

Fluid Machines.
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Tutorial-5.

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↓ An impeller with an eye radius of 51 mm and an outside diameter of 406 mm rotates at 900 rpm. The inlet and outlet blade angles measured from the radial flow direction are 75° and 83° respectively, while the depth of blade is 64 mm. Assuming zero inlet whirl, zero slip and a hydraulic efficiency of 89%, calculate (i) the volume flow rate through the impeller, (ii) the stagnation and static pressure rise across the impeller, (iii) the power transferred to the fluid, and (iv) the input power to the impeller.

Given quantities are

$r_1 = 51 \text{ mm}$	$Q = ?$
$2r_2 = 406 \text{ mm}$	$(p_{02} - p_{01}) = ?$
$N = 900 \text{ rpm}$	$(p_2 - p_1) = ?$
$b = 64 \text{ mm}$	
$\eta_h = 89\%$	

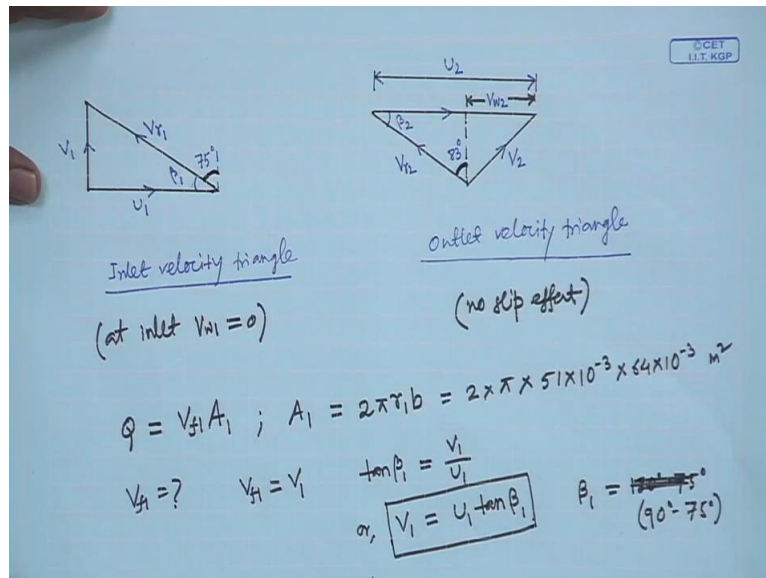
So welcome to this session of the course fluid machines. In today's tutorial class we are going to solve problems related to centrifugal pumps. So let us start with problem number 1. So the problem statement is given here. So the statement is as follows. And impeller with an eye radius of 51 millimetre and an outside diameter of 406 millimetre rotates at 900 rpm. The inlet and outlet blade angles measured from the radial flow direction are 75 degree and 83 degree respectively, while the depth of the blade is 64 millimetres.

Assuming 0 inlet whirl or swirl velocity, 0 slip and hydraulic efficiency of 89 percent calculate the volume flow rate through the impeller, the stagnation and static pressure rise across the impeller, the power transferred to the fluid and the input power to the impeller. So let us 1st note down there important given quantities in the problem. So given quantities are the eye radius with this 51 millimetre, so the eye radius is the radius of the pump at the inlet. Out outside diameter, so R_2 , $2 R_2$ is 406 millimetre where R_2 is the radius at the outlet of the pump, pump impeller.

Rotational speed N is 900 rpm, width of the blade is 64 millimetre and hydraulic efficiency is given as 89 percent. So these are the given quantities. Now we have to determine the volume

flow rate through the pump, stagnation and static pressure rise. So let us represent stagnation pressure at the outlet as P02 and stagnation pressure at the inlet as P01. Then the rise across, rise of stagnation pressure above the impeller is P02 - P01. So we have to determine this, similarly we have to determine the static pressure rise which is P2 - P1, power transferred to the fluid and also the input power to the impeller.

(Refer Slide Time: 3:32)



So let us 1st look into the velocity triangles. So this is the inlet velocity triangle and the blade angles are represented here, so the inlet and outlet blade angles are measured from the direction, radial direction as 75 degree and 83 degree respectively. So radial velocity makes an angle with the flow direction as 75 degree. So this is the blade angle here at the inlet. Similarly radial velocity at outlet makes an angle 83 degree, 83 degree with respect to the flow direction. So this is here 83 degree.

Now it is the inlet velocity triangle, we have used the fact that there is 0 inlet whirl or 0 inlet swirl velocity. So at inlet, V_{w1} is 0, that we have used to draw this diagram. Similarly at the outlet we have used the fact that 0 slip, so the radial velocity leaves at an angle with, which is specified by the blade angle. The presence of slip, this V_{r2} maybe deviated from this angle, so in the absence of slip we have drawn this diagram, so no slip effect. So with this consideration now we determine the flow rate through the pump.

So flow rate Q will be the flow velocity, say at the inlet times the cross-sectional area at the inlet. So here we are using subscript 1 to represent inlet quantities and subscript 2 to represent outlet quantity. Now A1 is the cross-sectional area at the inlet is to pie R1 times B, B is the

width of the blade. So this is 2 times pi times R1 is given as 51 millimetre. So 51 times 10 to the power -3 and B is given as 64 millimetre. So this is the cross-sectional area in metre square.

(Refer Slide Time: 7:05)

$$\begin{aligned}
 v_1 &= \frac{\pi D_1 N}{60} = \frac{\pi (201) N}{60} \\
 &= \frac{\pi \times 2 \times (51 \times 10^{-3}) \times 900}{60} \\
 &= 4.81 \text{ m/s} \\
 v_1 &= v_1 \tan \beta_1 = 4.81 \tan (90^\circ - 75^\circ) \\
 &= 4.81 \tan 15^\circ = 1.29 \text{ m/s} \\
 v_1 &= 1.29 \text{ m/s} \\
 Q &= v_1 A_1 = v_1 A_1 = 1.29 \times 2 \times \pi \times 51 \times 10^{-3} \times 64 \times 10^{-3} \\
 &= 0.026 \text{ m}^3/\text{s}
 \end{aligned}$$

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 &= 0.026 \text{ m}^3/\text{s} \\
 \boxed{Q = 0.026 \text{ m}^3/\text{s}}
 \end{aligned}$$

Now what is VF1? Now here as there is no swirl component of velocity, VF1 is same as V1. Now from the velocity triangle we can relate V1 to U1 in terms of beta 1. So tan final beta 1 will be V1 by U1. Or V1 is U1 times of beta, beta 1. Now we have to determine U1 and beta-1. Beta-1 is nothing but 180 degree - 75 degree or 90 degree - 75 degree. So this total angle is 90 degree, this much is 75, so beta is 90 - 75 degree.

Now to determine U_1 , so U_1 is peripheral velocity, so U_1 is peripheral velocity of the impeller at inlet, that can be determined by this rotational speed of the pump. So D_1 is the inlet diameter which is $2 R_1$, N is the rotational speed in rpm. So $\pi \times 2 \times R_1$ is given as 51 millimetre, so 51×10^{-3} . N is given as 900 rpm divided by 60. So U_1 is 4.81 metre per second. Now I will substitute $U_1 \tan \beta_1$ in this relation to obtain V_1 .

So V_1 is $U_1 \tan \beta_1$ is equal to $4.81 \times \tan 90^\circ - 75^\circ$, so which is $4.81 \times \tan 15^\circ$ equal to 1.29 metre per second. So inlet flow velocity is 1.29 metre per second. So the flow rate, expression of which we have determined earlier as Q equals $V_1 A_1$. Where V_1 is A_1 because there is no swirl component of the flow. So Q which is $V_1 A_1$ is same as $V_1 A_1$. So $1.29 \times A_1$ is $2 \times \pi \times 51 \times 10^{-3} \times 64 \times 10^{-3}$.

So this you can obtain as 0.026 metre cube per second. So the 1st result that we are interested in is the flow rate, now we have obtained it. The 2nd quantity of interest in this problem is the rise in stagnation pressure across impeller, so let us find that.

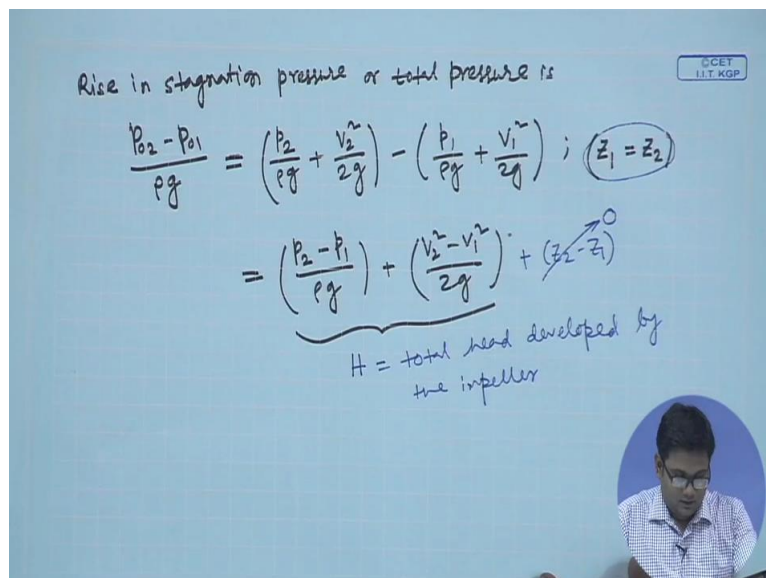
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Rise in stagnation pressure or total pressure is

$$\frac{P_{02} - P_{01}}{\rho g} = \left(\frac{P_2}{\rho g} + \frac{V_2^2}{2g} \right) - \left(\frac{P_1}{\rho g} + \frac{V_1^2}{2g} \right); (Z_1 = Z_2)$$

$$= \left(\frac{P_2 - P_1}{\rho g} \right) + \left(\frac{V_2^2 - V_1^2}{2g} \right) + \cancel{(Z_2 - Z_1)}$$

$H =$ total head developed by the impeller




Rise in stagnation pressure

$$\frac{P_{02} - P_{01}}{\rho g} = \left(\frac{P_2}{\rho g} + \frac{V_2^2}{2g} \right) - \left(\frac{P_1}{\rho g} + \frac{V_1^2}{2g} \right); (Z_1 = Z_2)$$

$$= \underbrace{\left(\frac{P_2 - P_1}{\rho g} + \frac{V_2^2 - V_1^2}{2g} \right)}_{H = \text{total head developed by the impeller}} + (Z_2 - Z_1)$$

$\eta_h = \text{hydraulic efficiency of the pump}$

$$= \frac{\text{Total head developed}}{\text{work head imparted to the fluid}}$$


So rise in stagnation pressure or which is also called total pressure is $P_0 2 - P_0 1$, let us represent it in terms of head. So $P_0 2 - P_0 1$ over ρG is $\frac{P_2}{\rho G} + \frac{V_2^2}{2G}$, this is the stagnation pressure head at the outlet. And $\frac{P_1}{\rho G} + \frac{V_1^2}{2G}$, this is the stagnation pressure head at the inlet of the impeller. So here we are assuming one thing that the elevation at the inlet is same as the elevation at the outlet. So this is one consideration.

Now we can rearrange this expression in this way. $\frac{P_2 - P_1}{\rho G} + \frac{V_2^2 - V_1^2}{2G}$. This is nothing but the H which is total head developed by the impeller, impeller. In a more general case, this will contain $Z_2 - Z_1$ but as we are assuming Z_1 is equal to Z_2 , so this will be 0. So only pressure and velocity heads will be there in the total head expression. Now we have to find this total head. Regarding this we can use the hydraulic efficiency which is 89 percent.

So let us write the definition for hydraulic efficiency. Hydraulic efficiency of, efficiency of the pump. Hydraulic efficiency of the pump is given in this way, it is the ratio of total head developed by the pump over the work head imparted by the rotor to the fluid. So total head developed, developed by the work head imparted to the fluid.

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$$\eta_h = \frac{H}{\left(\frac{V_{w2} U_2}{g}\right)} \quad (V_{w1} = 0)$$
$$\eta_h H = \eta_h \times \frac{V_{w2} U_2}{g} = 0.89 \times \frac{V_{w2} U_2}{9.81}$$
$$U_2 = \frac{\pi D_2 N}{60} = \frac{\pi \times 406 \times 10^{-3} \times 900}{60} = 19.13 \text{ m/s}$$

So here the total head, total head developed is H and the work head imparted to the fluid will be $V_{w2} U_2$ by G . Here also we are using the fact that the swirl component at the inlet is 0. So from here we can obtain H as η_h hydraulic times $V_{w2} U_2$ by G . So η_h hydraulic is given by 0.89 but $V_{w2} U_2$ are not known to you now. So let us 1st find V_{w2} and U_2 . So determination of U_2 is very straightforward. $\pi D_2 N$ by 60 where D_2 is the diameter, outlet diameter of the impeller.

So outlet diameter of the impeller is given as 406 millimetre. So 406 times 10 to the power - 3, N is 900 rpm over 60. This you can obtain as 19.13 metre per second. Now to determine V_{w2} , let us look into the velocity triangle.

(Refer Slide Time: 14:25)

Inlet velocity triangle
(at inlet $V_{w1} = 0$)

Outlet velocity triangle
(no slip effect)

$\tan \beta_2 = \frac{V_{f2}}{U_2 - V_{w2}}$

$Q = V_{f1} A_1$; $A_1 = 2\pi r_1 b = 2 \times \pi \times 51 \times 10^{-3} \times 64 \times 10^{-3} \text{ m}^2$

$V_{f1} = ?$ $V_{f1} = V_1$ $\tan \beta_1 = \frac{V_{f1}}{U_1}$ $\beta_1 = 90^\circ - 15^\circ = 75^\circ$
 $\therefore V_1 = U_1 \tan \beta_1$

$\eta = \frac{H}{\left(\frac{V_{w2} U_2}{g}\right)}$ ($V_{w1} = 0$)

$\therefore H = \eta \times \frac{V_{w2} U_2}{g} = 0.89 \times \frac{V_{w2} U_2}{9.81}$

$U_2 = \frac{\pi D_2 N}{60} = \frac{\pi \times 406 \times 10^{-3} \times 900}{60} = 19.13 \text{ m/s}$

$\tan \beta_2 = \frac{V_{f2}}{U_2 - V_{w2}}$; $\beta_2 = 90^\circ - 83^\circ = 7^\circ$

Flow continuity,
 $A_1 V_{f1} = A_2 V_{f2}$
 $\therefore A_1 V_1 = A_2 V_{f2}$

So V_{w2} can be obtained from this triangle, if you look into the tan of beta-2. So tan of beta-2 will be this height which is V_{f2} or flow velocity at outlet over $U_2 - V_{w2}$. So U_2 is this much and V_{w2} is this, so this distance will be $U_2 - V_{w2}$. So tan beta 2 is equal to V_{f2} by $U_2 - V_{w2}$. So tan beta 2 is equal to V_{f2} by $U_2 - V_{w2}$. Beta-2 is nothing but 90 degree - this angle, so beta-2 is 90 degree - 83 degree equal to 7 degree.

Now and from this relation we can say V_{w2} equals to $U_2 - V_{f2}$ by tan beta-2. So now we have obtained U_2 as 19.13 and expressed V_{w2} in terms of U_2 , V_{f2} and beta-2. Beta-2 is known, now how to relate V_{f2} ? Now from the continuity of flow, so flow continuity, flow

continuity gives that inlet flow will be same as the outlet flow at steady state. VF1 is nothing but V1 because there is no swirl component, so this is equal to A2 VF 2.

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The image shows handwritten calculations on a blue background. The first equation is the continuity equation: $V_{f2} = \frac{A_1 V_1}{A_2} = \frac{D_1}{D_2} V_1 = \frac{2 \times 51 \times 10^{-3}}{406 \times 10^{-3}} \times 1.29 = 0.324 \text{ m/s}$. The second equation is $V_{w2} = U_2 - \frac{V_{f2}}{\tan \beta_2} = 19.13 - \frac{0.324}{\tan 7^\circ}$. The third equation is $H = \eta_h \frac{V_{w2} U_2}{g} = 0.89 \times \frac{(19.13 - \frac{0.324}{\tan 7^\circ}) 19.13}{9.81} = 0.89 \times 32.16 = 28.62 \text{ m}$. The final result is $H = 28.62 \text{ m}$.

So using this relation we can write VF 2 equals to A1 V1 by A2. Now V1 we have previously obtained as 1.29 metre per second and ratio of area, area ratio will be nothing but ratio of respective radius or diameter. So diameter at inlet, diameter at outlet and V1. Diameter at inlet will be twice of radius, so 2 times 51 into 10 to the power -3 and diameter at outlet is 406 into 10 to the power -3 and V1 is 1.29. This gives V F2 as 0.324 metre per second. Now we substitute V F2 and U2 and beta-2 in this relation to obtain VW2.

So VW2 is U2 - VF 2 by tan beta-2. U2 we have obtained as 19.13, V F2 is 0.324 and tan of 7 degree. So this is VW2. Now head is hydraulic efficiency times VW2 U2 by G. So let us substitute all the quantities. VW2 is 19.13 - 0.324 over tan 7 degree times U2, U2 we have obtained as 19.13 over G, 9.81. So this will be 0.89, this quantity, head imparted by the impeller comes as 32.16. So this will be 28.62 metres. So head developed is 28.62 metres.

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$$\frac{p_2 - p_1}{\rho g} = H = 28.62 \text{ m}$$
$$\therefore p_2 - p_1 = \rho g \times 28.62 = 10^3 \times 9.81 \times 28.62 = 280.76 \text{ kPa}$$
$$p_2 - p_1 = 280.76 \text{ kPa}$$
$$H = \frac{p_2 - p_1}{\rho g} + \frac{v_2^2 - v_1^2}{2g}$$
$$\therefore \frac{p_2 - p_1}{\rho g} = \left(H - \frac{v_2^2 - v_1^2}{2g} \right) ; v_2 = ?$$

Now previously we have related this head developed with the rise in stagnation pressure. So rise in stagnation pressure head is same as the total head developed by the impeller. So $P_0 2 - P_0 1$ over ρG is H which now we know 28.62 metres or $P_0 2 - P_0 1$, which is the desired quantity of interests is ρG times 28.62. So ρ for water 1000, G is 9.81, 28.62. So this you can obtain as 280.76 kilopascals. So rise in stagnation pressure across the impeller is 280.76 kilopascals.

Another desired quantity of interest is the rise in static pressure. So rise in static pressure can be obtained here. So H is $P_2 - P_1$ by $\rho G + V_2$ square - V_1 square by $2G$. So this relation keep the 2 - P_1 by ρG equals to $H - V_2$ square - V_1 square by $2G$. So this relation can be used to obtain the rise in static pressure. So before that we know H , we know V_1 , so we have to determine v_2 . To determine we do, let us 1st going to the velocity triangle.

(Refer Slide Time: 21:31)

$$V_2 = \sqrt{V_{f2}^2 + V_{w2}^2}$$

$$V_{f2} = 0.324 \text{ m/s,}$$

$$V_{w2} = \left(19.13 - \frac{0.324}{\tan 7^\circ}\right) \text{ m/s}$$

$$V_2 = \sqrt{0.324^2 + \left(19.13 - \frac{0.324}{\tan 7^\circ}\right)^2} = 16.49 \text{ m/s}$$

$$\frac{P_2 - P_1}{\rho g} = H - \frac{V_2^2 - V_1^2}{2g}$$

So V_2 can be obtained from this triangle as square root of this which is V_{f2} or let me draw the triangle separately. This is V_2 , this is V_{f2} , this is V_{w2} , this angle is 90 degrees. So V_2 will be square root of $V_{f2}^2 + V_{w2}^2$. We have previously determined V_{f2} using the flow continuity as 0.324, so let us write this term here metre per second. And V_{w2} we have obtained in terms of U_2 and V_{f2} as this. So let us substitute this, $19.13 - 0.324$ by $\tan 7$ degree, so this will be also in metre per second.

So V_2 can be obtained by substituting this $0.324^2 + 19.13 - 0.24$ over $\tan 7$ degree square. So this you can obtain as 16.49 metre per second. So now we can substitute V_1, V_2 in the expression of static pressure rise. So this was the expression for static pressure rise in terms, in head, so static pressure rise $\frac{P_2 - P_1}{\rho g}$ will be $H - \frac{V_2^2 - V_1^2}{2g}$. Or in terms of pressure, this is $\rho g H - \rho \frac{V_2^2 - V_1^2}{2}$.

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The image shows handwritten calculations on a blue background. At the top right, there is a small logo for 'CET I.I.T. KGP'. The main calculation is for the static pressure rise $P_2 - P_1$, which is calculated as $10^3 \times 9.81 \times 28.62 - \frac{10^3 \times (16.49^2 - 1.29^2)}{2}$, resulting in 145.58 kPa . This result is boxed. Below this, the power transferred to the fluid is calculated as $\rho g Q H = 10^3 \times 0.026 \times 9.81 \times 28.62 = 7.3 \text{ kW}$. Finally, the input power to the impeller is calculated as $\frac{7.3 \times 10^3}{0.89} = 8.2 \text{ kW}$. A small circular inset photo of a man is visible in the bottom right corner of the slide.

$$P_2 - P_1 = 10^3 \times 9.81 \times 28.62 - \frac{10^3 \times (16.49^2 - 1.29^2)}{2}$$
$$= 145.58 \text{ kPa}$$
$$P_2 - P_1 = 145.58 \text{ kPa}$$
$$\text{Power transferred to the fluid} = \rho g Q H$$
$$= 10^3 \times 0.026 \times 9.81 \times 28.62$$
$$= 7.3 \text{ kW}$$
$$\text{Input power to the impeller} = \frac{7.3 \times 10^3}{0.89}$$
$$= 8.2 \text{ kW}$$

So let us substitute all the quantities. So $P_2 - P_1$ will be ρ is 1000, G 9.81 and H we have obtained previously, so H , value of H is 28.62 - ρ 1000, V_2 is 16.49 square - V_1 . So V_1 , value of V_1 we have obtained previously. So V_1 is obtained as 1.29 metre square. V_1 is 1.29. So substituting all these quantities we finally obtain $P_2 - P_1$ as 145.58 kilopascals. So $P_2 - P_1$, which is the static rise of pressure across the impeller is 145.58 kilopascals.

Now let us move towards determining the other quantities. So next we have to determine the power transferred to the fluid. Now power transferred to the fluid is given by, power transferred to the fluid is $\rho Q G H$. Where ρ is the density of water, Q we have obtained as 0.026, G 9.81 and H is 28.62. So this will be 7.3 kilowatts. Another quantity of interest is the input power to the impeller. So input power to the impeller will be power given to the fluid over the hydraulic efficiency.

So power given to the fluid is 10 to the power, 7.3 times 10 to the power 3 and hydraulic efficiency is 0.89. So this will be 8.2 kilowatts. So this is the input power to the impeller which is the power transferred to the fluid over the hydraulic efficiency.

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2. Calculate the least diameter of impeller of a centrifugal pump to just start delivering water to a height of 30 m, if the inside diameter of impeller is half of the outside diameter and the manometric efficiency is 0.8. The pump runs at 1000 rpm.

$$N = 1000 \text{ rpm}$$
$$H_s = 30 \text{ m}$$
$$D_1 = \frac{1}{2} D_2$$
$$H = \frac{U_2^2 - U_1^2}{2g}$$
$$\eta_m = \frac{\text{Static lift}}{H}$$
$$\therefore 0.8 = \frac{30}{\frac{U_2^2 - U_1^2}{2g}}$$
$$\therefore \frac{U_2^2 - U_1^2}{2g} = \frac{30}{0.8} = 37.5 \text{ m}$$

So let us move solve our next problem. So it is a simple problem related to centrifugal pump. So this is problem number 2. Calculate the least diameter of impeller of a centrifugal pump to just start delivering water to a height of 30 meter. If inside diameter of impeller is half of the outside diameter and manometric efficiency is 0.8 and pump runs at the speed 1000 rpm. So pump runs at a speed of 1000 rpm, static lift is 30 metres and the inside diameter D_1 is half of the outside diameter, these are the given quantities.

Now we have to find the least impeller diameter of the centrifugal pump to just start the delivery. Now in this case one thing to note here is that the pump is fully primed, there is no air inside the system and the, when the flow starts, at this situation the absolute velocity at the inlet and outlet and also the relative velocities are negligible or equal to 0. So only the impeller speed is present. So the head developed by the impeller will be the centrifugal head.

So when the pump is just starting, at this point the head developed by the pump is centrifugal head. So let us just find the centrifugal head H which will be $U_2^2 - U_1^2$ by $2G$. Now the manometric efficiency is given by the static lift, static lift over the head, centrifugal head, that is $U_2^2 - U_1^2$ by $2G$. So from here we can, so manometric efficiency is given as 0.8, static lift is 30 meter and let us substitute expression for H .

(Refer Slide Time: 29:01)

$$\frac{U_2}{U_1} = \frac{D_2}{D_1} \quad U = \frac{\pi DN}{60} \quad ; \quad D_1 = \frac{1}{2} D_2$$

$$\alpha, \quad U_2 = 2U_1$$

$$\frac{U_2^2 - U_1^2}{2g} = 37.5$$

$$\rightarrow \frac{4U_1^2 - U_1^2}{2g} = 37.5$$

$$\rightarrow U_1 = 15.66 \text{ m/s}$$

$$U_2 = 2 \times 15.66 = 31.32 \text{ m/s}$$

$$U_2 = \frac{\pi D_2 N}{60}$$

$$D_2 = \frac{U_2 \times 60}{\pi N}$$

$$= \frac{31.32 \times 60}{\pi \times 1000}$$

$$= 0.6 \text{ m}$$

$$D_2 = 0.6 \text{ m}$$

So we can obtain $U_2^2 - U_1^2$ by $2G$ is equal to 30 by 0.8 which is 37.5 metres. Now U_2 and U_1 , this can be related to the diameters because in this way because U , speed at any radial location will be πDN by 60 where is the diameter. So U_2 by U_1 is D_2 by D_1 . And in the problem it is mentioned that D_1 is half of D_2 . So here we can obtain U_2 is twice U_1 . Let us substitute this in the previous expression, so we have previously obtained $U_2^2 - U_1^2$ by $2G$ is 37.5 .

So this gives U_2 , this now we are substituting U_2 in terms of U_1 . So $4U_1^2 - U_1^2$ by $2G$ is 37.5 , so this will give you one as 15.66 metre per second. So U_2 will be 2 times 15.66 will be 31.32 metre per second. Now the quantity of interest here is the least impeller diameter, least diameter of the impeller which is the, let us find the outer diameter because the inner diameter will be half of that.

So outer diameter can be written as U , so we know U_2 is $\pi D_2 N$ by 60 . So D_2 will be U_2 times 60 by πN . So let us substitute U_2 and N is given as 1000 , so D_2 is 0.6 metres. So this is the least diameter, outer diameter of the impeller required to make a flow through the pump having a static lift of 30 metres. So with this I am ending today's lecture, thank you.