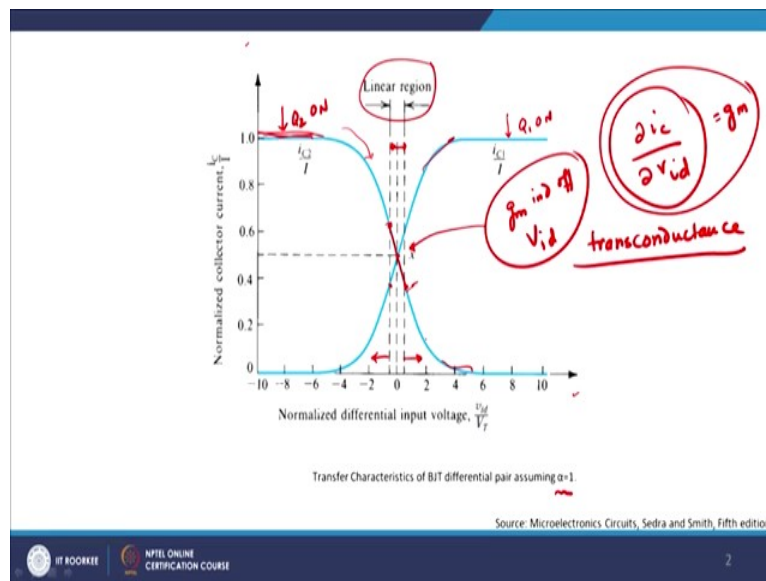


**Microelectronics: Devices to Circuits**  
**Professor Sudeb Dasgupta**  
**Department of Electronics and Communication Engineering**  
**Indian Institute of Technology Roorkee**  
**Lecture 34**  
**Multistage and Differential Amplifiers-II**

Hello everybody and welcome to the NPTEL online certification course on Microelectronics: Devices to Circuits. In our previous model we had looked into differential amplifiers and we will start of from where we left and let us look at the therefore the transfer characteristics.

(Refer Slide Time: 00:45)



As we discussed in the previous term that, if you go to extreme this is basically the plot between collector current, normalize collector current with respect to difference voltage, normalize with respect to the thermal equivalent voltage which is  $V_T$ , 25 millivolts. If you go to extreme right as you can see, you will see that the Q 2 will be basically off and therefore the current will be 0 whereas Q 1 will be on and therefore you will get a large current, so this is Q 1 is on, right.

On the extreme left, Q 2 will be on and therefore you will get Q 2 a high current whereas Q 1 will be off and you will get a Q 1 current. Somewhere in the middle where linear region has been maintained, is the region where the differential of current with respect to input differential voltage, so this is basically if you want to find out the slope of this curve from this point to this point, this point to this point it is basically  $\partial (i_c) / \partial (V_{id})$ , right.

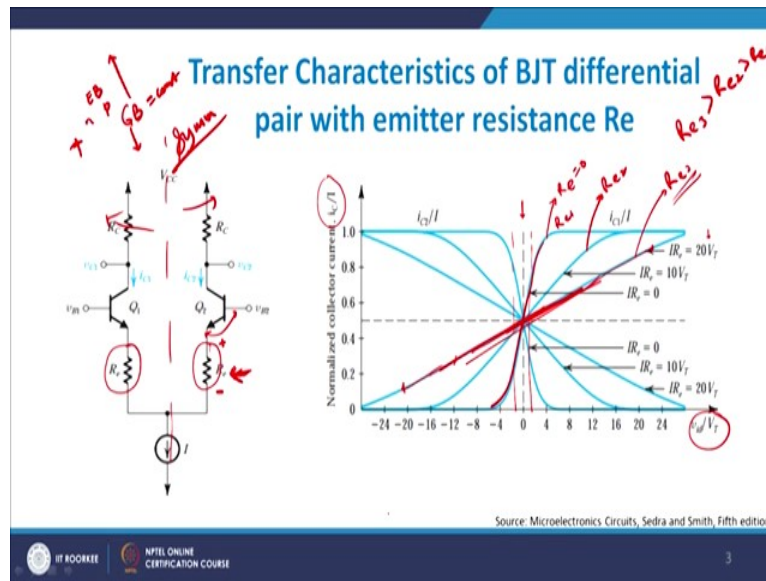
So, if that is the slope you are referring to  $\partial (i_c) / \partial (V_{id})$  is maximum somewhere in the middle of this region, right somewhere in the middle of this linear region and if you look very carefully this is nothing but the transconductance of the transistor, so this is transconductance, why it is a transconductance? Because you are giving on to the base the voltage, the difference of the base and  $i_c$  is the difference of the collector current.

So, it is basically  $g_m$  for the whole differential pair, for the whole differential pair this is  $g_m$  which you see transconductance. And as you can see, this is the region where  $g_m$  is almost linear and therefore  $g_m$  is almost independent of  $V_{id}$ , right  $g_m$  is almost independent of  $V_{id}$  at this particular point. Which means that, take any value of  $g_m$  any point, at any point you bias your device and give you peak to peak swing between this point and this point and you would expect to see your  $g_m$  to be almost constant and therefore gain to be almost constant and the highest gain also you will get here.

As you move towards this region, this effect sample if you look at this point, the gain will be almost equals to 0, right because the current is not changing with respect to variation in the differential voltage. Similarly, the here the gain will be slightly less but as you shift towards the middle where you have a linear region of operation you get the highest gain, right and therefore, I am also assuming that approximately  $\alpha$  is approximately equals to 1 which I am which basic assumption I am taking here.

To improve these linear regions the problem is, if you look very carefully the problem is at linear region is only restricted by this much amount of  $V_{id}$ , hardly of the other of few millivolts, right few millivolts. So, typically if you want to make it more realistic differential amplifiers you have to increase the linear region of operation which means that you want to increase this 1 unit to increase it, right and make it shift go to both right hand side.

(Refer Slide Time: 03:41)



How do you do it? Well the methodology which people adopted was that they inserted a resistance  $R_e$  in series to the (emitted region) emitter region and if you plot there for the graph between  $i_c$  by  $I$  which is basically collector current normalize with respect to total current versus  $V_{id}$  by  $V_T$ , the same graph as the above, you see as the  $R_i$  value becomes larger, right.

So, this is for various values of  $R_i$ , this is the value with  $R_i$  is equals to  $R_e$  equals to 0, right this is with certain value of  $R_e$  such that  $I_e$  into  $R_e$  10 times  $V_T$  and this is with the value  $i$  into  $R_e$  equals to 20 times  $V_T$ . So, obviously this is suppose  $R_{e1}$ ,  $R_{e2}$  and  $R_{e3}$  then  $R_{e3}$  is greater than  $R_{e2}$  is greater than  $R_{e1}$ , in fact,  $R_{e1}$  is approximately equals to 0 we have sorted it, the previous one which means that, if you look very carefully you are actually increase the linearity, look at the point that when you increase, when your  $R_{e3}$  is largest, your linear region is extending from maybe from this point to this point to larger extend, right.

So, your linear region is extending, so you can play with this for a large linear region whereas when you make a  $R_e$  equals to 0 your linear region is very, very small maybe this just small around as I discussed with previous slide. And therefore putting  $R_e$  we will discuss why is it like that but increasing  $R_e$  mixed the it is more linear but cost to pay for it is that the transconductance in the gain therefore reduces when your  $R_e$  is large, we will also explain this point one by one.

But as you can see the slope here around this particular point around mid when  $V_{id}$  equals to 0 is small slope as compare to a slope of this line. So, you see that it putting  $R_e$  makes my linear region of operation broaden but the cost I pay for it is that I reduce my overall gain, so  $g_m$

reduces transconductance reduces, why does it happen? We will just discuss that point. Say, you have inserted  $R_e$  here, right you have inserted  $R_e$ , first let us see why transconductance and therefore your  $g_m$  or  $g_m$  reduces in this case.

See, once you reduce when as you put  $R_e$ , your  $R_e$  actually has a bias which is something like this, right and therefore in a sense it is reverse biasing your npn (transfer) emitter base junction. So, I have an emitted base junction, if you given it is npn, so if you give a positive potential on the n side your reverse biasing emitter base junction and it is reverse biasing it, what is happen? The gains fall down because you are not letting down large amount of emitted current to come across and therefore your collector current will be also small.

That is the reason your gain starts to fall down when you insert  $R_e$ , right and that is the reason your gain and therefore you see  $g_m$  values are reducing, gain starts to fall down, why does it increase the linear region? Because if you remember gain bandwidth product is always constant, so therefore when the gains fall down you can work with the larger bandwidth, your bandwidth increase and therefore your linear region of operation becomes larger and larger in this case, right.

So, that is the reason why we use, so we can use these two generally make it this thing. Please understand all these discussions are with the classist assumption that my both the arms here, left arm and right arm are exactly symmetrical in nature. If they are not, then this is not a whole good, there will be some changes which you need to do.

(Refer Slide Time: 07:14)

The slide shows a differential amplifier circuit with two transistors,  $Q_1$  and  $Q_2$ , connected to a common emitter. The collector nodes are connected to a load resistor  $R_C$  and a supply voltage  $V_{CC}$ . The differential input voltage is  $V_{id}$ . Handwritten notes include  $\Delta V_{base} = g_m R_C \cdot V_{id}$  and  $g_m V_{id} = \Delta V$ . The collector current when  $V_{id}$  is applied is given by  $I_{C1} = \frac{\alpha I}{1 + e^{-\frac{V_{id}}{V_T}}}$  and  $I_{C2} = \frac{\alpha I}{1 + e^{\frac{V_{id}}{V_T}}}$ . A note says 'Multiplying numerator and denominator of the right hand side by  $e^{\frac{V_{id}}{2V_T}}$ '. The resulting equation is  $I_{C1} = \frac{\alpha I e^{\frac{V_{id}}{2V_T}}}{e^{\frac{V_{id}}{2V_T}} + e^{-\frac{V_{id}}{2V_T}}}$ . A note at the bottom says 'Assume  $V_{id} \ll 2V_T$ , we may expand exponential in a series and take only first two terms.' The source is cited as 'Microelectronics Circuits, Sedra and Smith, Fifth edition'.

Ok, let me come to the small signal characteristics of the of a BJT bipolar transistor as differential amplifier. So, I have  $Q_1$ ,  $Q_2$  here, I also have  $V_{id}$ ,  $V_{id}$  is basically the difference in the potential of base to emitter of  $Q_1$  and  $Q_2$ , so if see  $V_{B1}$  is nothing but  $V_B$ ,  $V_B$  is the basically the DC bias which we applying  $+ V_{id} / 2$ , so the difference is  $V_{id}$  then if I write this to be as plus  $V_{id} / 2$  then they should be  $- V_{id} / 2$  why? Because  $V_{id} / 2$  minus of minus  $V_{id} / 2$  will give you plus  $V_{id}$ , right and that is a difference which you see here, that is the reason we write plus  $V_{id} / 2$  or  $- V_{id} / 2$ .

Similarly, we can write  $I_{C1}$  to be equals to  $\alpha$  times  $I_{e1}$ , now  $I_{e1}$  is nothing but  $I$  upon  $1 + e^{-V_{id} / V_T}$  and  $I_{C2}$  will similarly will be  $\alpha I$  upon  $1 + e^{(V_{id} / V_T)}$ , right. Now, if you multiply the numerator and denominator for this transistor and this one by  $e$  to the power  $V_{id} / 2$  by  $e^{2V_T}$ , we get  $I_{c1}$  to be equals to this much, right and  $I_{c1}$  we get is and therefore I mean if assume that  $V_{id}$ , right is much smaller as compare to  $2V_T$  which is typically is.

Let us assume, we may expand the series in exponential this one, this one is in the numerator and in the series and take only two first two terms. So, what the first two terms will be? I will just discuss that in the next slide but assume this to be as the  $I_c$  which is available to us again  $\alpha I_e$  to the power so multiply  $V_{id}$  by 2 times  $V_T$  and then I multiply this to the power  $e^{(V_{id} / 2V_T)}$  plus if I by  $2V_T$ , I will get minus  $V_d / 2V_T$ , right and that will therefore that is what I am doing here.

If you look, therefore on this side from the on the base side, I get  $V_{cc} - \alpha I / 2 * j_{ab} R_C$ , remember why? Why is it minus  $\alpha I_c / 2$ ? The reason been the total current flowing through

$R_c$  on the left hand side will be nothing but  $\alpha I / 2$  which is the dc bias which you see, we have already discussed this point earlier plus  $g_m$  multiplied by  $V_{id} / 2$  because  $V_{id}/2$  is the approximate voltage which is visible between base emitter that you multiply with  $g_m$  you get the currents, so this is what you get  $I_c$ .

But on the right hand side, you will get a minus  $V_{id}$  because you see this is minus  $V_{id} / 2$ , so I get minus  $g_m * V_{id} / 2$ , right we get minus  $g_m * V_{id} / 2$ . Now, quite interestingly if you simply add subtract these two  $\alpha I$  by 2 at  $\alpha$  a by 2 cancels off and you what you get is? Basically  $g_m$  times  $V_{id}$ . So, even without knowing anything if you just simply find the difference between this and this, the current difference this is  $\partial$  voltage difference, sorry  $\partial$  voltage difference which you see, right and you get  $\partial V * I_c$  which you see.

Now, you see, so what I get if we closely therefore come into the point then I can simply this, so if you look from the right hand side I can simply multiplied  $V_{cc}$ , right minus ( $\alpha I$ ) so if the potential drop across  $R_c$  I need to find out will be nothing but  $V_{cc}$  minus  $\alpha I$  by 2 into  $R_c$ , right that is the potential which is appearing across  $R_c - g_m * R_c$  into  $V_{id}$  by 2, right because you have to subtract these voltage to achieve the voltage at this particular point.

Similarly, if get this I have to multiply this with  $R_c$  and therefore I get  $V_{cc} - \alpha I$  by 2 into  $R_c \alpha I / 2 * R_c$  plus, why plus? Because there will be a negative sign here, so minus into minus is plus  $g_m * R_c / V_{id} / 2$ . But if you subtract this from this, this whole thing get cancelled with this whole thing, this remains so this minus of minus this will give me  $g_m * R_c * V_{id}$ , fine.

So, the output voltage difference between the two is nothing but  $g_m R_c * V_{id}$ . So, this is  $\partial V_{out}$  is equals to  $g_m R_c * V_{id}$ . So, if your  $V_{id}$  is large you get a very large value of  $\partial V_{out}$ , if your  $g_m$  is large you also get a very large value of  $V_{out}$  and this is true also, we have understood from our basic understanding previously.

(Refer Slide Time: 11:42)

A simple technique for determining the signal currents in a differential amplifier excited by a differential voltage signal  $V_{id}$ .

$$I_{C1} = \frac{\alpha I (1 + \frac{V_{id}}{2V_T})}{1 + \frac{V_{id}}{V_T} + 1 - \frac{V_{id}}{V_T}}$$

$$I_{C1} = \frac{\alpha I}{2} + \frac{\alpha I}{2} \frac{V_{id}}{2V_T}$$

$$I_{C2} = \frac{\alpha I}{2} - \frac{\alpha I}{2} \frac{V_{id}}{2V_T}$$

$$g_m = \frac{I_c}{V_T} \quad r_e = \frac{V_T}{I_c}$$

Source: Microelectronics Circuits, Sedra and Smith, Fifth edition

Now, let me find out the, this what I was discussing with you an earlier sense, that  $I_{C1}$  therefore can be written as this by expanding it by expanding the previous discussion and similarly  $I_{C2}$  and therefore if I break it down I get  $\alpha I$  by 2 plus  $\alpha I V_{id}$  is by 2 times  $2V_T$  and  $I_{C2}$  is equals to  $\alpha I$  by 2 minus  $\alpha I 2V_T / V_{id} / 2$ . So, if you add these two, so if get the  $I_{C1} - I_{C2}$  as I discussed with you, you will get the this will gets cancelled out and there will get you, this will get added up and you get  $\alpha I$  by  $2V_T$  into  $V_{id}$ , we will get, fine.

That is basically difference in current, this multiplied by  $R_c$  will give you with the difference in voltage. Now, you see very well that this is nothing but the Charles conductors of the device  $g_m$  and therefore we can safely, so that is what I am saying  $I_c / V_T$  is transconductance of the device and therefore I can safely write down this to be as  $g_m * V_{id} * R_c$  which we have already derived in a our previous our case, right, ok.

So, this gives me an idea about the basic understanding and therefore as we have already discussed the transconductance of a device higher the transconductance of the device more will be the output voltage, higher the value of  $R_c$  more will be the value of it. So, this is basically your  $\partial (V_{out})$  which you see, right, If you look at this graph here and what I am trying to tell you here is, if you look at the figure here, you see the  $Q_1$  and  $Q_2$  are both in active region of operation.

(Refer Slide Time: 13:12)

$$I_{C1} = \frac{\alpha I (1 + \frac{V_{id}}{2V_T})}{1 + \frac{V_{id}}{V_T} + 1 - \frac{V_{id}}{V_T}}$$

$$I_{C1} = \frac{\alpha I}{2} + \frac{\alpha I}{2} \frac{V_{id}}{2V_T}$$

$$I_{C2} = \frac{\alpha I}{2} - \frac{\alpha I}{2} \frac{V_{id}}{2V_T}$$

$$g_m = \frac{I_c}{V_T} \quad r_e = \frac{V_T}{I_E}$$

A simple technique for determining the signal currents in a differential amplifier excited by a differential voltage signal  $V_{id}$ .

Source: Microelectronics Circuits, Sedra and Smith, Fifth edition

And if we now try to find out a how much amount of input resistance is there? See, when you are looking at MOS as devices, MOS based devices, right in MOS base devices you were actually looking into the gate side, with then signal was inserted to the gate side of a MOS device which is obviously giving you infinitely large input impedance because gate was having a dielectric constant of oxide and therefore this was problem whereas in this case which is in this case you are actually looking into the base side.

So, base side will have a finite resistance and that is what you are trying to find out, how do you find out? You find out the base current, right. So, base current if you want to find out if it was basically a basic idea that if the resistance looking from the source side, is let a suppose twice  $R_e$ , right then on the base side it will be  $\beta + 1$  times  $R_e$ , so that is what I am trying to, so we it will you have to multiply by  $\beta + 1$  when you looking from the base side.

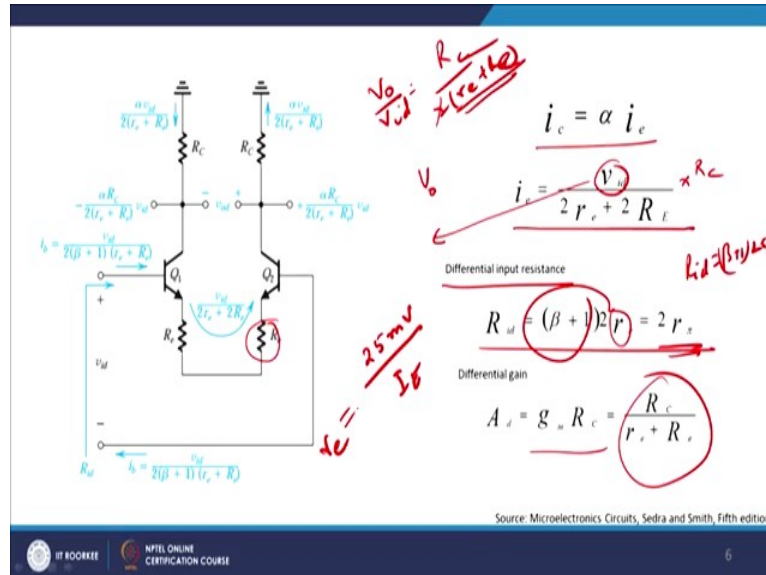
So, the base current will be  $V_{id}$  by  $2R_e * \beta + 1$ . Similarly, on this side, so where  $V_{id}$  by  $2R_e$  is the difference voltage which you see in front of you therefore if the same current flows through, so  $\alpha$  times  $V_{id}$ , so current is basically  $V_{id} / 2 R_e$  that is emitter current if you multiply by  $\alpha$  that is a collector current, so this is the collector current here and this the collector current here.

If you multiply this with  $R_c$  I get the voltage at this particular point with a negative sign and since there 180 degree phase shifted I will get a positive voltage here which is a  $\alpha V_{id}$  by  $2 R_e * R_c$ , right and the base current will be  $V_{id} / 2 R_e$ ;  $V_{id} / 2 R_e$  is nothing but emitter current



divided by  $\beta$  plus 1. So,  $i_b$  equals to emitter  $i_e$  upon  $\beta + 1$ , remember and from there I get this as the emitter current which you see, right.

(Refer Slide Time: 15:05)

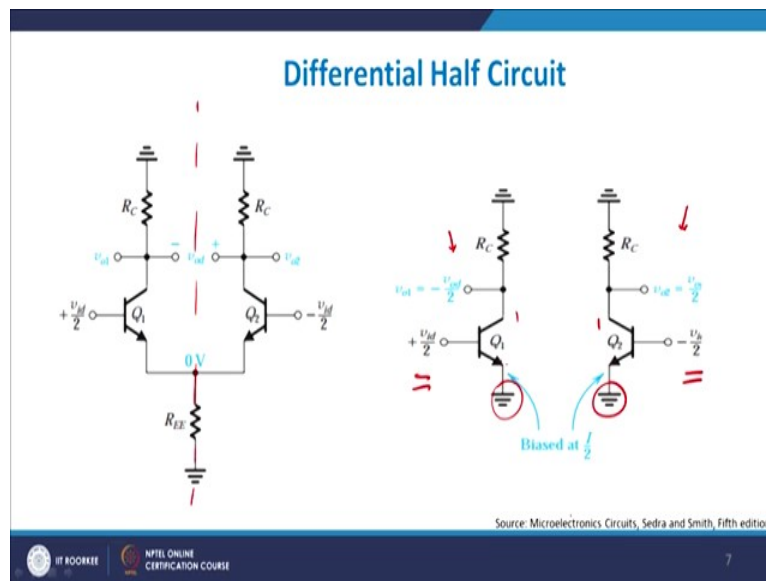


Now, with this region I said  $i_c$  equals to  $\alpha i_e$  and  $i_e$  therefore is equals to  $V_{id} / 2 r_e + 2 r_e$  we get. So, the input differential resistance  $R_{id}$  is equals to  $\beta$  plus 1 \*  $2 r_e$ , right and this  $\beta$  plus 1 into  $2 r_e$  is also referred this is  $r_{pi}$  and therefore we referred to this as  $R_{id}$  is equals to  $\beta + 1 * 2 r_e$ ,  $r_e$  is the resistance looking from the emitter side, right.

And the differential gain is  $g_m$  times  $R_c$ ,  $g_m$  we have already find out to be some value which is  $R_c$  by  $r_e + R_c$ , right  $R_c$ , how did you find out differential gain if you want to this will be this you need to multiply with  $R_c$ , right you multiply with  $R_c$  you get the  $V_{out}$ . Now, this  $V_{id}$  if it goes down I get  $V_o / V_{id}$ , right I will get  $R_c / 2 r_e + R_c$ , so this 2 will be very small as compare to the anything else I get  $R_c / r_e + R_c$ , sorry  $r_e$ , right  $R_c$  is the resistance offered from the emitter side and  $r_e$  is the dc resistance which you have actual resistance which you have put.

So, if you see a differential gain depends upon the ration of your collector resistance to that of the emitter resistance plus the  $r_e$  value,  $r_e$  value is the small signal  $r_e$  which you see to it is basically 25 mv millivolt by  $I_E$ , this is equals to  $r_e$ , right and this is what we get as a differential gain.

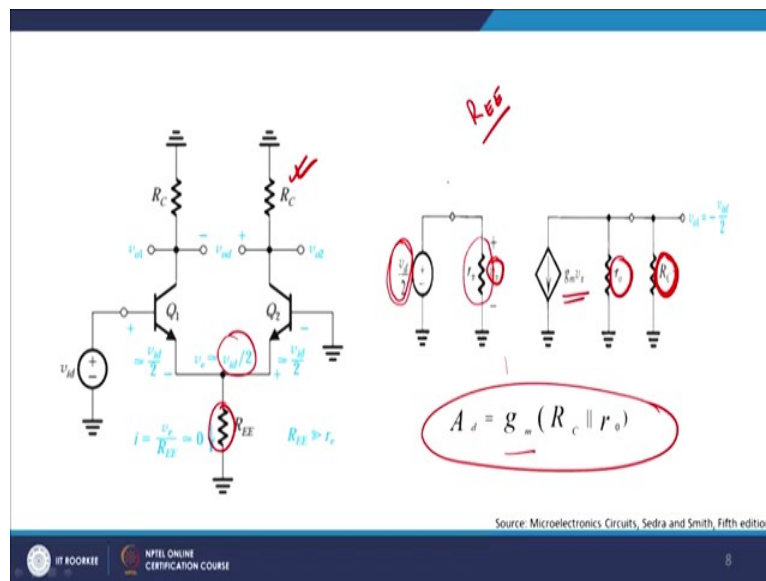
(Refer Slide Time: 16:36)



Now, the concept here is that if everything is symmetrical both the left arm and right arm are symmetrical, we can divide the whole differential circuit in a two half circuits. So, what we do typically is that we break it down this middle and then we say that on the left hand side  $V_{id} / 2$  is the input voltage, on the right hand side  $- V_{id} / 2$  voltage and they are biased such that  $I / 2$  current flows through this arm and this arm and therefore  $V_{od} / 2$  at this point and  $V_{od} / 2$  at, so minus plus is there, right and therefore the output difference, did you find the difference between the two? It will be still  $V$  equals to  $V_{od}$ .

So, this is the concept of differential half circuits that overall transconductance will be divided by 2, you will also have the bias current divided by 2 and you what you do? Is that you emitted part of the BJT is actually grounded here, right they grounded here and once they grounded they act as a differential half circuit, right.

(Refer Slide Time: 17:34)



The advantages it is much easier to calculate various formulas from differential half circuits. With this knowledge, let me therefore come to a small signal characteristic of the differential amplifiers. As you can see my input voltage, I have already told you is differential  $V_d / 2$ , right so I have giving  $V_d / 2$ , this  $r_{\pi}$  is nothing but the input side resistance offered by the differential pair. So, it is basically the pairs  $r_{\pi}$ , right.

If you look at the right hand side since it is  $V_{cc}$  voltage control current source, any  $V_{\pi}$  which you give in the input side you will have  $g_m * V_{\pi}$  as the current flowing in the output side, right. So, this is your this, this is your collector resistance which you have already found out and  $R_o$  is the resistance offered by the device itself, right, so, these two are in parallel. So, if you even close your eyes do any problem, I simply can get the differential gain to be equals to  $g_m * R_C \parallel R_o$ , right.

So, transconductance multiplied by output impedance will be actually equals to the voltage gain and that is what we have shown here, right. This is with the assumption that my  $R_{EE}$  which is the, so what I have done here? Is that I replace the current source by your resistance and this resistance value is very, very large, it is typically very large, right and it does not let any current to flow through a typically and therefore I can safely write down  $V$  to be equals to  $V_{id} / 2$  which you see here,  $V_{id} / 2$ . So, the emitter resistance, so emitter voltage is exactly equals to  $V_{id}$  been  $V_{id} / 2$  in both the cases.

(Refer Slide Time: 19:04)

### Common mode gain and CMRR

$$v_{o1} = -\frac{\alpha R_c}{r_e + 2 R_{EE}} V_{icm}$$

$$v_{o2} = -\frac{\alpha R_c}{r_e + 2 R_{EE}} V_{icm}$$

$$v_{out} = v_{o2} - v_{o1} = 0$$

$$v_{o2} = -\frac{\alpha (R_c + \Delta R_c)}{2 R_{EE} + r_e} V_{icm}$$

Q2 has a collector resistance  $(R_c + \Delta R_c)$

Source: Microelectronics Circuits, Sedra and Smith, Fifth edition

Let us look at the common mode gain and CMRR. To what we will be doing and what we will be understanding is basically that, let us suppose that in reality, of course, your left hand, right hand side will never be symmetrical with respect to each other, that we already know because there will be some mismatch in the resistances, some mismatch in the emitter resistances, some mismatch in the character resistances, the transistor itself will be mismatch in terms of thermal equivalent voltage is through and so on and so forth.

Now, under a criteria that you do have a change, let us suppose that my one of the arms  $R_c$  changes by  $\partial R_c$  then I can safely write down  $V_{o2}$ , you can do it yourself is given by minus  $\alpha$  times  $R_c$  plus  $\partial R_c / 2 R_{EE} + r_e * V_{icm}$ ,  $V_{icm}$  is nothing but the input common mode voltage, right, I am not giving any differential voltage now. So, under the presence of a input common mode voltage my output voltage  $V_{oc}$  comes out to be this.

So let us suppose there would not have been any  $\partial R$ , so this would have been 0, this would have been 0, right this would have been 0, and I would have got a  $\alpha R_c / 2 R_{EE} + r_e$ . Now, because of this  $\partial R_c$  I have an extra voltage term which comes into picture.

(Refer Slide Time: 20:12)

$$V_{od} = V_{o2} - V_{o1}$$

$$V_{od} = -\frac{\alpha \Delta R_c}{2 R_{EE} + r_e} V_{icm}$$

$$A_{cm} = \frac{V_{od}}{V_{icm}} = -\frac{\alpha \Delta R_c}{2 R_{EE} + r_e}$$

$$CMRR = \frac{|A_d|}{|A_{cm}|} = 2 g_m R_{EE}$$

$$A_{cm} \cong -\left(\frac{R_c}{2 R_{EE}}\right) \left(\frac{\Delta R_c}{R_c}\right)$$

*Handwritten notes:*  
 -  $V_{od} = \text{few mV}$   
 -  $V_{icm} = 1 \text{V}$   
 -  $10^{-5} - 10^{-6}$   
 -  $\alpha \approx 1$   
 -  $r_e \ll 2 R_{EE}$   
 -  $CMRR = \frac{|A_d|}{|A_{cm}|} \approx 10^5$   
 -  $CMRR = 2 g_m R_{EE}$   
 -  $CMRR = \frac{R_c}{\Delta R_c}$

Source: Microelectronics Circuits, Sedra and Smith, Fifth edition  
10

Now, therefore  $V_{od}$ , which is a output difference voltage is  $V_{o2} - V_{o1}$  will be given by this quantity. So, which means that even in presence of a equal voltage at the base of the two transistors because of a  $\partial R$  change in one of the resistances I always will get a  $V_{od}$  equals to this value which is given by this value. So,  $\partial R_c$  say 1 ohm then I will always get off, so  $V$  in equals to 1 ohm, this is 1 volt and this is also equals to 1 ohm, then there will be an  $\alpha$  upon  $2 R_{EE} + r_e$ , right  $\alpha$  is very close to 1, so I will get almost equals to 1 upon this whole quantity,  $R_{EE}$  is very large quantity.

So, typically what I will get is,  $V_{od}$  few millivolt there will be an always offset available to me, the order of few millivolts. We define therefore  $A_{cm}$  which is basically my common mode we defined this to be as common mode gain, common mode gain is basically my output voltage under the condition that I am given a common mode voltage in the input side, I get this to be true, you see this  $V_{od}$ .

So, if you divide by  $V_{icm}$ , this  $V_{icm}$  cancels with this  $V_{icm}$  and you are left with  $A_{cm}$  to be equals to this much. Now, you can write down  $A_{cm}$  to be also breaking up into this value, you just simply can do a small manipulation and CMRR which is basically known as common mode rejection ratio is defined as the difference of the or ratio of the differential gain to common mode gain. Which means that, if I give a common mode signal to both the arms of my bipolar differential amplifier I record a gain, right and that gain will be by virtue of  $\partial R$  whatever change is there and I also record the gain by giving a differential signal to both the arms, I divide 1 upon another and should get the CMRR. Ideally CMRR should be infinitely high,

the reason you can understand, why? Because your  $A_{cm}$  should be (approx) will should be ideally equals to 0, ideally your  $A_{cm}$  should be 0.

We, have seen in the first few slides of my previous picture that  $A_{cm}$  should be approximately equals to 0, the reason been for a exactly the same bias apply to do transistors, the output was actually equals to 0, so my  $A_{cm}$  should ideally equals to 0, it is not by virtue the fact that both the arms are not symmetrical in natures, there is some difference, so there is some finite value of  $A_{cm}$ .

Similarly,  $A_d$  will be some particular value. So, if you divide  $A_d / A_c$ , I get this as my CMRR, so it is  $2 g_m * R_{EE}$  upon  $\partial R_c / R_c$ , right and this gives you a value of your CMRR,  $R_{EE}$  obviously is very large value,  $g_m$  is also very large,  $\partial R_c$  is very small,  $R_c$  is also relatively large of the order of kilo ohms. So, you get CMRR very large of the order of 10 to the power 5 to 10 to the power 6, ideally you should get infinity but this is a order which you get for CMRR.

Higher the value of therefore the CMRR, a common mode rejection ratio better the differential amplifier in rejecting common mode signals and accepting differential mode signals or amplifying differential mode signals, right. Typically you will see as you may be we can stick up in the next slide or maybe in the next lecture, that noise is generally common to both the arms, noise is not differential.

So, therefore a differential amplifier will be a very good rejecter of noise and very good amplifier of signal and therefore higher the CMRR value of differential amplifier better the design is as far as it is input resistance is concerned, ok.

(Refer Slide Time: 23:56)

**Common mode input resistance**

$$R_{icm} = \beta R_{EE} \frac{1 + \frac{R_c}{\beta r_o}}{1 + R_c + 2R_{EE}} r_o$$

Source: Microelectronics Circuits, Sedra and Smith, Fifth edition

Let me therefore explain to you, what is known as common mode input resistance? We have seen it already and it is resistance looking from the input side to the base side of (my) of a design, right. So, remember half mode signal  $I / 2$ , so if I take (so I will get  $R_E$ ) so I get  $R_{EE}$ , so I get  $2R_{EE}$  available to me because this time just overlapping with respect to each other  $R_c$ ,  $R_c$  and therefore I get  $V_{icm}$ , so  $R_c$  in comes out to be just definition I am not deriving it in the class but it is  $\beta$  times  $R_{EE}$  upon  $1 + R_c / (\beta) r_o$  and this is the value of your  $R_{icm}$ . So, this is the input resistance, it is actually infinite in case of MOS differential pairs but infinite value when you have this into consideration, right. Let me come to the multi stage amplifiers, well in practical stages you will have maybe each differential amplifier driving another differential amplifier so on and so forth.

(Refer Slide Time: 24:56)

**Multistage Amplifier**

- ❑ Practical transistor amplifiers usually consist of a number of stages connected in cascade.
- ❑ The first stage is usually required to provide a high input resistance in order to avoid loss of signal level when the amplifier is fed from a high-resistance source.
- ❑ In a differential amplifier the input stage must also provide large common mode rejection.
- ❑ The function of the middle stage of an amplifier cascade is to provide the bulk of the voltage gain.

Source: Microelectronics Circuits, Sedra and Smith, Fifth edition

IIT KHARAGPUR NPTEL ONLINE CERTIFICATION COURSE 12

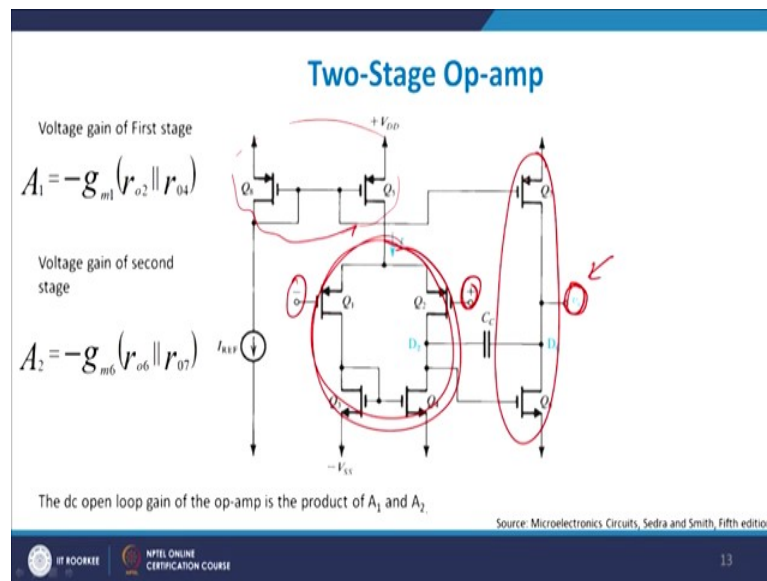
The first it is usually, so if you have a multistage amplifier typically, the first stage is required to provide a high input resistance and order to avoid loss of signal level. So, if I, so if you have put two stage amplifier, the first stage is generally used to match the impedance, so the first stage is got a high input impedance because typically my source has got a high output impedance to match the two, I generally the first stage is basically having high input impedance.

In the, in differential amplifier the input stage must have very large CMRR, right and therefore that is what I written here, right. So, the function of the middle stage of an amplifier cascade is to provide the bulk of the voltage gain. So, if I gave got two stages, three stages let us suppose, the first stage is just to match the impedance level, so that the maximum power is transferred.

The differential part will be responsible for high gain by virtue of by noise reduction, by virtue of high value of CMRR and maybe the third stage or middle stage will be responsible for high value of voltage gain, right. So, we will come to that in a much more detail manner.



(Refer Slide Time: 26:04)



At this stage, this is just a diagram of a two stage op-amp. We have just give you an idea about in reality because when we because after this lecture we will do the MOS differential pair then it will become clear, maybe we will revisit once more when we come to op-amp later on but if you look carefully this is nothing but an replication of a BJT differential pair. If you look carefully, this is the differential pair which you get here, right and this is the differential pair which you get here where I am giving this is the input differential R which I am giving here and this is the single ended output which I am taking from the sub, right.

So, this pair is responsible for doing all impedance matching, this one is responsible for giving you a large gain and this one is responsible for again impedance matching and giving a proper output, right. So, there are three stages, one, two, three stages available here. Let us now look into this basic fact here, these are simple facts which you should be aware of. At this stage, we will discuss op-amp maybe in details, we will come to revisit this formula once again.

So, just to recapitulate or what we have done till now. So, the first stage of any amplifier design is basically a differential amplifier, right gives you a very high gain. As I discussed with you differential amplifiers are insensitive to noise, they are very good rejecters of noise but they are very good enhancers of input signal.

(Refer Slide Time: 27:35)

**Recapitulation**

- ❑ The input stage of every op-amp is a differential amplifier.
- ❑ Differential pairs are insensitive to interference, and they do not need bypass and coupling capacitor.
- ❑ For perfect matched differential pair, common mode gain is zero and CMRR is infinite.
- ❑ To use the BJT differential pair as a linear amplifier, we apply a very small differential signal (mV).

Source: Microelectronics Circuits, Sedra and Smith, Fifth edition

14

For perfect CMRR common mode gain is zero and CMRR is infinite as I discussed with you. So, if you want to use BJT as a linear amplifier, we apply a very small differential signal, if you apply a large differential signal you might end up having a highly nonlinear profile available with you, right because then you move over from the linear region. So, you generally apply a small input signal, right.

So, this may we have actually taking care of the very basic understanding of a differential signal. We, in the next lecture series, we will take a MOS differential amplifiers, right and then explain to you how is a difference from BJT difference amplifier then we will see that MOS is relatively slower in switching as compare to BJT because in BJT if you remember one basic idea was we are moving from active to cut-off and vice versa, we are not at all moving the saturation.

So, once you do not like let the device move into saturation, the time take into come out from active to cut-off is much faster as compare from saturation to the to active, right because you are in saturation you are storing large amount of charge in the base side which you are have to first remove, right and therefore it is much faster. So, BJT based amplifiers are much, much faster as compare to MOS based, right.

So, but we will look into others factor as well for example power dissipation is higher much higher in case of the MOS devices as compare to in case of BJT as compare to MOS device, fine. With this I think, we have finished with single stage amplifier, basic understanding

using BJT. In the next we will look into the single stage amplifier, differential amplifier using MOS devices, thank you.