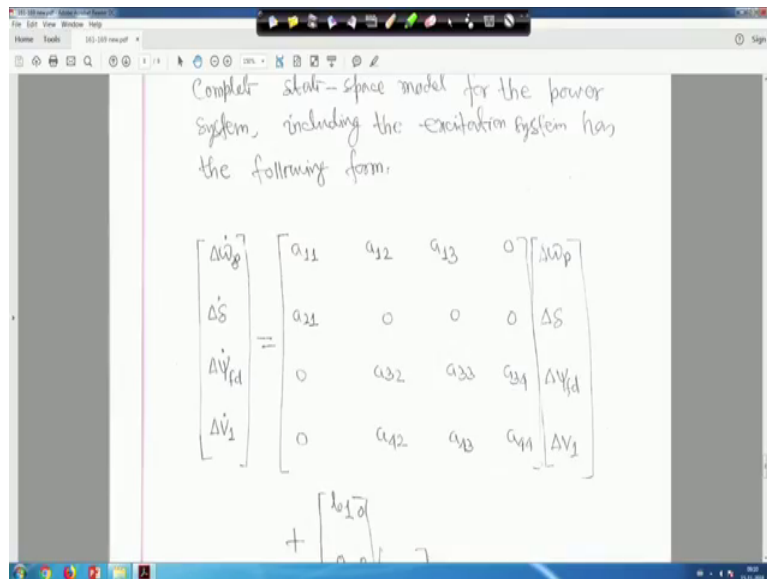


Power System Dynamics, Control and Monitoring
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Lecture – 19
Power System stability (Contd.)

So, we will come back again.

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Complete state-space model for the power system, including the excitation system has the following form:

$$\begin{bmatrix} \Delta \dot{\omega}_r \\ \Delta \dot{\delta} \\ \Delta \dot{\psi}_{fd} \\ \Delta \dot{V}_1 \end{bmatrix} = \begin{bmatrix} a_{11} & a_{12} & a_{13} & 0 \\ a_{21} & 0 & 0 & 0 \\ 0 & a_{32} & a_{33} & a_{34} \\ 0 & a_{42} & a_{43} & a_{44} \end{bmatrix} \begin{bmatrix} \Delta \omega_r \\ \Delta \delta \\ \Delta \psi_{fd} \\ \Delta V_1 \end{bmatrix} + \begin{bmatrix} b_{01} \\ b_{02} \\ b_{03} \\ b_{04} \end{bmatrix} u$$

So, in the previous lecture we have finished here that your 4 state variables are there, that delta omega r, delta delta, delta psi f d and delta V 1. So, it is actually x dot is equal to x plus b u form.

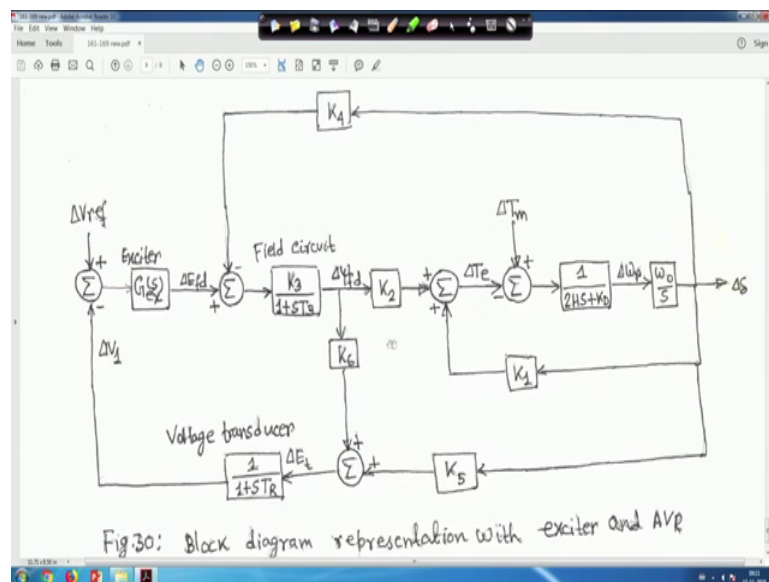
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$$\begin{bmatrix} \Delta \dot{S} \\ \Delta \dot{V}_{fd} \\ \Delta \dot{V}_1 \end{bmatrix} = \begin{bmatrix} a_{21} & 0 & 0 & 0 \\ 0 & a_{32} & a_{33} & a_{34} \\ 0 & a_{42} & a_{43} & a_{44} \end{bmatrix} \begin{bmatrix} \Delta S \\ \Delta V_{fd} \\ \Delta V_1 \end{bmatrix} + \begin{bmatrix} b_0 \\ 0 \\ 0 \\ 0 \end{bmatrix} \begin{bmatrix} \Delta T_m \\ \Delta V_{ref} \end{bmatrix} \quad \text{--- (285)}$$

With constant mechanical torque input $\Delta T_m = 0.0$

And if you are mechanical torque input is constant then naturally delta t m will be is equal to 0.

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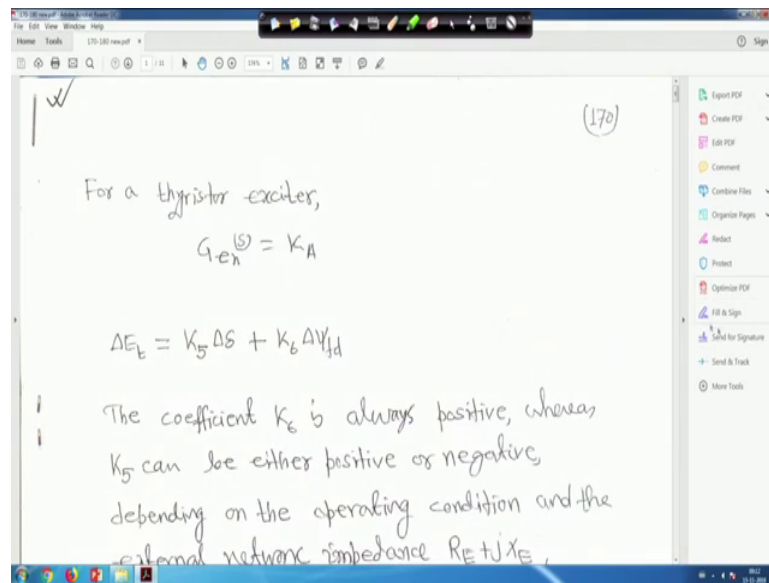


And this is the block diagram we have already shown there, that here we have all the six constant that K 1, K 2, K 3, K 4 and K 5 K 6 right and this is the exciter and will simply represented by gain, but that different type of exciters are available, in that case it can be represented by different type of transfer function, but for the classroom purpose will not considered that will take a simple gain. And similarly for voltage transducer this is one

upon 1 plus STR that later we will see that T R actually very small, so we will neglect this T R.

So, simply we will take a your what you call a simply that delta E t delta V 1 will be is equal to actually delta E t. In this sense that if T R is neglected will be back again for these transfer function, but before going to this thing before coming again. So we will go to the next one.

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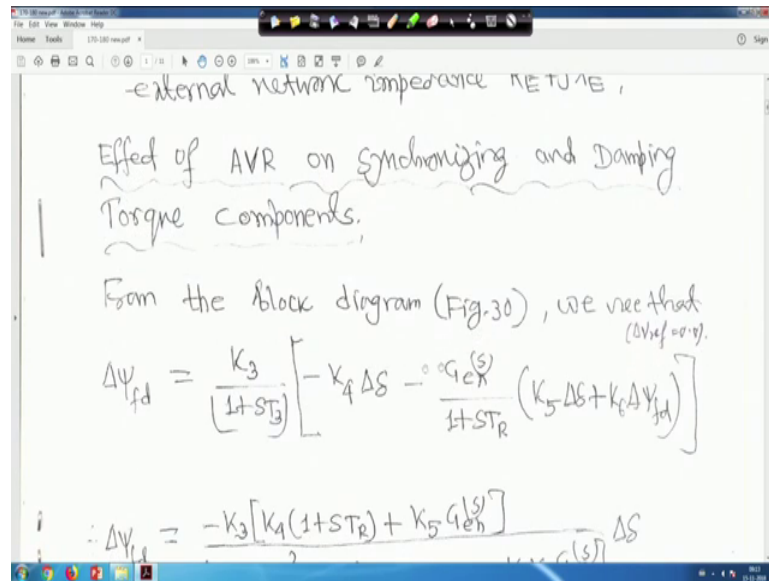


So, for thyristor exciter system that we will simply represented G_{ex} that it is actually Laplace transform, but we will take a simple gain right. And we will not considered the different version of exciters are there then things will become a little bit complicated right.

So, we have seen that delta E t is equal to K 5 delta delta plus K 6 delta psi fd that we have already derived right. Therefore, the coefficient K 6 is always positive. So, earlier I told you k t, K 2, K 3, K 4 always positive and K 6 is also positive and K 5 may be negative may be positive right whereas, K 5 can be either positive or negative depending on the system operating condition right and the external network impedance that is re plus jXe.

Now, next is effect of AVR; that is automatic voltage regulator we call, on synchronizing and damping torque components right.

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So, from the block diagram that is figure 30, we see that if we make delta V reference is equal to 0. So, I will go back to figure 30 right. So, this is just hold on, let me go down this is figure 30. So, here that we will take say for example, if delta V reference is set is equal to 0. And if we neglect your what you call that T R then what will happen that input to this that input to this here it is K 6 delta psi fd and K 5 delta delta.

So, here already we have seen that this is T R actually is neglected; say it is 0 right. Then it will be input to this delta V 1 will be that we have made it K 5 delta delta plus your K 6 your from here it is coming. So, delta psi fd right and that is equal to delta V 1 is equal to your delta E t, if it is neglected right. And if you assume that delta V reference is equal to 0 then here it will be minus and this gain is actually K A right.

So, it will be minus K into this term right and from here it is coming K A this point it is coming K 4 delta delta right, it is minus. So, it will be basically if you look into that, it will be minus K A right into your K 5 delta delta plus K 6 delta fd bracket close. Then again minus K 4 delta delta into K 3 upon 1 plus st 3 is equal to delta psi fd; I mean I mean this term delta psi fd.

So, if you look into that that delta psi fd for this case, how it will look like? It will be K 3 upon 1 plus ST 3 this thing right, in bracket what it will come that it will be your minus is your minus is here because this delta reference is zero. So, here it will come minus K A then these 2 term right; that is your K K 5 delta delta K 5 delta delta plus K 6 delta psi fd

right, because $\Delta \psi_{fd}$ is coming from here, then again it is your what you call the bracket close, then again minus K_4 your $\Delta \Delta$ because, it is coming here right $K_4 \Delta \Delta$ then bracket close is equal to your $\Delta \psi_{fd}$ right.

And this is actually this torque this torque ΔT_e has 2 component; 1 to 1 is 1 is due to $\Delta \psi_{fd}$ then further that K_2 should be multiplied with $\Delta \psi_{fd}$, that is the whole thing right. And another one is coming from here that is $K_1 \Delta \Delta$ right. I hope it is understandable to you because you have all of you have studied that control system in third year and block diagram same thing here right.

So, we will go back to this thing what you call that so that is why you are that is why you are writing the same thing that from the block diagram figure 30. We see that $\Delta \psi_{fd}$ whatever I wrote there that is your K_3 upon $1 + ST_3$ in bracket minus $K_4 \Delta \Delta$ minus $G_{ex} S$ means this value actually is equal to K_a right divided by $1 + STR$ $K_5 \Delta \Delta$ plus $K_6 \Delta \psi_{fd}$, but there whenever I am writing this, I neglected TR .

Later we will see that we neglect TR , but here I have retained it right. So, because TR is very small as compared to other time constant right, but here I have written that K_a upon $1 + STR$ that is $G_{ex} S$ right. So now, upon simplification if you simplify this, so it will become minus $K_3 K_4$ in you are in bracket $1 + STR$ plus $K_5 G_{ex} S$ and in denominator $T_3 TR S^2$ plus T_3 plus TRS plus 1 plus $K_3 K_6 G_{ex} S \Delta$ right.

So now, TR is not neglected till now right.

(Refer Slide Time: 07:09)

The image shows a whiteboard with handwritten mathematical derivations. At the top, there are some partially visible equations: $\frac{1}{1+sT_b}$ and $\frac{1}{1+sT_R} (k_5 \Delta \delta + k_6 \Delta \psi_{fd})$. The main derivation is:

$$\Delta \psi_{fd} = \frac{-k_3 [k_4 (1+sT_R) + k_5 \psi_{eh}]}{T_b T_R s^2 + (T_b + T_R) s + 1 + k_3 k_6 \psi_{eh}} \Delta \delta$$

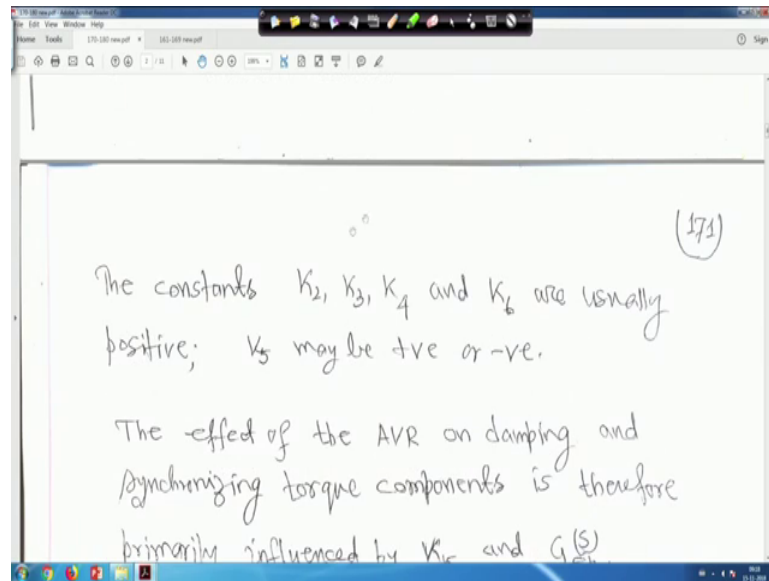
Below the equation, it says: "The change in air-gap torque due to change in field flux linkage is".

$$\Delta T_e |_{\Delta \psi_{fd}} = K_2 \Delta \psi_{fd}$$

The change in air gap torque due to change in field flux linkage there is delta T e due to delta psi fd will be KT into delta psi fd because, that if you go back to the figure 30 there will see that your delta psi fd K 2 delta psi fd, and this side it is coming K 1 delta delta, that is delta T e. So, delta T e has 2 part; one is K 2 delta psi fd, another is your that is K 1 delta delta right.

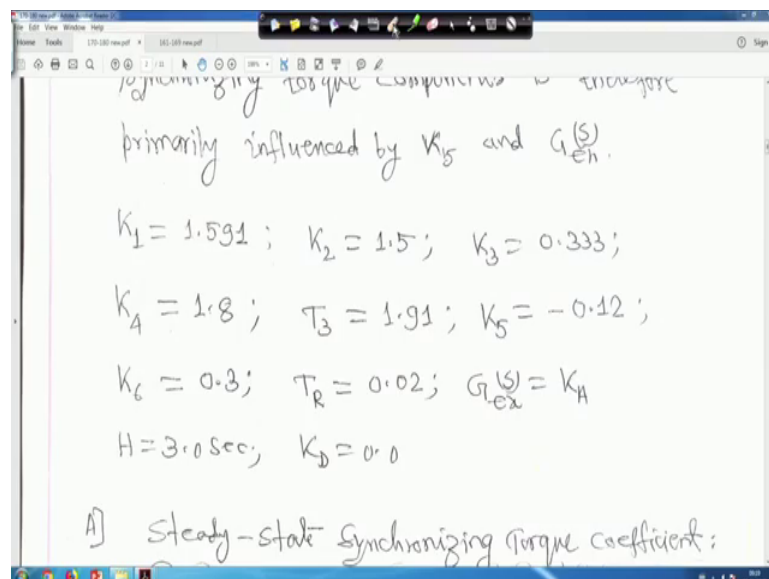
So, this is actually your the air gap torque due to change in field flux linkage that is delta T e and when I put in delta psi fd that is your due to delta psi fd is equal to K 2 delta psi fd. So, this term should be multiplied by K 2; I mean this term, this term should be multiplied by K 2. If you multiplied by K 2, it will be minus your K 2 K 3 the whole thing right.

(Refer Slide Time: 08:06)



So, therefore, the constant K_2, K_3, K_4 and K_6 are usually positive. Actually K_3 will remain constant for for a system and K_5 may be positive or may be negative right. The effect of the AVR on damping and synchronising torque components is therefore primarily influenced by K_5 and the $G_{ex}(s)$. That is the transfer excitor transfer function, but here we will simply represent it by a gain right for the easy analysis.

(Refer Slide Time: 08:38)



Now, suppose following parameters are given for the system suppose, following parameters are given say K_1 is equal to 1.591, K_2 is 1.5, K_3 is 0.333, K_4 1.8, T_3 1.91

and K_5 minus $0.12 K_6 0.3$ and for this case we have we have not neglected T_R , for this case we have taken T_R is equal to 0.02 second right. Compared to T_3 , the T_R is actually very small we can neglect it, but for the time being we have retained it we not neglected, but later we neglect it right.

And G_{ex} we have taken again K_A . H is equal to we have taken 3 second and damping damping your coefficient K_D , we have taken say 0 . Suppose these are the parameters are given for some analysis right. So, with this parameter now part A, it is a first part that is your steady state synchronizing torque coefficient.

(Refer Slide Time: 09:35)

$H = 3.0 \text{ Sec}, K_D = 0.0$
 A) Steady-state Synchronizing Torque coefficient:

$$\left. \frac{\Delta \psi_{fd}}{\Delta \delta} \right|_{s=j\omega=0} = \frac{-K_3 (K_4 + K_5 K_A)}{(1 + K_3 K_6 K_A)} \Delta \delta \quad [G_{ex} = K_A]$$

$$\left. \frac{\Delta T_e}{\Delta \psi_{fd}} \right|_{\Delta \psi_{fd}} = K_2 \Delta \psi_{fd} = \frac{-K_2 K_3 (K_4 + K_5 K_A)}{(1 + K_3 K_6 K_A)} \Delta \delta$$

Now, when you make $\Delta \psi_{fd}$ that $S = j\omega$, ω tends to 0 then this will become minus $K_3 K_4$ is minus K_3 into bracket K_4 plus $K_5 K_A$ divided by 1 plus $K_3 K_6 K_A$ into $\Delta \delta$ when ω is equal to 0 . Now in this case, this is what you call $\Delta \psi_{fd}$. So, in this case here, here $\Delta \psi_{fd}$ if you make your S is equal to $j\omega$ and ω tend to 0 , then in this case it will become minus when G_{ex} is equal to A , so it will become minus $K_3 K_4$ minus $K_3 K_5 K_A$ right, because G_{ex} is equal to K_A ; divided by this term will go, this term will go and it will be 1 plus $K_3 K_6 K_A$ into that $\Delta \delta$ right.

So, here same thing when we substitute all these will getting minus K_3 in bracket K_4 plus $K_5 K_A$ right, and because G_{ex} is equal to K_A divided by 1 plus $K_3 K_6 K_A$ your $\Delta \delta$.

(Refer Slide Time: 10:44)

The image shows a whiteboard with handwritten mathematical equations. At the top, there is a term $(1 + K_3 K_6 K_A)$. Below it, the first equation is:

$$\Delta T_e |_{\Delta \Psi_{fd}} = K_2 \Delta \Psi_{fd} = \frac{-K_2 K_3 (K_4 + K_5 K_A)}{(1 + K_3 K_6 K_A)} \Delta \delta$$

The second equation, labeled as (286), is:

$$\therefore \Delta T_e |_{\Delta \Psi_{fd}} = \frac{(0.06 K_A - 0.9)}{(1 + 0.10 K_A)} \Delta \delta$$

Now therefore Delta T e that component of delta T e due to delta psi fd because in that block 2, 2 terms are there; delta T e is equal to your KA, your what you call that K 2 delta psi fd plus K 1 delta delta. We are considering only that component due to delta psi fd.

So, delta T e due to delta psi fd is equal to K 2 into delta psi fd. So, multiply by K 2 this delta psi fd for omega equal to 0, so it will be minus K 2 K 3 in bracket K 4 k plus K 5 KA divided by 1 plus K 3 K 6 KA into delta delta right. Now all these parameters are given, some parameters we have taken here, some parameters what you do all these available parameters you put in this equation K 2 value, K 3 value, K 4 K 5 and KA we are we do not know right, KA we are not putting, but 1 plus K 3 K 6 KA because here if you look into that KD is equal to given 0 and Gex is equal to KA, we will see the variation of KA right.

So, if you substitute then delta T e due component due to delta delta psi fd, one will get 0.06 six KA minus 0.9 divided by 1 plus 0.10 KA into delta delta. This is equation 286; that means, this function is also in terms of delta delta right. Now and but this is function of KA. So, KA is a variable that is exciter gain Gex say S, we are not considering that transfer function for exciter. So, then things will become little bit complicated and not possible to do anything on the as a classroom exercise, it will create your it will take a long time right.

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(172)

Hence, the synchronizing torque coefficient due to ΔV_{fd} is

$$K_s(\Delta V_{fd}) = \frac{(0.06K_A - 0.9)}{(1 + 0.10K_A)} \dots (287)$$

We see that the effect of the AVR is to

Now, hence the, synchronizing torque coefficient due to $\Delta \psi_{fd}$ is that is $K_s \Delta \psi_{fd}$ will be $0.06 K_A$ minus 0.9 upon $1 + 0.10 K_A$ you see. So, this actually this one this is that coefficient of this $\Delta \psi_{fd}$ term $\Delta \psi_{fd}$. It is basically the synchronizing torque coefficient because this is function of $\Delta \psi_{fd}$. So, this is your synchronizing torque coefficient which is function of K_A . So, synchronizing torque coefficient value, it depends on the exciter gain K_A right.

So, that means, just hold on, so that that means, your this K_s we are writing that synchronizing torque coefficient in bracket, we are writing 0.9 upon $1 + 0.10 K_A$. This is actually equation 287. So, we see that the effect of the AVR is to increase the synchronizing torque component at steady state right.

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$$K_{s(AVfd)} = \frac{(0.06K_A - 0.9)}{(1 + 0.10K_A)} \dots (287)$$

We see that the effect of the AVR is to increase the synchronizing torque component at steady state.

With $K_A = 0$ (constant E_{fd}), $K_{s(AVfd)} = -0.9$.

So, this is actually from that you can make it. Now, now you let us see with K_A is equal to 0, if K_A is equal to 0 means constant E_{fd} right because exciter gain is a 0 that we know nothing is there. So, in that case constant E_{fd} means actually ΔE_{fd} is 0. So, there will be no effect for that what you call for your exciter. So, when K_A is equal to 0 if you put K_A is equal to 0 here, then $K_{s(AVfd)}$ you will get simply minus 0.9 right, when K_A is equal to 0.

So, this is actually simply you will get minus 0.9. Now if that numerator that $0.06 K_A$ minus 0.9 if you set it to 0; if $0.06 K_A$ minus 0.9 is equal to 0, you will get K_A is equal to 15. That means, the AVR compensates exactly for that demagnetizing effect of the armature reaction. So that means, if you set this is equal to 0, that means, $K_{s(AVfd)}$ also will be 0 synchronizing torque component will be 0 because numerator if you set it 0 for which K_A is equal to 15.

So, in that case the AVR compensate exactly for that demagnetizing effect of the armature reaction right. Now suppose take some value when K_A is equal to 200, in that case if you put K_A is equal to 200, say this is another case if you put K_A is equal to 200, then you will get it is 0.529 that $K_{s(AVfd)}$ due to $\Delta \psi_{fd}$ 0.529 and the total synchronizing torque coefficient is actually it will be K_1 plus $K_{s(AVfd)}$ which one is 1.591 plus 0.529.

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When $0.06K_A - 0.9 = 0 \therefore K_A = 15$, the AVR compensates exactly for the demagnetizing effect of the armature reaction.

When $K_A = 200$, $K_S(AV_{fd}) = 0.529$ and the total synchronizing torque coefficient is

$$K_S = K_1 + K_S(AV_{fd}) = 1.591 + 0.529$$

(Refer Slide Time: 15:20)

When $K_A = 200$, $K_S(AV_{fd}) = 0.529$ and the total synchronizing torque coefficient is

$$K_S = K_1 + K_S(AV_{fd}) = 1.591 + 0.529$$

$\therefore K_S = 2.12 \text{ pu torque/rad.}$

Why it will come that we know no this that look at that I am not going to the block diagram again, you go back to figure 30. Then there you will see that this delta T e is equal to what you call $K_2 \delta \psi_{fd}$ plus your $K_1 \delta \delta$ right. So, in this component actually this component is your what you call this delta psi fd due to $K_2 \delta \psi_{fd}$ and this one we are representing just hold on. This one just hold on, this one we are representing by this component, your what you call that delta T e component due to this function right and whenever we are putting that K_2 is equal to your K_A is equal to 200, we are getting $K_S 0.529$.

So, this term if you look into this term, this is due to $\delta \psi_{fd}$, just hold on; such that your understanding will be clear. So, this is the function of δ and when you put K_A is equal to say 200, you are getting these value actually how much we got 0.529 right.

So, this is actually due to this $\delta \psi_{fd}$ term plus 1 more term is there, so that is why we are writing that K_S right; that is your $\delta \psi_{fd}$ is equal to 0.529 right. But we know that δT_e has 2 terms; that is one is $K_2 \delta \psi_{fd}$ this term one is K_2 your $\delta \psi_{fd}$ and another is $K_1 \delta \delta$ right. This is figure 30, from figure 30 you know that now $K_2 \delta \psi_{fd}$ actually basically this is the function and $\delta \delta$.

So, we get if you put K_A is equal to 2 your 200 then, you will get 0.529. So that means this term actually becoming 0.529 $\delta \delta$ right. And another term is there $K_1 \delta \delta$. So, basically let me clear it, so basically, your δT_e is equal to this term 0.529 $\delta \delta$ plus $K_1 \delta \delta$ right.

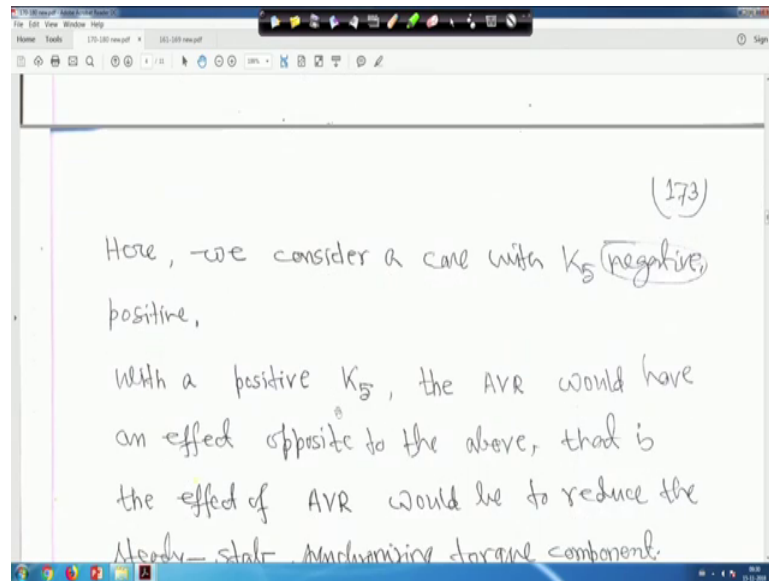
Now question is that K_1 value is given, that here K_1 value is given, just let me go back to this thing K_1 is given 1.591; that means, I am writing here only. That means, your δT_e is equal to your 0.529 $\delta \delta$, this is due to $\delta \psi_{fd}$ plus this K_1 is there 1.591 $\delta \delta$ that means, it is 0.529 plus 1.591 $\delta \delta$, because K_1 is given right.

So, if you add this up, so basically your synchronizing torque coefficient is increasing right. So, that is why that is why we have written here, that is why we have written here that K_S is equal to your K_1 plus $K_S \delta \psi_{fd}$ right and total is we are what you call 2.12 per unit torque per radian. This is per unit value right.

So, basically K_S is a dimensionless quantity. So, that is why this K_1 plus $K_S \delta \psi_{fd}$. I will do hope that meaning of this you might have understood right. So, little bit of what you call little bit of studies required to gain to get into this right. So, that is why easy steps I wrote for you. Such that, there will be no confusion and when you will when you will see this, you just open figure 30 because all notes will be provided to you right.

So, this is actually that case, so here we consider a case now with K_5 negative, upper negative or positive right.

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Now, with a positive K_5 it is actually now if it is a K_5 is positive, whatever we have seen there it is K_5 was negative. Now if you see K_5 is a positive the AVR would have an effect opposite to the above. This is an exercise for you, whatever value whatever value is given for K_5 here, I think minus 0.12 I think it is right K whatever is given that K_5 we have taken minus 0.12. This is whatever effect we have seen, I will request to you try for K_5 is equal to 0.12 positive one and just see effect is just opposite or not right.

So, just you have a look, just you have a look this calculation, you will do it as an exercise. So, this thing just hold on, so the AVR would have an effect to the above that is the effect of AVR would be would to reduce the steady state synchronizing torque component.

So, you can see that this value you are what you call these value may become negative. If you take K_5 positive this value may become negative, it may not be the exact value, but or may be exact value it depends on the parameter, but it will be negative not positive. So, if K_5 is negative it actually it actually increases the synchronizing torque coefficient, if K_5 is positive it depends on the system parameters right.

So, if you put K_5 suppose 0.12 this value may become negative. It may not be 0.529, but it may be negative. So, hence if you just make the sum, so it will be what you call it will reduce right. So, this is an exercise for you just a simple thing just you will put it and see it, I did not do it here right.

(Refer Slide Time: 21:32)

B) Damping and Synchronizing Torque Components
at the Rotor Oscillation Frequency,

$$\Delta\psi_{fd} = \frac{(-0.6 - 0.333K_5K_A - 0.012S)}{(0.0382S^2 + 1.93S + 1 + 0.1K_A)} \Delta\delta \quad (288)$$

$$\Delta T_e \Big|_{\Delta\psi_{fd}} = \frac{1.5(-0.6 - 0.333K_5K_A - 0.012S)}{(0.0382S^2 + 1.93S + 1 + 0.1K_A)} \Delta\delta \quad (289)$$

Let us assume that the rotor oscillation

So, next is B, damping and synchronizing torque components at the rotor oscillation frequency. Now suppose when S is equal to j omega, when S is equal to in this equation. In this equation just hold on, in this equation you put S is equal to j omega right and put all the values of K 1 K 2 K 3 K 4 K 5 K 6 all the values you put here and Gex is equal to KA and put S is equal to j omega.

So, if you do so then your function will look like this. So, this delta psi f d will become minus 0.6 minus 0.333 K 5 K A because Gex S is equal to K A minus 0.012 S divided by 0.0382 s square plus 1.93 S plus 1 plus 0.1 K A delta delta. This equation is said 288 right now and delta T e due to delta psi f d means that it will be it is actually K 2 multiplied by K 2.

So, mathematically this one is equal to K 2 I am writing over it, K 2 delta psi f d. So, this expression is this expression is delta psi f d multiplied by K 2 and K 2 parameter K 2, we have taken 1.5, that is why it is multiplied by 1.5 right So, if you multiply this, so delta T e due to delta psi fd right is equal to 1.55 into that delta psi fd; that is the whole term into delta delta. This is equation 289.

Now, let us assume that, the rotor oscillation frequency is a 10 radian per second that is 1.6 hertz right. So, with S is equal to j omega is equal to j 10, if u take omega is equal to 10 radian per second, so omega is equal to 2 pi f. So, from which will get the frequency

is 1.6 hertz right. So, our actually interest is generally in between your for this what you call rotor oscillation, our main interest is in between 0.2 to 2 hertz right.

So, if it is 10 radian per second; say that is 1.6 hertz and S is equal to j omega omega is equal to 10, so j 10. So, what you do here, you put S is equal to j 10 and simplify.

(Refer Slide Time: 24:10)

The image shows a whiteboard with handwritten mathematical equations. The top equation is labeled (289) and the bottom one is labeled (290). The text between them explains the substitution of s = j10.

$$\left. \frac{\Delta T_e}{\Delta \psi_{fd}} \right|_{\Delta \psi_{fd}} = \frac{1.5(-0.6 - 0.333K_5K_A - 0.012s)}{(0.0382s^2 + 1.93s + 1 + 0.1K_A)} \Delta s \quad (289)$$

Let us assume that the rotor oscillation frequency is 10 rad/sec (1.6 Hz), with $s = j\omega = j10$,

$$\left. \frac{\Delta T_e}{\Delta \psi_{fd}} \right|_{\Delta \psi_{fd}} = \frac{(-0.9 - 0.5K_5K_A - j0.18)}{(-2.82 + 0.1K_A + j19.3)} \Delta s \quad (290)$$

If you do so, it will come that minus 0.9 minus 0.5 K₅ K_A minus 0.1 j, 0.12 minus 2.82 plus 0.1 K_A plus j 19.3. So, K₅ value has not been substituted yet, but rest of the values have been your what you call have been substituted here right. So, this is equation 290, this is delta T e, due to delta psi f d, this I have explained before right. Now suppose with K₅ is equal to minus 0.12, whatever value you have taken for K₅ see it is minus 0.12 and K_A is equal to say we have taken 200 right.

So, in this case if you put K₅ is equal to minus 0.12 and K_A is equal to 200, then you will get delta T e component due to delta psi f d; that is 11.1 1 minus j 0.18 divided by 17.12 plus j 19.3 delta delta right.

(Refer Slide Time: 25:16)

(17A)

With $K_5 = -0.12$; and $K_A = 200$,

$$\Delta T_e|_{\Delta \psi_{fd}} = \frac{(11.1 - j0.18)}{(17.18 + j19.3)} \Delta \delta$$

$$\therefore \Delta T_e|_{\Delta \psi_{fd}} = \left\{ 0.2804 \Delta \delta - 0.3255(j \Delta \delta) \right\} \quad (29)$$

So, if you just numerator and denominator if you multiply by this and simplify it will be like this; I mean this term only this term you can write like this; that is 11.1 minus j 0.018 right E 2 17.18 minus j 19.3 numerator and denominator you multiply by 17.18 minus j 19.3 and if you multiply this one also 17.18 plus j 19.3, then 17.18 minus j 19.3 numerator and denominator.

You multiply by this then you will then, this one you multiply and this denominator, this term basically will be 17.18 square plus 19.3 square right. So, then if you simplify that then you will get that your delta T e delta psi fd will be 0.2804 delta delta minus 0.3255 into j delta delta.

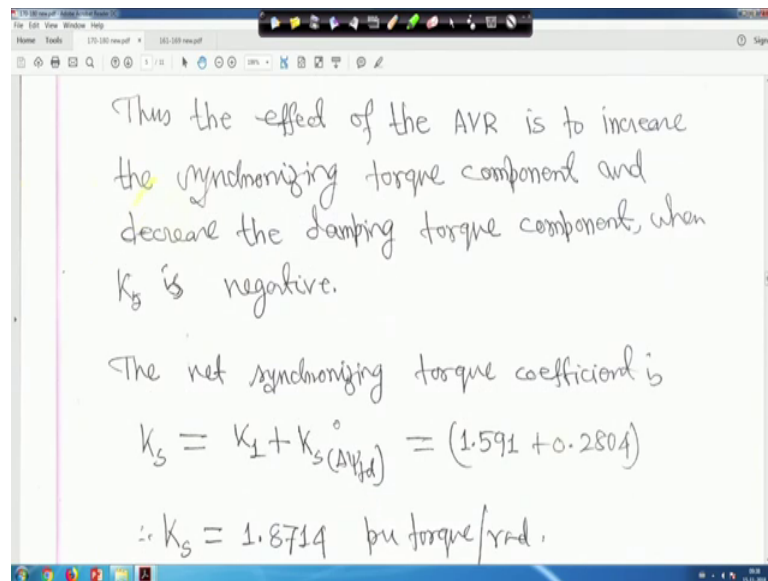
So, this is actually, this part is equal to actually synchronizing torque component and this is the damping part, because j delta delta. Earlier you have seen no something I ask you that it is in phase with delta omega or it is ninety degree out of phase with the delta delta that is you have seen in your Phasor diagram, but this torque component also will define like this, particularly this thing right it is quite interesting.

So, that means, that the effect of the AVR is to increase the synchronizing torque component because, this term is positive because it is point, because it is function of delta delta right. And decrease the damping torque component when K 5 is negative. So, when K 5 is negative, this coefficient actually is a negative, it is minus right, because damping term is a function of j delta delta or in phase with delta omega will see later right, but I

put if you have lectures that you put in the forum that is why it is so. And, but just now you will know after this numerical and this is your 0.2804 delta delta, this is your synchronizing torque coefficient, this is positive right.

So, right, when K_5 is negative, we have taken K_5 is negative right.

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So therefore, net synchronizing torque coefficient is K_1 plus $K_s \Delta\psi_{fd}$; that is 1.59 plus 2.2804, because that if you go back to the figure 30 again, figure thirty again, that you know this that ΔT_e has 2 component right; that is 1 is coming your $K_2 \Delta\psi_{fd}$ and another is $K_1 \Delta\delta$ right, but due to K_5 , due to your $\Delta\psi_{fd}$ just synchronizing torque component is this one, is this one; that means, this one actually 0.2804 delta delta and K_1 how much we have taken I think, 1. Just let me see that your K_1 data we have taken 1.591.

So, it is actually basically what is happening, that your ΔT_e actually it is coming 0.2804 delta delta delta because this is due to your $\Delta\psi_{fd}$ $K_2 \Delta\psi_{fd}$ plus 1.591 delta delta. So, basically it is 0.2804 right whatever it is plus 1.591 delta delta. If you add this is the effective synchronizing torque component right.

So, because this torque is in phase with delta delta, so this is actually coming K_1 ; we are writing $K_s \Delta\psi_{fd}$ because, this term, this term will define that K_s , the synchronizing torque component due to $\Delta\psi_{fd}$ right. That way that is the meaning is

equal to 0.2804. So, that is total its coming 1.871 per par unit torque per radian because, this is a dimensionless quantity, because this is per unit torque means dimensionless radian also dimensionless. So it is a dimensionless quantity.

Thank you very much. We will be back again.