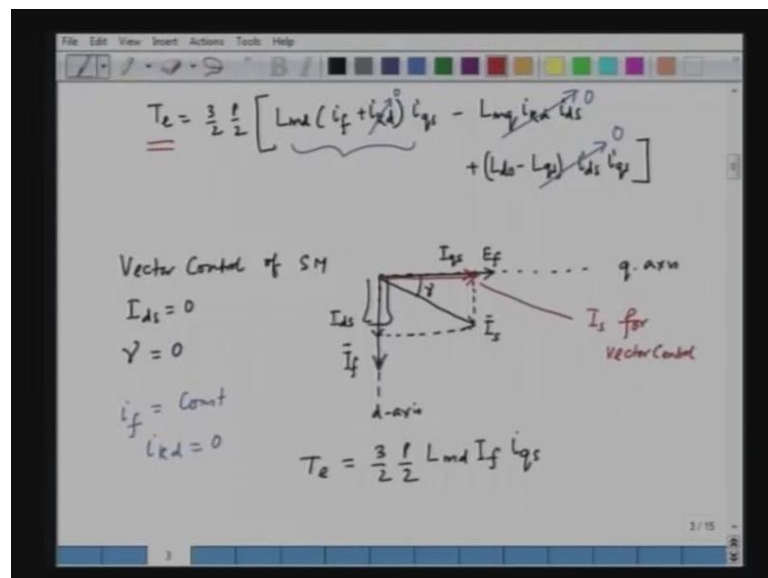


Advanced Electric Drives
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Lecture - 19

Hello, and welcome to this lecture and advance electrical drive. In the last lecture, we were discussing about the dynamics of torque production in a synchronous motor, when it was operating under vector control. By vector control we mean γ is equal to 0 and I_d is equal to 0. So, just we recap what we done in the last lecture we can just go back to our phaser diagram.

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So, we have the d axis here, and this are q axis and the field current is naturally along the d axis. So, we can say that this is the field current and this is the, i_f and due to the field current, we will also have a field induced e m f, and the field induced e m f is in the q axis. So, this should be our field induced e m f that we can call as E_f . And armature current phaser can be any arbitrary direction.

So, what we do here, we have this is the current phaser I_s the current of the stator this is also phaser, this is also a phaser, all these things are phaser quantity and this angle is γ . And this I_d this I_s can have 2 components; 1 along the d axis and other along the q axis. So, we can say that this is the d axis component. So, we can call this to be I_d

s and if you project this along the q axis this would be the q axis component we can call this to I_q . So, we are talk me about the vector control and the vector control we mean I_d is equal to 0.

So, for vector control of synchronous motor; we have I_d equals to 0 which also means γ is equal to 0. And if γ is equal to 0, the torque equation becomes very simple. So, what we have here this is the equation for the torque we can see that this is the equation for torque; T_e is equal to $\frac{3}{2} p \frac{1}{2}$ and the expression within the bracket. And here if we put I_d equal to 0, this quantity will vanish this is 0 is a product of I_d into I_k , this term is also equal to 0, because; this is the product of I_d and I_q . So, what we obtain here is this term which is $L_m \frac{d}{dt} i_f$ plus i_k into i_q and further more if we keep i_f constant.

So, for example, if we keep in this case i_f constant we do not change i_f , if we keep i_f constant and I_d is also equal to 0 there is no flux change in the d axis. I_d is not existing and the field current is kept constant. So, in the d axis there is no flux change and since we do not have any flux change in the d axis the dumper winding currents in the d axis will be 0. So, we can say here that i_k is equal to 0.

So, if i_k is equal to 0 now, see the torque expression if we put i_k here equal to 0. The expression for the torque finally, will be $\frac{3}{2} p \frac{1}{2}$ into $L_m \frac{d}{dt} i_f$ into i_q . So, it is something like a d c machine. We can keep i_f constant here, what we can do here is that i_f is constant. So, we can represent by capital I_f , it is a constant quantity and we can change the flux with good dynamic by changing i_q . So, this is this is the principle of vector control of synchronous motor, we keep I_d equal to 0 or in other words the angle γ is equal to 0. So, the hole current is align along the q axis.

So, this is a general diagram and for the vector control I_s will be along the q axis. So, we can say that this is our new I_s for vector control. So, the stator current for the armature current is the aligned along the q axis there is no component of current along the d axis and the torque can be control with good tangent response by controlling the stator current that is I_s which is same as I_q . Now, what we do here is that we make 1 relaxation, we assumed that i_f is constant. Now, if we say i_f is variable; what happens? If i_f is variable that is what that is what we discussing in the last lecture, but; if I_f is variable. What is the situation? If i_f is variable or it is not constant if it is not constant the dumper currents

in the d axis will not be constant. So, due to the change of the field current in the d axis will have a dumper current in the d axis and the dumper current can be evaluated in the following way.

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Dynamics of Vector Controlled SM Drive
with variable field operation

$$\gamma = 0, i_{kd} = 0 \text{ but } i_f \neq \text{const.}$$

$$v_{kd} = 0 = r_{kd} i_{kd} + p \psi_{kd}$$

$$\psi_{kd} = L_{kd} i_{kd} + L_{nd} i_f$$

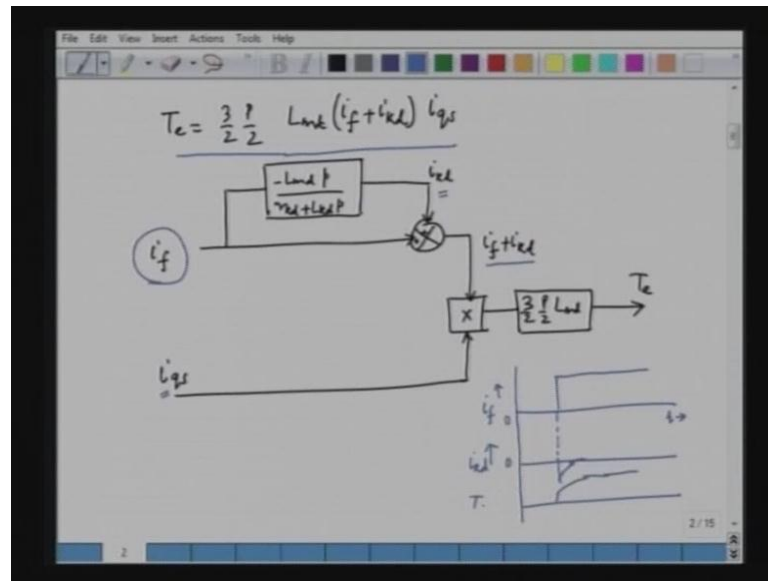
$$0 = r_{kd} i_{kd} + p (L_{kd} i_{kd} + L_{nd} i_f)$$

$$i_{kd} = \frac{-L_{nd} p i_f}{(r_{kd} + L_{kd} p)}$$

We have the dumper equation here; v_{kd} equal to 0, r_{kd} into i_{kd} plus $p \psi_{kd}$. And ψ_{kd} is the total flux linkage in the d axis dumper winding which gives us $L_{kd} i_{kd}$ plus $L_{nd} i_f$. And then when we substitute this in the previous voltage equation and we simplify this i_{kd} we do get an i_{kd} . Because i_f is not constant and hence the derivative of the field current this p is non-zero. So, due to the change in i_f , we get change in i_{kd} and i_{kd} will be negative of this. So, if we increase the field current it means we are trying to increase the flux. And by the property, the flux linkage will be kept constant. And the flux linkage will be kept constant by the dumper winding current which will induce a negative current plus to maintain the flux constant for a time b .

In the steady state condition dumper currents will die down, because; it is a dissipative circuit we have the dumper inductance and the dumper resistance. So, the dumper current will die down and a time constant which equal to the dumper inductance by the dumper resistance. So, this is the time constant L_{kd} / r_{kd} . So, with this time constant dumper current will gradually die down, in the steady state condition the flux will reach the final value and the torque will also adjust to the final value.

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So, we will see that if this is the situation; the torque response is not instantaneous this is our expression for torque that we discuss in the last lecture. For the vector control drive we have T_e is equal to $\frac{3}{2} \frac{p}{2} L_m d(i_f + i_{kd}) i_{qs}$ and here i_{kd} is non-zero, because; the field current is variable. So, this is non variable, when we change the field current will have a dumper current. And the dumper current will be negative of $L_m d p i_f$ by $r_k d$ plus $L_k d p$ and this dumper current will be added with the field current and that will be responsible for the torque production with the interaction of i_{qs} .

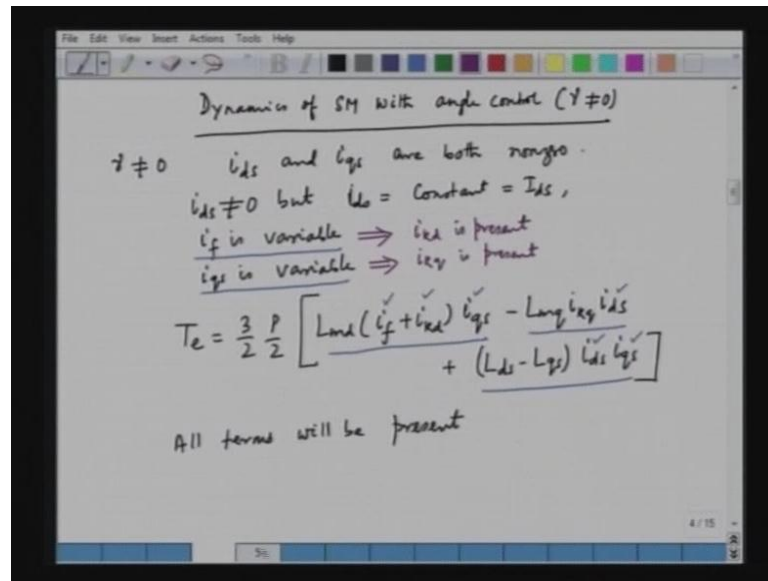
So, here what we trying to do; we trying to change the torque not by changing i_{qs} by changing i_f . So, we will see the response here, the response will look like this. What we trying to do here is this; that we are trying to change i_f where, giving a step change in i_f . In this case; this are t axis this origin. So, due to the change of the field current, dumper current will spring up, will appear and the dumper current will be such a direction. So, we has to keep the flux constant for the time b . Dumper current infect will be negative of the of $p f p$ is the derivative operator. So, if we increase the field current, dumper current will be negative. If we decrease the field current dumper current will be positive. So, here we are increasing the field current and hence the dumper current here will be negative and it will $d k$ down to 0, as per the dumper time constant.

So, due to this negative dumper current the torque which is the product of i_f plus i_{kd} and i_{qs} will be deleted. Because dumper current is gradually decaying down and the torque will gradually increase to the steady value. So, this is the torque response initially it is 0 then, it will take some time to reach the steady value this is steady state response. So, there is a delay in the torque production. So, this is T_e . So, we see that when we change the field current to change the torque the torque is delayed. And hence it is advisable to keep the field current constant. The field current change will induce a dumper current and will further delay the torque response. Now, this is about the vector control synchronous motor drive.

Now, we have already said that there are 2 conditions; 1 is $\gamma = 0$. And $\gamma = 0$ is called vector control as we are discussing right now. And if γ is non-zero it is called angle control. Angle control is sometimes preferred, because; you know that in case of vector control drive as we have seen in the last lecture, although the transient response is good, the torque response is very fast, the motor power factor becomes leading. And that is a disadvantage especially, for high power application where, the power converter has to supply both the active power and reactive power if we implement vector control. It means $i_{ds} = 0$. So, if $i_{ds} = 0$ the motor power factor will be leading and the converter has to supply both real power and the reactive power.

And, some situation it is preferred to only supply the active power. So, if we are interested to only supply active power; we operate the machine under unity power factor condition. So, for up f operation or unity power factor operation, we have to use angle control. This is the one of the example where, angle control can be used. So, in angle control γ is not equal to 0. So, we will now discuss the response of the synchronous motor drive with angle control.

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So, we will be discussing here; dynamics of synchronous motor with angle control which means gamma is non-zero. So, if gamma is non-zero; what happens? If gamma is non-zero the currents will have 2 components i_{ds} and i_{qs} . So, we can say that gamma here is non-zero which means i_{ds} and i_{qs} are both non-zero. So, we can say that i_{ds} and i_{qs} are both present. And here we can assume that i_{ds} is non zero, but; i_{ds} is constant. i_{ds} is non-zero, but; I_{ds} is kept constant and that is equal to capital I_{ds} , but; i_f is variable and i_{qs} is also variable.

So, if we have this situation; if we see the expression for the torque, we can appreciate which all terms will be present. Now, let see the expression for the torque once again. The torque expression is given us $\frac{3}{2} \frac{P}{2}$ then we have $L_{md} i_f i_{qs}$ plus $i_{kd} i_{qs}$ minus $L_{mq} i_{qs} i_{ds}$ plus $L_{ds} i_{ds} i_{qs}$ minus $L_{qs} i_{ds} i_{qs}$. So, if this is the torque expression what are the terms that would be present in the torque expression i_{ds} is non-zero.

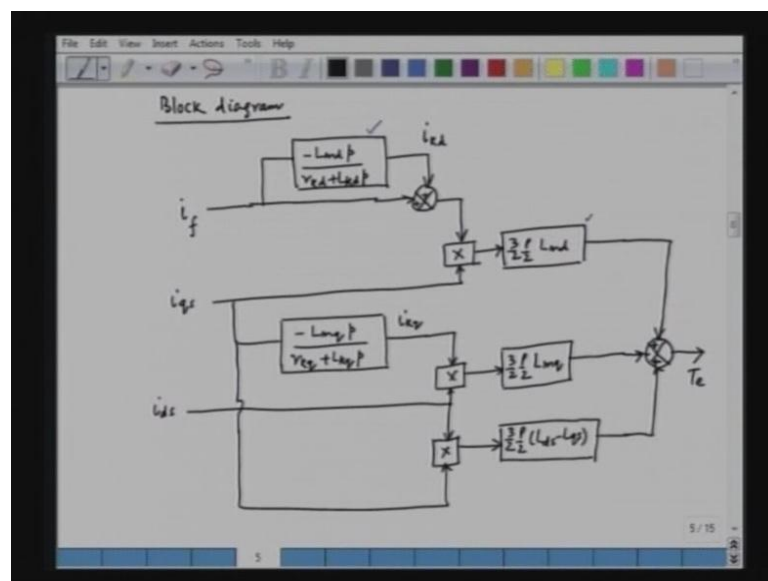
So, we cannot neglect this term, this term will be present, because; i_{ds} is present here, i_{ds} is also present so this term will be present this term this i_{qs} is also present here. So, $L_{ds} - L_{qs}$ is the reluctance star that torque will also present. What about the field torque? i_f is also present so this term will be there, and since; i_f is variable i_{kd} will also be present and i_{qs} is non-zero. So, all this 3 term will be present. So, we can say

that all terms will be present and this becomes little complex, because; equation of the torque for synchronous machine is not a simple one because it is a doubly excited system.

So, we have interaction of field winding with the stator currents, we have the interaction of the stator currents with the damper currents. And hence when all the terms are present equation becomes complex. So, we can understand this interaction by drawing a block diagram. Now, please understand that here damper winding current will be present whenever there is a flux change. Damper winding is basically a short circuited winding and whenever we have a rate change of flux linkage that winding will be circulating a current, may be in the d axis, and may be the q axis. In the d axis here we have assumed i_f is variable here, i_{fd} is variable. So, if i_f is variable, defiantly i_{kd} will be present. So, we can say that this list to the result that i_{kd} is present.

And, what about the q axis; in the q axis again, damper winding was circulate a current whenever, there is rate of change of flux linkage in the q axis rotor and that is true here, because; i_{qs} is also variable. So, i_{qs} is variable here, and that leads to the fact that i_{kq} is present. And we can of cores find out the expression for i_{kd} and i_{kq} by respectively solving the equation of the dumpers in the d axis and q axis. Now, let us draw the block diagram for the torque production. We can draw the block diagram for the torque production in the following way.

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So, we have let us say the field current and the field current is changing and due to the change of the field current will have dumper current. And the dumper current is given by minus $L_{m d p}$ by $r_{k d}$ plus $L_{k d p}$. So, this is a field winding current i_f and this is the dumper winding current $i_{k d}$ which is appearing, because; of the change of the field winding current. And this will be leading to the first step. So, what we have here, this can be vector multiplier and the other variable in the multiplier is $i_{q s}$. And this is again multiplied with some constant term $\frac{3}{2} p$ by 2 into $L_{m d}$. So, this is the first component of the first term of the torque.

We can say that the torque will have 3 distinct terms; this is the first term, second term and the third term. So, the first term has been shown in this particular figure this is the first term. What about the second term? We also find out the second term here, what is the second term, second term is minus of $L_{m q}$ $i_{k q}$ in to $i_{d s}$. $i_{k q}$ will be appearing because of the change in $i_{q s}$. So, $i_{q s}$ change will initiate a dumper winding current in the q axis. So, that we can shown here, that we have this $i_{q s}$ and $i_{q s}$ when we change this $i_{q s}$ dumper winding current in the q axis will appear and this equation can be similarly, derive similar to the equation in the d axis. We have similar equation in the q axis.

So, we can show that as minus of $L_{m q}$ p divided by $r_{k q}$ plus $L_{k q p}$ and this is $i_{k q}$. And this $i_{k q}$ has to multiplied with $i_{d s}$ to produce a torque. So, this is multiplied with $i_{d s}$ so we again have multiplied here. So, we can multiplied this with $i_{d s}$ and then there is some constant, this constant is $\frac{3}{2} p$ by 2 into $L_{m q}$ this is the second term. And we have the third term; and the third term is basically the reluctance term which is $L_{d s}$ minus $L_{q s}$ is the constant term into $i_{d s}$ into $i_{q s}$. So, it is a product of the 2 currents in the 2 axis $i_{d s}$ in to $i_{q s}$. So, this term is called the reluctance torque, it is coming up because of the saliency in the rotor when $L_{d s}$ is not equal to $L_{q s}$ this torque appears. So, we can write down the third term here, we have $i_{d s}$ here. So, we can we can multiplied that with $i_{q s}$ and the $i_{q s}$ can be obtained from this.

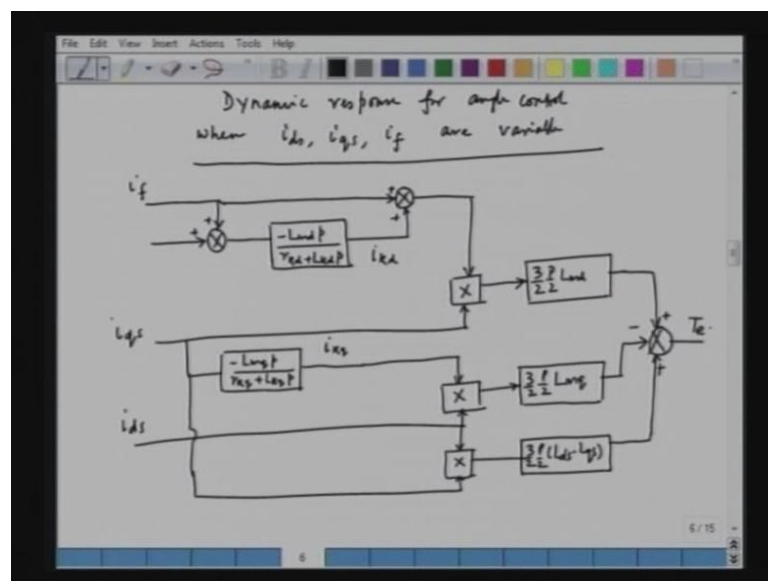
And then what we do here is that we have the constant term constant term is $\frac{3}{2} p$ by 2 into $L_{d s}$ minus $L_{q s}$. So, the summation of this 3 term will give us the final term. So, when we find out the final torque the final torque will have the following expression, this is negative here. So, we are discussing about the torque production in the angle control situation, when i_f is variable. So, i_f is variable, but; $i_{d s}$ which is non-zero plus

constant. So, we have seen actually there are 3 different terms in the torque and all the 3 terms are present. So, the torque equation is little complex and we can show the torque production by means of a block diagram.

So, this is the block diagram that we are talking about. So, this is the first term that we have here, which is the interaction of i_f plus i_{kd} with i_{qs} . The second term is an interaction of i_{kq} because i_{qs} is changing. So, we have change in i_{kq} the damper winding q axis current with i_{ds} . And the third is the interaction of i_{qs} with i_{ds} this is our i_{ds} and i_{qs} they are multiplied. Then, we have a constant term which is $\frac{3}{2} p$ into $\frac{L_d - L_q}{2}$ times i_{ds} into i_{qs} . So, the final torque expression is T_e which has the 3 term the first term is here, the second term will have a negative sign in this case. And the third term is the reluctance torque which is $L_d - L_q$ times i_{ds} into i_{qs} .

So, in angle control case; we have seen that the torque expression is not very simple, it is quite interactive and hence the torque does not build up simultaneously. It takes some time to build up, because; interaction of the damper winding currents. And the damper winding currents spring up in the transient condition in the steady state they again go down to 0. So, due to the existence, presence of damper winding current the torque is delayed. So, we will take another situation where, all currents are variable i_f is variable i_{ds} is variable and i_{qs} is variable. So, that is the most general situation.

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So, dynamic response for angle control; when i_d , i_q , i_f are variable, all are variable i_d , i_q , i_f all currents vary. Under that situation the torque expression all the 3 terms will be present as you already seen, but; it will be little more complicated, because; i_d is not constant. So, the dumper winding d axis current is contributed not only because of change in i_f , but; also because of change in i_d . So, we will see by block diagram how this torque is produced. Now, if we see by means of a block diagram we will see the following.

We have the field current here i_f and then we have the d axis stator current plus and plus then, due to the change of this 2 current we will have i_{kd} . So, i_{kd} will come up because this currents change L_{md} by r_{kd} plus L_{kd} and this is i_{kd} . And this i_{kd} is added with i_f and then what we have here is i_{qs} . This is the first term; we have the torque constants here $\frac{3}{2} p \frac{2}{2} L_{md}$. So, we have first term of the torque equation. Similarly, we has the second as we have seen in the previous case; the second term is the interaction of i_{kq} with i_d . Now, how i_{kq} is coming to picture, because; i_{kq} is the q axis dumper current that comes in to picture because of the change of i_q the q axis stator current.

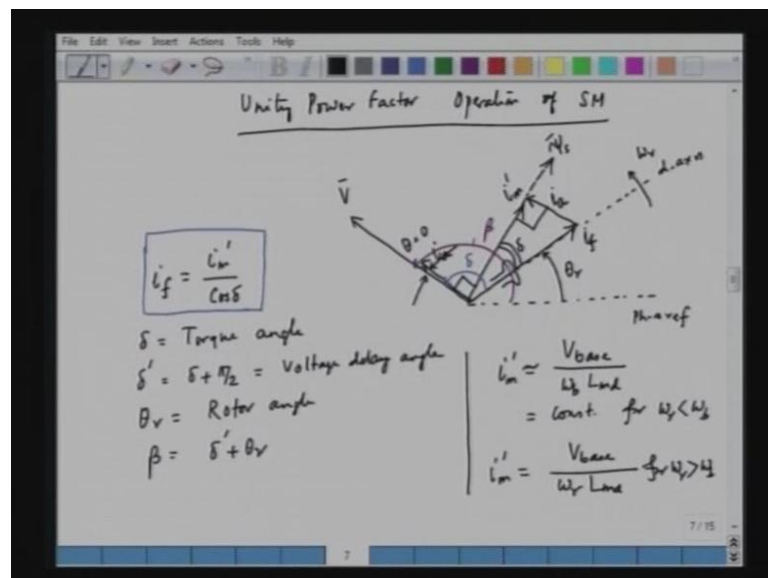
So, we have i_q and then from because of the change of i_q will have i_{kq} minus L_{mq} by r_{kq} plus L_{kq} and this will be i_{kq} . And this i_{kq} is again multiply with i_d these are i_d and this is multiplied with a constant $\frac{3}{2} p \frac{2}{2} L_{mq}$, this is a second term. Now, what about the third term; third term is the reluctance torque which is the product of i_q with i_d in to L_{ds} minus L_{qs} . So, we have the product of i_q and i_d . So, i_q is i_d is here and will have again another multiplier and i_q obtained here. And then we have the constant, and the constant is $\frac{3}{2} p \frac{2}{2}$ in to L_{ds} minus L_{qs} . So, these are the 3 terms of the torque; the first term which is the interaction of i_f and i_{kd} with i_q , second term the interaction of i_{kq} with i_d , the third term the interaction of i_d with i_q .

And, then we have the final expression for the torque; we have a summer here, this is plus and then we have this is minus, the third term which is coming from this side this is the reluctance torque and the final torque is T_e . Now, we have already seen that how complicated is the equation for the torque. Now, here this is the general situation that everything is variable γ is not equal to 0 which is which is under control. And the

all possible torques are present here, the field torque, the dumper winding torque, and the reluctance torque.

So, this is a general situation; as I was talking little earlier that we have vector control which means gamma equal to 0, the torque response is very good. And when gamma is not equal to 0, we call to be angle control. Vector control leads to a lagging power factor we have already seen that. Angle control by means of angle control we can achieve unity power factor, which is expedient for high power drive. So, we can think of high power application of synchronous motor where, we want to operate the motor under you will deep power factor of the condition. So, we will not discuss the operation of synchronous motor drive under unity power factor condition for very high power application.

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So, unity power factor operation of synchronous motor; now, before we understand this is unity power factor of operation, we make some simplification. For simplicity we would not consider saliency, we assume that the motor is a cylindrical motor. So, what we have here, we have the phase a reference. So, we can draw the phase a diagram this is our phase a reference, the stationary phase a, and the rotor is rotating at a speed of omega r. So, we have the d a axis of the rotor, this is the d axis of the rotor and the rotor is rotating at a speed of omega r and this angle which the rotor suspend with phase a reference is angle that is theta r is the rotor angle.

And, naturally we can say that the field current is along the d axis. So, the field current phaser this should be i_f . And we also have an armature current and armature current will be in this direction, this is armature current we get call these to be i_a . And the result of the field and the armature in the machine, we have 2 excitations. The field excitation and the armature excitation and the resultant of the field in the armature is the resultant current which we call to with the magnetization current. So, this is the resultant $m m f$ or the magnetizing current is I_m prime which is the resultant of i_f vector and i_a vector.

Each is one is a vector, because; of $m m f$ is a vector. So, we can represent each current as a vector. So, this i_m is a vector which is along this direction as per the triangle, the law of triangle we have 2 sides of a triangle and third one is i_m . And this armature current is so control that this angle is 90 degree. The angle between i_a and i_m prime is 90 degree ((Refer Time: 33:50)) this i_m prime is the magnetization current which will be producing the stator flux linkage.

So, we can assume that the stator flux is along the same direction. So, we can assume that the ψ_s is along the same direction we can call these to be ψ_s . and the vector for the armature voltage is right angle to ψ_s , because; ψ_s will induce the armature voltage or the armature back e m f. If we neglect the resistance drop the back e m f or the induce e m f and the voltage are at the same. So, the induce e m f will be leading the flux by ϕ by 2. So, if this is our flux vector the induce e m f vector will be ϕ by 2 leading the flux vector. So, this is the induce e m f vector. We can call these to be E or V and we call these to be V, because; we assume that the resistance drop is negligible. So, if this is V this angle is also 90.

So, under this situation we have a right angle triangle here, and we can write down the following expression. Now, this angle between d axis and the stator flux ψ_s this also vector, this is called the angle that is delta the torque angle. So, we can from this right angle triangle, we can say that i_f is equal to i_m prime by $\cos \delta$. So, if we maintain this relationship, we can achieve u p f operation or unity power factor operation. So, this i_a will also be along the voltage vector, we can say this is also i_a , this vector is i_a , this vector is also i_a . So, we see that if we have this right angle triangle condition the voltage and the currents are in phase and hence we can say that the power factor is unity.

The angle between the V and I theta is equal to 0. Here, theta is the power factor angle and \cos of theta is 1. So, we can say that the motor is operating under unity power factor condition. We can define few other angle here. So, this angle is called voltage delay angle, this is δ prime. So, we can find the various angles here, the first angle in this case is δ . δ is called the torque angle. This is the angle between the d axis and the stator flux. And then we have this δ prime which is equal to $\delta + \frac{\phi}{2}$, we can call this to be the voltage delay angle. This is δ plus some constant that is $\frac{\phi}{2}$ and this is the angle by which the voltage is delayed or leading some the d axis of the rotor. And then we have θ_r ; θ_r is a rotor angle, this is our θ_r is angle between the phase a reference on the d axis and the motor is rotating at a speed of ω_r . So, angle that d axis obtains with phase a is called the rotor angle.

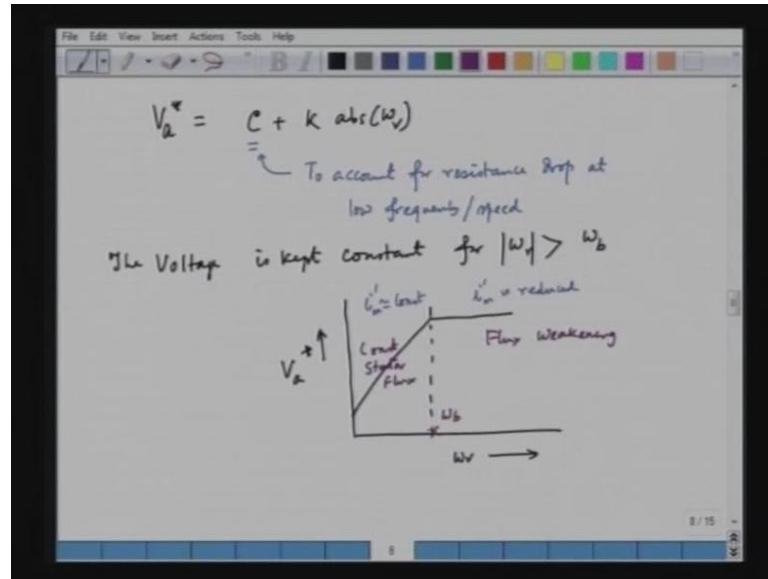
And, then we also define another angle called beta. Beta is equal to δ prime plus θ_r . So, this angle is beta, we can say that this angle is the beta. So we have all this angle defined in the phaser diagram here, and to achieve this unity power factor operation we have to have certain condition. The first condition is that the field has to be control as per this equation. So, this is what we have to implement. We have to insure that the field current is control in occurrence with this equation. This i_m prime is the magnetization current. So, what we usually do, we keep the air gap flux constant. So, if you want to keep the flux constant, we keep the magnetization current constant. So, i_m prime is kept constant up to the base speed.

And, what is the value of i_m prime? Now, i_m prime is approximately given in the following way. So, this I_m prime is equal to the base voltage V_{base} by ω_{base} the base frequency into $L_m d$. So, we assume that δ angle is very small. So, i_m prime can be approximately the current through the d axis magnetization inductance. So, this is $L_m d$ is the d axis magnetization inductance. So, ω_b is the base frequency in radian per second. So, the base voltage per phase is equal to i_m prime in to ω_b in to $L_m d$. So, i_m prime can be approximately equal to V_{base} by ω_b in to $L_m d$ which is kept constant.

For ω_r less than ω_b ; ω_r is electrical speed when the electrical speed is then the base frequency in radian per second. We can assume that this i_m prime is kept constant. Now, beyond the base frequency beyond the base speed i_m prime is changed. And how it is changed? It is changed in the following fashion. i_m prime is equal to V

base by ω_r into $L_m d$, for ω_r higher than ω_{base} . So, when the speed increases beyond the base speed the maintaining current is reduced, b_{base} is a constant quantity base the voltage is constant that does not vary. So, if the speed increases beyond the base speed we decrease i_m' this called field weakening and what about the voltage here.

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So, we can define the armature voltage in the following fashion; that is equal to a constant plus k into absolute value of ω_r . We know that we have to keep the volt per hertz constant. To keep volt per hertz constant; we change this armature voltage as a function of the frequency, when the speed increases voltage also increase proper straightly. And the C here, this constant quantity C here is added to account for the resistance drop at low frequency or low speed. So, we know that we have to increase this voltage with the increase of speed and after the base speed. We know that we have to keep the voltage constant, because; when ω_r is equal to ω_b the voltage reaches the rated value.

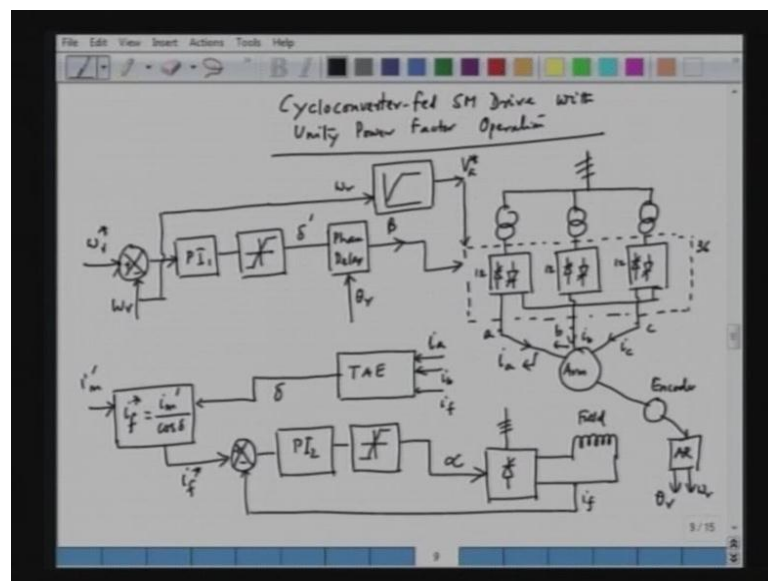
So, after the base frequency we keep the voltage constant. So, we can say that the voltage is kept constant for ω_r higher than ω_b . So, we can say ω_r modulus it can also be a negative speed, for ω_r higher than ω_b the voltage is kept constant. So, this is actually the structure here. So, if we see the function of the voltage this is V_a and this is our ω_r . So, initially we have offset in this case that is C and as the

frequency as the rotor speed changes here, the voltage is increased and then after the base speed is raised the voltage is kept constant.

So, this is the function of V_a against ω_r as a function of ω_r . and this is basically done to keep the maintaining current constant below the base speed. Here, we can assume that i_m is approximately constant, here i_m is reduced. So, we can call this to be field weakening or flux weakening and here we operate under constant stator flux. So, up to the base speed this is basically our base speed. So, below base speed we operate under constant stator for condition and beyond base speed we go for flux weakening. So, this is basically the voltage profile and the voltage is a function of the speed as a speed increases voltage also changes beyond the base speed the voltage maintain constant which leads to flux weakening.

So, this is basically the way we control a synchronous motor under u p f operation under unity power factor operation. Now, what is the application of this kind of drive, this scanned up drive is applied in high power application. For example, we can have a cyclo converter feeding a synchronous motor. Now, when we have a cyclo converter the stator is feds of cyclo converter. So, we have phase a phase b phase c which are fed from cyclo converter. The field is also controlled from a rectifier.

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So, we can see how we can have a cyclo converter fed synchronous motor drive with unity power factor operation. So, we can show in terms of a block diagram and see how

we can implement this block diagram in practice. So, we have cyclo converters. So, these are the cyclo converter blocks and the cyclo converter, each one is having 2 anti parallel bridge. And we have a isolation transformers here, and then we feed the armature of the synchronous machine. So, and we to have a encoder for the position feedback. So, this is our encoder.

So, this has to variable speed drive. So, we have to our speed control, we have to have speed feedback. So, here is our reference speed ω_r^* and then we compare that with actual speed and we feed the error to a P I controller. It is the simple P I controller then, we have a limiter, to limit the output of the P I controller. P I controller usually consist of a proportional gain and integral gain. So, output sometimes can feed infinity if not properly limited. So, we have to use a limiter following a P I controller to limit the output.

And, then this has to be something to do with the torque. So, the output of the limiter is the voltage delay angle δ' , as we have already discussed. So, this voltage delay angle is this angle, δ' , angle between d the axis and the voltage vector V or V_a . And here this we add with the rotor angle, we have a phase delay block it is simple, it is addition of δ' with θ_r and what we obtain is β . And this is the cyclo converter; this is the cyclo converter module that we have. And the cyclo converter has 3 phases. So, we have phase a phase b and phase c and in every phase we have 2 anti parallel bridges.

This is our phase a, this is phase b and this is phase c. Similarly, we have the currents here i_a here we have the currents i_b and here we have the currents i_c to the armature of the synchronous machine. And this current is by directional, it means the phase a current is a a c current. So, if a c current we mean it can be positive, it can also be negative. So, to facilitate it the by directional current flow we have to 2 bridges connected in anti parallel, 2 S C R as thyristor bridges connected in anti parallel. So, this is shown schematically by 2 thyristors in anti parallel. So, each 1 is a bridge. So, per phase we have 2, 6 pulse bridges. So, per phase we have 12 thyristors. So, 12 here, 12 here and 12 here, we have 6 plus 6 12, 6plus 6 for phase b, and 6 plus 6 for phase c.

So, in total we have 36 thyristors in the cyclo converter feeding the armature of the synchronous machine. And controlling the cyclo converter; to control the cyclo converter

we need a reference voltage. As a reference voltage means; we need amplitude and a phase angle. And the phase angle is beta, what about the amplitude? The amplitude is obtained from the speed. So, we have already seen that we can have this voltage generated by means a function generator. So, this is our V_a star and the V_a star is obtained by means of function generator from the speed signal. So, we can feed here the speed signal and we can generate V_a prime. And this V_a prime and beta will solve by the reference of the cyclo converter.

So, we have 3 phases and we can generate the any 1 phase. So, for example, if we generate phase a, we can generate phase b, and phase c. Phase b nearly lags behind phase a by 120 and phase c lags behind phase b by 120. So, in fact, if we have the amplitude angle of phase a we can generate all 3 phase reference for the cyclo converter. And then this cyclo converter will be feeding 3 voltages to phase a, phase b, phase c of the armature. What about the field winding? If we see the field winding; the field winding is excited by means of separate converter. So, this is our field winding and we use a converter for energizing the field winding.

So, we have again a 3 phase converter and this is the field winding which is fed from the 6 pulse 3 phase converter. And we control the field winding in occurrence with the equation that we have already derived. What is the equation i_f prime equal to i_m prime by $\cos \delta$. So, what we have here is the following, we can generate the reference current of the field winding i_f star that is equal to the magnetization current i_m prime by $\cos \delta$. And this becomes the reference current for the field winding. So, we have positive and negative here, this is i_f star. And we can have a current sensor to sense the field winding current, we have the i_f as a feed back here, and then this field winding current error is fed to a second P I controller P I 2. And we can have a limiter also here.

And, then we can generate the triggering pulses alpha to the converter bridge. So, this is how we can control the field winding current. The field winding current is control by means of a independent 3 phase 6 pulse converter as shown in the figure. Now, how do you obtain delta? Delta is a torque angle. So, we can obtain this delta by means of a block called torque angle estimator. So, this is basically estimation block. So, what we do here is this we take the feedback of the currents here, we take i_a here, we take i_b we can have the current sensors, we can we can send i_a , we can also send i_b and use the feedback to this torque angle estimation block.

And, we also have the feedback of the field current i_f . So, from i_a , i_b and i_f we can calculate the torque angle. And this torque angle δ will be input to this field current referring generator block. So, $i_f^* = I_m \cos \delta$ and δ is obtained from the torque angle estimator. So, we keep this I_m constant here, we can have the i_m fed here as a reference. And we can generate δ in this case, we can calculate $\cos \delta$ and we can find i_f^* . And this θ can be obtained from the encoder, we can have another block called angle resolver from the encoder we can calculate θ_r and ω_r . So, this is an example how we can use a synchronous motor drive with unity power factor condition.

And this is a cyclo converter phase synchronous motor drive and the cyclo converter are very robust, they can be designed for very high power application and this kind of drive that we are discussing can be used for very high power and low speed application. For example, in cement mill, wind turbine, and applications for high power and low speed as we have already mentioned. So, in the next lecture we will try to understand how we can calculate the torque by using a torque angle estimator, and what is an angle resolver, and how can we find out the speed, and the rotor angle θ_r by means of an angle resolver.