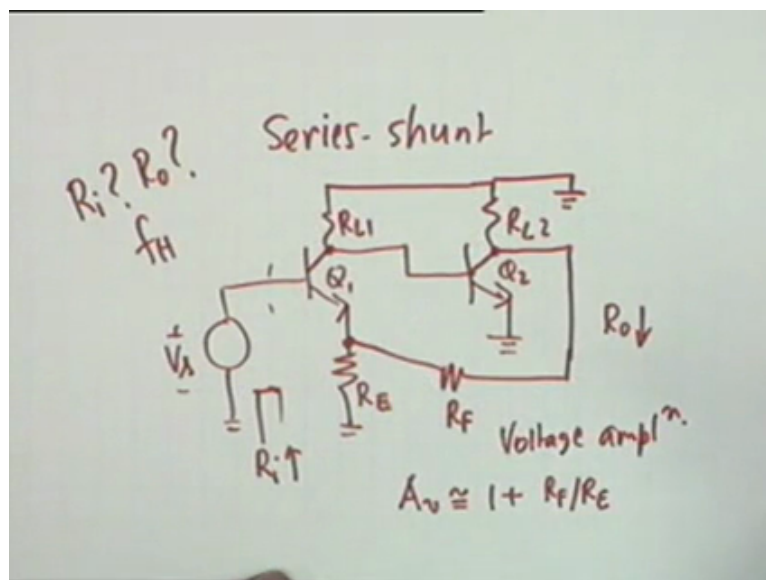


Analog Electronic Circuits.
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Lecture-47.

Widebanding by Overall Feedback and Dual Loop Feedback.

What I am asking here to do, all right. So one question is out. Okay, this is the 47th lecture and our discussion is on the topic of Widebanding by Overall feedback and dual loop feedback. Overall feedback as I have told you, the number of stages phrase usually restricted to 2 or 3. If it is 2, then the circuit is called feedback pair and if it is 3, then it is called a feedback triple. 2 examples of feedback pairs we had started, we had discussed very briefly. I shall draw the surface again.

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One is the series-shunt, that is you have a two-stage amplifier. I am not showing the DC biasing, you have a two-stage amplifier. DC biasing is not being shown so the loads are grounded. And it is a series shunt, series shunt means we should have an unbypassed emitter resistance here $R_{sub E}$ and this is my source, this is my source and the next stage can be common emitter. The output of this is fed to the input of the 2nd stage Q_1, Q_2 and since this is series shunt, the shunt connection comes from here and goes to the unbypassed emitter resistance in series with the resistance R_F .

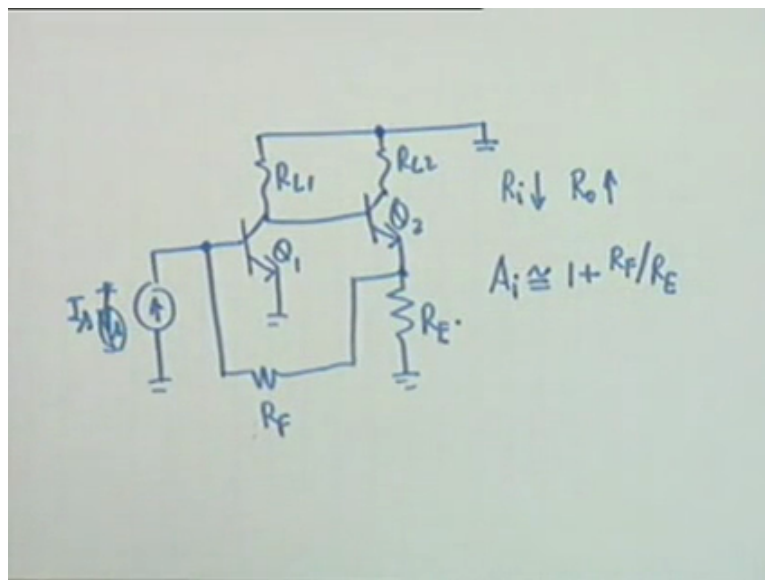
That the feedback is negative should be obvious, why? Because the voltage applied here is the input voltage V_S , source voltage minus the voltage developed across this. Now this

voltage, well I think you can see from here to here there is a phase shift of 180 degrees, from here to here, is there a phase shift? Between the voltages... What about the currents? Current and voltage shall, they are in phase. So the overall feedback is negative, you satisfy yourself that the overall feedback is negative.

Input impedance is large because it is a series connection, $R_{sub I}$ is large and $R_{sub O}$, looking back from R_{L2} would be low because of shunt connection. And therefore this is a circuit suitable for voltage amplification. Low input impedance, I am sorry, high input impedance, low output impedance, voltage amplification and the voltage amplification made brand value can be approximated, can be shown as approximately $1 + R_F / R_E$. The exercise is that you should carry out R to find the mid-band value of R_I and R_O and also, output impedance and also f_h . Obviously it is not a trivial circuit, Miller effect, Miller simplification cannot be done for Q_1 . Why? Because there is R_E , okay. But Miller simplification obviously it can be done for Q_2 , all right, it can be done for Q_2 , do that.

But here you have to receive C_{mu} as it is but you will see that one or the other time constant will dominate, okay. That part of the exercise is left to you. The 2nd circuit which we had already briefly drawn the other day is a shunt-series. Shunt-series and it is simply the dual of series-shunt.

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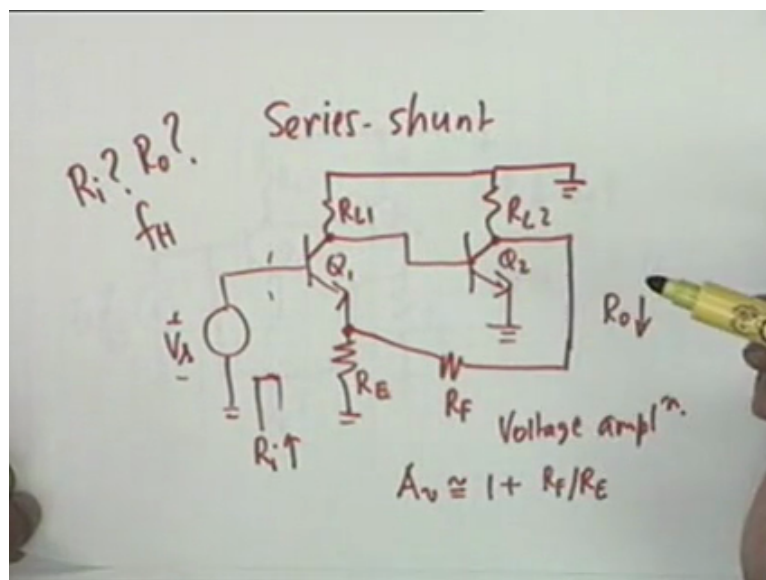
The circuit is like this R_{L1} , this goes to the next stage, Q_2 R_{L2} , I suggest shunt series and therefore the source is here or so the now should be a current source, $I_{sub S}$. Because it is a shunt series, the shunt connection will be from here and the output connection is series and

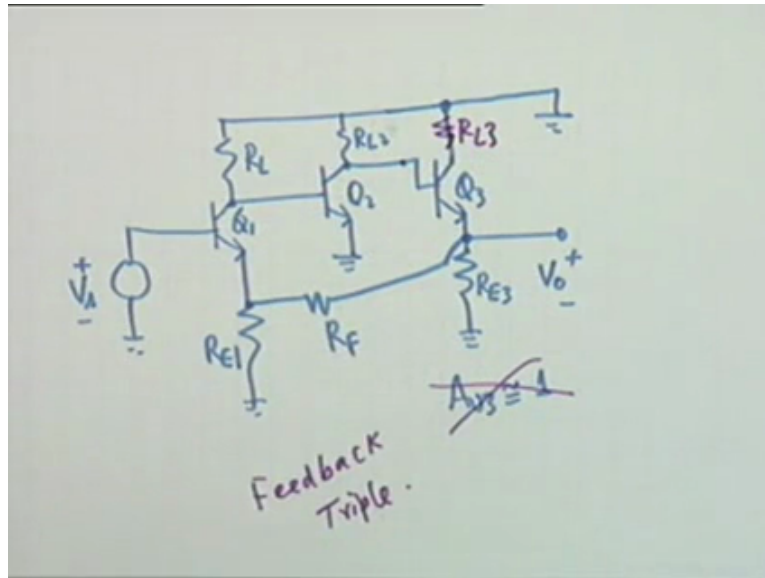
therefore I should take a voltage across an unbypassed emitter resistance R_E . The voltage across this will be proportional to the load current, that is how it is series. And the feedback is through a resistance R_F . As I said R_i will be low for this, R_o would be high and therefore it is a current to current transducer.

And the amplification factor approximately the mid-band application is the same as in the previous case R_F by R_E . Again you can carry the same exercise, find R_i find R_o and find f_H . Now because of our obsession with voltage signals, most of our processing is through voltage, we shall at the fag end of the class we will see, not this class but later we will see that the current processing avoids most of the limitations on Widebanding, current processing.

Nevertheless, because of historical reasons we have always thought of signals as voltage signals, although current processing is fast coming into the picture. It is not yet fully developed by if you can compare with the same transistors, Q_1 and Q_2 , same transistors, the series shunt and the shunt series combination is, you might find that the shunt series, that is this current processing has a higher bandwidth than the voltage processing, okay.

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Nevertheless since this is a circuit that is mostly used in order to make this, in order to isolate the load from the transistor, from the feedback circuit more effectively, one usually adds a 3rd stage which is a common collector stage, okay. And the total circuit then becomes as follows. We have Q1, this is the series shunt with a buffer and therefore you require 3 transistors. It is not exactly feedback pair, it will be a feedback triple but the 3rd transistor acts simply as a common collector. So we have RL 1, this is Q1, the output is fed to Q2.

Q2 is grounded, RL 2 this is grounded, this output, output is from here is taken to Q3 which is a common collector stage, okay. And the feedback is derived from the unbypassed emitter of Q3. It is a common collector stage, so the output voltages here and this is your voltage V0. The feedback is applied through a resistance from the unbypassed emitter of Q3 to the unbypassed emitter of Q1. We call this RE 1 and this is RE3 and there is simply a resistance RF connected here, the source should be a voltage source VS, it is a voltage to voltage amplification.

If you compare this with the previous circuit, that is the two-stage overall feedback or a feedback pair, all that has been added is you see, all that has been added is instead of taking the output from, no this is not the circuit, series shunt, this is the circuit, okay, this is the circuit. Although it has been added, but instead of taking the output from here, output has been taken from that of a common collector stage, another common collector stage will be added. What do you think will happen to the gain of this stage, the mid-band gain?

It should remain the same because it is a voltage to voltage and the gain of the 3rd stage AV 3 is approximately equal to 1. However the 3rd stage thus contribute a couple of poles, is not that

right. This contributes a couple of poles, one is due to C_{π} and the other is due to C_{μ} . However there is no Miller multiplication, why not, because Miller effect C_{μ} is from here to here, which is grounded, okay. So it does not harm f_H as badly as it would have if there was a load here. And if you add a load here, what do you think will happen? If you add a load here, that is if you add R_{L3} here...?

The gain will increase.

The gain will increase, the bandwidth decreases. This precisely is the circuit of the so-called feedback triple. If R_{L3} is absent, if R_{L3} is 0, then it is a feedback pair with a common collector output. If R_{F3} is not equal to 0, then it is a feedback triple. You can see that the overall feedback is negative and all the 3 stages take part in amplification. What is called a feedback, this is a 3 stage amplifier, the feedback is from, is this still series shunt? Yes of course because the voltage across R_{E3} is proportional to the load current, okay.

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The image shows a handwritten equation on a whiteboard. The equation is:

$$A_v \approx \frac{-R_{L3}(R_{E1} + R_{E3} + R_F)}{R_{E1}R_{E3}}$$

Below the equation, there are handwritten labels: $f_H ?$, R_i , and R_o .

So this, this is the series shunt and feedback triple and approximate expressions for the mid-band gain A_v is equal to minus R_{L3} , not R_{L1} or R_{L2} . R_{L1} and R_{L2} approximately do not take part in fixing the gain. The gain is almost determined by R_{L3} and the 3 components of the feedback network, that is R_{E3} , R_{E1} and R_F . Can you guess the underlying assumption, underwater condition will that be true? The betas are large, that is the only assumption. And the approximate expression is R_{E1} plus R_{F3} plus R_F divided by R_{E1} multiplied by R_{E3} . This is approximately the gain of this stage.

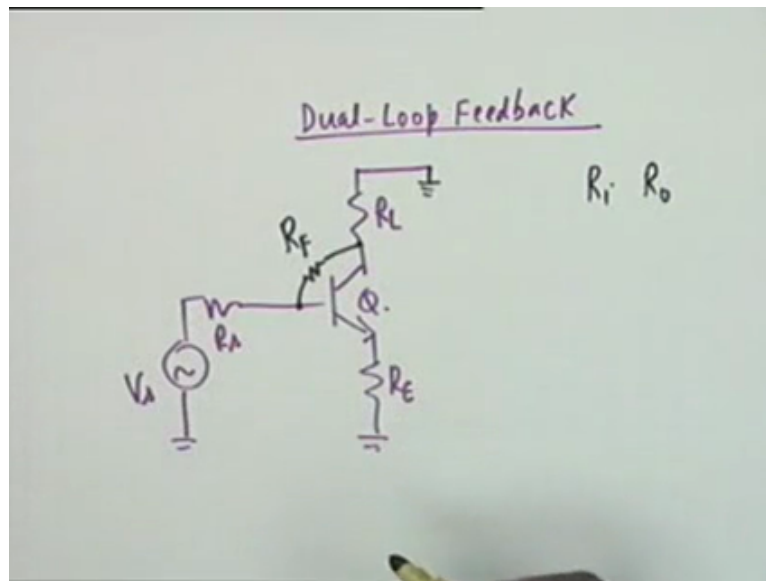
And you see the gain can be made independent of R_{L1} and R_{L2} , it is determined by the external 3 resistances which is formed by the feedback and the load of the 3rd stage. You must understand the difference between a feedback triple and a feedback pair with a common collector stage. The 2 circuit behave differently and the only distinguishing features, only differentiating feature in the existence of R_{L3} or nonexistence of R_{L3} . But it affects FH drastically. FH will be higher in the feedback triple or the feedback pair?

Pair.

Pair, okay, because there is a huge Miller effect. The gain is determined by R_{L3} and therefore $C_{\mu 3}$ multiplied by $1 + G_{M3} R_{L3}$ will be a large capacitance, all right. Nevertheless a feedback triple is also available as a Chip, the internal load resistances R_{L1} and R_{L2} usually are replaced by what? Current sources, that is active load, active load. And R_{E1} , R_{E3} , R_F , these are provided externally because they determine the gain. R_{L3} , the collector of the Q3 is also brought out and you can use a resistance which you want. Okay, so here also one can try and hopefully succeed in determining FH.

And the 2 resistances, the input and the output resistances. You see the input resistance will be approximately, can you tell me what the input resistance here shall be? $R_{Pi} \parallel (1 + R_{E1})$ parallel... That would be the input resistance without feedback. That is the A circuit, A circuit, it is not easy to guess it from the circuit itself, it is not easy to guess. You will have to draw the A circuit, any beta circuit and find it out, okay. So you can find out R_i , you can find out R_o . I can tell you that this will not be trivial, this will not be trivial exercise unless you can figure out how to simplify this circuit. And that itself is an interesting task.

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Now there is something called dual loop feedback, that is remember that in local feedback, that is in a single stage feedback, we have used either series series or shunt shunt. In a simple, simple local feedback we had either used series series, which means an unbypassed emitter resistance, series series was useful as a voltage amplifier or current amplifier? Current to voltage or voltage to current?

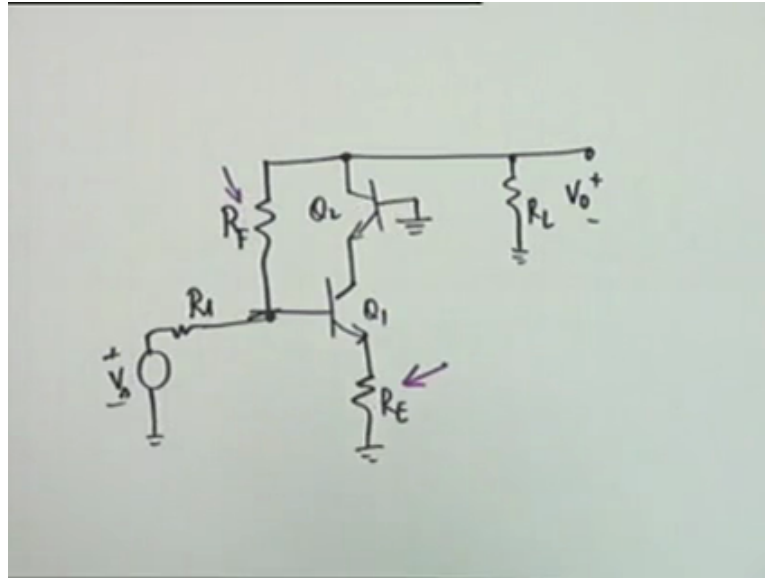
Voltage to current.

Voltage to current, okay, V_s , R_F , this is R_L and this is R_E . Now naturally the question arises and in the shunt, in the, in the shunt shunt what we had done was to connect a resistance from here to here and R_E was equal to 0, all right. Now in this case R_i is high and R_o is also high, is not that right. Okay, on the other hand in the shunt shunt R_i was low, R_o was also low. Now in order to make a precise control of the input and output resistances, one there is no harm in using a dual feedback, that is use this as well as this and adjust the 2 feedbacks by adjusting 2 resistances for one resistance such that the input resistance and the output resistance are exactly the values that you want.

Now a typical situation is in a power amplifier were plus A power amplifier where you want to deliver the maximum available power to the load. You do not care for voltage amplification there, you do not care for current application, what you bother is that the power, maximum available power should be transferred to the load. And there is a precise control of our sub I and R sub 0 are needed. And this is often used, this is called a dual load feedback.

Dual load feedback can be through a single transistor, can also be through 2 transistors connected in the cascode configuration, all right.

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It can be either this circuit or it can also be a circuit in which Q is replaced by 2 transistors in cascode, one sitting upon the other. Well, the circuit would be like this, a transistor Q2 which sits upon a transistor Q1, this is a cascode connection. The overall load is here, one can easily guess while a cascode is used instead of a single transistor, let me draw the circuit, then. The base of this, this is a common base circuit, the base of the 2nd transistor, as is usually case, the case in a cascode connection, Q1 and the voltage source VS, RF, it is a dual loop feedback, so there is an RE and the feedback resistance, the shunt-shunt connection is from the collector of Q2 to the base of Q1, okay, this is RF.

You see that this is a dual loop feedback. One is to RE, the feedback is through RE, this gives rise to series-series and this gives rise to shunt-shunt, both are used in order to precisely control RI and R0 because the major concern is neither voltage amplification nor current application but maximum, maximum transfer of available power, transfer of maximum available power to the load. You can see why this circuit will be preferable as compared to the single transistor circuit for the usual reasons. Let us see if you recall what are the reasons.

The high-frequency performance of this circuit, the cascode circuit will be better than that of a single transistor circuit. This is always the case because the C mu here will be reflected as 2C mu and C mu here will be grounded. And therefore the Miller multiplication does not

occur, Miller multiplication occurs but very little in Q1, just doubling and none in Q2 because that C mu is grounded. Therefore this is a preferable circuit.

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Let: $R_F = R_L = R$
 $g_m R_E \gg 1$
 $R_i \cong \frac{R_F R_E (R_F + R)}{R_F R_E + R_F R + R_E R}$
 $R_o \cong \frac{R_F + R}{1 + R/R_E}$

Now if you analyse a single transistor circuit, if you analyse the single transistor dual loop circuit, then the result, mid-band results are as follows. Since we are talking of maximum transfer, maximum available power transfer let us say R_F is equal to R_L . Well if that is so, if R_F is equal to R_L , what did not we connect R_L directly to R_F ? Maximum available power would have been transferred? Why did we introduce a transistor at the feedback? I am appealing to your common sense. Then the power, if R_F and R_L were connected directly, who would supply the power, only V_S , well, V_S be simply a microphone.

It is no way to transfer power, to deliver power and therefore we use a transistor amplifier in between so that power is converted from DC to AC. Okay, that is the reason why the transistor amplifier is there. Let R_F is equal to R_L and let this be called equal to R . And let us also impose the condition that $G_M R_E$ is much greater than 1 so that one plus $G_M R_E$ can be replaced by $G_M R_E$. One plus $G_M R_E$ occurs because of the feedback through unbypassed emitter resistance R_E . Under this condition the mid-band input impedance R_i is approximately given by $R_F R_E / (R_F + R)$, R is R_F and R_L , both are equal, divided by $R_F R_E$ is less $R_F R + R_E R$, this is approximately the input resistance mid-band.

And the output resistance are 0 is equal to $R_F + R$ divided by $1 + R/R_E$. Is this dimensionally valid, this expression? Yes it is. The denominator is dimensionless, try to show that this is the case. In addition if you desire maximum power to be transferred, not only from

the supply to the load but also from the source of signal, that is V_S , then obviously what you desire is that R_I should be equal to R_S , okay. So and let us have and since R_L is already equal to R_S , therefore the output resistance should also be equal to R_F , all right.

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96 $R_i = R_o = R = R_S = R_L$
 (matched condn.)

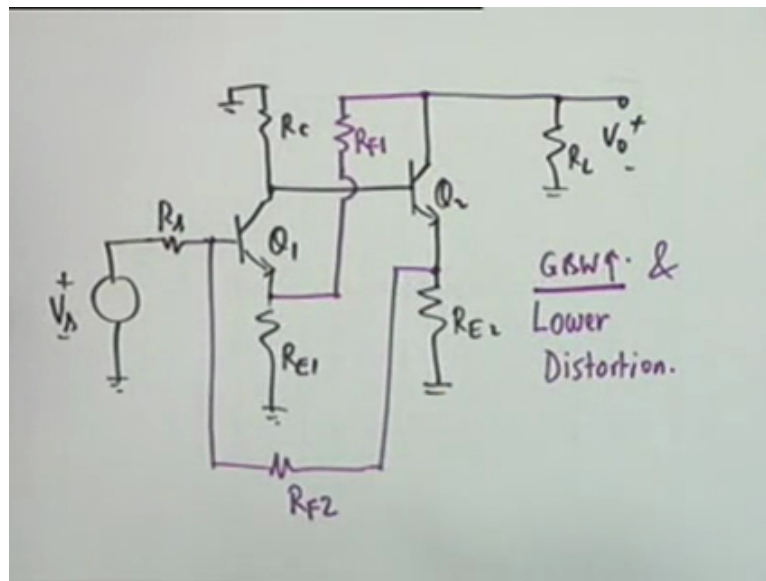
$$A_v = \frac{V_o}{V_i} \cong - \frac{R \parallel R_F}{R_E}$$

$f_H ?$

If that is so, that is if in addition you require that R_I equal to R_O equal to R , then obviously no power is lost anywhere. You could not deliver more power than this, this is the ideal conditions. And under this condition, this is the matched condition, you include your equal to R_S equal to R_L , all right. Under this condition, match condition, the voltage gain H sub V which is equal to V_O by V_I is approximately equal to minus R parallel R_F divided by R_E , very simple result. That is the load resistance, the source resistance, which of them being equal to R , the parallel resistance, the feedback resistance R_F and divided by R_E , this is the voltage drop.

Please do try to prove these results and also make an attempt to find f_H . Now this dual loop feedback using a single transistor, we said it could also be applied to the cascode connection. There is another way that can be applied. And that is instead of a, instead of a cascode we use the cascode connection, all right and apply the shunt connection and the series connection in a noninteractive fashion. It is not difficult to imagine how this is done, let me draw the circuit. Two-stage dual loop circuit, okay. The cascode connection is not stage, because one helps the other to reduce the Miller multiplication but two-stage means that there will be more amplification, okay. And this circuit is as follows.

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You have a transistor Q_1 , some $R_{sub C}$ which let us say is grounded, then this goes to Q_2 , Q_2 no longer sits upon it, Q_2 is the 2nd stage. And Q_2 has the load R_L , this is the final load, this is V_o and the feedback is applied in a dual loop like this. This is R_{E2} and R_{E1} , this is slightly tricky circuit, I should not make a mistake. The shunt series connection is like this. From here what we should have done is if it is a shunt feedback, we should have taken to the base of Q_1 . Instead of doing that, that is what I said in a noninteractive fashion. The base, this voltage, what is the difference in phase between these 2 voltages?

The base voltage and the emitter voltage, what is the difference? They are in phase and therefore you could as well apply it here. This is one of the feedback and this I will call as R_{F1} , this is a shunt feedback and the other one, the series feedback is applied, the shunt series, shunt series feedback is applied from here to this point, okay. So this resistance is R_{F2} , this is the dual loop feedback using two-stage. It can be shown that as compared to the cascode circuit, this circuit because the 2 feedbacks are noninteractive reduces the Miller effect, it can be shown.

And it gives a higher gain bandwidth product. Not only introduces the Miller effect is also increases again because of 2 stages. So the GBW increases and a practical matter is that distortion in the circuit is lower than in the previous circuit. These are the 2 distinct advantages was obviously use easy analysis and design of the circuit is much more complicated. At least you should try to do a mid-band analysis, okay. And the results of mid-band analysis are as follows. Is the circuit clear? Is it clear that both are negative feedback?

What is the overall bandwidth?

Pardon me?

What happens to this overall bandwidth?

Overall bandwidth increases as compared to the single transistor all the cascode circuit. That is how the gain bandwidth, gain also also increases, bandwidth also increases as compared to the previous circuit, okay.

Is it possible that both will increase...?

As compared to the previous circuit, that is a single transistor circuit or a 2 transistor circuit, 2 of them are in cascade, okay. You see in the cascode connection the gain does not increase, what increases is FH. Whereas here FH increases and also the gain as compared to the previous circuit. Now is it obvious that both feedbacks are negatives? This I have shown, this is negative, what about this, if this negative? Between this voltage and this voltage there is a phase shift of 180 degrees, between this and that there is no phase shift, and therefore indeed it is negative feedback.

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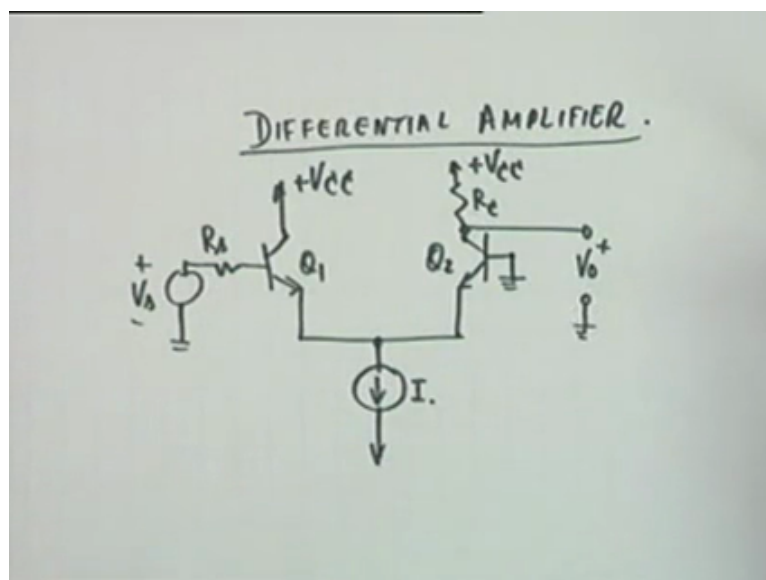
$$\begin{aligned} \text{If } R_L = R & \\ R_i &\cong \frac{(R_{F2} + R_{E2}) R_{E1} R}{R_{E1} R + R_{E2} (R_{F1} + R_{E1} + R)} \quad \checkmark \\ R_o &\cong \frac{(R_{F1} + R_{E1}) R_{E2} R}{R_{E1} (R_{F2} + R_{E2} + R) + R_{E2} R} \quad \checkmark \\ \text{If } R_i = R_o = R & \\ A_v &\cong \frac{V_o}{V_i} \cong \frac{R_{F1} + R_{E1}}{R_{E1}} \end{aligned}$$

They both apply negative feedback and the purpose of absolute feedback I received if you precisely control $R_{sub I}$ and $R_{sub O}$. Now if you make a mid-band analysis with the assumption that R_F is equal to R_L as in the previous case. If this is true, then $R_{sub I}$ is approximately equal to, please note these expressions and try to verify, $R_{F2} + R_{E2} RE1R$ divided by $RE1R + RE2$ into $RF1 + RE1 + R$. Not a simple expression, one should

do it, one should derive this carefully. And R_0 is approximately $R_F + R_E$, very similar expression, only 2s are replaced by 1s.

$R_E + R$ divided by $R_E + R$ into $R_F + R_E + R$, can you tell me what this next expression, $R_E + R$. And the voltage gain A_V which is equal to V_0 by V_I is approximately equal to $R_F + R_E$ divided by R_E . I have done, I have written this intentionally, tell me there is an inconsistency in this expression. Are these dimensionally valid? Dimensionally valid, okay. How come, that is the question that should rise in your mind. How come this is independent of R_F and R_E ? Because it has been assumed that for this we assume that R_I equal to R_0 equal to R . That is how it only depends on R_F , R_E and R_E , R_F and R_E .

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What is the condition for these 2 to be equal? R_E is equal to R_E and R_F equal to R_F , okay, this is the condition, you should try to derive this. Finally in this class, in the rest of the time that is left we go back to the differential amplifier. We now show that the differential amplifier which we had discussed very elaborately can be used as a wideband amplifier. And one of the circuits, I do not remember in which manual I gave this circuit, the differential amplifier had a modification that one of the transistor was did not have any load in the collector.

2nd one.

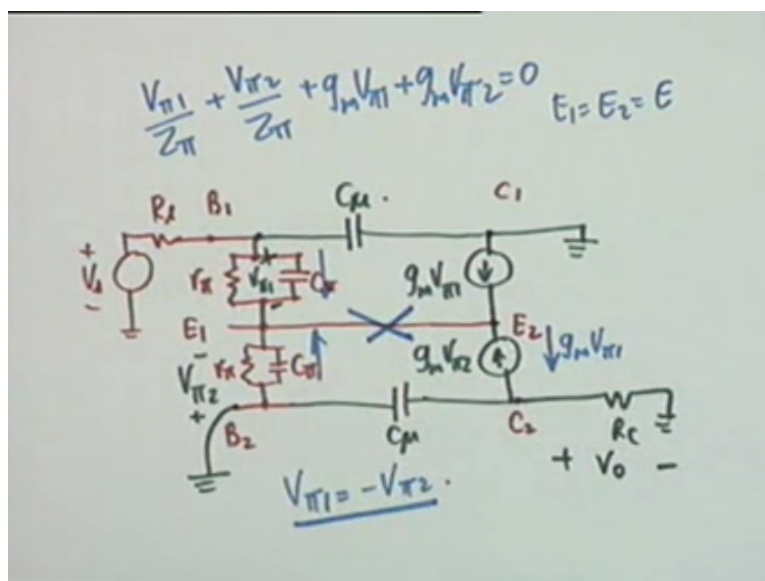
2nd one, okay. That circuit, that circuit I had used intentionally there because that circuit is a very polar circuit as a wideband amplifier without affecting the CMRR or the gain, it becomes a wideband amplifier. Let me draw the circuit, then I will explain why it is

wideband. The circuit is VS, RS, it is a single ended circuit that is input is applied, it is not used to amplify the difference between 2 voltages, it is used to amplify a voltage but 2 transistors are used in the differential connection. That is the coupling is true emitter, okay. So one of these, one of the transistors Q1 is a common collector, okay, it goes directly to Vcc, it does not have a load.

The emitter comes here and is coupled to the transistor Q2 emitter and the common point is biased, the bias is by forcing a constant current, a current generator from the common emitter to the negative supply or whatever it is, the ground. This has a load, let us call this R sub C, this goes to plus VCC and the output is taken from here. What do you think this base should go to, where should it go to, ground, okay. And the output is taken from here to ground. This is a very popular circuit as a wideband voltage amplifier, okay. It is not, it is not differential amplifier in that sense but the differential configuration has been used to make it wideband.

And the reasons are not difficult to imagine why it is wideband, why it is wideband is because this is a common collector and therefore C mu, C mu from here to here does not cause Miller multiplication. Similarly here, from here to ground once again it is grounded, so both C mu, their teeth have been taken off, so they cannot bad, okay. They cannot harm this circuit, okay. Let us see, the analysis of this is also, gives also very elegant results, analysis can be done in a very simple manner. One requires an equivalent circuit which we shall now draw carefully. The equivalent circuit is as follows.

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VS, RS, this is the source, then let us put these points B1, C1, B2, C2, and emitter is common, so let us have an emitter lies here which is E1 on the left and E2 on the right, this will help us in drawing the circuit very easily. From B1 to E1 what do you have, you have an R_{π} and a C_{π} , the transistors are identically biased and therefore all parameters are required, okay. So we will use, we will draw R_{π} and C_{π} in a little different manner. Can you guess why, I want to call this combination as an impedance Z_{π} , okay. R_{π} C_{π} is in a similar manner from B2 to E1 we have another R_{π} and C_{π} Identical impedances.

Now the $V_{\pi 1}$ and $V_{\pi 2}$ would be like this, this would be $V_{\pi 1}$ with this polarity plus minus and $V_{\pi 2}$ would be from B2 to E1 with this plus and this minus, do not make the mistake, okay. $V_{\pi 1}$ and $V_{\pi 2}$ polarities are as shown, do not make the mistake. V_{π} polarity is positive at the base and negative at the emitter, okay. Is this okay? From B1 to C1, we have C_{μ} , and C_{μ} , C1 is grounded. From B2 to C2, we have again C_{μ} , however C2 is not grounded, it goes to ground via $R_{sub C}$. And this is the voltage V_0 , output voltage V_0 .

Now what do we have from C1 to E1? We have, is the polarity correct, from the collector to emitter is $g_m V_{\pi 1}$ and this would be another, C2 to E2, another current generator with this polarity, right, which is g_m times $V_{\pi 2}$, the circuit is complete. B2 is grounded, yes, B2 is grounded. Anything else is left? Now look what happens. Let us write a KCL at this common point E1 and E2, let E1 equal to E2 equal to E, let us write KCL at E.

(())(41:42).

E2, not at all, it is a current source, infinite impedance and that is why it is open. This is E1, E2, this is current source, it is not grounded. We are not considering the differential mode, there is no differential mode, it is in that right. It is being used for the single-handed amplifier, one source, one voltage source, okay. If I write KCL at the node E, then I have to take care of one source is $V_{\pi 1}$ divided by Z_{π} , okay. This is the current coming in, the other current coming in is $V_{\pi 2}$ divided by Z_{π} , so plus $V_{\pi 2}$ divided by Z_{π} , all right.

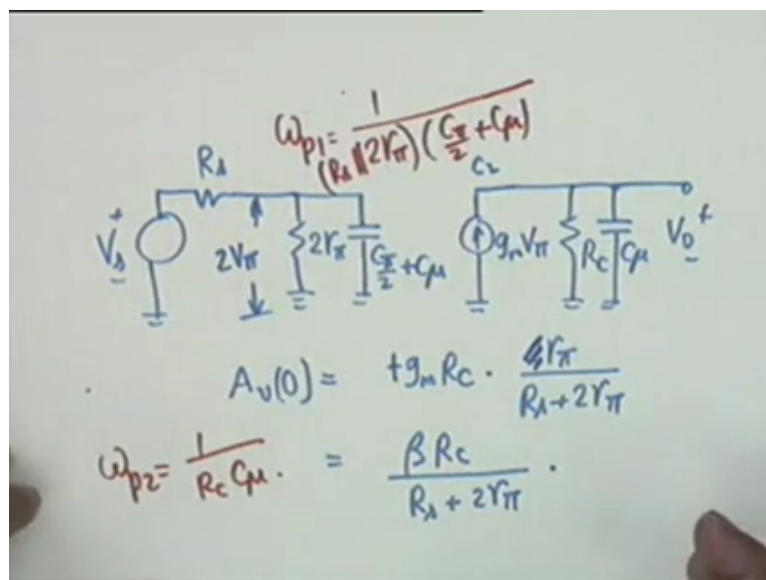
This is one current, this is another current, then I have these 2 currents, $g_m V_{\pi 1}$ and $g_m V_{\pi 2}$. So $g_m V_{\pi 1}$ and $g_m V_{\pi 2}$, all right and this should be equal to 0. What is the natural conclusion?

(())(42:39).

No. If that would have been the case then there would have been no amplifier. V_{pi1} should be equal to minus V_{pi} to which means, which means that the circuit is now tremendously simplified. You see you could have, this is Z_{pi} , this is Z_{pi} and there is V_{Pi1} here, that is V_{Pi1} here, plus minus. Is that clear? So what you have is twice Z_{pi} , they come in series, why? Because $GM_{V_{Pi1}}$, V_{Pi1} is equal to minus V_{Pi2} , so $GM_{V_{Pi}}$ comes here and it goes out like this. Therefore this connection can as well be forgotten.

You see what I mean? Now what is the simplification, let us look at the simplification, the simplified equivalent circuit. Not only that, if this connection is removed, then C_{mu} can come across R_C , so the circuit becomes easier to look at. And this C_{mu} , where does that come? It comes from here to ground, okay. So what we have is the following, the simplified equivalent circuit.

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We have V_s , R_s , then we have a , now let us look at the components, let us draw the components. Twice R_{pi} , R_{pi} plus R_{pi} in parallel with twice C_{pi} , C_{pi} by 2. Not only that, that C_{mu} also comes in parallel and therefore C_{pi} by 2 + C_{mu} , is that clear? C_{pi} and C_{pi} in series, so the effective value C_{pi} by 2 and then C_{mu} comes in parallel, what is the voltage now? Twice V_{Pi} , we do not have to say V_{Pi} , okay, V_{pi1} is V_{Pi} . What was your question? Which C_{mu} is this, this C_{mu} , from $B1$ to $C1$.

$C1$ is grounded and therefore it comes from $B1$ to ground, okay. Alright, so this is my, this is my Twice B_{pi} and then in the output circuit we have the GM_{V} , we have the GM_{V} , in the output circuit which GM we do we consider? We have to find out V_0 and therefore it is the

GM V, okay. GM V pi 1 which comes to C2, all right, it comes from ground to C2, all right. So from ground to C2, GM V Pi, this is C2 and C2 has 2 other components R sub C the load and the C mu, you see how simple the circuit has become and this voltage is V0.

Analysis of the circuit is extremely simple, you can easily see that the mid-band gain AV 0, can you tell me what the mid-band gain would be? 1st from here, minus GM RC and then 2 R Pi divided by Rs +2 R Pi. We have made a mistake.

Half of this.

Half of this, so this 2R pi should go. Is that clear? Why house, because this is GM V Pi, this is not Twice GM V Pi, right.

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Plus here, wonderful. So this is simply beta RC divided by RF plus 2R pi, this is the mid-band gain. And what is the, what is the pole frequencies? Omega P1 would be 1 by 2R pi, C pi by 2 plus C mu, I had a murmur, parallel something? That is correct, 2R pi should be parallel to RF, right so. And omega P2 should be equal to 1 by RC times C mu. And therefore I did not make any, any more, I did not write anymore equations, I did this by Inspection. I found out Omega P1, omega P2.

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The image shows handwritten mathematical equations on a whiteboard. The first equation is the transfer function: $\frac{V_o}{V_s} = \frac{A_v(0)}{(1 + j\frac{\omega}{\omega_{p1}})(1 + j\frac{\omega}{\omega_{p2}})}$. Below this, two equations are circled in red. The first circled equation is $\frac{1}{\omega_H} = \frac{1}{\omega_{p1}} + \frac{1}{\omega_{p2}}$. The second circled equation is $\frac{1}{\omega_H^2} = \frac{1}{\omega_{p1}^2} + \frac{1}{\omega_{p2}^2}$.

Can you now write down the expression for we AV, that is VS by V0 would be equal to AV0 multiplied by 1+ J omega by omega P1 multiplied by 1+ J omega by omega P2.

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Pardon me.

V0 by VS.

V0 by VS, yes, not the other way round and therefore you can now find out omega H by any of the techniques that you have learnt. Since it is a quadratic only, it is not difficult to solve for it analytically. If you do not like it, then you use $1 \text{ by } \omega H \text{ is equal to } 1 \text{ by } \omega P1 + 1 \text{ over } \omega P2$, okay.

(0)(48:44).

The 3rd is this. You can find it out by 3 different methods, one is analytical, this is also correct, this is a method of short-circuit time constant. Short or open? Open circuit do not get me make a mistake. And this is the expression approximation derived from the exact suppression, okay. We shall next time we shall take an example and compare these 3 figures and see which one is most correct.