to be

an operational amplifier and V_{i1} can be different from V_{i2} . That is what is explained by the characteristics shown here.

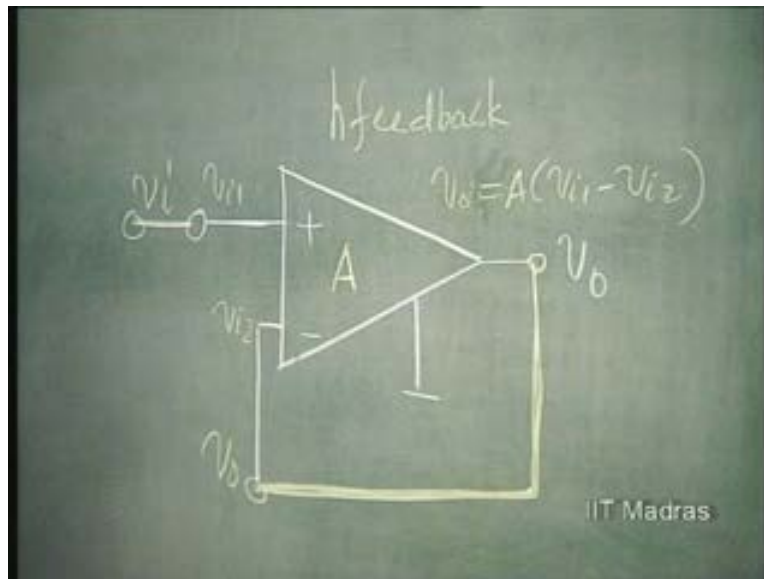
So, we have also understood how the equivalent circuit can be taken. The simplest equivalent circuit is this. We will use this, as well as this, for our analysis of operational amplifier negative feedback. Now, what are the possible negative feedback circuits possible with this operational voltage amplifier? The output is always taken as a voltage. So, I can only sample output voltage, let us say; in which case, the arrangement at the output is always shunt. At the input, it can be in series or shunt. So, the only positive, that is negative feedback configurations possible here will be output always in shunt; input either in series or in shunt.

That means, you have y feedback possible and you have h feedback possible. With this operational amplifier, you have y feedback possible and h feedback possible. Since we are not able to sample the current here, the current feedback is not possible. That is why the z feedback and the g feedback, these are left out here.

So, let us therefore discuss y feedback amplifiers and h feedback amplifiers using operational amplifiers. Consider, this operational amplifier. We will apply h feedback to this; output voltage is sensed. Now I am going to feedback the complete output voltage to the input. So, V_{naught} is...by making this V_{naught} connection here, I am making the feedback voltage to one of the inverting terminals saying that it is negative feedback. So, if this is V_{naught} , this is made forcibly equal to V_{naught} . This is the feedback connection. So, this is V_i and this is V_{naught} . So, we have V_{i1} equal to V_i , V_{i2} equal to V_{naught} .

V_i ... this was V_{i2} and V_{naught} was equal to A times V_{i1} minus V_{i2} , according to our definition.

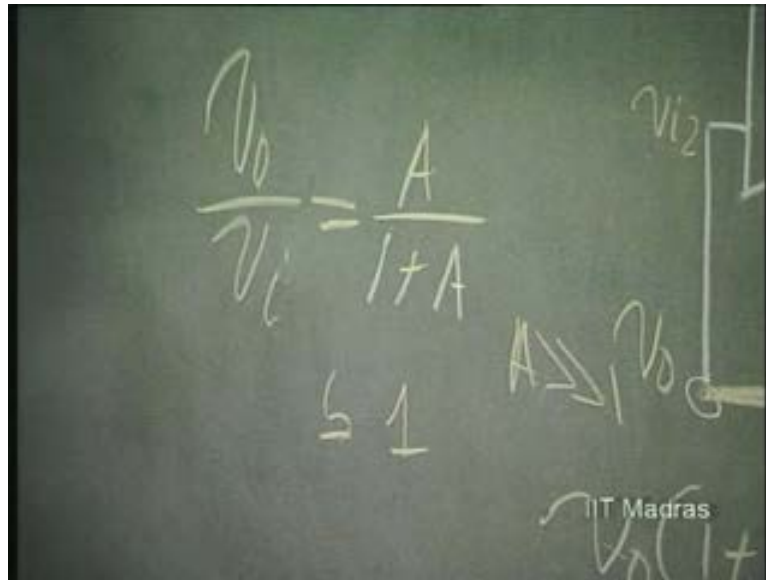
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So, what did we do? We made v_{i2} equal to v_o . That means, in this expression, $v_o = A(v_{i1} - v_o)$. So, v_o into $1 + A$ equals $A v_{i1}$; or, v_o / v_{i1} which is called the transfer function of this network is $A / (1 + A)$.

This you remember. We started discussing about negative feedback and saw that if I completely feedback v_o as... I mean at the input, then the error voltage is $v_{i1} - v_o$; and the output will follow the input. We call it voltage follower or current follower or phase follower depending upon the parameter. Here, it is called voltage follower circuit because if A is as large as that, $A = 10^6$ or so, this is definitely very close to 1, for A much greater than 1.

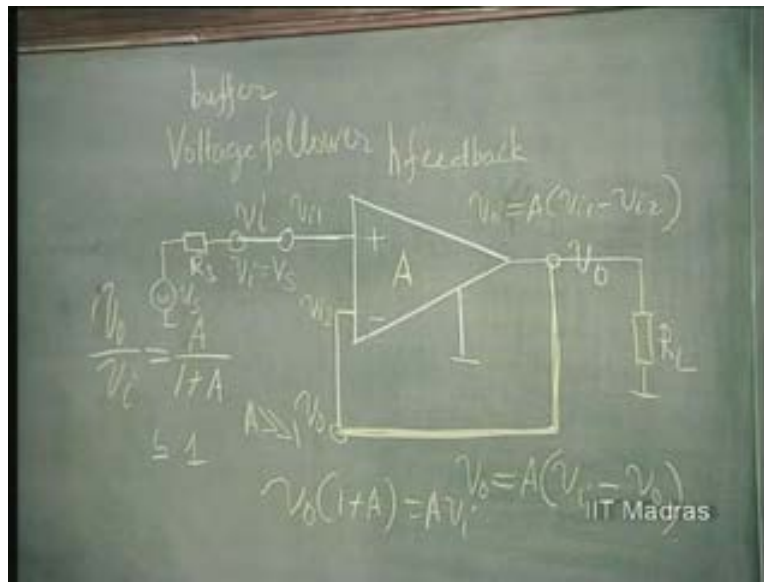
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So, voltage, output voltage, will be following input voltage irrespective of the load. Whatever I connect here, it does not matter. So, if I have a source here R_s and then V_s , we can see that there is no current drawn here and therefore V_i is going to be same as V_s , irrespective of the value of R_s because there is no current in R_s ; and V_{naught} is going to be same as V_i . Therefore, V_{naught} is going to be same as V_s . So, this is called a buffer stage.

It is going to be introduced between, let us say, high impedance source and load. Otherwise, obviously, if I directly connect the load here, the voltage will be attenuated by R_l by R_l plus R_s . Therefore, if I introduce a buffer stage like this, whatever source voltage is available; here, it is going to be open circuit voltage that is available here; will be available at the load as V_s . So, that is why this is normally used as a buffer stage between the transducer which has, may be, high impedance and the load which may be pretty low value.

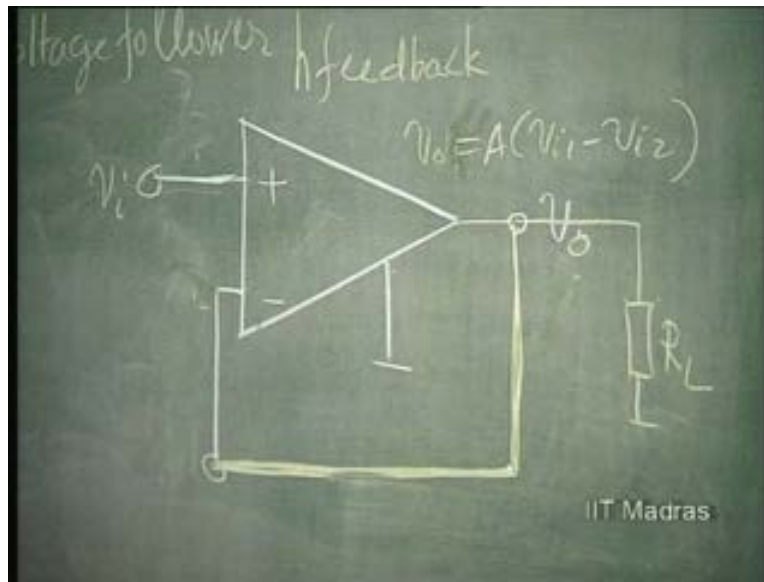
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So, this is an important application of voltage follower which is also called buffer stage. Now, if you use the nullator-norator concept, then we do not have to go through this. A is definitely infinity and it is to be indicated very clearly that all this thing is irrelevant, if output is finite; then, this should be equal to this. So, this is already equal to V_i . So, V_o is equal to V_i ; that can be concluded without any problem at all.

So, in the model that we have, we have said this voltage is equal to this voltage, for all practical purposes. So, if this is V_i , this has to be equal to V_i .

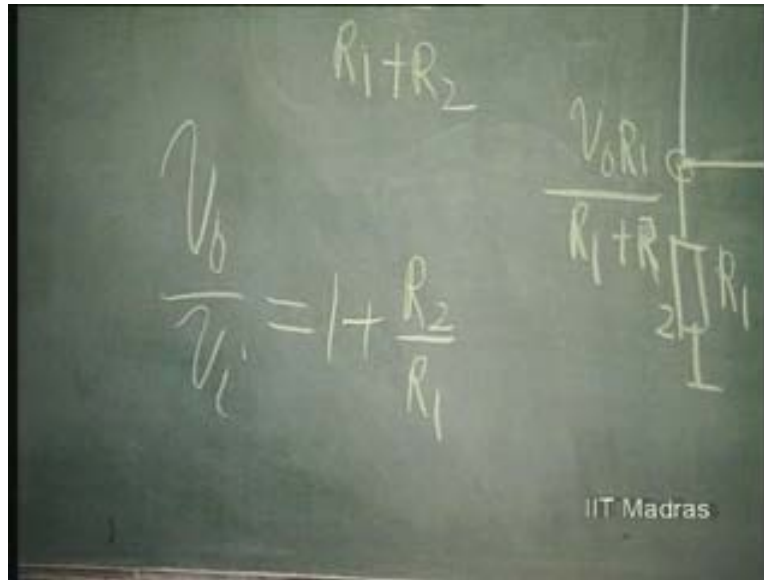
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If I now, instead of giving the full output voltage, give portion of the output voltage; instead of giving the full output voltage as feedback, I take V_{naught} and attenuate it by a network. So here, it will be V_{naught} into R_1 by R_1 plus R_2 . So, what happens? As far as the op amp is concerned, it does not really bother what you do; as long as you are connecting input to output by some means such that it is negative feedback; it will make this voltage equal to this voltage.

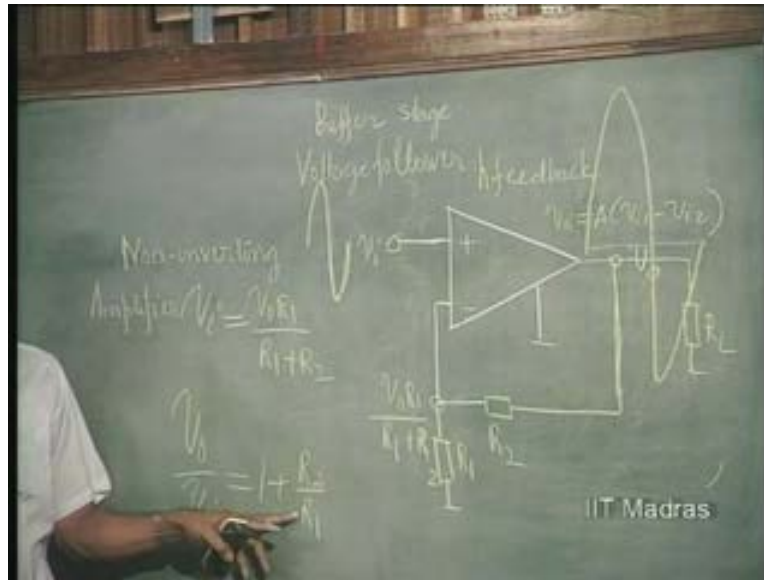
What it means is V_i now equals V_{naught} into R_1 by R_1 plus R_2 or V_{naught} over V_i now becomes equal to 1 plus R_2 over R_1 .

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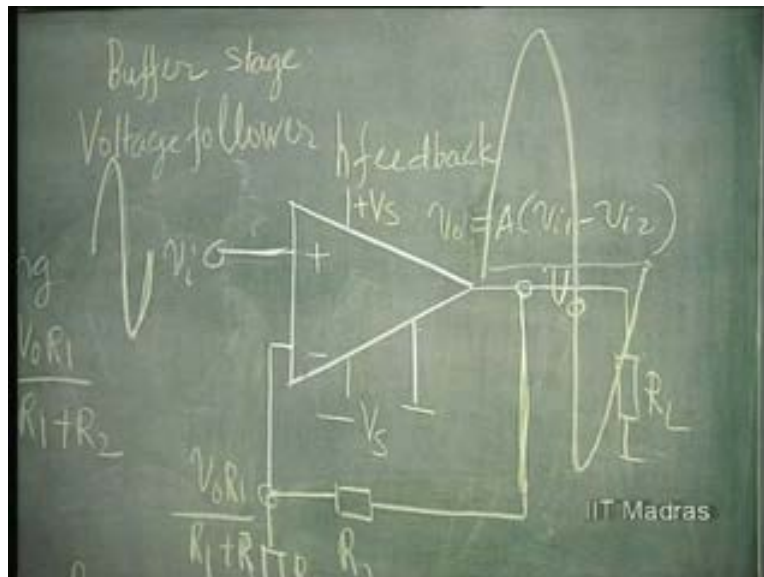
That means this is called an amplifier, non-inverting. Non-inverting because if this is sinusoidally changing this way, you will have this also having the same phase as this. So, this will be sinusoidal, let us say. This also will be sinusoidal but amplified. This input and this output - they will be in phase. That is what is meant by non-inverting amplifier Amplifier. The amplification factor is 1 plus R 2 over R 1. If R 2 is made equal to, let us say, 10 K and R 1 is equal to 1 K, for example, you have now designed an amplifier with gain equal to 11, very easily.

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The biasing, etcetera, these are automatically taken care of. If you bias it plus V_s and minus V_s , the person in...who has designed this op amp has taken care that it is biased properly. The output is zero when the input is zero; no offset or very low offset.

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So, you do not have to bother about how to bias it, etcetera. It is enough if we simply design the external circuitry here. R_1 is equal to, let us say, some resistance; R_2 is equal to some resistance; so that the ratio of R_2 over R_1 is the one what fixes the K here.

If you consider A is not infinity, then what will you get? That also we can evaluate. Then we get V_o as V_i minus V_{naught} into R_1 by R_1 plus R_2 . Now, A is not infinity. So, times A is equal to V_{naught} . So, V_{naught} over V_i now becomes equal to A divided by 1 plus A into R_1 by R_1 plus R_2 .

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$$\frac{A}{\left[1 + A \frac{R_1}{R_1 + R_2}\right]} = \frac{V_o}{V_i} = 1 + \frac{R_2}{R_1}$$

So, A was the amplified gain before feedback. Open loop gain it is called. The gain with feedback is therefore... gain with feedback is going to be A by 1 plus A into R_1 by R_1 plus R_2 . This you can notice... If I ground this from here to here, the amplifier gain is A ; and from here to here if I break this loop, this is a loop, feedback loop. So, from here to here, the gain is A ; from here to here, attenuation is R_1 by R_1 plus R_2 . So, this is the loop gain. This is what we talked earlier also as loop gain. A into R_1 by R_1 plus R_2 . This is the loop gain. So, 1 plus loop gain is the factor by which everything gets modified. That is what we have concluded earlier in the feedback.

So, A gets modified to A by 1 plus loop gain. If this is very high, this will come out to be 1 plus R_2 over R_1 . That means, A into R_1 by R_1 plus R_2 should be much greater than 1 , then this is going to be the .. We will discuss about other configurations in the next class.