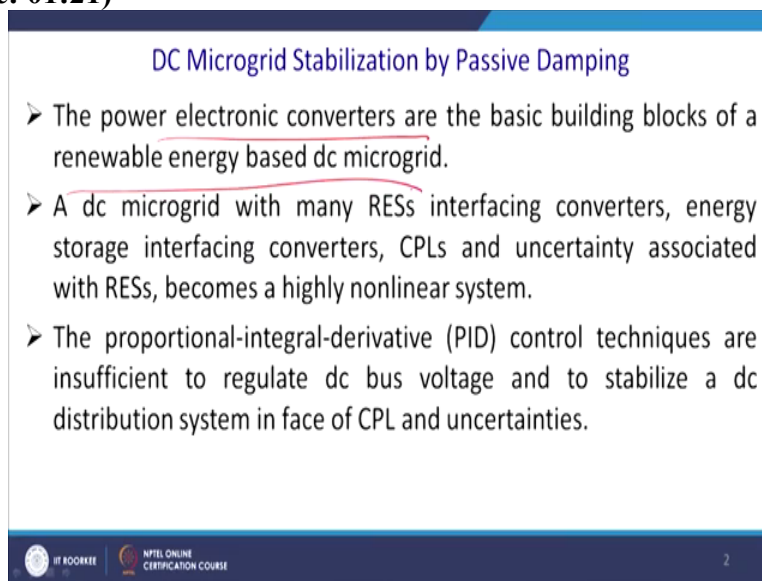


DC Microgrid and Control System
Prof. Avik Bhattacharya
Department of Electrical Engineering
Indian Institute of Technology-Roorkee

Lecture-37
Microgrid Stabilization Strategies
(Passive Damping Method)

Welcome to our NPTEL lectures on the same microgrid and the control. We shall continue to do our discussions on DC microgrid simulation strategies. We shall today see that the passive damping method and in subsequent classes we shall discuss about the active damping method. Now as we have seen in previous lectures there are so many power electronics converters and their impedance matching is an issue.

And thus from there we required to do a lot of fuelling. So, for this reason power electronics converter at the; we have already told it several time that a power electronics converter at the basic building wall of this microgrid and especially this renewable energy based DC microgrids. **(Refer Slide Time: 01:21)**



DC Microgrid Stabilization by Passive Damping

- The power electronic converters are the basic building blocks of a renewable energy based dc microgrid.
- A dc microgrid with many RESs interfacing converters, energy storage interfacing converters, CPLs and uncertainty associated with RESs, becomes a highly nonlinear system.
- The proportional-integral-derivative (PID) control techniques are insufficient to regulate dc bus voltage and to stabilize a dc distribution system in face of CPL and uncertainties.

IT ROORKEE NPTEL ONLINE CERTIFICATION COURSE 2

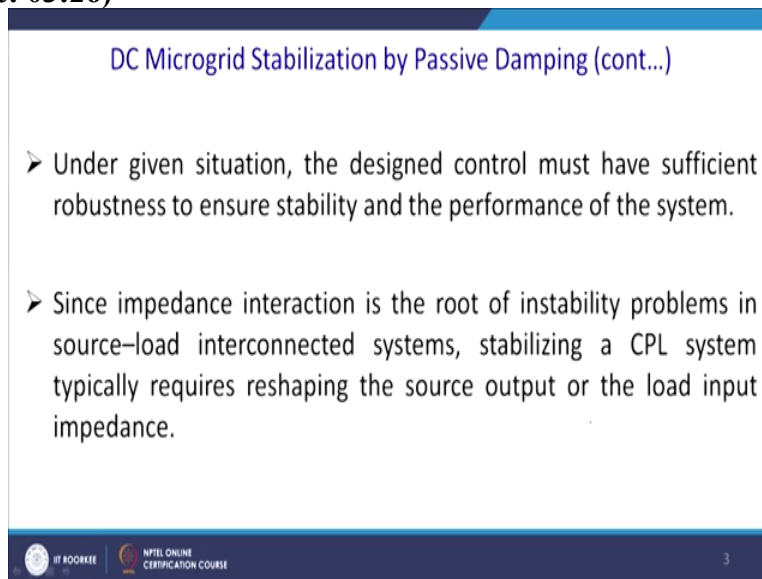
This DC microgrids mainly this energy resources that consisting of the renewable energy and the storage element interfacing with the converters and the energy storage interfacing with the converter and the constant power loads and the uncertainty associated with this energy resources because of the varying natures of these renewable energies. And this system becomes highly nonlinear. All of a sudden load may change that was a problem in case of the typical power system.

Now you have a problem with a battery is voltage balancing. You have a problem with variable irradiation and the temperatures and the wind of the solar. So, these are many parameters which has to be catered in to the microgrid and thus system becomes highly nonlinear. And of course we can rightly denote the average model once we because you have a power electronics converters and you have a one switching state and another switching state and based on that we can write it down that average one.

And when you have an average model then you imply it a linear control technique and that will means most preferred solution will be the PID controller. So, the proportional integral derivative controller techniques are generally applied while considering the linear model are insufficient to regulate the DC bus voltage because system is highly nonlinear and when you make it average model PID controller does not gives you satisfactory results.

The DC bus voltage to stabilize the DC distribution systems in interface with the constant power load and the uncertainties, so we required to, design the controller taking all those non-linearity into the account.

(Refer Slide Time: 03:26)



DC Microgrid Stabilization by Passive Damping (cont...)

- Under given situation, the designed control must have sufficient robustness to ensure stability and the performance of the system.
- Since impedance interaction is the root of instability problems in source-load interconnected systems, stabilizing a CPL system typically requires reshaping the source output or the load input impedance.

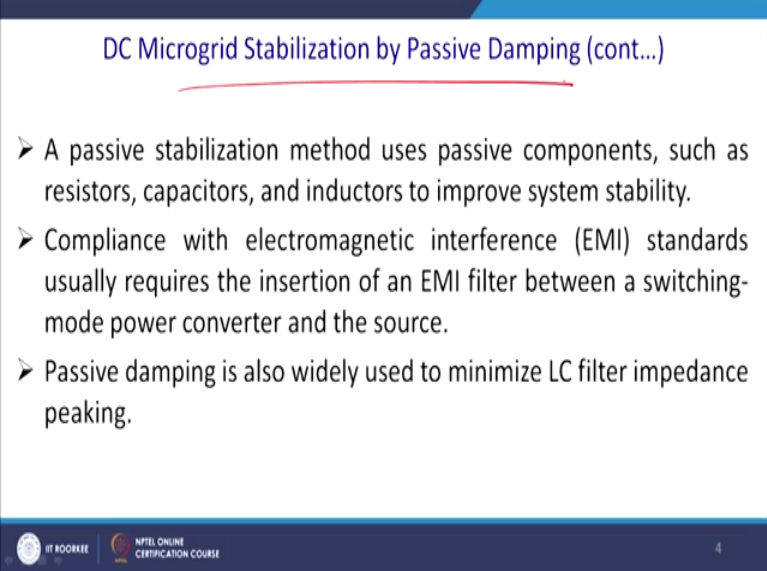
BY ROOKIE NTEL ONLINE CERTIFICATION COURSE 3

And thus under this situation the design control must have sufficient robustness. Robustness means this system is very much stout in the any change of this one state to the another state, so state change will not affect its positions of the stability that is called a robustness and robustness to ensure the stability and the performance of the system. Since impedance interaction is the root of the instability problem.

So that is a change of impedance because you are tracking the MPPT your voltage changes current changes and thus there is a change of MPPT and sometimes your load changes. So, thus the impedance interaction is the root cause of the instability problem in source-source interconnected system and stabilizing a constant power load because once voltage dips its current increases so it is quite nasty kind of entity.

So, CPL system typically requires a reshaping of the source output or the load-out input impedance so that you can control the flow of current into the system.

(Refer Slide Time: 05:00)



DC Microgrid Stabilization by Passive Damping (cont...)

- A passive stabilization method uses passive components, such as resistors, capacitors, and inductors to improve system stability.
- Compliance with electromagnetic interference (EMI) standards usually requires the insertion of an EMI filter between a switching-mode power converter and the source.
- Passive damping is also widely used to minimize LC filter impedance peaking.

IT ROORKEE NPTEL ONLINE CERTIFICATION COURSE 4

To ensure this you know we can go for that stabilization by the passive damping but of course it is a less efficient system let us see how it has been done. As passive stabilization method uses a passive component such as resistors, capacitors, inductor to improve the stability mostly required to damp out the oscillation. You require to make the system very we have to visualize the system as a second-order system by the reduced order model.

And thereafter you with the effect of the dominant pole you try to design to specify the oscillation by that by the proper damping. Compliance with the electromagnetic interference standard because there is a challenge you know once you are having this kind of issues so generally once your sustained oscillation then generally you have a huge problem of EMIMC. And what happened generally once you suppress one entity generally you will find that you have aggravated another entity.

So, you have to keep into the mind and while you are damping that it may increase your

electromagnetic interference standard. Because what happens you know when a wave gets reflected when that will be the cause of the EMI what a wave electrical will be reflected when there is a mismatch between the impedance. So, for this reason this will you will find that more mismatch into the; once you are putting a passive damping you may introduce a little more mismatch into the impedance and thus it may aggravate the cause of the EMI.

But you have to keep in mind I tell you have to find it out the optimal solution and you have to see the standard of the EMI so that you can have a little flexibility here or not. This EMI standard usually required the insertion of an EMI filter between the switching power converter and its use. Generally you have different rate that itself is a big chapter telling you have a conducted emission and that will have a common mode noise as well as the and the radiated emission.

Generally conducted emission can be reduced by the EMI filter there is a XX filter that is for the common mode and therefore the differential mode is called XY and that filter will try to reduce your conducted emission. And also you will have a problem with a radiated emission that required to be addressed by lower dv/dt and low di/dt . So, passive damping is also widely used to minimize the LC filter impedance peaking.

So, that is something can be done you know so once you have introduced so a proper damping in a second-order system. Your peak overshoot will decrease and all those issues will pop in and thus proper designing of the LC filter will reduce the picking.

(Refer Slide Time: 08:18)

DC Microgrid Stabilization by Passive Damping (cont...)

➤ Fig. 1 shows such a converter-source system with an EMI filter inserted in between, where a single-stage LC filter is assumed for simplicity.

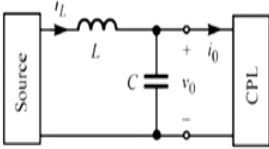


Fig.1 LC filter inserted between a point of load converter and the source

NPTEL ONLINE CERTIFICATION COURSE 5

So, let us consider this figure one and it shows a converter source system with an EMI inserted

between where a single stage LC filter is assumed for the simplicity. Now you have a source you have a CPL. Now what happened this is the filter and since it is assumed that there is no resistance here. So, any step change or any change will have a sustained oscillation into the system. A thus we require to provide the proper damping.

(Refer Slide Time: 09:17)

DC Microgrid Stabilization by Passive Damping (cont...)

- Note that the input impedance of an LC filter, dips at the series resonant frequency between the filter inductor and capacitor.
- Based on the Nyquist criterion, instability between the source and the filter may occur if the filter input impedance becomes lower than the source output impedance at this frequency.

IIT ROORKEE NPTEL ONLINE CERTIFICATION COURSE 6

So, what; so please note that the input impedance of the LC filter dips at the series resonant frequency between the filter inductor and the filter capacitor you know the Q factor and based on the Nyquist criteria instability between the source filter may occur if filtered input impedance becomes lower than the source output impedance at this frequency. So, this is a cause of instability. So, you have to keep in mind this is a very one of the thumb rule of designing the filter.

So, you have chosen a particular switching frequency and so you may one layman kind of question some type asks, so what is the frequency in a DC microgrid? Because all these DC to DC converter are switching device that is it has got a operated a particular switching frequency. And you are required to filter out those high frequency. And while designing the filter you require to remember this Nyquist criterion very well.

So, the filter may based on this Nyquist criterion instability between source and the filter may occur if the filter input impedance becomes lower than the source output impedance of that resonating frequency.

(Refer Slide Time: 10:41)

Analysis of LC filter and CPL with passive damping

- The L-C filter with CPL and passive damping is shown in Fig.2.

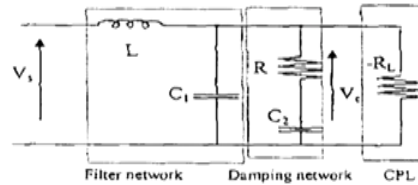


Fig.2 L-C filter with CPL and passive damping network

And if the switching can see because there is not it anybody then there is a great hazard. So, for this reason the LC filter with a constant power load and the passive damping it has been shown. So, this part is a CPL and this part is filter and since you may not have fulfilled that criterion. And for this reason you have added one RC network to damp out the oscillation. And that is what happen this is called a passive damping.

Since some amount of current will be sinking here so efficiency of the system will be lower but you will be get rid of the effect of the instability. So, and assume please go back to the figure this is c1 that is a filter capacitor and this is a damping capacitor c2.

(Refer Slide Time: 11:38)

Analysis of LC filter and CPL with passive damping (cont...)

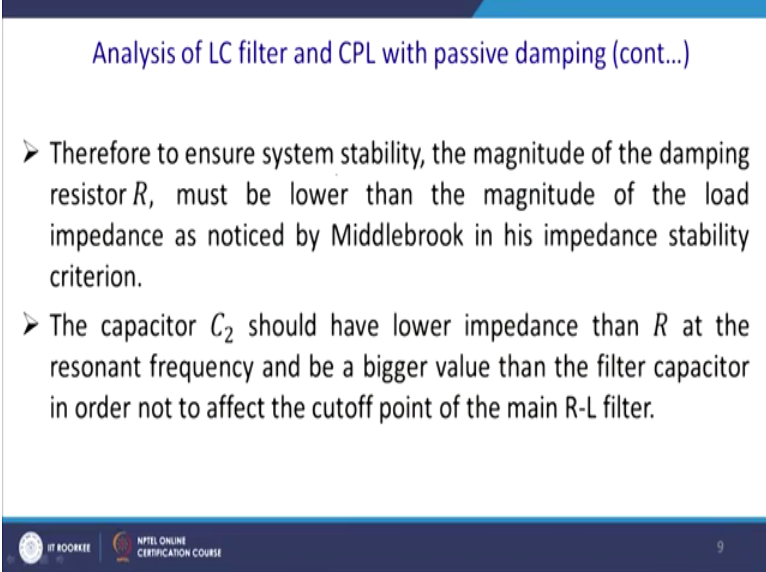
- Assuming $C_2 \gg C_1$, then at higher frequencies the impedance of C_2 will be very small and the total resistance connected to the output of the filter will be given by the parallel combination of R and $-R_L$, having a value $R_{eff} = \frac{-|R||R_L|}{|R|-|R_L|}$.
- Looking at this relationship, if $|R| < |R_L|$, the L-C filter will have a net negative damping resistance and the filter will oscillate.

Assuming that c2 is much lesser than c1 and higher frequency the impedance of c2 will be very small and the total resistance connected to the output of the filter will be given by the parallel

combination of R and the CPLD node that is RL and thus having effective R will have minus sign comes from the CPLD. So, R into R L minus this one, so, looking at this relationship if RL is much, much greater than R.

The LC filter will have a negative damping resistance and the filter definitely will oscillate. So, that is the challenge here so this will have a sustained oscillation.

(Refer Slide Time: 12:39)



Analysis of LC filter and CPL with passive damping (cont...)

- Therefore to ensure system stability, the magnitude of the damping resistor R , must be lower than the magnitude of the load impedance as noticed by Middlebrook in his impedance stability criterion.
- The capacitor C_2 should have lower impedance than R at the resonant frequency and be a bigger value than the filter capacitor in order not to affect the cutoff point of the main R-L filter.

9

Now for this reason R therefore to ensure the system stability the magnitude of the damping resistor must be lower than the magnitude of the load impedance as notice by the; by this person Middlebrook in this impedance matching criteria or the impedance stability criteria. The capacitor c_2 should have lower impedance than R at the resonant frequency and we bigger value than the filter capacitor in order not to affect the cut-off point of this RL filter. So, that is another criterion of this Middlebrook's impedance.

(Refer Slide Time: 13:28)

Analysis of LC filter and CPL with passive damping (cont...)

- The analysis of the circuit is undertaken by considering the input-output voltage transfer function $V_c(s)/V_s(s)$ for the system of Fig. 2, given as:

$$V_c(s)/V_s = \frac{\frac{(1+sC_2R)}{LC_1C_2R}}{s^3+s^2\left(\frac{C_1R_L+C_2R_L-C_2R}{C_1C_2RR_L}\right)+s\frac{(C_2RR_L-L)}{LC_1C_2R_LR}+\frac{1}{LC_1C_2R}} \quad (1)$$

- The purpose of damping resistor R is to reduce the output peak impedance of the filter at the cutoff frequency.



Now let us see that analysis of this LC filter with the; we have to refer back to this figure. So, figure 2 viewers are requested to refer that figures by sliding this. So, this is analysis of the LCL filter with the CPLD passive load damping and to analyze the circuit it undertaken by considering the input and the output transfer function that is your we $V_c S$ by V_s of this figure 2 and thus what you can write this transfer function.

You can see that it is a third order but you can reduce in by a second order by the dominant pole method. So, you have overall transfer function like this. And the purpose of this damping resistor R here is to reduce the output peak impedance of the filter and the cut-off frequency. So, thus it will be flattened so that over shoot will be reduced.

(Refer Slide Time: 14:47)

Analysis of LC filter and CPL with passive damping (cont...)

- The capacitor C_2 blocks the dc component of the input voltage and avoids the power dissipation on R .
- The output impedance Z_s , of the filter and damping network can be expressed as:

$$Z_s = \frac{sL(1+sRC_2)}{s^3LRC_1C_2+s^2L(C_1+C_2)+sRC_2+1} \quad (2)$$

- The transfer function presents a zero and three poles, where the zero and the first pole fall close to each other at frequency $\omega \approx 1/R_dC_d$.



The capacitor c_2 generally it blocks this DC component or the low frequency component of the

input voltage and avoids the power dissipation on R. The output impedance Z_s of the filter and damping network can be expressed as $Z_s = \frac{1}{sL + sRC_2 + \frac{1}{sC_1 + \frac{1}{sL + sRC_2 + 1}}$. The transfer function represents a 0 and 3 poles. So, here you got a 0 and you got a 3 poles where the 0 and the first pole goes to the each other to the frequency what it is given by that is an Omega that is $\frac{1}{\sqrt{LC}}$. Please refer back here in the figure number 2.

(Refer Slide Time: 15:48)

Analysis of LC filter and CPL with passive damping (cont...)

- The other two dominant poles fall at the cutoff frequency, $\omega_0 = \frac{1}{\sqrt{LC}}$.
- A damping resistor in series with L would decrease converter efficiency since it must pass all of the dc input current.
- While a damping resistor in series with C_1 would seriously degrade its attenuation characteristic as well as the efficiency since it must essentially pass entire ac input current component.
- One practical solution for damping the input filter is illustrated in Fig.2. A dc blocking capacitor C_2 , is added in series with resistance R .

12

So, the other two dominant pole, will be at its cut-off frequency and that is your natural frequency oscillation of this filter that is under root of LC. The damping resistors with the series L if you connect then efficiency will be the catastrophe would decrease the converter efficiency. Causalities will be the efficiency because series current will flow. Since it must pass all the DC current so they were lost, so you cannot add in a series you require to add in parallel.

While damping resistors in series with c_1 will seriously degrade the attenuation characteristics as well as the efficiency since it must essentially pass enter AC current to component. So, ultimately filtering effect will be a catastrophe THD will be a catastrophe if you add a resistance is c_1 . And for this reason what we do we add one practical solution for damping for the input filter as illustrated in Figure 2 that DC block capacitor c_2 is added in series with the resistance so that is this case.

(Refer Slide Time: 17:21)

Stability condition

➤ Consider a simplified model of dc microgrid and passive damped circuit with constant voltage and constant power load.

Passive damping circuit

Fig.3 The simplified model of a dc microgrid with passive parallel damping

13

So, consider a simplified model of the DC micro grid and the passive damp circuit with the constant voltage and constant power load that is the CPLD and this is the filter part of it and you will add extra damping resistance to damp out the oscillation that is $R_d C_d$ and the simplified method of the DC microgrid with the parallel damping.
(Refer Slide Time: 17:56)

Stability condition (cont...)

➤ In order to improve the stability of the system, the passive damping circuit was added to the system and the simplified circuit model is shown in Fig.3.

➤ The method of determining the damping resistance and the damping capacity of the damping circuit are derived as:

$$L_e \frac{di_{Le}}{dt} = E_e - u_{Ce}$$

$$C_e \frac{du_{Ce}}{dt} = i_{Le} - \frac{u_{Ce} - u_{Cd}}{R_d} - \frac{u_{Ce}}{R} - \frac{P_{CPL}}{u_{Ce}} \quad (3)$$

$$C_d \frac{du_{Cd}}{dt} = \frac{u_{Ce} - u_{Cd}}{R_d}$$

14

Now let us now come to the stability condition once you are damped it of course you expect that stability will be improved. In order to improve the stability of the system the passive damping circuit was added to the system and simplified the circuit model as shown in the figure that is the figure 3 this one. The method of determining the damping resistors and the damping capacitor can be derived as follows.

So, it is $L \frac{di}{dt}$ is the voltage across this inductor this please refer to this figure you know this

element before the filter we say it is the source E_c . So, you write this equation here so $L \frac{di}{dt}$ equal to $E_c - u_c$ - the voltage across the capacitor that is u_c . Again the currents sinking into the capacitor is $C \frac{dv}{dt}$ that is $C \frac{du_c}{dt}$ equal to $L \frac{di}{dt}$ minus this difference $u_{ce} - u_{cd}$ by R_d and since the high frequency we assume that higher capacitor is shorted value of the C_2 .

There you have to use u_{ce} by $r - CPLD$ by this capacitor voltage ultimately what you can have is your $C \frac{du_{cd}}{dt}$ equal to $u_{ce} - u_{cd}$ by R_d . So, this is the equations what you have.

(Refer Slide Time: 19:55)

Stability condition (cont...)

➤ The equilibrium points of the system can be obtained

$$\begin{cases} I_{Le} = \frac{U_{Ce}}{R} + \frac{P_{CPL}}{U_C} \\ E_e = U_C \\ U_{Cd} = E_e \end{cases} \quad (4)$$

➤ Linearizing Eq.(3) at the equilibrium point and the equation is organized in matrix form and given in (5).

And thus from the equilibrium point of view we can find solving those equations that I_{Le} equal to $\frac{U_{Ce}}{R} + \frac{P_{cl}}{U_c}$ and E_e equal to U_C and U_{cd} equal to E_e so linearizing this equations at the equilibrium point and the equation is organized in a matrix and matrix form and given in the 5.



(Refer Slide Time: 20:35)

Stability condition (cont...)

$$\begin{bmatrix} \dot{i}_{Le} \\ \dot{u}_{Ce} \\ \dot{u}_{Cd} \end{bmatrix} = \begin{bmatrix} 0 & \frac{1}{L_e} & 0 \\ \frac{1}{C_e} & -\frac{1}{C_e} \left(\frac{1}{C_e} + \frac{1}{R} - \frac{P_{CPL}}{U_{Ce}^2} \right) & \frac{1}{C_e R_d} \\ 0 & \frac{1}{C_d R_d} & -\frac{1}{C_d R_d} \end{bmatrix} \begin{bmatrix} i_{Le} \\ u_{Ce} \\ u_{Cd} \end{bmatrix} \quad (5)$$

$$\frac{1}{R} - \frac{P_{CPL}}{U_{Ce}^2} = -\frac{1}{R_L} \quad (6)$$

➤ Where R_L is the small signal equivalent load impedance.



16

So, this is the overall transfer function with this filter with that damping network. So, these are the state variable that is the current to the inductor. There are after you have the voltage across the capacitor differentiation of the voltage rate of change of voltage across the capacitor of this filters and rate of change of voltage of the capacitor across this damping resistor. So, what you can see you can write it down the state space equation.

And where $\frac{1}{R} - \frac{P_{CPL}}{U_{Ce}^2} = -\frac{1}{R_L}$, so this is one of the constraint. And this R_L is the small signal equivalent load impedance. So, that is something we take it as a R_L load impedance.

(Refer Slide Time: 21:50)

Stability condition (cont...)

➤ From Eq.(5) and (6), the system characteristics equation can be derived:



$$s^3 + \left[\frac{1}{C_e} \left(\frac{1}{R_d} - \frac{1}{R_L} \right) + \frac{1}{C_d R_d} \right] s^2 + \left[\frac{1}{L_e C_e} - \frac{1}{C_e R_L C_d R_d} \right] s + \frac{1}{C_e L_e C_d R_d} = 0 \quad (7)$$

➤ Using Routh-Hurwitz criterion in Eq.(7) the necessary and sufficient condition for stable system can be deduced

$$\begin{cases} C_d R_d < (C_d + C_e) R_L \\ C_d R_d > \frac{L_e}{R_L} \end{cases} \quad (8)$$

$$\frac{C_d + C_e}{C_e} \left[\frac{1}{C_d R_d} - \frac{1}{(C_d + C_e) R_L} \right] \left(C_d R_d - \frac{L_e}{R_L} \right) > 1$$

$$R_0 = \sqrt{\frac{L_e}{C_e}}, \quad n = \frac{C_d}{C_e} \quad (9)$$



17

Now while the stability analysis so we can spread these equations from this state space equation we come to the transfer function model. And thus we get this is the characteristics equation this

is the denominator essentially this is a characteristics polynomial and we have to analyze the stability analyzing this characteristics polynomial. So, it is $s^3 + 1$ by C_e 1 by $R_d - R_L$ please note that R_L is quite small we have to 1 by $C_d + R_T$ into $s^2 +$ this is the damping part.

Since it is a coefficient of s so L by C is $a + C$ into $R_L C_d$ into R_d and that into s thereafter this will be essentially the damped oscillation part Ω_d and thus we apply a simple criteria that you have studied in your called basic control system in your B.Tech level that is the Routh-Hurwitz criteria in equation 7 and the necessary sufficient conditions will be the sign change in the ρ and thus we rewrite the Routh- Hurwitz criteria.

So, what you get here C_d into R_d should be less than that R_L into C_d into C to having a stability criteria to be fulfilled C_d into R_d should be greater than 1 by R_L and also you have $C_d + C$ by C in bracket 1 by $C_d R_d - 1$ by $C_d R_d R_L$ into $C_d R_d - 1$ $e R_L$ it should be greater than 1 that is equation number 9 and where R_0 will be under root of L by C and this n is a ratio of the C_d by C_e .

So, that is something the notation will be followed and based on that we have to have this criteria and based on that you will design the value of the C_d and the R_d . So, you fix up the city because generally what happens C_d comes in a some numerical values 47 microfarad or some other values.

(Refer Slide Time: 24:57)

Stability condition (cont...)

- When C_d is fixed, the damping of the system changes with the change of R_d .
- The optimal damping of the system is obtained when R_d satisfy following equation.

$$R_d = \frac{R_0}{n} \sqrt{\frac{(n+2)(3n+4)}{2(n+4)}} \quad (10)$$

- From (9) and (10), the system stability condition can be determined

$$\frac{R_0}{R_L} < n \sqrt{\frac{2(n+2)}{(n+4)(3n+4)}} \quad (11)$$

So, then what happened since we required to fix the value of this R_d and thus you get a little range extremely sorry first you fix up the value of the C_d once you fix up the value of the C_d

range of R_d and it is your task in a simulation also you put that values of the R_d and check because in a real hardware setup you may not do that heat and trial. And for the reason you take a range of the R and you swap out the value of R and see that where it gives a best response.

But of course your theoretical aspect will mismatch there is a lot of parasitic entities that will come into the picture but you know then we have to take care of this eliminate or account those parasites in your hardware. So, that what I can say is that the damping of the system changes with the value of R_d the optional damping of the system is obtained by R_d satisfying the following equation that is R_d equal to R_0 by n under root of $n + n^2 + n^4$ by $2 + n^4$ where n is a ratio of C_d by C .

And thus this is the value of the R_d you will get and from this 9 and 10 we can derive the condition of the stability that is you know R_0 by R_L this ratio should be less than a n into so you can take this 2 equations and combine. so 2 into n^2 into $n + n^2$ by $n + n^4$ into $3 + n^4$ this is the conditions while choosing because you have chosen a filter based on the switching frequency so your value of l_e and C are fixed.

And so steps will be the once you have fixed then you come across this relay then you will fix up the value of the C_d . If you have chosen that capacitor voltage to be maybe actually .47 micro farad and you choose this capacitor as 47 micro farad so it is actually 100 times higher so, I in value 100 and accordingly you will have R_d and thus you come into the conclusions C and e required to design properly what should the other.

Please note that these cap this capacitor C_d should not interfere and it that should be around 50 to 100 times higher than the value of your the filter capacitor C then only this will work fine. Thank you, for attentions and what I can say in here that this characteristics you have to write it properly. Thereafter this is the steps again I am reiterating this is the step. Thereafter you come to the transfer function students should be very much aware of converting your stage space into the transfer function.

Then you get the transfer function and thus you get the criteria and you see that what should be the stability of the system by equation number 11. So, thank you for your attention and in next class we shall see that active damping may be and some other cases of the passive damping thank you for your attention, thank you.