


**Millimeter Wave Technology.**  
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**Department of Electronics and Electrical Communication Engineering.**  
**Indian Institute of Technology, Kharagpur.**  
**Lecture-16.**  
**Antennas at MM-Wave Frequencies**

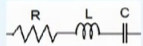
Okay so today we will be discussing on antennas so what happen when we consider antenna design at millimetre wave frequency? What are the challenges we face?

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## Antenna

- Antenna is an electrical device which converts guided electromagnetic wave into space wave.
- Electric field, magnetic field and propagation vector fits in right handed orthogonal coordinate system.

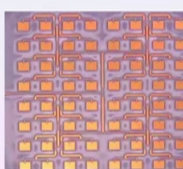


$$R = R_{\text{loss}} + R_{\text{rad}}$$

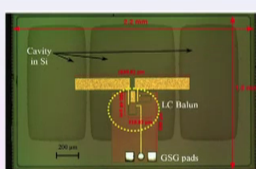
Antenna as a lossy resonator.



Antennas used in radio astronomy.



Printed antenna @ 60 GHz.



On chip antenna @ 60 GHz.

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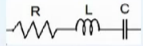
And then how to solve this challenges? So why we use antenna? So antenna basically we can call it a transducer which will transform the guided wave into space wave. Now in free space so the properties of electromagnetic wave we know that the electric field, magnetic field and the direction of propagation they form a ( ) (0:59) orthogonal co ordinate system.

And electric field, magnetic field they are also in same phase so for antenna we have to generate in this 2 electric field and magnetic field component which will be in same phase.


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### Antenna

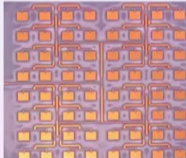
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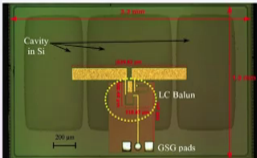
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So if I look at the different antennas already available or are being used at millimetre wave frequencies first category it shows a parabolic reflector antenna. So where we use 1 feeding antenna we call it feeder. It can be horn antenna or anything else and then the electromagnetic wave is reflected by this parabolic reflector so we use this for astronomy application where we need extremely high gain and very narrow beamwidth of the antenna.

This is in the second example it showing antennas antennas array. It is design on laminates, printed in printed circuit board technology. So you can identify 1 single rectangular patch it is a type of resonating antenna and in this particular example we have 1,2,3,4 so 8 by 8 element array antennas design for 60 gigahertz application.

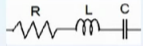
And right most we have 1 dipole antenna and it is design on chip so at 60 gigahertz already the wave length is 5 millimetre and when we are designing on PCB substrate approximately we consider wave length is  $\lambda$  not by  $\sqrt{\epsilon_r} \lambda$  so antenna dimension it becomes sometimes 1 millimetre or even less than that.

There is a possibility to integrate and antenna on chip itself. We will see some example sometimes even the packaging used for integrated circuit that can be also used to incorporate the antenna structure.


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### Antenna

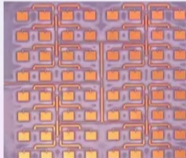
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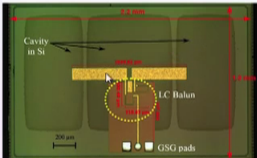
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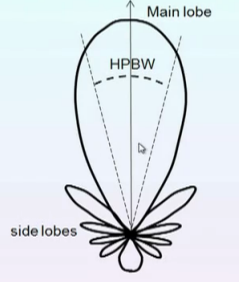
When we do so we of course face some problem. You can identify there are some cavities so this particular antenna is designed in silicon substrate and silicon it actually we face problem of surface wave in silicon substrate to avoid that the people use some AR cavity. Which is just below this antenna which will improve the gain of the antenna so for a resonating antenna then it can we can represent it by a series resonator or by a shunt resonator in that resonator we will be having one L component one C component.

And in addition to that we have one resistive component so this resistance it represents loss inside the antenna structure and the radiation. So the radiation coming from antenna we are representing by an equivalent resistor we call it  $R_{\text{rad}}$  or the radiation resistance of the antenna. So as its a loss for the structure and its coming out in the form of radiation so  $R$  that is equal to then  $R_{\text{loss}}$  plus  $R_{\text{rad}}$ .

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### Antenna parameters

- **Far field radiation pattern:**
  - Beamwidth: half-power beamwidth and first null beamwidth.
  - Radiation Intensity: power radiated from an antenna per unit solid angle in a given direction
  - Directivity: The ratio of the radiation intensity in a given direction from the antenna to the radiation intensity averaged over all directions (ratio of its radiation intensity in a given direction over that of an isotropic source).
  - Gain =  $4\pi \times \text{radiation intensity} / \text{total input accepted power}$
  - Polarization: direction of electric field.
- **Impedance bandwidth**



Radiation pattern of an antenna

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Now for a general antenna structure we have to deal with many parameters so how we define the characteristics of an antenna? There are several parameters we should know the parameters first. So for example the first important parameter is far field radiation pattern. So what we do? We just measure the electric field or power which is square of electric field.

Its variation with respect to angle and if we plot it in R theta phi co ordinate then the corresponding plot we call the radiation pattern. So here you can see a picture it shows the radiation pattern of an antenna. So the desired direction of radiation is shown by this arrow and we call this is the main lobe of the antenna. In addition to main lobe we can see we have some radiation in other direction also.

These are called the side lobes of the antenna and we have also some radiation just in the back side compare to the desired direction we call it the back lobe of the antenna. And now one more important quantity that is the beamwidth of the antenna. So we can define beamwidth in 2 ways. Half power beamwidth and the first null beamwidth.

So how we define half power bandwidth let us say the gain of the antenna in the desired direction is given by X then we come down by 3 DB and then the corresponding angular separation it is known as the half power beamwidth of the antenna. It is an important parameter for antenna for scanning purpose because it defines the resolution of any antenna or 2 objects when they are separated.

And we want to see them as a separated 2 different object so if the separation it should be more than the half power beamwidth of the antenna. we can define it in another way that first

null beamwidth so if I consider this particular direction we don't have any radiation in this direction we called this is this antenna has a radiation null in the direction so first null left hand side to first null on right hand side.

The angular separation we call the first null beamwidth of the antenna and usually for most of the antennas half power beamwidth is half of that of the first null beamwidth of the antenna. Next another important parameter is radiation intensity so how we define it? Power radiated from an antenna for unit solid angle in a given direction so in my desired direction obviously radiation intensity will be higher other direction radiation intensity should be as small as possible.

See third parameter is directivity. The ratio of the radiation intensity in a given direction from the antenna to the radiation intensity average over all direction is called the directivity of the antenna. We can also define it in another way ratio of the radiation intensity in a given direction over that of an isotropic source or isotropic radiator. One isotropic radiator if it does not have any loss ideally it radiates power in each and every direction.

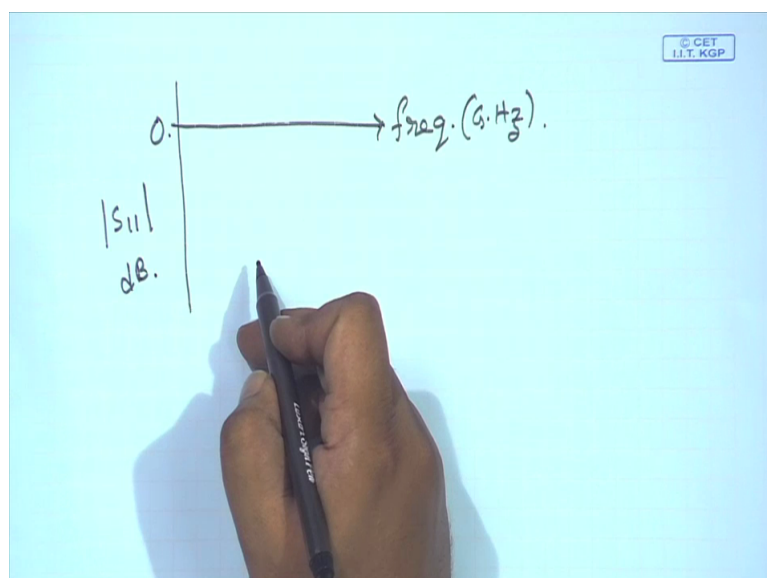
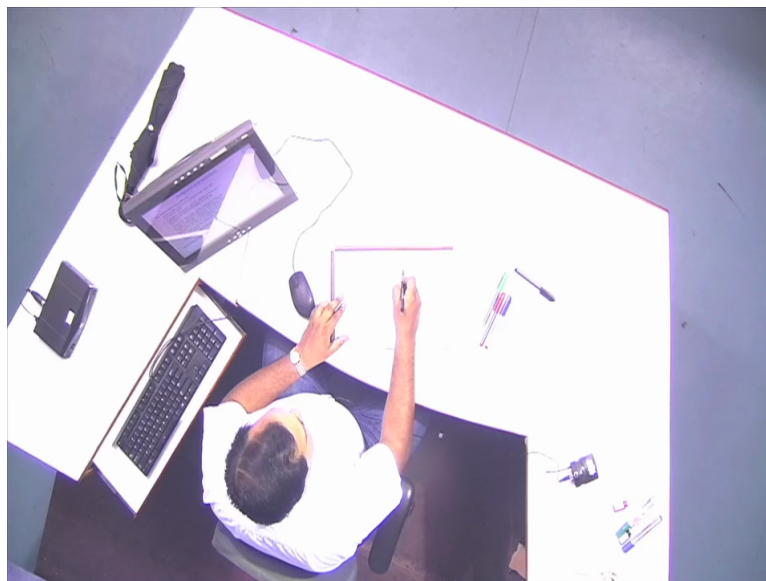
Next we consider another parameter gain when we define directivity of the antenna we did not consider any loss inside the antenna structure but in practice we have to face this loss so if we want to incorporate this loss in directivity definition so we have to use this definition we call it gain of the antenna this is define as  $4\pi$  into radiation intensity divided by the total input accepted power.

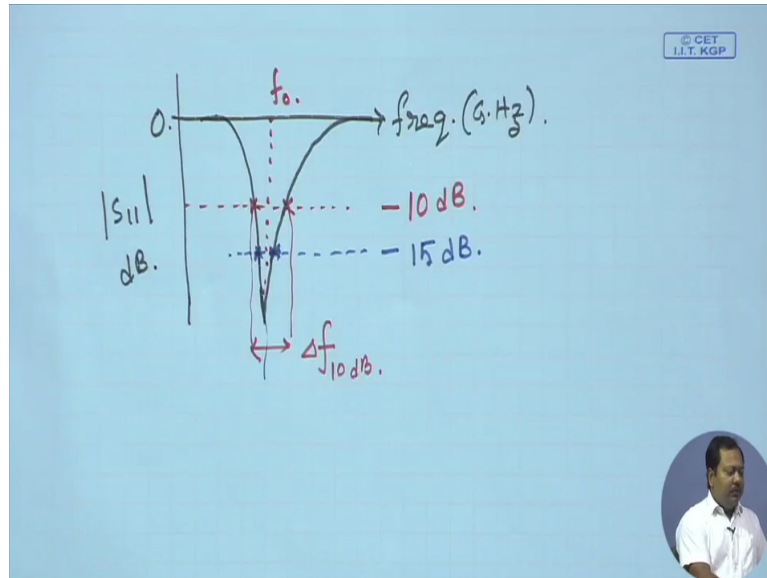
Now in gen usually gain definition it does not consider the loss due to input reflection. Whenever we feed any antenna at the feeding port obviously there will be some input reflection loss due to the impedance miss match between the guiding structure and the antenna input impedance. So if we want to also incorporate these input reflection loss because if there is any input reflection loss that power is going back to the source and its not being accepted by the antenna.

Sometimes we define one more parameter realised can or absolute can of the antenna and in that case we also incorporate what is the input reflection loss in calculation? Next another important parameter is polarization so basically by polarization we means what is the direction of electric field it can be in straight line then that case we call it linear polarization it can be circular polarization.

Electric polarization and now till now we are discussing about the radiation characteristics of the antenna from input impedance point of view there is one more definition of antenna bandwidth. We call it impedance bandwidth of the antenna so by impedance bandwidth then we can understand how much power antenna will be accepted over which range of frequency now impedance bandwidth it can be define in many ways. So for impedance bandwidth what we do? We plot  $S_{11}$  or the input reflection coefficient of the antenna versus frequency so let us take one example.

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If I plot frequency let us say in gigahertz versus  $S_{11}$  which is in decibel scale if  $S_{11}$  in DB is 0 DB that means whatever power I am feeding to antenna it is being reflected back 100 percent power is being reflected back to source. Now if the antenna accepts power then we have some negative value of  $S_{11}$  so let us say we have measured the  $S_{11}$  or we have simulated the antenna structure from that we have knowledge on  $S_{11}$  and when we plot it.

It looks like this so this is we called the mid band frequency of the antenna where it accepts maximum power and now we can define the impedance bandwidth in many ways. In some definition mostly for handheld devices and small antenna we consider 10 DB matching point so we will see where this values. The value of  $S_{11}$  is minus 10 DB then the corresponding bandwidth  $\Delta F$  we call it sometimes 10 DB bandwidth.

So over is bandwidth if I calculate what is the reflection coefficient at this point and from that what is power being accepted by the antenna so approximately 90 percent power is being accepted by the antenna if I consider  $S_{11}$  is minus 10 DB but in some application a more stringent definition is used in that case they don't want even this 10 percent loss so we further decrease it to another level.

Let us say minus 15 DB we call it minus 15 DB bandwidth of the antenna and if I convert this minus 15 DB to input power loss due to reflection it comes approximately 5 percent so over this band then we can say that at least 95 percent power is being accepted by the antenna port. So with this definition now let us say.

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**Printed millimeter wave antennas**

**Problems:**


- **Increased losses:** For a microstrip line, conductor loss  $\alpha_c = \frac{\pi \mu_0 f}{Z_0 W} \delta_s$   
and dielectric loss  $\alpha_d = \frac{k_0 \epsilon_r (\epsilon_r - 1) \tan \delta}{2 \sqrt{\epsilon_r} (\epsilon_r - 1)} \text{ Np/m}$
- **Choice of a substrate:**  
Coupling with substrate modes (surface wave): insignificant if thickness  $< 0.01 \lambda_0$   
Antenna efficiency:  
$$\eta = 1 - \sqrt{\epsilon_r - 1} \frac{h}{\lambda} \left[ 3.4 - \frac{370}{\epsilon_r} \left( \frac{h}{\lambda} \right)^2 \right]$$

Efficiency decreases with increasing  $\epsilon_r$ .

A typical patch antenna @60 GHz on a substrate with the same thickness provides

- 60% efficiency on a 5880 ( $\epsilon_r = 2.23$ ),
- 25% efficiency on an Alumina substrate ( $\epsilon_r = 9.5$ ).

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What are the problems we faced at millimetre wave frequency? At millimetre wave frequency if we want to design any antenna on printed circuit board or laminates. Then the losses what are the sources of losses already we know. And this loss increases with frequency. So do you remember the 3 sources of losses? The first one is dielectric loss, second one conductor loss. And third one loss due to surface wave generation.

And this third component surface wave loss it also increases significantly at millimetre wave frequency. So all of this power lost to this 3 reason due to this 3 reason they are not being radiated by antenna. So its a total loss or wastage of my power so we have to avoid this loss somehow and we will see what are the solution and what are the methods people used to minimize this loss.



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## Printed millimeter wave antennas

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So first one already we know at millimetre wave frequency for example for a micro strip line conductor loss is given by this which we already learnt at it increases with frequency. Dielectric loss it is also a function of frequency it also increases at millimetre wave frequencies. Next important point comes choice of a substrate. What should be the dielectric constant of the substrate? What should be the tan delta of the substrate?

What should be the thickness of the substrate? So coupling with substrate modes or in other word we also called surface wave. It is insignificant not only if the thickness is less than point 01 lambda not otherwise we have to consider the effect of the surface wave mode. Now if I consider a frequency 60 gigahertz lambda already 5 millimetre so point 01 lambda not its too small, too thin.


Most of the substrate will be more than this and we cannot avoid the effect of surface wave generation. Antenna efficiency considering the effect of surface wave it can be given by eeta equal to 1 minus square root of epsilon R minus 1 into H by lambda where H represents the thickness of the substrate and you see its a function of H by lambda so thickness with respect to the wavelength of operating frequency.

And one more term one more epsilon R term is here now if I plot eeta versus epsilon R for a given thickness let us say H is fixed and frequency is also fixed that means the lambda is fixed in that case eeta it decreases with epsilon R. Why antenna efficiency decreases with increasing dielectric constant because when we increase the dielectric constant it generates

more surface wave because the thickness of that substrate is fixed but in terms of lambda it is effective thickness it is increasing with increasing epsilon R.

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### Printed millimeter wave antennas



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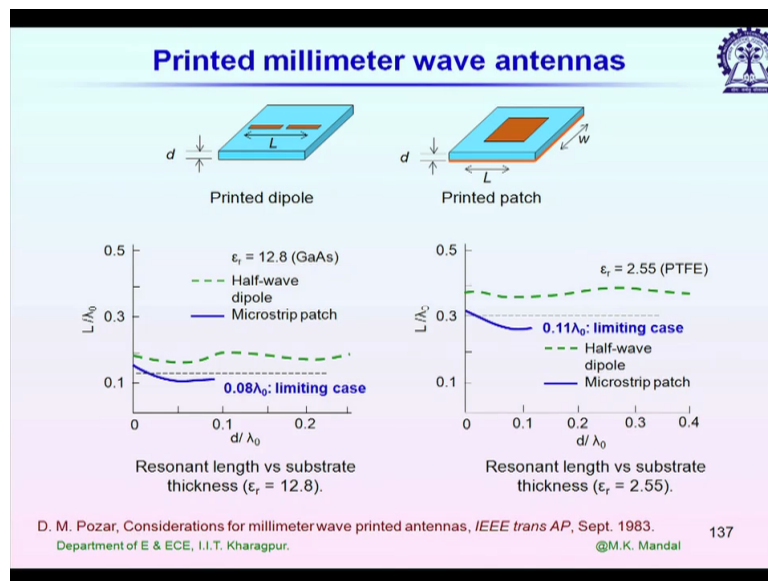
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So for one typical example a patch antenna designed at 60 gigahertz on a substrate with the same thickness. But in 2 different substrate with different epsilon R. When we design it on a 5880 substrate where a dielectric constant is approximately 2.23 at 60 gigahertz it antenna efficiency it comes 60 percent and it reduced to 25 percent when the same antenna is designed on alumina substrate which has higher dielectric constant epsilon R equal to 9.5. So what do we expect then? If we use higher epsilon R antenna efficiency will decrease so the conclusion is that when we go for millimetre wave design we have to use lower epsilon R as well as smaller thickness.

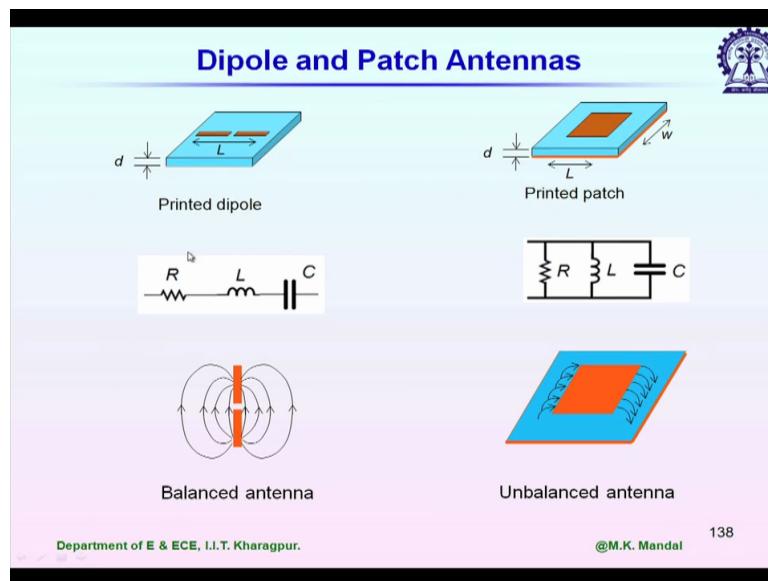
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Next I am going to show you some studies which will be which can be used as the guide lines when or where we are going to for antenna design at millimetre wave frequencies. Here what I am going to show some results obtain for 2 different types of antenna the first one is printed dipole which is 1 example of balance antenna and the second one is printed patch antenna so both of these antennas they are printed on laminates using printed circuit board technology.

No in this plot we are going to show the resonant length versus substrate thickness variation so before this study let me discuss a few points on a printed dipole how it radiates? And the printed patch how it radiates? And what are their basic characteristics? Because both of them are resonating antennas at the fundamental resonance frequency their length will be  $\lambda_g/2$ . But they represents two different groups, dipole antenna is an example of balance antenna and printed patch antenna it is an example of unbalanced antenna.

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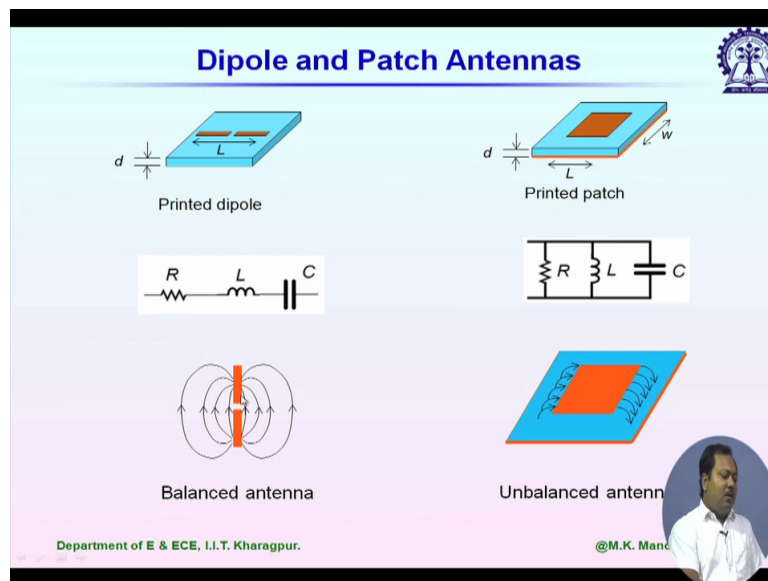
So if you look at this equivalent circuit for printed dipole and printed patch both are resonating antennas but in the equivalent circuit printed dipole is represented by a series resonator. Where this capital  $R$  it includes both the radiation resistance and the loss in the antenna structure itself. Whereas for the printed patch its a parallel resonator and  $R$  represents same things.

Now how we determine that printed dipole it should be represented by a series resonator and printed patch by a parallel resonator. So what we do we can simply calculate the input impedance or if its calculation is too complex we can use any full wave simulator or electromagnetic simulator to simulate this structure and that is how we will be having the input impedance.

And then we plot the imaginary part of input impedance at resonance frequency it should be 0. And now at below resonance frequency if its negative that means below resonance frequency input impedance is capacitive and above resonance frequency input impedance is inductive so for a series resonator we know that below resonance frequency it is capacitive and above resonance frequency its inductive.

So that is why for a dipole antenna the equivalent circuit we can determine that it should be 1 series resonator. Similarly for any unknown antenna structure we can plot the input impedance its looking at the imaginary part variation we can determine what should be the equivalent circuit it should be 1 series resonator or parallel resonator.

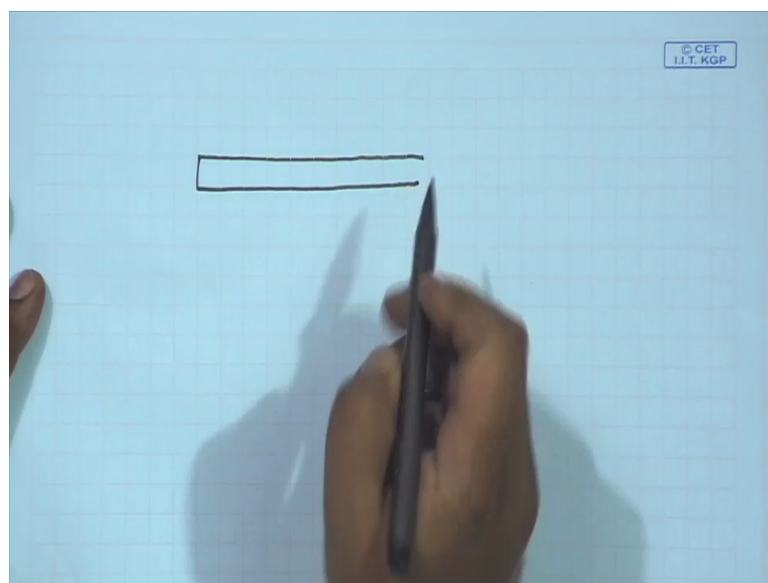
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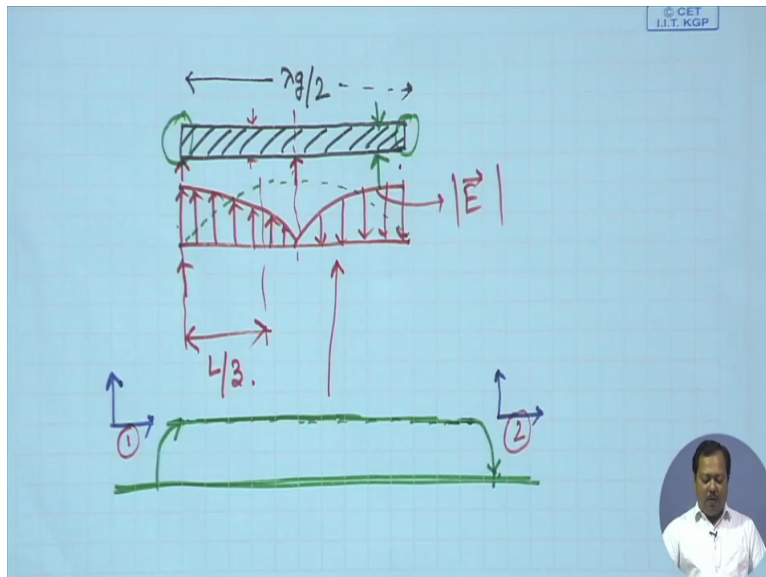
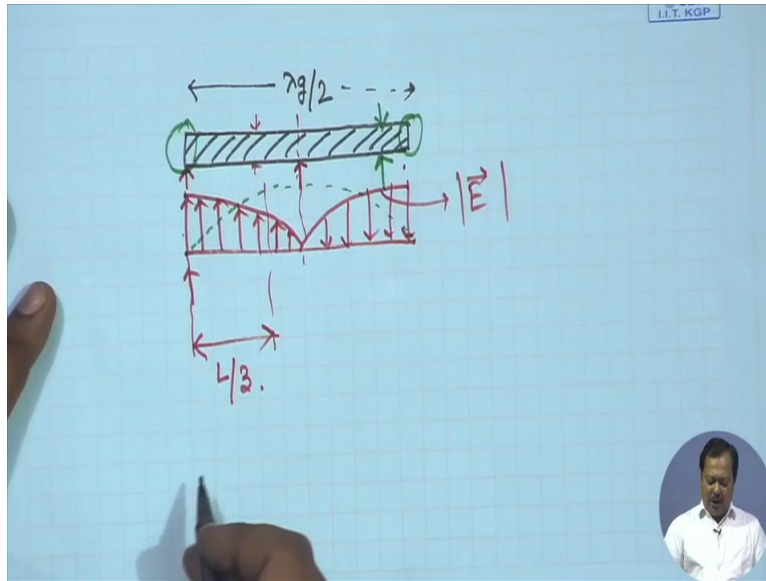


Now if I look at the electric field plot of any resonating dipole antenna it looks like this. So the length of this antenna is  $\lambda/2$  at resonating frequencies and if you look at the electric field it is maximum on the central plane. And we have in the far field radiation electric field is parallel to the wire or this line of this dipole antenna.

we have linear polarisation and this dipole its radiate its maximum radiation in the broad side direction and we have radiation null along the wire and now look at the electric field plot for a rectangular patch antenna. For a rectangular patch it radiates from its fencing fields. Okay let me discuss a little more on this fencing field how it radiates.

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Let me start from a very basic resonator let us say we have a micro strip line resonator of length  $\lambda_g/2$ . Obviously at the resonance frequency now both of this 2 ends they are open circuited so at resonance frequency if I plot electric field along the line then we will be having maximum left most and right most edges. And if I plot current distribution so this is the plot of electric field.

And if I plot the current distribution it will have just opposite variation. It will be having maxima on the central line and 0 since the ends are open circuited. Now if I want to feed this resonator at this edge we see that electric field is maxima so corresponding potential difference it will be also maximum between the strip and the ground plan but current having minimum value.

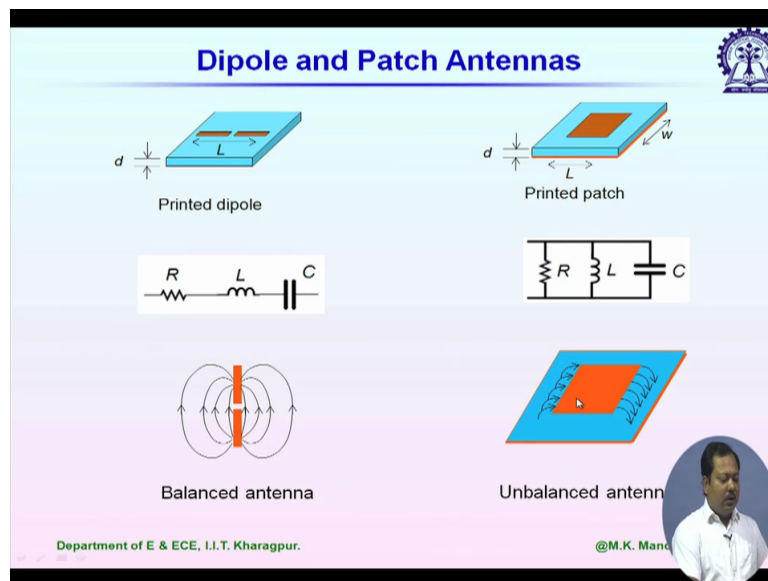
So the impedance seen by the feed line if I connect it here it will be infinite. Now on the central plane we have current maxima and electric field minima so if I feed at this point we are expecting input impedance is 0. For microwave circuit mostly we use 50 ohm system. So for impedance matching them the feed point will be somewhere in between this  $Z$  equal to infinity and  $Z$  equal to 0 plane.

And the thumb rule is that you consider one third length from left hand side. So if the length is  $L$  of this resonator then we have to consider approximate length from left hand side is  $L/3$ . This resonator when its with this very small it will not radiate. But if we keep on increasing the width of the resonator its starts radiating and this radiation comes from the fencing field at this 2 side.

So if I look at the fencing fields plot so this is the direction of electric field I did not show it in this diagram since its radiating so if left this is in left hand side if it is in upward so here it will be downwards and at the end we have fencing field. So now how we have radiation from the fencing field obviously some of this component it has to be for that electric field and magnetic field it has to be in some phase so let us say this is the fencing field components.

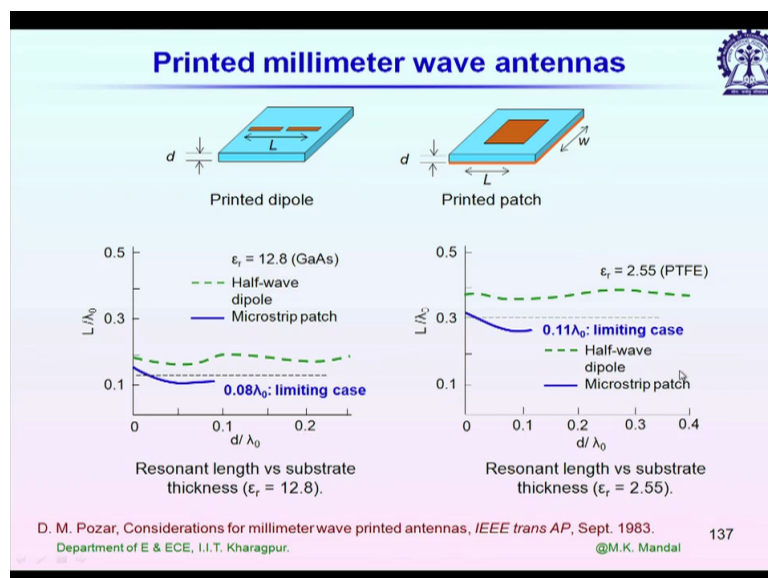
So I am drawing this side view at bottom we have the ground plane and this is the top plane strip. Now I can represent the fencing field along 2 orthogonal axis so in that case we see that this 2 electric field component let us say this is 1 this is 2 they are in same direction looking from broad side and we will be having electric we will be having maximum radiation intensity in broad side direction from this 2 fields. So to increase the radiation what we have to do? We have to increase width of this resonator and that is how we obtain a rectangular patch resonator.

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So now look at this electric field plot we have fencing field. Left hand side and right hand side so it represents the length of this antenna in this direction now this length it should be  $\lambda_g/2$  at the resonating frequency. And we will be having maximum radiation intensity in the broad side direction of this antenna.

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Next we will see resonating length of the antenna its a function of frequency not only that it also depends on epsilon R of the substrate. Why? Because of this fencing field component for different epsilon R we will be having different fencing field components so we have different length correction factor because of that. So we will take a brake then we will start again. Thank you!