

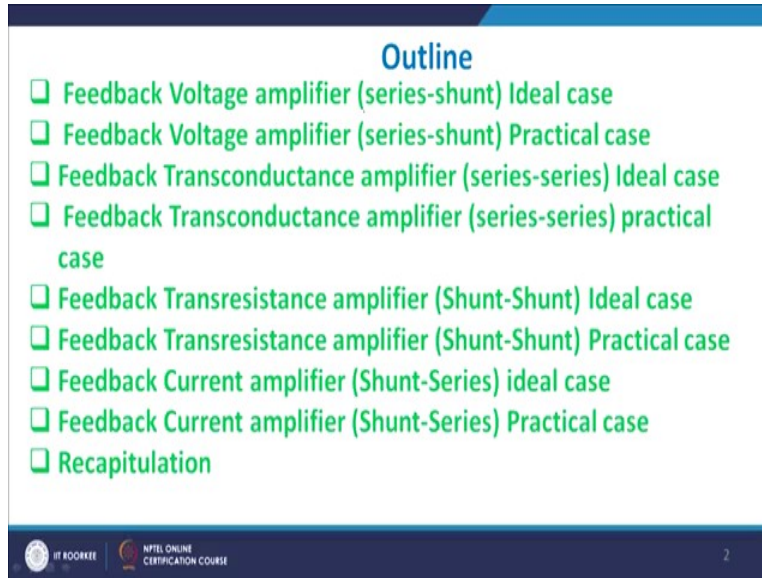
**Microelectronics: Devices to Circuits**  
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**Lecture 47**  
**Design of Feedback Amplifier for all Configuration**

Hello everybody and welcome to the next edition of NPTEL online course on Microelectronics Devices to Circuits. Today we will look into the design of feedback amplifiers against configuration various configurations of the feedback amplifier. In our previous module we had looked into the fact that what is a negative feedback? How does a negative feedback work? What are the criteria for the multiplication of  $A$  and  $\beta$  which is basically the forward feed forward amplifier and  $\beta$  which is basically my feedback ratio so that I am able to achieve a value of negative feedback.

And we saw that when  $A\beta$  is greater than 1 we will automatically get a lower gain. The advantage of a negative feedback we get a higher bandwidth, we get a less distortion nonlinear distortion. We also have a much more stabilized gain in the output side. And these were the few advantages which we saw. We also saw in our previous term that when you do have those configurations of series shunt or shunt series network we generally are able to modify our input impedance and output impedance of an amplifier.

And the advantage of such therefore negative feedback is that I am able to therefore have my output impedance change with various configurations. Now, since the amplifier output drives the extensive load and the load will be varying load, I can therefore match the output impedance of the amplifier with the load itself for the maximum power to be transferred. And I can use, how can I do that, by applying various configurations of negative feedback. So, we have learnt 4 series shunt, series series, shunt series and shunt shunt, right? And we have seen how the input impedance and the output impedance change.

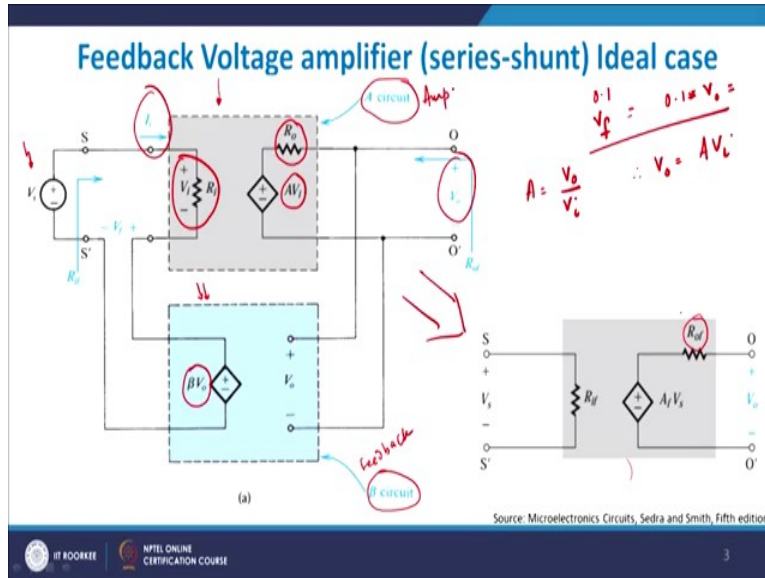
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Today we will the topic today's topic is basically by feedback voltage amplifier. So, we look at ideal case of a series shunt amplifier, right? And then we will look into a practical case of ideal of the series series shunt. Then, we will look into an ideal and real case of series series feedback network, right? So, we will look into series series feedback. We will also look into shunt shunt case. So, for all the cases we will look into ideal case ideal case when you do not have any loading, right?

Which means that your feedback network does not load your amplifier and your amplifier does not load your feedback network and there are 2 independent entities that we have assumed. In the second case we will take a practical amplifier; we assume that there is a loading effect coming into picture. So, we have all the 4 amplifier voltage amplifier, current amplifier, transconductance amplifier and transresistance amplifier for ideal case as well as the real cases.

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So, let us look at the feedback voltage amplifier. This basically is series shunt and let me let me show you the series shunt feedback network here. As you can see here this part which is basically my dotted part here is basically the amplifier. So, this is the A circuit when I say it is basically your amplifier circuit and the blue one is basically my  $\beta$  circuit, which is basically my feedback circuit. So, this is my feedback circuit, right? And this is my amplifier circuit, right? So, amplifier is a feed forward and this is basically my feedback.

Now, this is series shunt which means that I will be extracting voltage from the output and feeding it in the form of current in input side. So, the input side will be input current here, right? And you have an output voltage which is  $V_o$ . At this  $V_o$  therefore appears here, right? And a part of  $V_o$  appears as a voltage source in the output feedback network. So, say your  $\beta$  is equal to 0.1. It primarily means that  $0.1 \cdot V_o$  will be your output voltage here of this network, right? of this network. So, your  $V_f$  will be equal to  $0.1 \cdot V_o$ .

And as a result this is how we will generate the feedback ratio.  $V_i$  is basically  $V_s$  is the source voltage which you see out of which a particular voltage  $V_i$  appears here depending upon the value of  $R_i$  which is input resistance of the amplifier. Now, typically if it is voltage gain  $A = V_o / V_i$ , right? And therefore,  $V_o = A \cdot V_i$ . That is what is written here  $A \cdot V_i$  which you see. You also

have a output impedance of the voltage source here and therefore, that maintains and the output side, right?

And depending on the value of  $\beta$  and  $A_0$  we will see how it works out. So, therefore we can converge into this factor in order to get this form that I have a source voltage which terminates onto  $R_{if}$  which is basically my input resistance with feedback. I have a output resistance with feedback  $R_{of}$  f suffix means feedback. And my voltage gain is given as  $A_f * V_s$ , right? And my input voltage will be given by  $V_0$  here; it is given by  $V_0$  here.

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$A_f = \frac{V_o}{V_s} = \frac{A}{1+A\beta}$   $A_f$  open circuit voltage gain  
 $R_{of} = \frac{V_s}{I_s} = \frac{V_s}{\frac{V_s}{(1+A\beta)R_s}} = (1+A\beta)R_s$   
 $R_{if} = \frac{V_s}{I_i} = \frac{R_s}{1+A\beta}$

$R_{of} = \frac{V_s}{I_s}$   $I_s = \frac{V_s - AV_i}{R_s}$   $V_i = -V_f$   
 $V_f = -\beta V_o$   $I_s = \frac{V_s(1+A\beta)}{R_s}$   $R_{of} = \frac{R_s}{1+A\beta}$   
 $V_f = \beta V_o = \beta V_x$   $R_{if}$  input resistance  
 $R_{of}$  output resistance  
 $I_i$  input current

$A_f \ll A$   
 $\frac{V_o}{I_i} = (1+A\beta)R_s$   
 $\frac{V_x}{I_s} = R_s$   
 $R_{if} = \frac{R_s}{1+A\beta}$

Source: Microelectronics Circuits, Sedra and Smith, Fifth edition

### Feedback Voltage amplifier (series-shunt) Ideal case

$A = \frac{V_o}{V_i} = 0.1$   
 $V_o = AV_i$   
 $V_f = 0.1 V_o$

(a)  $\beta$  circuit  
 Feedback

Source: Microelectronics Circuits, Sedra and Smith, Fifth edition

So, with knowledge of this basic idea let me show to you how I am calculating the  $R_{of}$  and  $R_{if}$ . Now, we know that  $A_f$  will be equal to  $V_o / V_s$ , right?  $A_f$  means that amplifier gain with feedback, right? Amplifier gain with feedback primarily basically it effectively means that that I am trying to look at this voltage divided by this voltage, right? And that is what we are trying to find out when we say  $A_f$ . And if you if you solve it you get  $A/(1 + A\beta)$  which we have already earlier also and we saw that  $A_f$  therefore is always less than  $A$ , right? Therefore, there is a drop in the gain.

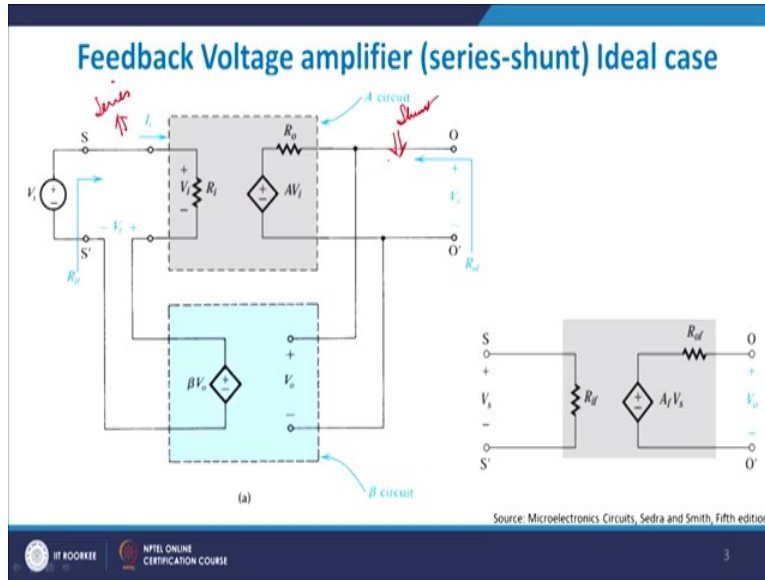
Now you see  $V_i$  will be equals to  $V_s / (1+A\beta)$ . From where did you get this  $V_i$ ,  $V_s / (1+A\beta)$  is basically that so what is  $V_i$  is the input voltage. Where is the input voltage actually referring to? Input voltage is basically this voltage which you see, right? So, I am looking at  $V_i / V_s$  this by this will nothing but be a voltage divided network and I get  $V_s / (1+A\beta)$ . Therefore, if you want to find the input current, you have to divide this whole quantity by  $R_i$ . That is what I am doing here.

Now, so therefore, if you look very carefully if you transfer this to right hand side I get  $V_s / I_i$  is basically equals to  $(1+A\beta)*R_i$ . This is nothing but  $R_{if}$ . So,  $R_{if}$  equals to  $(1+A\beta) * R_i$  which means that input impedance rises with feedback. Look at the output impedance. How do you find output impedance is very simple. You try to short the input and give a feedback voltage here and then apply a source voltage  $V_x$  at the output side and try to find out the current.  $V_x/I_x$  will be equals to  $R_o$ , right?

And with respect to feedback I will get the value of  $r_o$ . So, I write  $V_i$  is equal to  $-\beta * V_x$ . Why this why there is a negative sign? Because you are doing a feedback. So, a part of  $V_x$  appears as  $V_i$  input side  $-\beta * V_x$ . So, if I want to find  $I_x$  which is the current flowing through this  $R$ . This this current I want to find out. Then this will be nothing and  $V_x$  is the voltage divided by  $R_o$  which is this 1, right into  $(1+A\beta)$ , right? Into  $(1+A\beta)$ . And therefore, if you want to find out you will get so this equation you will get basically  $V_x / I_x$  will be equal to  $R_o / (1+A\beta)$ .

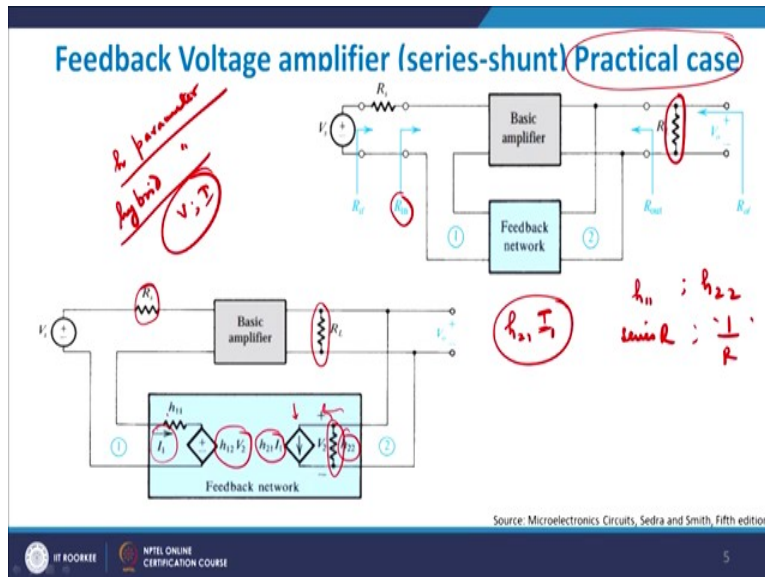
And this is nothing but  $R_{of}$ . So, I get  $R_{of}$  is equal to  $R_o / (1+A\beta)$  which means the output impedance which we feedback falls down by falls back to the  $(1+A\beta)$ . But my input impedance rises by a factor of  $(1+A\beta)$ . So, my input impedance rises and output impedance falls down. You can see it physically also.

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Why because if you look very carefully then you will see that that this is basically a series addition here. And therefore, the impedance levels will go high. This is a shunt or a parallel addition here and therefore, impedance is lower down. That takes care of approximately all the understanding here.

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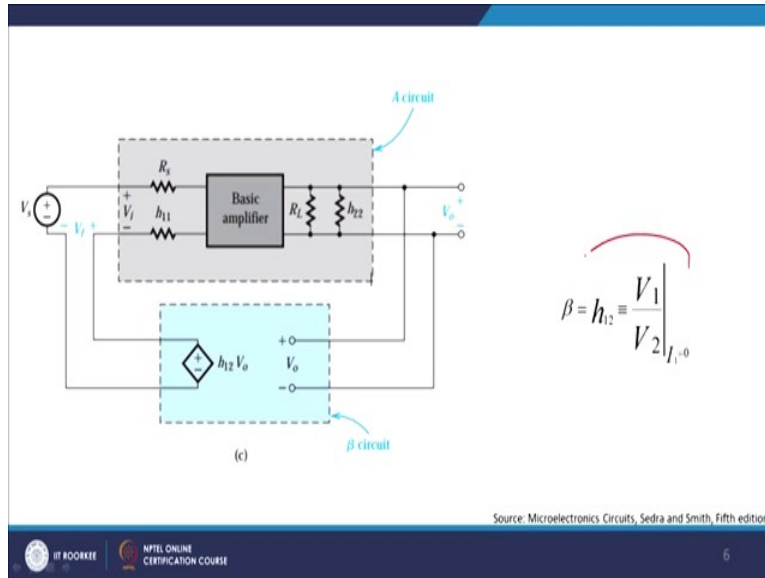


Now, we do the same thing for all the 4 networks and see how it works out. This is basically a series shunt the previous case but let us look at practical case in in reality which means that you do have a loading here. I do have a load here and I have  $R_{if}$  is input which you see,  $R_{in}$  is input resistance without any feedback and  $R_{if}$  is input resistance with feedback. Now,  $R_S$  is basically the voltage source here. What we try to do is that we try to we try to convert into a 2 port network, right?

Which is basically my h parameter h parameter analysis which we do h parameter analysis. h parameter is also referred to a hybrid parameters and it correlates voltages and currents together, right? So, so what we do is basically is that we design the feedback network properly and we say that there is a load resistance which affects your basic amplifier. I have a source resistance here. Out of the voltage available at this point which is  $V_0$  I say that I can model is  $h_{21}$ .  $h_{21}I_1$  and this will be basically  $h_{21}$  will be basically a current amplifier and into  $I_1$  if you do I will get the overall current flow.

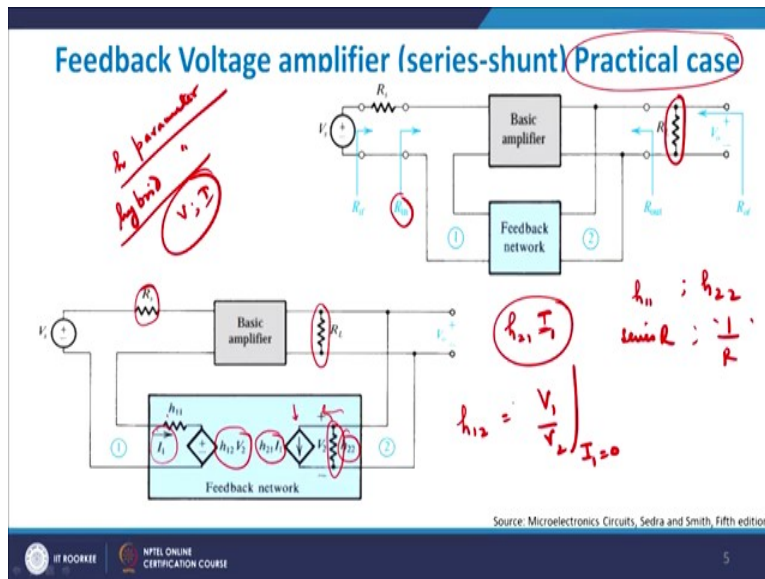
Therefore, this is represented by current source and similarly  $h_{12}V_2$ . So, there are 2 terms here  $h_{11}$  and  $h_{22}$ .  $h_{11}$  is nothing but basically a series resistance series resistance.  $h_{22}$  is basically 1 over resistance term. You see it is coming parallel to the current source, right? As you can appreciate as well because current source is ideal current source is we automatically have a large output impedance and that is taken care by  $h_{22}$  in reality.  $h_{12}V_2$  is nothing but the voltage source you see here. So, it is basically a voltage source here and current  $I_1$  is flowing through this R. And current  $I_2$  is flowing through this R and this is  $I_2$  in a 2 port network. This is  $h_{11}$  and  $h_{22}$  which you see.

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With this knowledge you can safely write down  $h_{21}$  is nothing but  $V_1 / V_2$  with  $I_1$  equals to 0.

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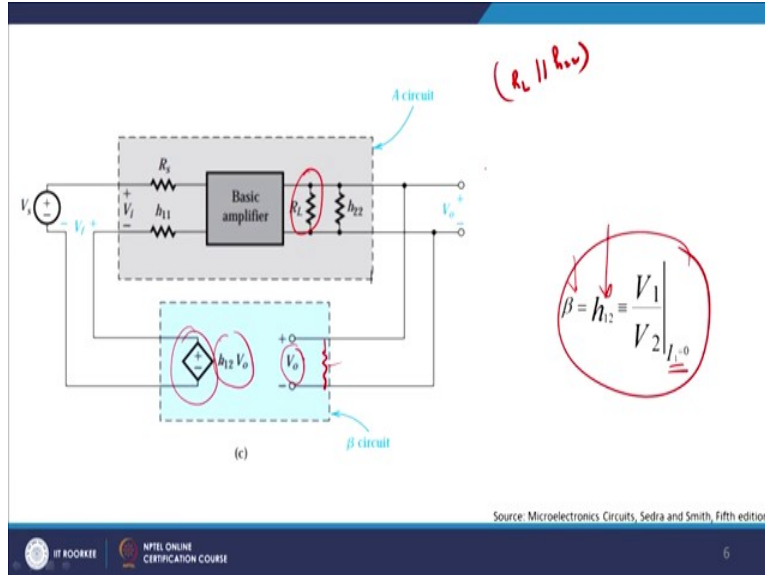


What is  $h_{12}$  therefore?  $h_{12}$  is nothing but if you look very carefully  $h_{12}$  I am referring to as  $V_1 / V_2$  with  $I_1$  equals to 0.  $I_1$  is open  $I_1$  is equal to 0.  $I_1 = 0$  primarily means that you are opening the input site and that is pretty important that you are opening the input site. So, the input site is open. In



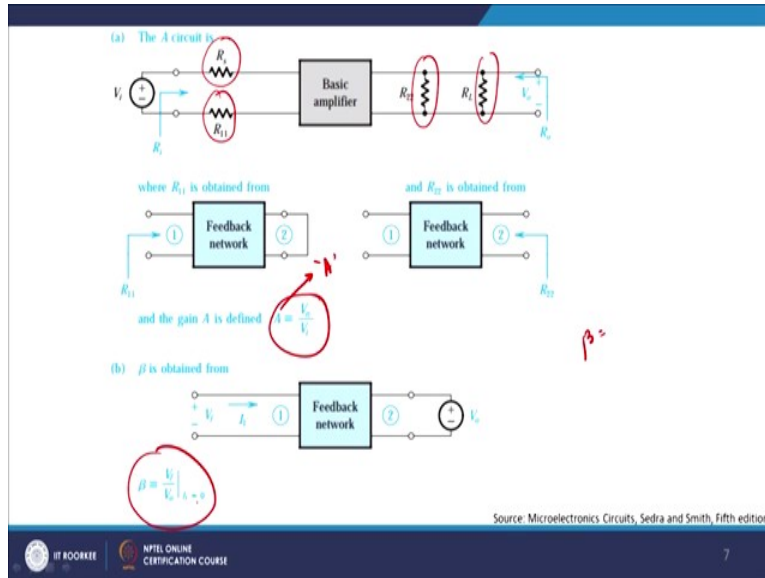
this case this is the input side and this is considered to be open. In that case I get  $h_{12}$  equals to ratio of the 2 voltages  $V_1 / V_2$ .

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And therefore you write here  $V_0$  which is the voltage source and then  $h_{12} V_0$  because this is the input voltage. This input voltage multiplied by  $h_{12}$  will give you the value of the output voltage and there is also referred to as  $\beta$  and also referred to as  $h_{12}$ , right? And I get therefore I get so what do I do is that I shift this  $h_{22}$  which was initially here back to this place. So, now you have got  $R_L$  parallel to  $h_{22}$  as overall loading on the output side, right? Similarly, the  $h_{11}$  which was initially here comes in series to  $R_s$  we place it in series to  $R_s$ . And then, that is what we are trying to do in this case.

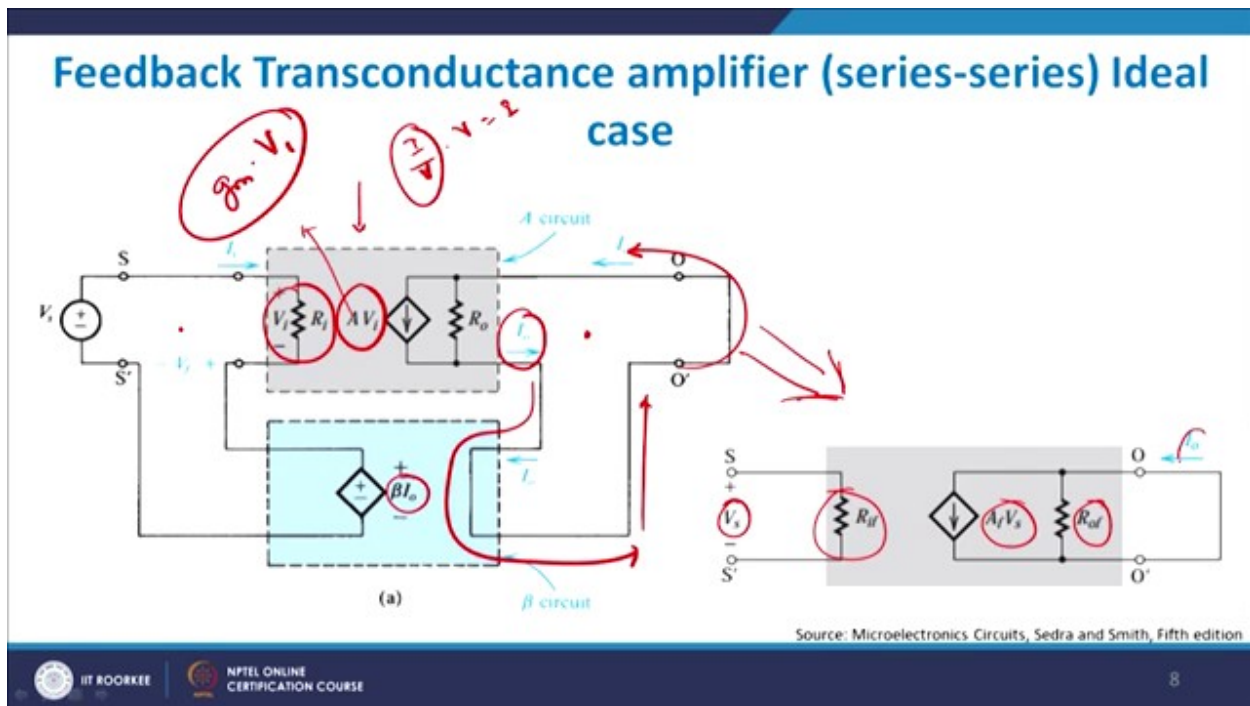
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So, if you therefore fall back and let us see what or how it works out we see that the amplifier circuit will be modelled as in  $R_{i1}$  in series to basic amplifier. And  $R_{o2}$  and  $R_L$  parallel to the basic amplifier in terms of loading, right? So, as I defined to you the gain  $a$  is  $V_o/V_i$  which is where  $V_o$  is the output voltage and  $v_i$  is the input voltage and  $V_o/V_i$  will give you the amplifier gain which is basically  $a$  here, right? How do you obtain the how do you obtain the value of  $\beta$  which is the feed? So,  $\beta$  is referred to as  $V_f/V_o$  when  $I_1$  equals to 0 and  $\beta$  is obtained from this network that what you try to do.

You try to open circuit the input side. When you open circuit the input side,  $I_1$  equals to 0. And then what you do? You do voltage  $V_o$  and then try to find voltage at these 2 points by  $V_o$  using the value of feedback factor  $\beta$ , right? And that is what an interesting part of this whole network part is there.

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We come to now the Feedback Transconductance Amplifier and this basically is a series series case. Series series as you can see that I am adding the voltage and current here in series and extracting current here in series as well, right? So, I have a current source here which is giving me  $I_o$  output volt current. This flows through this path, right? And you get this into consideration and this current flows back into the system and therefore I can replace it by giving  $R_i$  here and  $V_i$  here as in the previous case.

And then I say that  $A*V_i$  is the voltage which you see here and parallel to that. But this will be a basically current source here. So,  $A_i$  is basically  $I/V$  which you say, right  $I/V$  which you say. Multiplied by  $V$  gives you current and therefore, that is a current source here  $A*V_i$ . Here,  $A_i$  is basically my  $\partial I/\partial V_G$  which is basically transconductance. And that is the reason a will be referred as transconductance.

Many people refer to it as  $g_m * V_i$  here also. And they get a reason for that, right? And the current source  $I_o$  and then  $\beta * V_o$  is the voltage which you see here. And that gives me the value of output voltage which is the feedback voltage at this particular point. You also therefore, can

come back to this equation this diagram and show that therefore I have therefore my input resistance feedback resistance here. I have my output with feedback  $R_{of}$  here. And then  $A_f * V_s$  is nothing but a current source which appears to me by virtue of my feedback current or feedback values. So, this is my source voltage and this is my output voltage in practical sense.

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The diagram shows a feedback amplifier circuit with a source voltage  $V_s$  and source resistance  $R_s$  connected to the input. The input resistance is  $R_i$ . The feedback network is represented by a dependent current source  $\beta I_o$  in parallel with  $R_i$ . The output resistance is  $R_o$ . The output current is  $I_o$ . The input voltage is  $V_i$  and the output voltage is  $V_o$ . The feedback voltage is  $V_f$ . The feedback factor is  $\beta$ . The overall gain is  $A_f$ . The input resistance with feedback is  $R_{if}$  and the output resistance with feedback is  $R_{of}$ .

Handwritten notes and equations:

- $R_{if} \gg R_i$
- $R_{of} = R_o(1 + A\beta)$
- $R_{of} = \frac{V_x}{I_x}$
- $V_i = -V_f = -\beta I_o = -\beta I_x$
- $V_x = (I_x - \beta I_o)R_o = (I_x + A\beta I_x)R_o$
- $R_{of} = (1 + A\beta)R_o$
- $\beta = Z_{12} = \frac{V_1}{I_2}|_{I_1=0}$
- $A_f = \frac{I_o}{V_s} = \frac{A}{1 + A\beta}$

Source: Microelectronics Circuits, Sedra and Smith, Fifth edition

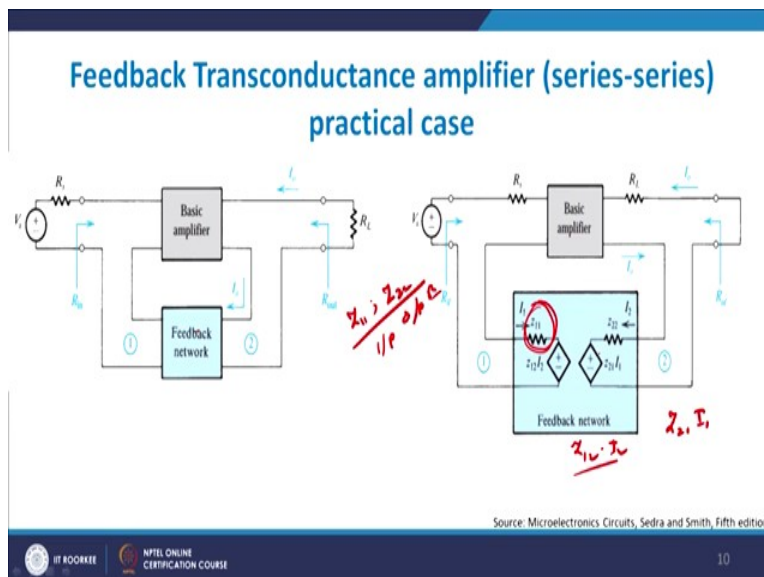
Now, the same thing we bring it back here. I will show to you what is what is the implication here. And in the both the cases you will see  $R_{if}$  I am not doing the whole derivations given in all the standard books. I get  $R_{if}$  basically equals to  $R_i(1+A\beta)$  which means that the input impedance of the transistor in this case an amplifier depends on the factor of  $R_i$  which is basically without feedback the resistance available to me on the side multiplied by  $(1+A\beta)$ . So, what happens is that  $R_{if}$  is obviously greater than  $R_i$  by a factor of  $(1+A\beta)$ . Since,  $A\beta$  is relatively larger as compared to 1 I can safely say that  $R_{if}$  is equal to  $R_i * A\beta$ .

Now,  $R_{of}$  if you want to find out which is basically the output impedance then I can say simply it is equal to  $V_x / I_x$ . Where is  $V_x$ ?  $V_x$  is this voltage which you see in front of you and this is the voltage which is appearing here upon  $I_x$  which is the total flowing through the device. And that is your  $R_{of}$ . So, if I get  $V_i$  equals to  $-V_f$  because of negative feedback  $V_i$  equals to  $-V_f$  and therefore I can replace  $V_f$  by  $\beta * I_o$  by my previous definition which can be also referred as  $-\beta * I_x$ .

So,  $I_0$  is the output resistance output current which you see here which is exactly the same as value of  $I_x$  here. So, now what I try to do is I get  $V_x$  equals to  $(I_x - AV_i) * R_0$  because  $AV_i$  will give you the current here multiplied by  $R_0$  and then if you solve it I get  $A$  times. So,  $V_i$  will be broken up into  $A * \beta * I_x$  into  $R_0$  and therefore,  $R_{of}$  is equal to  $(1+A\beta) * R_0$ . So you see now as I was predicting earlier also the input resistance with feedback and the output resistance with feedback both increases by a factor of  $(1+A\beta)$ , right?

Now, that is quite a heavy increase here where  $A$  is the feed forward open loop up to the amplifier and  $\beta$  is the feedback fraction.  $\beta$  in this case is again referred to as  $Z_{12}$  and is given by  $V_1/I_2$  and its dimensions in the order of ohm with  $I_1$  equals to 0 primarily means that your input is basically open. So, you see that the input has been kept open here, right? I am trying to find the current available at. So,  $A_f$  will be defined as  $A/(1+A\beta)$  as per my previous definition as we have already discussed this point in details.

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Now, let me come to a practical case of series series amplifier and you see here that I have broken down the feedback network into  $Z_{11}$ . So, it is basically a  $Z$  parameter which is available to me. So,  $Z_{11}$  and  $Z_{22}$  are basically the resistance input resistance and output resistance offered to the device and I get  $Z_{21} I_1$  and  $Z_{12} * I_2$ . So, you see your feedback network is changing.

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### Feedback Transconductance amplifier (series-series) Ideal case

(a)  $\beta$  circuit

Source: Microelectronics Circuits, Sedra and Smith, Fifth edition

(a) The A circuit is

where  $R_{i1}$  is obtained from

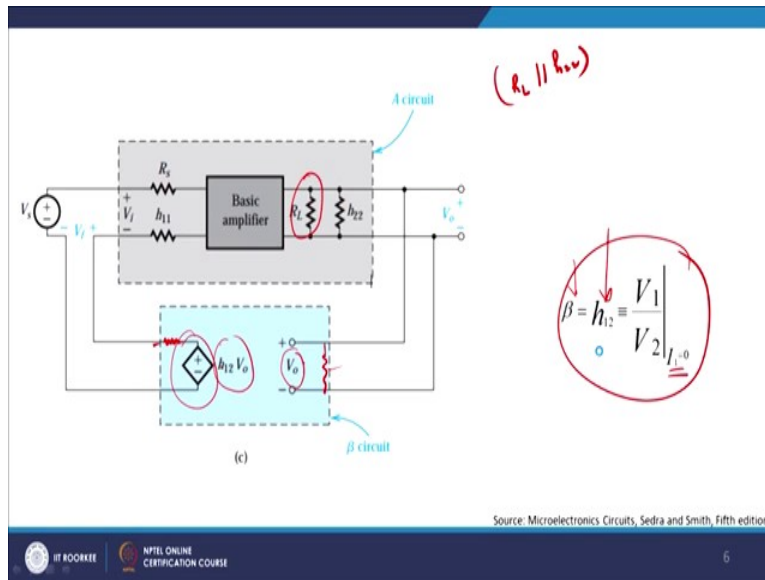
and the gain  $A$  is defined  $A = \frac{V_o}{V_i}$

and  $R_{o1}$  is obtained from

(b)  $\beta$  is obtained from

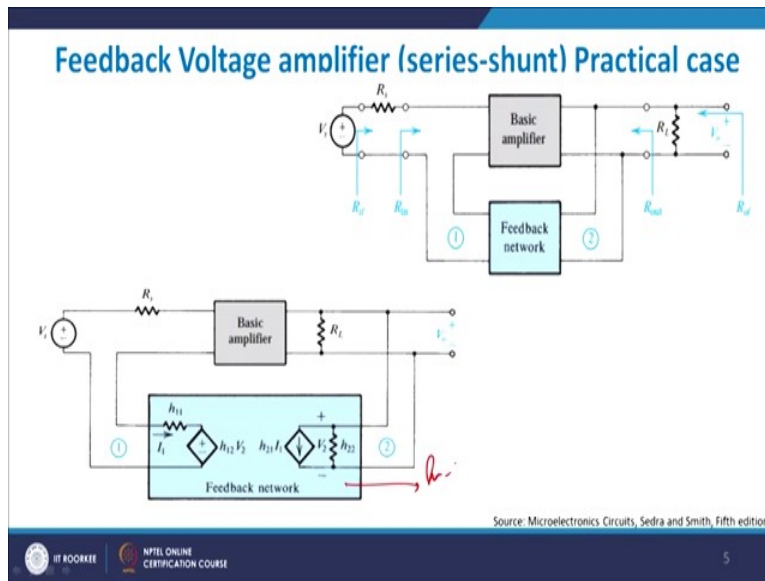
$\beta = \frac{V_i}{I_i} |_{V_o = 0}$

Source: Microelectronics Circuits, Sedra and Smith, Fifth edition



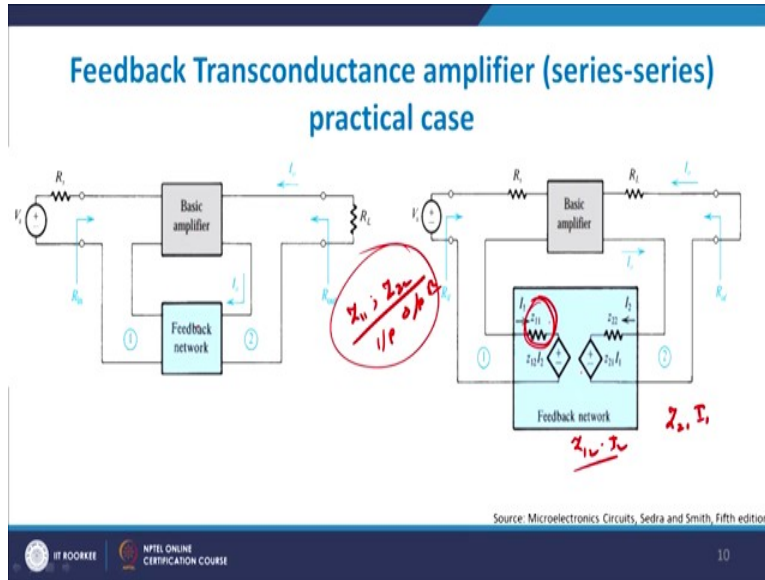
If you look back here previous discussion here, here or maybe this previous case that if you look here and you try to find out ... if in this case you see we were talking in terms of.

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If you look very carefully here what we were talking was that your this was your h parameter network, right? h parameter h parameter because you are dealing with both current and voltages here.

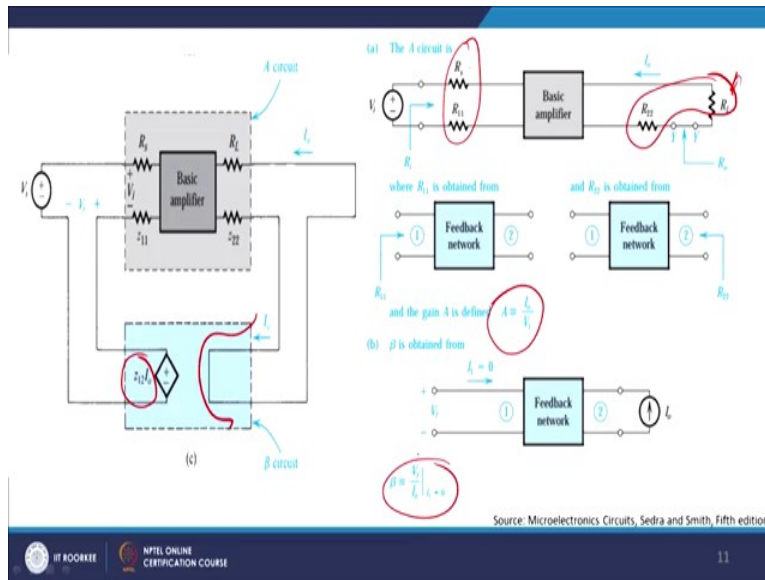
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Whereas now when you are dealing with both sides current or both side voltages or both side current maybe then you need to deal with the fact that you should have a current amplifier with you and that is what the reason is current amplifier is with us and therefore,  $Z_{11}$  and  $Z_{22}$  are nothing but voltage sources or the impedances seen to it.  $Z_{12} I_2$  is the current flowing through the device and  $Z_{21} I_1$  is the current input into the device in the feedback network, right, and I get  $I_0$  as the total current flow into the device.

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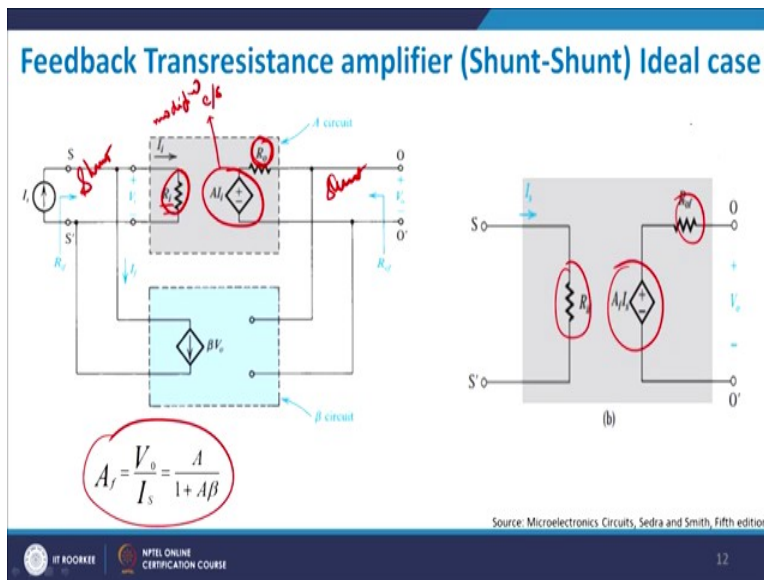




Now, we will look at the basic amplifier and then we will just take  $Z_{11}$  from its initial position and make it into the  $R_{SS}$  series value. And  $Z_{22}$  in parallel position to in parallel position to  $R_L$  and then I get  $Z_{12} I_o$  as the input current source here, right? So, I have a current source here which is shorted and I get  $Z_{12} I_o$  as the output current source which is fed back into the basic amplifier which converts the current into a voltage corresponding voltage and the output value is created. As I discussed with you in a typical example which we follow we see that these 2 are in input side and these 2 are in output side, right?

And we say that  $R_{22}$  and  $R_L$  which is the load external load are related to each other just like  $R_s$  and  $R_{11}$  is related to each other. We also define gain to be equals to  $I_o$  by  $V_i$  which is basically output current by input voltage. Now,  $\beta$  is obtained from the fact that if  $I_1$  equals to 0, I get  $\beta$  equals to  $V_f/I_o$  with  $I_1$  is equal to 0. This is how you calculate the value of  $\beta$ , right? So, its feedback voltage by input current that is how you define your  $\beta$  value in all respects as far as this feedback this feedback is concerned.

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Now, let me come to the shunt shunt ideal case. The shunt shunt if you remember will be both sides parallel and therefore, you see this is  $R_i$  which is the input resistance which you see and then you will have output resistance  $R_o$  and this  $A$  into  $A_i$  or  $A$  into  $I_i$  is nothing but a current source. What do you say? A current source which is basically your modified current source as compared to an ordinary one and this is  $R_i$  which you see and therefore, this  $R_o$  is the output impedance you see here.

They are parallel with respect to each other because both sides you have got shunt and shunt, right? And therefore, I can write down  $A_f$  equals to  $A/(1+A\beta)$ , right? And if you look if you go back to your ideal shunt cases I get  $R_{if}$  I get  $R_{of}$  and you have got  $A_f I_s$  which is basically a controlled current source which gives me a value of output current for various values of  $A_f$  chosen, right?

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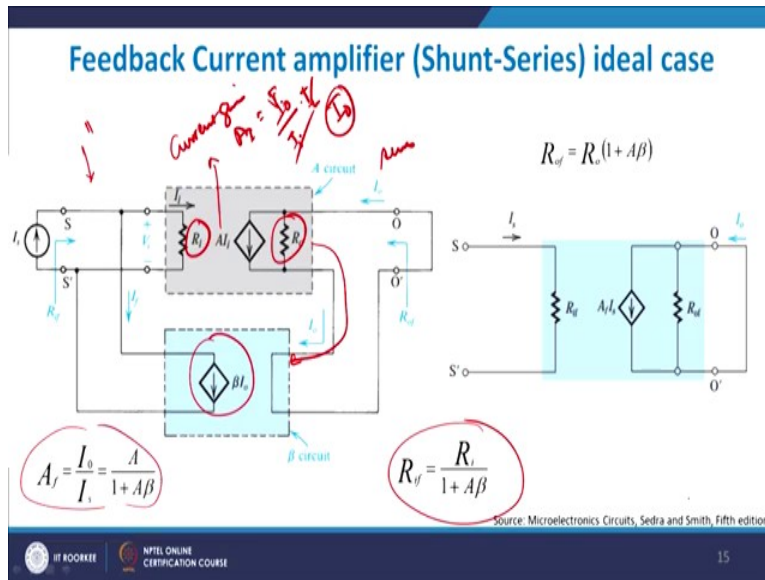
$$\begin{aligned}
 \underline{I_i = I_s - I_f} \quad \underline{I_f = \beta V_o = \beta A I_i} & \quad R_{if} = \frac{V_i}{I_i} = \frac{V_i}{(1+A\beta)I_i} \\
 I_i = \frac{I_s}{1+A\beta} \quad \downarrow \quad \underline{X_i = I_s} \quad \underline{X_i = I_i} & \\
 \underline{R_{if} = \frac{R_i}{(1+A\beta)}} \quad \underline{R_{of} = \frac{R_o}{(1+A\beta)}} &
 \end{aligned}$$

Source: Microelectronics Circuits, Sedra and Smith, Fifth edition

Now, therefore I get  $I_i$  the input current equals to  $I_s - I_f$  because of negative feedback. We already know  $I_f$  to be equal to  $\beta * V_o$  and this  $V_o$  is nothing but  $A * I_i$ . I can safely write down  $I_f$  to be equal to  $\beta * A * I_i$ , right? So, I get  $I_i$  equal to therefore equals to  $I_s / (1+A\beta)$  and therefore I can safely write down input impedance or input source is basically  $X_s$ .

Output input current source is  $X_i$  and therefore, I can safely write down  $R_{if}$  equal to  $V_i / [(1+A\beta) * I_i]$  and  $R_{if}$  equals to  $R_i / (1+A\beta)$  and  $R_{of}$  is equal to  $R_o / (1+A\beta)$ . Which primarily means that whenever I try to find out an impedance  $(1+A\beta)$  term will surely come in the denominator. And that will make my impedance level go down with feedback. We can change the value of  $A$  and  $\beta$  and get the new values of  $R_{if}$  and  $R_{of}$ , right? So, this is what we have learnt in this module. In general, we have learnt this basic concept here.

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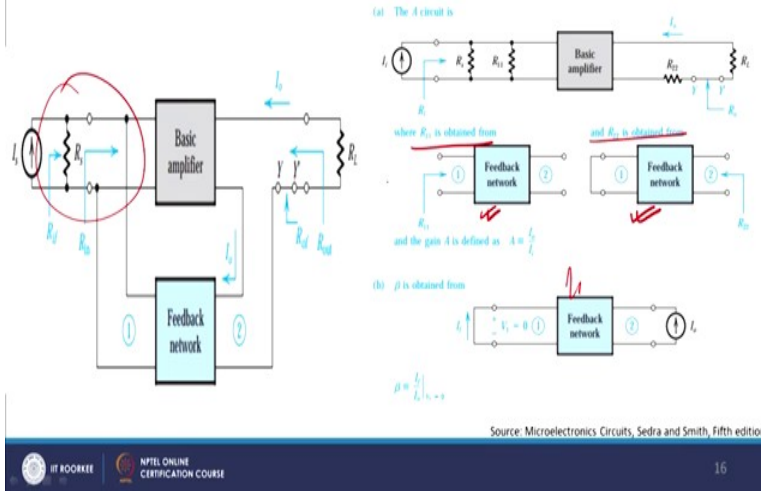
Now, let me come to the case of feedback sorry feedback resistances over here, feedback shunt resistance feedback shunt series resistance. So, I get a shunt series basically means that I will take a parallel output here. And I will do a series input at this particular point, right? And therefore, you see I have got  $R_i$  here and then  $A \cdot I_i$ .  $A$  is basically my current gain, right? And is given by  $A_i$  and this will be current gain which is which is visible to me.

So, the total current would be nothing but  $I_o / I_i$  multiplied by  $I_i$ .  $I_i$  gets cancelled and we get  $A_i$  is equals to  $I_o$ , right? So, when you short and the resistance is low your current becomes large. And as a result, we also get a large current on the output side which is beyond our control on an extent. All the current is now being routed from the upper arm.

So what we do is we put an extra resistance here which is basically in parallel and then try to route this current through this arm onto a onto a device which is basically takes care of the increased value of voltages and therefore, increases the current flow through it. So, as I discussed with you as this is a shunt series feedback I will get my input impedance lowered by  $R_i$  is equal to  $R_o / (1 + A\beta)$ . However, my output impedance will also get lowered by  $(1 + A\beta)$ . So both the input impedance and the output impedance falls by a factor of  $(1 + A\beta)$ .

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## Feedback Current amplifier (Shunt-Series) Practical case



Let us look at the feedback current amplifier. It is basically a shunt series application so I have got a shunt here, right? And I have got the series application here. So, I get  $R_s$  is parallel to  $R_{11}$  and I get  $R_{12}$  here in this place multiplied by  $R_L$ , right? And this is output impedance I have shorted it because any output impedance to confuse at this point of time.

Where  $R_{11}$  is defined from this network from this network and  $R_{12}$  is obtained from this feedback network, right? And from these two feedback networks they can actually find the value of the resistances or the impedances which is there in the system.  $\beta$  can be obtained from this feedback network in a general in a general manner. Okay!

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**Recapitulation**

Feedback Amplifier	Feedback Topology	$R_{in}$ ↑	$R_{out}$ ↓
Voltage	Series-shunt	$R_i(1 + A\beta)$	$\frac{R_o}{1 + A\beta}$
Current	Shunt-series	$\frac{R_i}{1 + A\beta}$	$R_o(1 + A\beta)$
Transconductance	Series-series	$R_i(1 + A\beta)$	$R_o(1 + A\beta)$
Transresistance	Shunt-shunt	$\frac{R_i}{1 + A\beta}$	$\frac{R_o}{1 + A\beta}$

$$Z_{of} = \frac{Z_o}{1 + A\beta}$$

$$Z_{of} = Z_o(1 + A\beta)$$

$$Z_{of}(s) = \frac{Z_o(s)}{1 + A(s)\beta(s)}$$

Source: Microelectronics Circuits, Sedra and Smith, Fifth edition

To recapitulate, therefore let me show to you few recapitulation points that when you have a series series topology or a series shunt topology your feedback amplifier is generally a voltage. Whenever you have shunt series it is basically your current, whenever you have series series trans conductors and whenever you have got a shunt shunt you do have a you do have a 1 of the scholars take care of your problem, right? That is basically the transresistance shunt shunt shunt shunt resis transresistance shunt shunt. So, in transresistance shunt shunt both the resistance fall down, right? In case of series both the resistance goes up input output.

In case of shunt series input falls down, output increases and in case of series series this rises and this falls off. So, depending upon whether you are having series or shunt the resistance offered will be always increasing or decreasing depending upon the virtual position of the human being, right? And that is what we learnt from this whole idea; that wherever you are placed in circuit tree depending upon whether it is series or shunt, you will be able to predict first principle from first principles whether you get a low resistance path there or high resistance path in that case.

Okay! So, I have got 4 types of network available with me series shunt, shunt series, series series and series shunt. Whenever you get series you get an increase in impedance, shunt you get a loss in the impedance. If you want to generalize the whole term I get  $Z_{of}$ .  $Z$  is the impedance which you see with feedback equals to  $Z$  just  $Z$  you can write down.  $Z_o$  which is basically your output

impedance into  $1 / (1+A\beta)$  when you want to show a decrease and this is how when you want to show an increase.

We have already discussed this point earlier. We also can show you that overall if you want to make it as a function of frequency, then  $Z_{of}(s)$  equals to  $Z_o(s)/[(1 + A(s)\beta(s)]$ , right? And that is quite critical if because we have till now believed that the amplifier is basically frequency independent and basically we are talking about the mid frequency gain which your as will be independent of the frequency, right? And that is the reason this is a safe way to play out values of  $Z_{of}$  and  $Z_{if}$ , right?

And you can actually get those values in a detailed manner here. And if you remember what we did therefore, was applying Kirchhoff's law first order Kirchhoff's law to get the values of the impedances here, right? With these words, let me thank you for your patient hearing and we will take up the next module of stability and poles and zeroes applied to amplifier in our next module. Thank you very much!