

Analog Electronic Circuits
Prof. Shouribrata Chatterjee
Department of Electrical Engineering
Indian Institute of Technology, Delhi

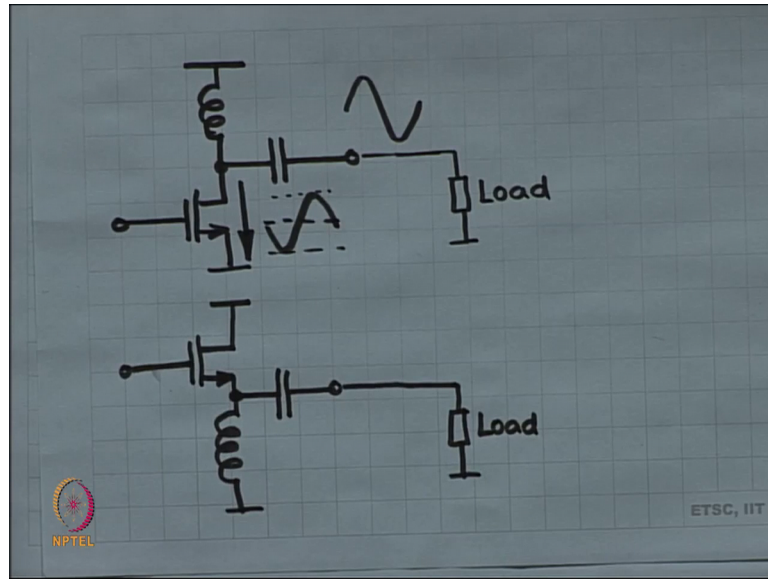
Lecture - 36
Power Amplifiers 2

Welcome back to Analog Electronics. Today is lecture 36, and we are going to continue with our discussion on Power Amplifiers. Yesterday we were talking about power amplifiers and we had a few revealing insights. We started with the common source amplifier, made it as simple as possible with a big inductor and a big capacitor right. We also worked with a common drain amplifier where the same thing happened, we had a big inductor and big capacitor. Then we applied an input looked at the output and then we figured out the ratio of the power that we manage to deliver to the load to the power that we absorbed from the DC power source.

And we found that there is an upper bound on this ratio, the upper bound is 50 percent and that too this is an optimistic overly optimistic upper bound right. We I already we already discussed the lacuna why this even this 50 percent is little overly optimistic. Anyway, so, let us say best case scenario is 50 percent. So, 50 percent is the efficiency of the circuit, the ratio between the power that we can deliver to the load to the power that we absorbed from the DC power source; which effectively means that if I want to deliver 1 watt to the load, 1 watt is going to be burnt extra as heat ok.

And this is generally a very bad thing. I mean, you do not want to waste power as heat. Heat is the worst form of energy right. So, once energy is burnt as heat, you cannot get it back, you cannot mostly not usable anymore, alright.

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So, our circuit we had I will just redraw once again. We had one MOSFET, we had an input, and here a big capacitor at the output. The biasing was through the inductor ok. So, this is the structure of the circuit alright. And more or less this configuration is the configuration of a power amplifiers ok. We also discussed an alternate version of this, where the MOSFET is common drain as asupposed to common source. The common drain form is sometimes used, but it has other issues.

Namely, you remember we had discussed a long time back when we were studying the common gate, common source, common drain amplifiers; after we had done the capacitive stuff after figuring out the capacitances. We are redoing the common source common gate and common drain circuits right. Now during that revision of the common drain circuit, we figured out that the output impedance of the common drain circuit is inductive, it looks like an inductor which basically means that as frequency increases the output impedance increases. Now this is true for all voltage buffers anyway.

So, we were seeing that if there is capacitance in the load, then the inductive output impedance and the capacitance in the load resonate with each other and it can cause instability ok. A lot of times therefore, the common drain circuit is not going to be preferred right especially if you know beforehand that the load is capacitive. If the load is not capacitive, if you are sure there is no capacitance in the load then no problem, but if the load is capacitive, then beware right you can still use common drain circuit as long

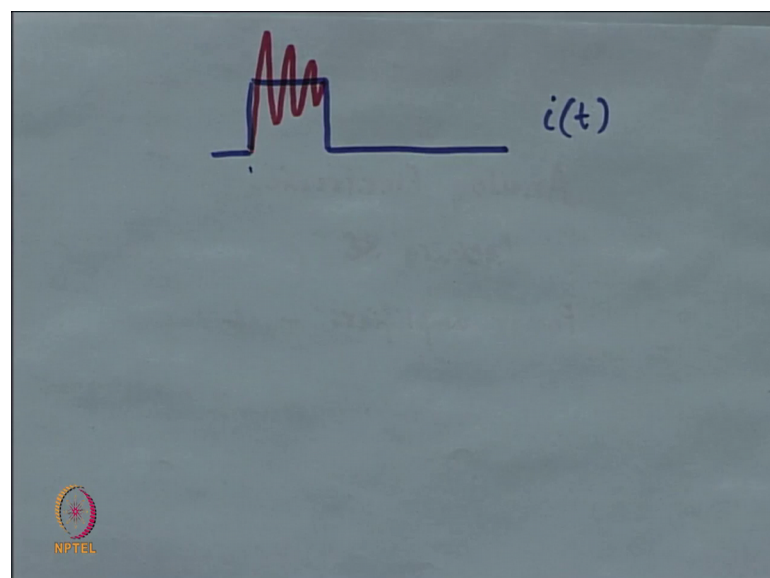
as you know what you are doing ok. So, you should convince yourself before jumping into the common drain circuit. Convince yourself that this is going to work without causing instability.

Instability means when there is resonance in the circuit, then somehow you know the poles might end up in the right half plane, and then you know you are going to get large oscillations. So, you might see these things in the lab a lot of time for example. A lot of times in the lab when you are trying to draw a large current from a power supply ok.

There are these power supply boxes right in the lab, all of you have gone to the lab have used some lab or the other. And typical equipment in the lab are there are oscilloscopes, there are power supply, there are function generators right. And a lot of times you know the power supply is either going to look like a box like this or a box like this something where you connect right.

Now, when a lot of times when you try to draw large impulsive currents or large currents ok, transient currents, large transient currents ok. Suppose I try to draw a current waveform which is you know is outside the boundary of this course right. So, I am just discussing sketchily.

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Suppose you are you have got this power supply box, and from the power supply box your trying to draw current that looks like this, ok. And this amplitude is very large, and

this time also is very small alright. And invariably what happens is that loads are capacitive. Remember, recollect your class 11 or class 12 electrostatics when you studied electrostatics in class 12, you would have studied that metallic sphere has some capacitance ok. Just a metallic sphere has capacitance ok, anything made up of metal has capacitance ok. Capacitance is everywhere between any 2 objects there is some capacitance, you can work it out as if you know conductor insulator conductor.

There is capacitance between my 2 hands ok. So, these capacitances are there everywhere, it does not really have to be a physical capacitor ok. You have implemented something on a circuit board. Now there is a wire going to the circuit board, there is another wire coming out of the circuit board, between the 2 wires there is going to be capacitance ok. So, invariably even if you did not deliberately have a capacitive load, invariably your load will have some form of capacitance. A little bit of capacitance ok, if not a lot. So, for example, in the lab we have measured that if you take one of those integrated circuits, the capacitance between any 2 pins is of the order of several picofarads ok. So, capacitance is there everywhere.

Now, suppose you take this large current, transient current you draw this transient current from the power supply. The power supply is a voltage buffer of sorts; we are going to discuss power supply soon. But it is a voltage buffer of sorts its output impedance is going to be heavily inductive. And you are driving some sort of a capacitive load, you have got a heavy inductive output impedance, right. If you look at the overall Thevenin equivalent impedance, you will have one inductor one capacitor right. And you have this large transient waveform it is going to cause a huge amount of. So, you are going to have poles which are a pair of poles, which are very close to the imaginary axis, if not on the right half plane.

Sometimes these poles go to the right half plane then it is disaster. Even if they do not go to the right half plane, if they are close enough to the imaginary axis, you are going to get a response that looks like this ok. If you have got a pair of poles, very close to the imaginary axis ok. And whenever you have got this l and c coming in shunt with each other right this is something to be afraid of alright. So, generally speaking therefore, we avoid this kind of a setup.

Especially, when it comes to power amplification; however, the concept is the same ok. And we discussed it in the last lecture the result is exactly the same. Just that in the last class we did not incorporate capacitance between a gate and source right, if you through in capacitance then poles are going to pop up, and then suddenly you might start observing that things might become unstable or near unstable, both are bad enough ok.

So, generally speaking this is avoidable unless you know what you are doing right. A lot of times if you really know what you are doing then this is alright. So, our power amplifier circuit for now is going to be the first one. We are going to stick to this power amplifier circuit. And even with this power amplifier circuit what you saw was that if I want to maintain the MOSFET in saturation at all times, then the maximum theoretical upper bound of efficiency is 50 percent, fine. So, this kind of a power amplifier is called a class A power amplifier ok.

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Class A P.A.	MOS is in sat. ^{conducting} for 360 2π	Max η is 50%
Class B P.A.	conducting for π	$\frac{\pi}{4}$ 78%

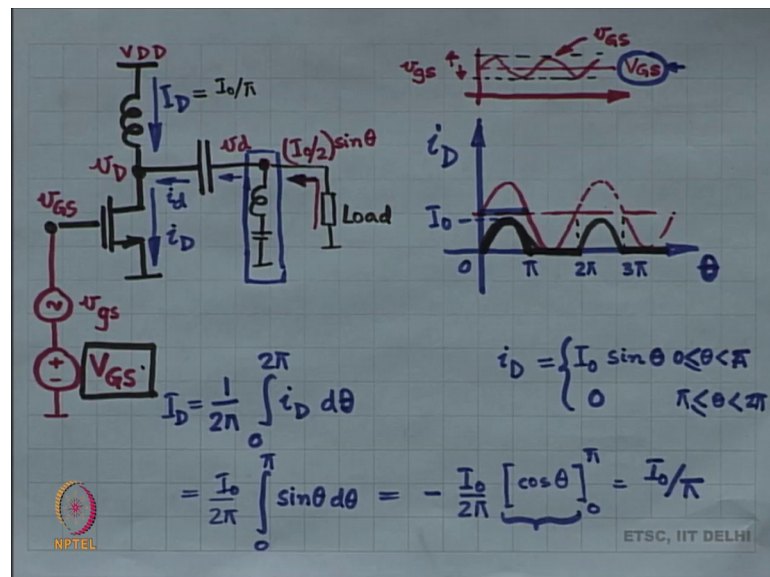
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And in the class A power amplifier, the MOSFET is in saturation all the time throughout the cycle of the waveform. So, the cycle of the waveform if you think of one sin wave right, throughout this one sin wave this current waveform is going to; so, if the voltage over here is this, and the current is the opposite. So, throughout this waveform the current is positive non-zero right, at best it is hitting 0 right, but it is not going below 0, throughout the waveform. So, we say that the MOSFET is conducting current through all 360 degrees of the current phase of the phase of the signal right. The entire period of the

signal the MOSFET is conducting current right. We say that the MOSFET is conducting current for all 360 degrees of the phase of the signal ok. And, in this case we found that the maximum efficiency is 50 percent, alright.

Now, when I freeze it like this it kind of gives you a hint as to what to do next ok. So, the hint is that we are going to make keep the, I am, we are not going to make keep the MOSFET conducting for all 360 degrees ok. That is going to be the hint right. So, if not 360 how many degrees? We are going to try different options ok. So, let us try the following.

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So, our circuit remains the same ok. This is the circuit; for all the power amplifiers the circuit is the same. Only later on we are going to make some slight modification and arrive at newer circuits, but right now the circuit is fixed alright. We are going to change make some slight tweakings over here, what we are going to tweak is the value of V_{GS} , capital V_{GS} ok. We are going to change the value of capital V_{GS} .

So, yesterday we call this v_n or v_g I think we called it v_{gs} or v_g , v_{gs} it does not matter ok. What we are going to tweak right now is this one. So, earlier the combined gate voltage of the 2. So, if you look at the combined gate voltage of the 2, it has some value and around the value you are going up and down ok. And earlier what was happening was, the minimum value as well as the maximum value, this entire range of values would be above the threshold voltage of the MOSFET, such that there is current

through the MOSFET all the time, fine. This was the strategy earlier. Earlier my value of capital V_{GS} which is capital V_{GS} , the centerline is capital V_{GS} ok. Small v_{gs} is the amplitude around that ok.

The net waveform is small v_{sub} capital gs ok. The combined waveform is small v_{sub} capital gs . Now earlier we were making sure that the MOSFET always conducts current, no matter what ok. What does that mean? That means, that is small v_{sub} capital gs is more than a certain threshold all the time v_t of the device, all the time. Through all 360 degrees of the signal phase right, this is what we were looking at earlier. Now let us stop doing that ok, let us cut the MOSFET off for part of the duration, let us cut it off. So, what are we going to do? We are going to reduce the value of V_{GS} to a point.

So, earlier my current waveform ok, first let me draw my earlier current waveform, earlier the current waveform was like this. I had some value and around the value, I was going up and down, like a sin wave. And I was making sure that I do not go below 0, fine. Now what we are going to say is, let us cut the MOSFET off for some part of the cycle. Let us not keep it on through out ok. So, we are getting the MOSFET off. Let us say we cut it off for half of the time. So, we are going to conduct only during this time, and keep the MOSFET off the remaining time. Let us say that is the plan, then I am going to make a current waveform that look maybe looks like this, I am sorry.

So, this was the earlier current waveform. Now the new current waveform would look like this; is this ok? Fine, this is going to be the shape of the current waveform. Now this is small i 's of capital D , alright, let us formalize it. Let us say small i 's of capital D this time t equal to 0, let us say this is π , this is 2π 3π and so on ok. So, small i 's of capital D is equal to some i_{naught} times \sin .

So, let us without any loss in generality, let us call this θ instead of time ok. Just I am just changing the alphabet over there ok. Something like this. So, let us say $i_{naught} \sin \theta$ is the current. So, this current has a peak of i_{not} , peak value of capital I_{naught} right. And between 0 and π , it follows $i_{naught} \sin \theta$, and between π and 2π it follows 0. Again between 2π and 3π , it follows $i_{naught} \sin \theta$, again 3π and 4π it will be 0 and so on and so forth, alright.

And how did this happen? This happened just by reducing the value of the gate bias voltage V_{GS} ok. This is what we have done. Now the inductor is a short circuit, it is so

big that it is a short circuit for DC and a completely open circuit for AC ok. What does that mean? This current is still capital I D, alright. And this current is still small i's of capital small i small d ok. This is true no matter what. It does not matter what is the waveform of small i capital D, this relationship is true, the DC part is going to come through the inductor because it is an AC open circuit. And the AC part is going to come through the capacitor, because it is a short circuit for AC alright. So, this is true no matter what.

Now, how will you split up small i D into a DC part and an incremental part. The DC part is easy you just find out the average ok. What is the average current when the function looks like this, it is periodic right? How do you find the average? Some of you will rattle this out already, because this is like a half wave rectified sin wave right. If you do not remember how to do it, this is how you do it.

You integrate and then you divide by the total time, right the total time is 2π and you integrate one divide by 2π . This is the average ok, and 0 to 2π if I want to integrate from π to 2π it is 0 anyway. So, we do not have to bother, we just have to integrate from 0 to π , and that too we have to integrate $I \sin \theta d\theta$ from 0 to π ok. And π to 2π is 0 anyway. So, it does not matter, integral of $\sin \theta$ is $-\cos \theta$.

And if I plug in $\cos \theta$ equal to π , I get minus 1, and if I plug in $\cos \theta$ equal to 0, I get another minus 1. So, net is minus 2 over here there was a minus sign upfront. And therefore, the final answer is I naught by π ok. And if you remember your half wave rectifier, then you have a voltage right voltage of 220 volts, you half wave rectified what do you will get you get 220 divided by π , anyway. So, this is the result alright. So now, what we have figured out is the DC part. So, small i D must be the rest right, if I subtract the DC part out of the signal then I get the incremental part alright. So, small i D must be small i's of capital D minus capital I D.

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$$i_d = \begin{cases} I_0 \sin \theta - I_0/\pi & 0 \leq \theta < \pi \\ -I_0/\pi & \pi \leq \theta < 2\pi \end{cases}$$

$$i_d(t) = \left(\frac{I_0}{\pi}\right) + \sum_{n=1}^{\infty} a_n \sin\left(\frac{2\pi n t}{T}\right) + \sum_{n=1}^{\infty} b_n \cos\left(\frac{2\pi n t}{T}\right)$$

$$i_d(\theta) = \frac{I_0}{\pi} + \sum_{n=1}^{\infty} a_n \sin(n\theta) + \sum_{n=1}^{\infty} b_n \cos(n\theta)$$

$$a_n = \frac{1}{\pi} \int_0^{2\pi} i_d(\theta) \sin\left(\frac{2\pi n \theta}{T}\right) d\theta$$

$$b_n = \dots \cos \dots$$

So, what is my small i_D ? Something like this, fine. If you draw the waveform, then small i_D , I am sorry, this is how small i_D looks like. This shift is right and this distance is i_{D0} , so far so good, great.

Now this small i_D does not resemble a sin wave at all. I mean, it looks like a sin wave for only half the cycle. If you look at the this is the periodic signal, you can look at the Fourier series of this periodic signal you will get a sin wave component at the fundamental, but it will have harmonics lots of harmonics. So, I am going to place the load over here in the circuit ok. But before I place the load let us think a little bit right. Is it right to place just a resistive load over there? Because small i_D is going to come through that resistive load, and it is not going to look like a sin wave at all the voltage is not going to look like a sin wave ok, and that is not something very nice.

Instead what a lot of people do is place a filter ok. You can easily place a filter, let us say nose filter to make sure that none of the harmonics go through. So, you can have nose filter at the second harmonic, third harmonic at all the harmonics. Or you could place a low pass filter over there to make sure that none of the higher frequencies go through at alright. So, there are variety of techniques.

Let us imagine that there is some sort of a filter like that, maybe that filter looks like this ok. So, imagine this current has components at the fundamental and at the harmonics, alright. It has components at the fundamental and at the harmonics. As far as the

harmonics are concerned or let us say second harmonic is the dominant harmonic, and you do not want to worry about the other ones ok.

So, at the second harmonic, I make sure l and c together form a short circuit. j this is $j\omega l$ and this is $1/j\omega c$ which is which can be adjusted in value right, if this is some 5 times j , then this could be adjusted c could be adjusted to be minus 5 times j exactly at that frequency. And as a result the net impedance of these 2 can be made to be 0; which means that the second harmonic is going to go through this ok because that is a short circuit. So, for the second harmonic it is going to go through this, right. Likewise, you can build a short circuit, at third harmonic, a fourth harmonic whatever whichever harmonics you are worried about ok.

So, we are not going to discuss this in detail at all. We are in fact; we are not going to discuss it at all. I am just trying to say that you can always conceive a filter that looks like that and place it over there, alright. And as you see it is not terribly difficult to do that, fine. Then what happens to the current over here that comes to the load? All the harmonic currents are going to come through this through the short circuits, right. And the load can carry the current which is the fundamental of this periodic wave. So, pause, let us pause a bit. So, this is my i_D , this is my small i_D ok, small i_D equal to something between 0 to π small i_D is something else between π and 2π . This is the periodic signal right. What happens between 0 and 2π this is going to repeat forever ok, between 2π and 4π 4π and 6π and so on and so forth, it is repeating itself.

So, this is the periodic current. This periodic current can be broken up as a Fourier series. You know how to do Fourier series, right? Any periodic any periodic wave form can be broken up for example, i_D of t , I know i_D of t is periodic ok. Here I am writing t where it is actually just θ , t is the same as θ for me. i_D of t is periodic I know, right i_D of t can be written as some constant plus in our case the constant is already 0, we have already taken out the DC part ok. In fact, you could have work directly with i_D of capital D of t , in which case this would be I not by π , plus some $a_n \sin$ plus $b_n \cos$, and these have to be summed from n equal to 0 to infinity, you have all these components. I am sorry not $0 \leq n < \infty$ ok. The 0th term has already come out, fine? This is the Fourier series.

Now, in our case capital T is 2π , small t is θ . So, we have a little simplification over here. This is just θ ; capital T is 2π . So, this cancel out, ok. Just for clarity I am re-writing. And do you know how to figure out the coefficients? Small a_n and small b_n ? That is what you learnt in your maths class, in your Fourier series class right. And as far as I remember a_n was given in the maths class as $\frac{2}{T} \int_0^T x(t) \cos(n\omega t) dt$, I am sorry, is for a_n this for \sin and b_n this for \cos .

So, for the \cos term you have to do a \cos , for the \sin term you have to do a \sin ok, and integral with the \sin . This is what I remember from the Fourier series maths class, alright. Now in our case in our specific case once again capital T is 2π . So, these to cancel out, this comes $\frac{1}{\pi}$, t is nothing but θ ok. And for now I am really interested in the fundamental component that actually goes out through the load; which means that I am really interested in n equal to 1 ok.

Just the fundamental of this Fourier series is what is most interesting to me. All the other harmonics are garbage right. I do not like this harmonics, I do not interested in them. I am interested in the fundamental, why? Because my input voltage was at the fundamental, right. I made the sound at the fundamental, I expect the loudspeaker to respond at the fundamental. So, I am interested only in the fundamental, the garbage is not very interesting to me. So, I am interested in n equal to 1 ok. And we have already taken out the DC component. So, whether you use small i 's of capital D or whether you use small i 's of small d it is up to you, you will get the same answer ok. So, let us just do it.

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$$\begin{aligned}
 a_1 &= \frac{1}{\pi} \int_0^{2\pi} i_D(\theta) \sin \theta \, d\theta = \frac{I_0}{\pi} \int_0^{\pi} \sin^2 \theta \, d\theta \\
 &= \frac{I_0}{\pi} \int_0^{\pi} \frac{1}{2} (1 - \cos 2\theta) \, d\theta = \frac{I_0}{\pi} \cdot \frac{\pi}{2} = I_0/2 \\
 b_1 &= \frac{1}{\pi} \int_0^{2\pi} i_D(\theta) \cos \theta \, d\theta = \frac{I_0}{2\pi} \int_0^{\pi} \sin \theta \cos \theta \, d\theta = 0
 \end{aligned}$$

$\int_0^{\pi} \sin \theta \cos \theta \, d\theta = \int_0^{\pi} \frac{1}{2} \sin 2\theta \, d\theta = \int_0^{\pi} \sin \alpha \, d\alpha/2 = 0$

I am interested only in a $\frac{1}{\pi} \int_0^{2\pi} i_D(\theta) \sin \theta \, d\theta$ of theta small i's of capital D was a niter function ok. It looks more attractive then smaller i small d. So, let me just use small i's of capital D ok. I think my answer is going to come faster if I use small i's of capital D the result is going to be the same you can use small i's of small d as well. And if you remember small i's of capital D is $i_D \sin \theta$ from 0 to pi. And the rest of the time it is just 0; which means this integral you do not have to do go all the way from 0 to 2 pi, from pi to 2 pi small i D is already 0. So, the product of 0 with something else is 0 and sum of all of that is going to be a big 0.

So, therefore, you just have to deal with 0 to pi and in that 0 to pi range small i's of capital D is nothing but $I_0 \sin \theta$, times another sin theta ok. And sin square theta can be broken up into $1 - \cos 2\theta$, half of that ok. This is cos square plus sin square and this is cos square minus sin square.

So, the cos square portion cancels it out, sin squared and minus of minus sin squared 2 sin squared half of that sin square, just to check that, this is correct ok. Then what happens? You can do integral of $\cos 2\theta \, d\theta$ right, from 0 to pi, you what are you going to get. You need to replace substitute 2 theta with some alpha right. And then suddenly you are going to integrate from 0 to 2 pi right, to double the frequency; which basically means that this the second half of the integral is going to be a 0, and therefore you need not do it.

You only have to work out the first half of the integral, which is an integral of 1. And therefore, the answer is just π by 2 coming out of this ok. So, this is our result, and then there is a 2 and then a 3 and so on. What about b_1 ? B_1 is also at the fundamental. So, you need to check b_1 as well ok, and $\int_0^{2\pi} \sin \theta \cos \theta d\theta$ is all 0. So, once again you note that out ok; $\sin \theta \cos \theta$ is actually half of $\sin 2\theta$ fine.

And then again you substitute you say let us say let us make 2θ equal to some α , then θ is α by 2 ok. And the integrals are going to be from when α is equal to 0 to when α is going to be equal to $\alpha = 2\theta$. So, 2π and if I integrate $\sin \alpha$ from 0 to 2π right, do not worry about this factor of half. If I integrate $\sin \theta$ from 0 to 2θ , then I get a big 0. So, this entire result is 0. So, b_1 is a clean 0, alright.

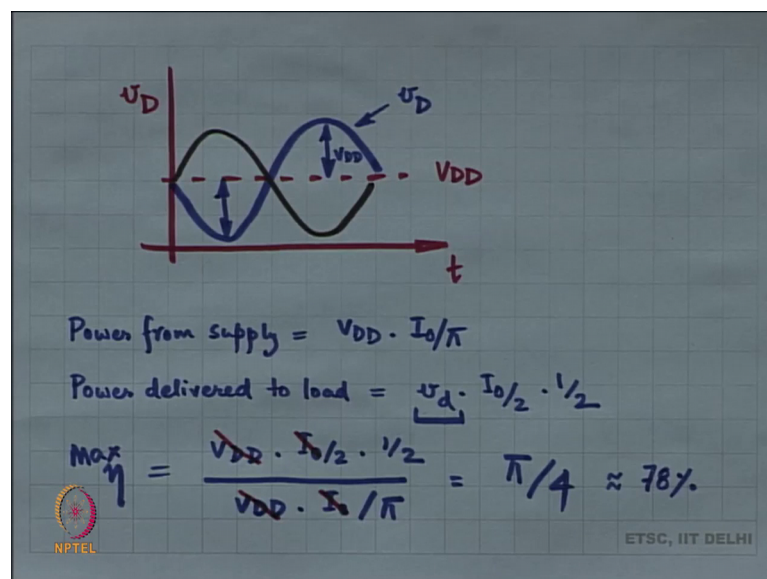
And then b_2 b_3 etcetera can be worked out, but we are not interested in b_2 b_3 . We are only interested in a_1 and b_1 ; which means, that the current that I am going to bring through the load. Remember, I have shorted out all the higher order harmonics ok. So, the higher order harmonics are not going to bother me. The actual current that is going to come through the load is just $i_{\text{naught by 2}}$. So, $i_{\text{naught by 2}}$ is a_1 ok, a_1 is $\sin \theta$. So, it is a_1 is $i_{\text{not by 2}}$ $\sin \theta$ is the correct. Is this fine? This is clear? I hope this is absolutely clear so far so good. We have not yet done in electronics, we have only you know kind of separated the current, we have split up the current small i 's of capital D into a DC part, higher order harmonics and a fundamental ok.

And I have figured out that if the current waveform looks like this if it only goes from 0 to π ; that is, if conduction happens only for 180 degrees, and not all 360 degrees, if it happens only for 180 degrees, then the DC part is $i_{\text{naught by pi}}$, and the fundamental is $i_{\text{naught by 2}}$, ok. The amplitude of the fundamental is capital $I_{\text{naught by 2}}$ the DC part is $i_{\text{naught by pi}}$. This is all that I have figured out so far; so far so good? Now let us look at the voltages. So, when I do the voltages this current is going to come through the load right, if you think of the load as a resistive load, then the voltage is going to dip by the this resistance times the current right.

So, the voltage over here, the signal voltage over here actually looks like a sin wave ok. So, the voltage at the drain is also split up into a DC, this is the DC plus the signal, small

v_s of capital D. And this is only the incremental part v_d , now the small v_d actually looks like a sin wave right, why? Because a sin current is coming through a load, fine? You can always have think of the load as a pure resistor. Even if it is not a pure resistor, even then it is a sin wave right, in the steady state. So, this voltage over here is a sin wave. In that case, what is the maximum amplitude of this voltage. So, what is small v_s of capital D? Small v_s of capital D looks exactly like before. It is a voltage riding on top of V_{DD} from sin wave which is riding on top of V_{DD} .

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So, the voltage at the drain ok, maybe my phase is incorrect, right. If the current goes up the voltage should go down, ok. This is probably the correct, ignore the black line alright. This is how small v_s sub capital D is going to look, alright. And now tell me: what is the best case amplitude of this voltage. The amplitude has got to be V_{DD} right. So, this amplitude has got to be equal to V_{DD} . So, the best case amplitude of the voltage waveform is V_{DD} , fine. Ok now let us do some numbers, but what is the current drawn from the power supply? I_D , DC it is a pure DC current I_D . So, the power drawn from the power supply is V_{DD} times I_D , and I_D is capital I naught by pi.

Then what is the power delivered to the load? The voltage across the load is small v_d sin wave, the current through the load is $I_0/2 \sin \theta$, that is also a sin wave. Therefore, the power delivered to the load this is also this is you ignore the sin theta of here part, right the amplitude is $I_0/2$ capital I naught by 2, this has an amplitude of

small v_d . Therefore, the power that is delivered to the load is small v_d times the amplitude of the current I_{naught} by 2 divided by 2 ok. And the best case the largest amplitude of v_d is what we figured out is V_{DD} , alright. So, the best case efficiency, the best possible efficiency is when this is largest, fine.

And all these factors cancel out very nicely. And you get π by 4, alright, any idea about π by 4 is like? π something like 3 ok. So, 75 little bit more than 75 you get about 78 percent, 3.14 divided by 4 right, 0.78 approximately. Now what is this? What is 78 percent? 78 percent is my new efficiency, right it is the efficiency if I conduct the MOSFET only for 180 degrees out of the full 360 degrees, right. If I say that let me restrict myself to just half of the cycle right. And during that half of the cycle current goes through the MOSFET. Remaining half of the cycle MOSFET is off, right cut off, completely cut off, because of gate bias. Then the best case efficiency in a scenario where the amplitude of the voltage is maximum right, this is also an over estimate right overly optimistic.

Because this cannot go all the way down to 0 right, but even then even with an overly optimistic view, I get at least I get 78 percent, I am not stuck to 50 percent, fine alright great. So, this kind of an amplifier, I have not done anything as far as the circuit is concerned. The circuit is the same, all that I have done is tweaked V_{GS} to a point such that half of the time the MOSFET is cutoff, alright. So, such a scenario is called a class B power amplifier, and here the MOS is in saturation, saturation is wrong is conducting, right.

And let us not call it 360 degree let us call it 2π ok, radians. So, in the class B power amplifier the MOSFET is conducting for π radians. And here the maximum efficiency is of the order of 78 percent, actually π by 4. And that is the theoretical maximum efficiency ok. So, nothing much has been done. We have studied 2 kinds of amplifiers, power amplifiers; the class A power amplifier, the class B power amplifier. And in the next lecture we will study a few more, ok.

Thank you.