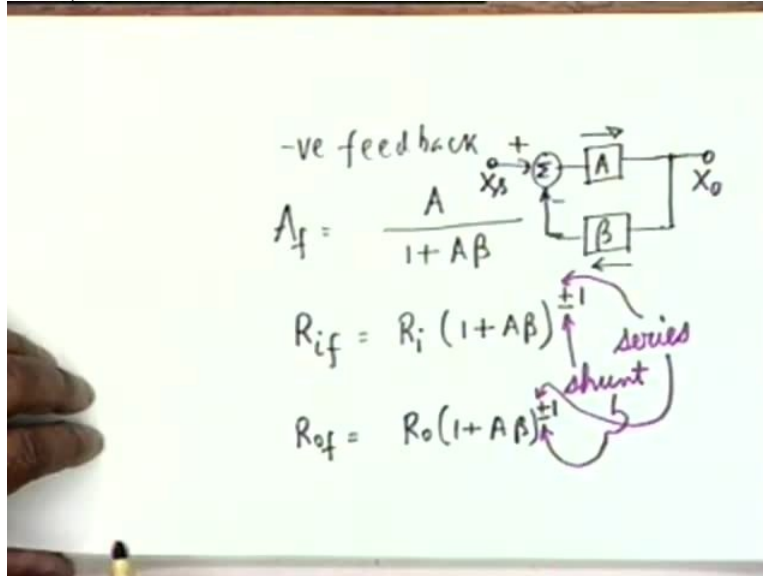


Analog Electronic Circuits
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Module No 01

Lecture 31: Analysis of Feedback Amplifiers

We are going to tackle the problem of analysis of feedback amplifiers.

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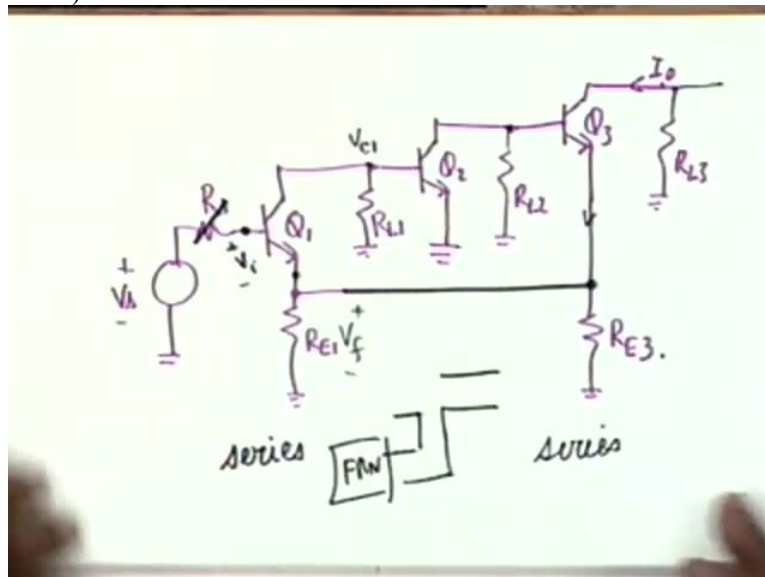
To recall what we did, we said that if there is negative feedback then the gain with feedback, A_f would be given by the gain without feedback divided by $1 + A\beta$. This formula was derived by assuming that the forward transmittance is through the A network only and the reverse transmission is through the beta network only. Then there was a feedback here with this polarity, negative feedback and the output was taken from here and this is the output. This is the input, X_s and this is the output X_o .

The assumption was that the forward transmission is through the A network only, reverse transmission is through the beta network only. In addition, $A\beta$ and the summing operation or the sampling operation do not affect the characteristics of A and beta networks. This is implied okay that any of these connections does not affect any other parameters all right. In other words for example, the input impedance of A would be very high compared with the output of the summer okay. Or that this connection does not affect the A network or the beta network.

In practice, this is not the case and that is why the difficulty arises in the analysis of feedback amplifiers. We also saw that if there is negative feedback, then the output, well the input impedance R_{if} is equal to the impedance without feedback multiplied by $1 + A\beta$ to the power ± 1 where the $+$ sign arises if the connection at the input is, the input impedance is increased if the connection at the input is series, that is correct. Series connection increases the impedance, shunt connection decreases the impedance for very obvious reasons.

So the $-$ sign appears for the shunt connection. In a similar manner, the output impedance with the negative feedback R_{of} is also equal to $R_o / (1 + A\beta)$ to the power ± 1 . And once again, the $+$ sign arises for series connection and the $-$ sign arises for the shunt connection. All right. This is the basic, this is the summary of what we did. And then in the last lecture we have taken an example of a feedback amplifier. I am tempted to take another example to show how negative feedback occurs and how the ideal block diagram that we have drawn is never never obeyed in practice. And therefore the problem arises when you have to make some simplifying assumptions.

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One example of negative feedback, then we shall identify the type of feedback. We have a V_s, R_s , a transistor Q_1 which has a resistance, R_{E1} at its emitter. Feedback will be applied to this resistance. Then, I am not showing the biasing circuits. This is a load of R_{L1} . The amplified voltage is applied to the base of the 2nd transistor Q_2 whose emitter is grounded, it is a common

emitter. The load of the 2nd stage is R_{L2} and this voltage is used to drive the base of the 3rd transistor $Q3$ and the current, there is a load R_{L3} , the current is sampled by means of a small resistance at the base of $Q3$, we call this R_{E3} .

This current if I had to sample the current, I should have taken from here but I do not because this will load the $Q3$ and therefore what I do is instead of taking it from here, I take an approximately equal current. You know that this current is I_0 by α where α is very close to unity. α is β divided by $\beta + 1$ and this current is sampled by R_{E3} , a small voltage is developed and this current is fed here okay through this. And therefore, the current develops a voltage, you see at the input the connection is what kind of connection?

It is not exactly at the input. It is, the input voltage across the base emitter of $Q1$ is if R_S is 0, V_S - whatever voltage is developed here. And therefore it is a series connection. This is the feedback voltage and it is a negative feedback okay. V_S yes V_S suppose R_S is 0, if R_S is 0 then the voltage applied here, V_I is equal to the source voltage V_S - the voltage V_F and therefore it is a series connection. Voltages are being combined and it is a negative feedback which can be very easily seen. This voltage, V_{C1} let us say is out of phase with V_I , 180 degree phase shift. Therefore this voltage would be 360 degrees phase shift. Agreed? Which means that this voltage is in phase with V_I and then this current shall be in phase with this voltage or out of phase?

Student: Out of phase.

Student: Out of phase.

Professor: oh, no.

Student: In phase.

Professor: In phase. The current is in phase, the voltage across this is out of phase.

The current is in phase and therefore this voltage is in phase with $V_{sub I}$ okay and therefore this voltage is in phase with $V_{sub I}$ and that is why it is negative feedback. The polarity of V_F , if V_I is of this polarity, then V_F is of the same polarity which means that V_I is equal to $V_S - V_F$ and therefore it is negative feedback. And the connection is series and what are the output? What connection is it there at the output? Current is being sampled. So.

Student: () (8:31)

Professor: no. It is a series. You have forgotten. The current sampling shall occur like this. This is what goes to the feedback network right?

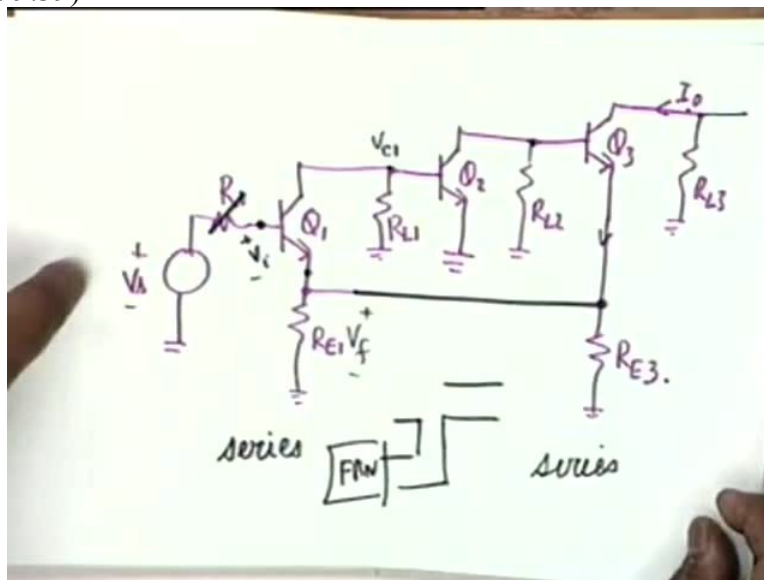
So it is a series connection. The input impedance would be increased, output impedance would also be increased okay. Right, this is another example. And it requires a little bit of thinking and a little bit of intellectual exercise to be able to identify what kind of feedback it is, what kind of architecture it is and once you identify the architecture and once you identify the A network, you see the A network is far from clear from here. It is a total feedback network. What is the A network and what is the beta network, is not very clear. How to determine capital N? How to determine beta?

Student: Sir.

Professor: Yes.

Student: Why do we need an RE1 at all over here?

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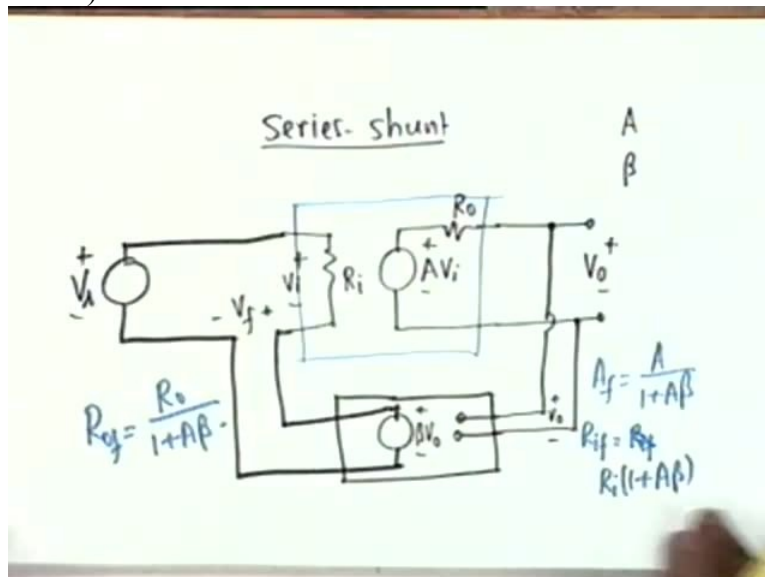
Professor: Why do we need an RE1? Otherwise, how would this voltage be dropped.

Student: That will drop across RE3.

Professor: Oh, across RE3. Well, we do not do this because then emitters of Q1 and Q3 shall be coupled by a small resistance. We might like to control the gain of Q1 by RE1 which shall not be possible if we have a single transistor here okay. It is actually the parallel combination of RE 1 and RE 2. We might like to control. You see if this feedback is cut off then we shall get the A circuit with some modification. The gain of the A circuit, I may want to control RE 1 as well as RE. Agreed? So we do not connect that directly.

Now before we go to the identification of the A circuit and beta circuit, let us take, we shall take these 4 architectures one by one.

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1st let us say series shunt. We will say about the ideal architecture is and what the practical architecture is and how the practical one can be modified to suit the ideal one for the identification of the A circuit and beta circuit. So in a analysis of feedback amplifier all that you have to do is to identify the A circuit and the beta circuit. Once we do that, the gain, the input impedance, the output impedance, everything would be found out. Let us consider the series shunt. If it is series shunt, then what kind of basic amplifier would be most suitable for this?

What kind of basic amplifier model? Series means voltages are being compared and shunt means voltage is sampled. And therefore voltage to voltage, in other words a voltage amplifier. Is the point clear? The model that will take is that of a voltage amplifier, that is R_I, V_I and A_VI, then

we might have a small output resistance, R_0 . This is the basic amplifier, then we apply the feedback. Now in the feedback we assume that the output is open, that is the ideal case.

Then the total voltage, V_i shall drop here okay and we are taking a shunt and therefore we go like this, series shunt, this is V_0 , this V_0 comes here and we have the feedback network and the feedback network, the ideal case would be, if the feedback network does not load the input, that is V_0 is applied here, V_0 and the output, ideal case would be if I have a beta V_0 , this is the beta network, a fraction of the output voltage is fed to the input and let us say we make this a negative feedback connection, then V_s and it is a series connection and therefore where would this go?

To the upper terminal or the lower terminal? We want negative feedback. To the upper or lower terminal? Upper one, obviously. Otherwise it would not be negative feedback. Then V_f is like this, + and - okay. I have drawn a negative feedback connection. So V_i is equal to $V_s - V_f$. Right? $V_i + V_f$ is equal to V_s and therefore I have made a negative current negative feedback. This is the ideal case in which the A circuit and the beta circuit are obvious all right and we have seen that well can you tell me what would be the, the gain with feedback of course would be A by $1 + A\beta$.

There is no problem in identifying the A and beta circuit. The RIF, would it be increased or decreased? Series connection. Therefore?

Student: increased.

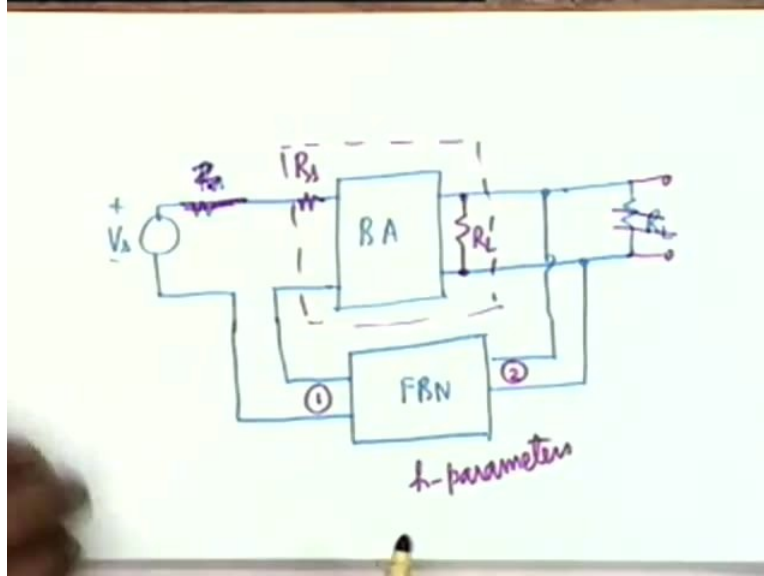
Professor: increased. R_i $1 + A\beta$ and the output would be.

Student: decreased.

Professor: decreased. So R_0 divided by $1 + A\beta$ okay.

If the circuit is like this, it is wonderful. There is no effort needed but the practical circuit is quite different and that is why, the problem arises and I want you to be in tune with me, not out of phase okay. To be in phase.

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A practical circuit. In a practical circuit, you shall have a V_s and a source resistance okay. I have a series feedback. The basic amplifier is this, basic amplifier which is not a voltage controlled voltage source, ideal voltage controlled voltage source. It has other imperfections. And then the output is not usually open circuited. There may be a load, R_L . It is a series connection at input, shunt connection at output. So you have, this is the feedback network FBN and the output is connected like this.

The feedback network usually, to complicate matters usually is passive, usually is passive and most of the times if it is an amplifier, then it would be a resistive network. And therefore in a resistive network, it shall load the output, it shall load the input and therefore the characteristics of the basic amplifier shall change and beta identification will also be difficult because R_s also shall affect the feedback network. R_s and the input impedance of BA, basic amplifier, they shall affect the input impedance of the feedback amplifier, output impedance of the feedback network, both shall be affected by this. And therefore the problem.

You see, one of the things that we can do is 1st, as a 1st step, we can include R_s and R_L inside the basic amplifier. Agreed? We can do that. If I do that, then what will happen is, this will become an open circuit. That was one of the requirements of the ideal amplifier and I shall bring R_L here. Agreed? And instead of R_s here, I will make this an ideal source by including R_s inside the basic amplifier. So my modified basic amplifier would be this. This I can do by inspection.

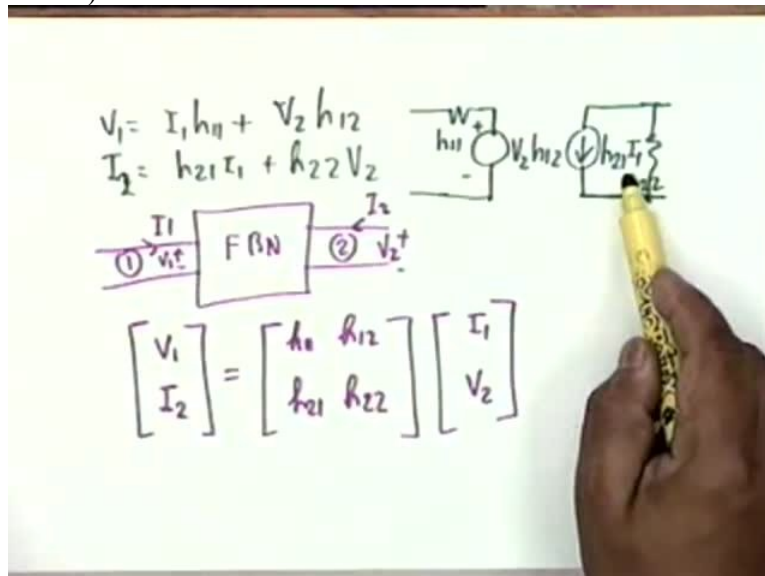
The A circuit shall now include RS and RL. This is this but the story is not over here because the feedback network will also contribute to the characteristics, the change of characteristics of the basic amplifier and let us see how this can be done. The feedback network as I said is usually passive. Let us denote, it is a 2 port network, let us denote this as the 1st port and this as the 2nd port and the characterisation that we choose of the feedback network is that of H parameters.

Have you done H parameters?

Student: yes.

Professor: Well, I have done it in this class. So you cannot say no. H parameters. Why H parameters shall be obvious once we draw the circuit.

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As you recall, if the feedback network is like this, this is port 1, port 2 which means that V_1 , I_1 , V_2 , I_2 and what we do is V_1 in the H parameters is a hybrid parameters, the input voltage and the output current. These are the signs of the input and output. The output currents, the current enter the network and the voltages are positive at the upper terminal. You know the H parameters. Connect V_1 , I_2 to I_1 and V_2 . And these parameters are H_{11} , H_{12} , H_{21} , H_{22} all right. This is the definition of the H parameters. If I write the corresponding equations, I have V_1 equal to $I_1 H_{11}$

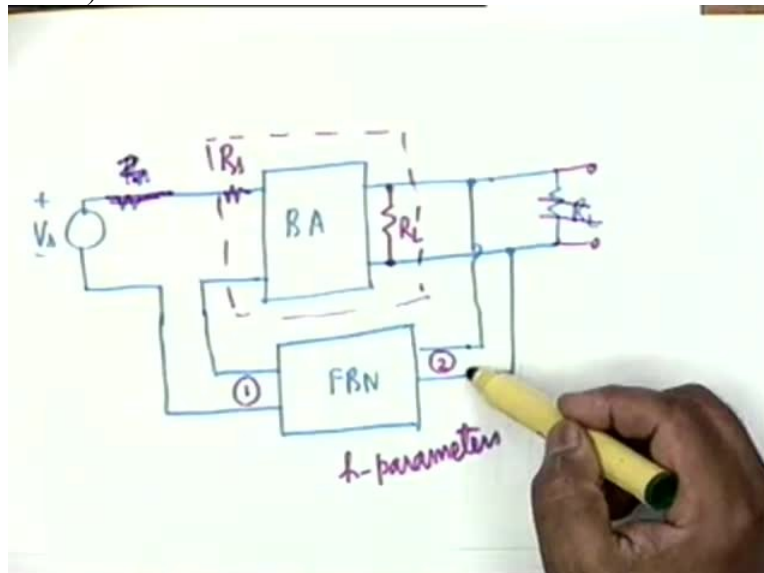
+ $V_2 H_{12}$ and I_2 equals to $H_{21} I_1 + H_{22} V_2$ okay. Has 2 ports parameters been taught in circuit theory?

Student: Yes.

Professor: Oh, it has been taught, then I do not have to, my job is simpler. But nevertheless you recall that if I want to draw an equivalent circuit of this, the equivalent circuit would be something like this. You have an H_{11} then in series with a source $V_2 H_{12}$ agreed? This describes the input. V_1 equal to $I_1 H_{11} + V_2 H_{12}$ and the output is output is I_2 is equal to $H_{21} I_1$, then in shunt with a resistance of $1/H_{22}$ but an admittance of H_{22} . Let us recall let us keep this as H_{22} . This is the equivalent circuit. Now one can understand why for the series shunt. Was it series shunt? Yes.

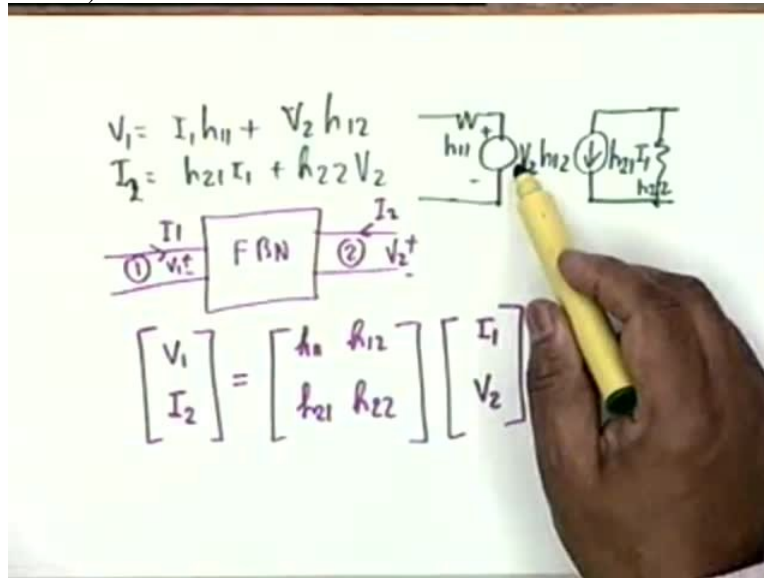
For the series shunt feedback amplifier, we used the H parameters because it offers a series circuit at its port 1 and you recall the connection at port 1 along with the basic amplifier is a series connection. So I have a series circuit replacement for the feedback network at port 1 and at what to, shunt connection, I have a shunt circuit at. This is the reason. All right? And therefore, my amplifier, now one more point. You see, since H_{11} comes in series, I want you to be very attentive at this point.

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Since H_{11} comes in series, whether it is in series with this wire or here, does it matter? It does not matter. And therefore H_{11} can also be absorbed in the basic amplifier. In a similar manner, H_{22} occurs across port 2 and it does not matter whether it is here or here. Therefore H_{22} can also be absorbed in the basic amplifier. Is that clear?

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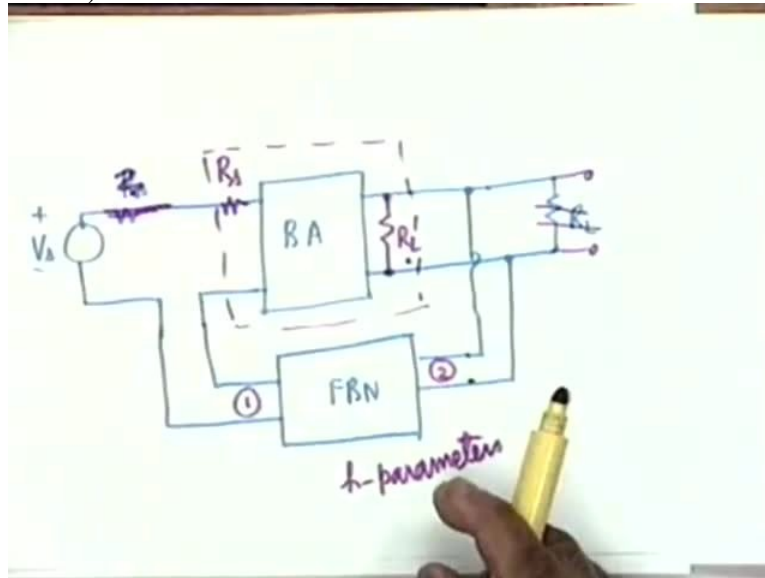


So we will be left with only 2 sources, one is a voltage source, a voltage controlled voltage source and the other is a current controlled current source. Now tell me what does H_{21} represent? H_{21} , does it represent forward transmission or reverse transmission?

Student: Forward transmission.

Professor: Forward transmission because the current source is proportional to the input current whereas H_{12} represents reverse transmission.

(Refer Slide Time: 21:59)



Now let me come back here. This explanation...

Student: Sir.

Professor: Yes.

Student: In this case the input is port 2.

Professor: Fine, but I am taking this as port 1 and this as port 2. And this I am calling forward transmission and this I am calling reverse transmission.

Okay, for the total network and for this one also, okay. Now the forward transmission parameter for this which is H_{21} . Of the 2 networks, which one shall dominate in forward transmission? Obviously, the basic amplifier. And therefore, compared to the basic amplifier forward transmission, a forward transmission for the feedback network can be ignored. In a similar manner, the reverse transmission is desired to be through the feedback network and therefore, we must design our feedback network such that the reverse transmission through the feedback network is much greater than the reverse transmission through the basic amplifier all right which we make by using active devices whose reverse transmission is negligible.

You recall, H_{12} for a BJT is of the order of 10^{-4} agreed? Whereas H_{21} is of the order of how much? H_{21} for a common emitter amplifier? Come on, H_{21} is the same as

Student: R_0 .

Professor: what?

Student: 1 by R_0 .

Professor: H_{21} .

Student: beta.

Professor: It is beta. It is of the order of 100. And therefore, right from here, with the help of the H parameter circuit, we can ignore H_{21} for the feedback network and retain only H_{12} . If I do that, let us see what the circuit becomes.

Student: Sir will you please show that?

Professor: Show what?

Student: The right-hand side, the top right.

Professor: Oh, this circuit?

Student: Yes.

Professor: This is H_2 .

Student: Sir actually 1 upon H_2 .

Professor: Hmm okay. We are retaining the admittance for bringing variety into life. We should be able to identify that H_2 is not a resistance.

Student: It is a conductor.

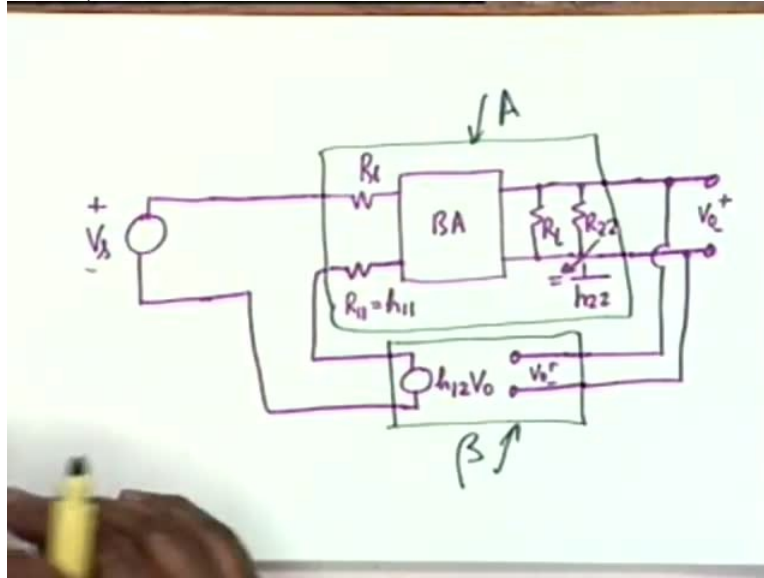
Professor: It is a conductor..Okay. Wherever H_2 is there, to complicate life, we should be able to get out of it by remembering what it is okay. All right.

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$$\left\{ \begin{array}{l} |h_{21}|_{BA} \gg |h_{21}|_{FBN} \\ |h_{12}|_{BA} \ll |h_{12}|_{FBN} \end{array} \right.$$

So our basic assumption is that H_{21} of the basic amplifier and H_{21} of the feedback network, I am taking magnitudes because they may be complex quantities, they may be positive or negative, does not matter but H_{21} of the basic amplifier must be much greater than H_{21} of the feedback network and H_{12} of the basic amplifier must be far less compared to H_{12} of the feedback network. Once these 2 assumptions are justified or are valid, the circuit becomes very easy as you shall see now. We will draw the equivalent circuit. The basic points are that $H_{21}I_1$ is ignored, $H_{12}V_2$ is retained, H_{11} is absorbed in the basic amplifier and H_{22} is absorbed in the basic amplifier at its output port.

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If we do that, then our circuit becomes the following. V_s . No R_s . R_s has gone into the basic amplifier. And in addition, another resistance has come here. What is this resistance? We call this R_{11} . We modify the terminology which is simply equal to H_{11} of the feedback network, then the basic amplifier, this is the basic amplifier. The basic amplifier now has 2 resistances in parallel, one is R_L and the other is R_{22} which is equal to now we shall identify $1/H_{22}$ okay. So this is what this is the modification. Then the output as we required is open circuited and there is a series connection now and in this, what we have retained is $H_{12}V_o$, if this is V_o and what have we retained here?

Student: H_{22} .

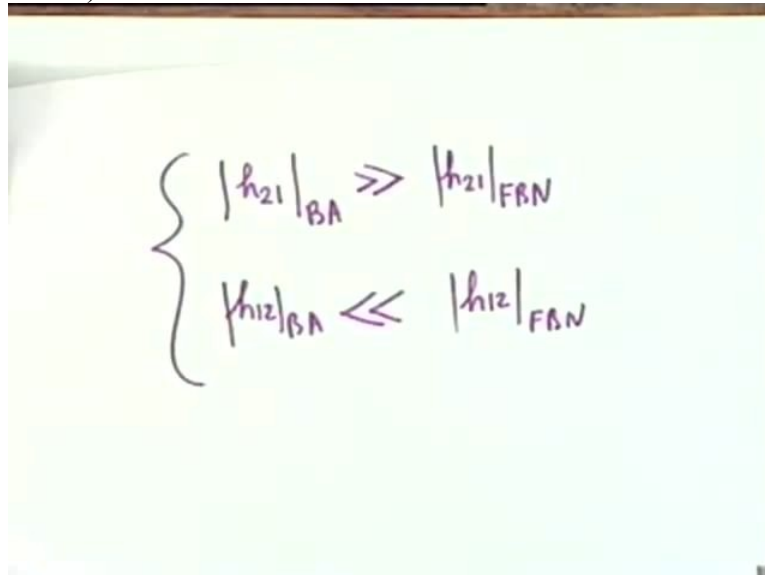
Professor: Not even H_{22} . H_{22} has been taken care of here. Nothing. It is an open circuit. Nothing else because the current source has been ignored, H_{21} I_1 has been ignored. It being small compared to the forward transmission through the basic amplifier.

Now you see, if we identify this as our A circuit, this green contoured one as our A circuit and this as the beta circuit, our job is done. It is in fact identical to the ideal series shunt diagram, ideal series shunt architecture. So in the identification of the A circuit in a practical case, these are the steps to be done. This is not an exact equivalent. Why not? Because we have assumed this

and this to be unilateral. We have ignored the reverse transmission through the basic amplifier and we have ignored the forward transmission through the beta circuit.

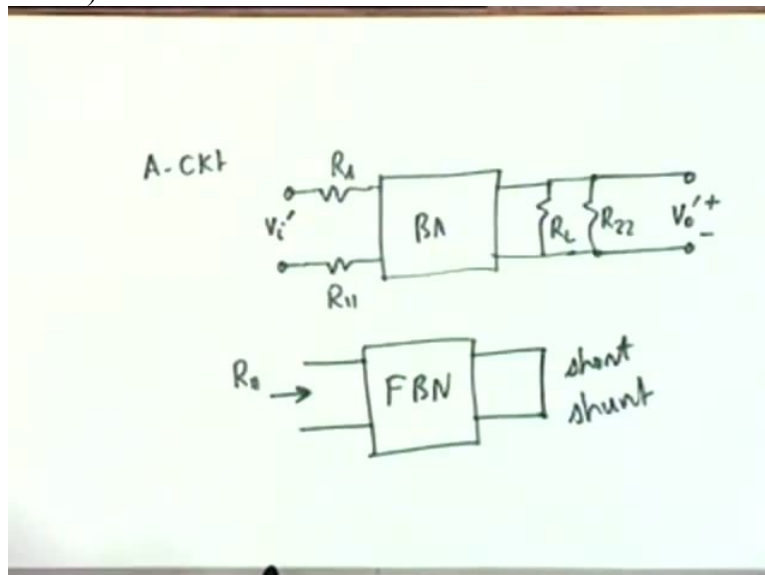
So it is not identical but this is very nearly the same.

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$$\left\{ \begin{array}{l} |h_{21}|_{BA} \gg |h_{21}|_{FBN} \\ |h_{12}|_{BA} \ll |h_{12}|_{FBN} \end{array} \right.$$

That is, the approximation is of a higher order provided the only thing that is to be obeyed are these, these 2 conditions.

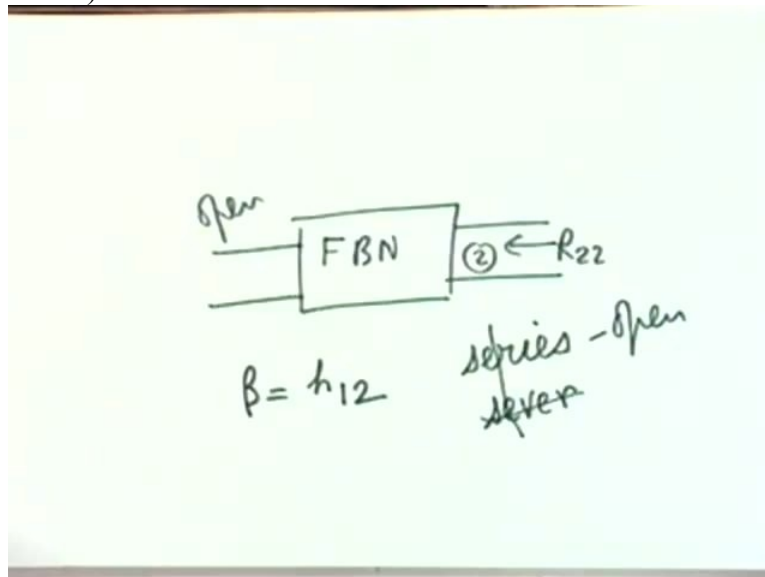
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We will take an example to illustrate how to do it in practice but you notice that if I summarise the A circuit, I am repeating. A circuit includes R_S , includes R_{11} , basic amplifier okay, the input is to be applied here. Let us call this input as V_I prime okay and the output shall have an R_L , an R_{22} , then this voltage let us say V_O prime, this is the A circuit, no feedback. Okay, this is the A circuit. The gain A shall be V_O prime divided by V_I prime. Do you understand why primes have been used?

Okay, because this circuit is the inner circuit of the feedback amplifier. This voltage is not the same as the voltage output of the feedback amplifier. This is the amplifier without feedback where R_{11} , how do you measure R_{11} ? It is the input impedance of the feedback network with the output shorted. The short will always occur, I beg your pardon whenever there is a shunt connection, short will come from shunt. SH comes as short. This is true for all the architectures. So this is R_{11} .

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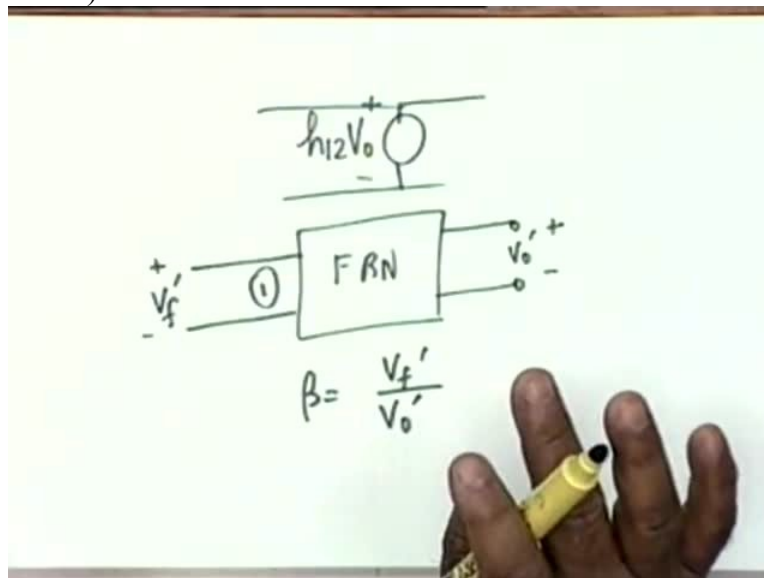
How do you measure R_{22} ? You have the feedback network. What do you do here at the output? Pardon me.

Student: () (30:57)

Professor: This is open. You have to measure R_{22} . R_{22} is the resistance if impedance looking at Port number 2 with port 1 open. Now port 1 open means it destroys the feedback.

Similarly, port 2 short also means it destroys the feedback. But the rule that you will see is, in series connection, the corresponding procedure would be to S E V E R, sever the connection. SE for SE okay. This is a medicine for remembering but series is open circuit. You have to open it and if the shunt connection then you have to short it. You will see that this is true for all the architectures. Finally, the beta network. How do you find the beta network? Beta network. What is identification of beta in this case? Beta is the same as H12.

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Beta is the same as H12 which means that the feedback network, you have to apply a voltage or a current? Voltage. You apply a voltage V_0 prime, some voltage V_0 prime and then would you keep this open or short?

Student: Open.

Professor: Open. And measure what?

Student: The V_f voltage.

Professor: The voltage. We call this V_f prime.

Student: H_{12} beta or H_{21} beta?

Professor: H_{12} is beta. You recall that our circuit was $H_{12} V_0$.

Student: This is for reverse transmission.

Professor: That is right. This is the reverse transmission. Do not confuse this with beta for transistor. That is a different story. This is beta, a fraction of the output voltage that is fed to the input okay. So beta is equal to V_F prime divided by V_0 prime by keeping port 1 open. Open, that is right, by keeping port 1 open.

And this is the story in all the architectures. Whenever there is a series connection, to find out the beta network or to find out R_{22} , you have to keep it open. If it is a shunt connection, then you short it. If the input was short, then you will see that you will have to measure the current for beta network okay. But let us go ahead with this series shunt connection. We take an example to illustrate this. Is there any question at this point of time? Any question? What we do is, we let me summarise.

We absorb R_S and R_L and H_{11} and H_{22} , inside the basic amplifier. That leads a skeleton into feedback network. That skeleton is an open circuit voltage, an open voltage V_0 and an output voltage beta times or H_{12} times V_0 okay. Therefore A circuit and beta circuit are identified and we can then find out the feedback gain, the input impedance with feedback and the output impedance with feedback. Let us see a very simple amplifier.

Professor: Yes?

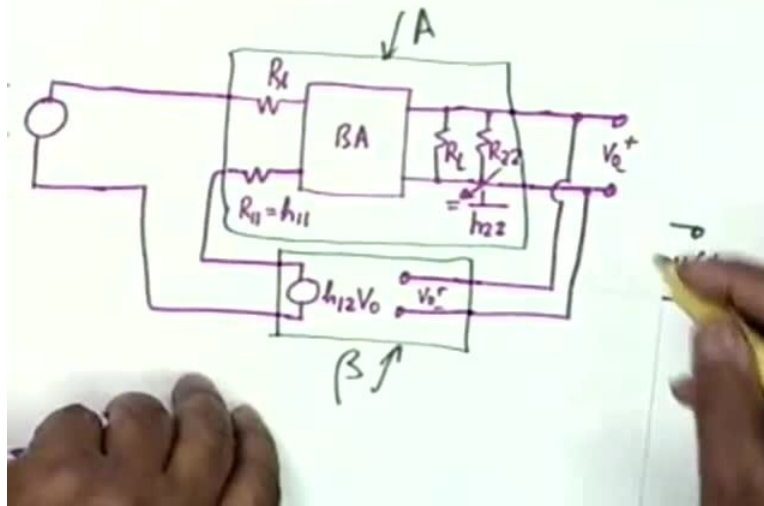
Student: Why have not you considered the loading of the basic amplifier on the feedback amplifier?

Professor: Why did not I consider the loading of the...?

Student: Basic amplifier on the feedback network.

Professor: Oh, we have. Let us go back. Okay. What would you like me to consider?

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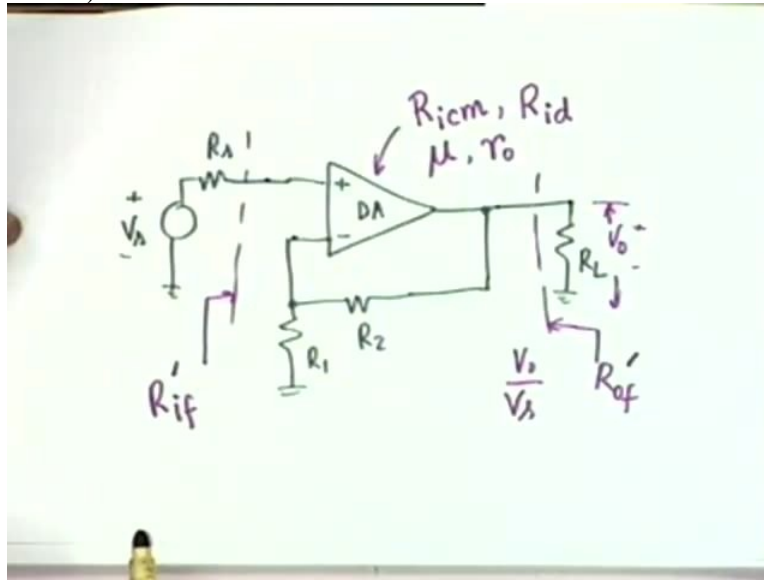
It is this voltage which appears. It is this voltage which appears which is fed to the feedback network and this voltage is V_0 . So all this loading is there. V_0 occurs, the voltage here the voltage at the output of the beta, BA network, basic amplifier, is AVI agreed? Through R_0 it becomes dropped in R_L and R_{22} and this is V_0 . So I have already considered the effect of loading by the basic amplifier on the feedback network. But for convenience of analysis, I have considered all this loading to be inside the basic amplifier and absorbed it.

This is for convenience in analysis.

Student: Sir, why we are using V_F prime in the last one?

Professor: Because this may not be exactly equal to V_F . It is the feedback voltage. Okay. The feedback voltage is the voltage that is developed here if you make a series connection here. h_{11} should have been included here okay but for convenience in analysis, I had absorbed it in basic amplifier many circuit and I am considering this as my beta network. I have to bring it to become similar to the ideal architecture. All right? So this is how I identify. Let me take an example, things would be more clear hopefully.

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The example is that of a differential amplifier. A differential amplifier, as you know it has two inputs, inverting and non-inverting corresponding to the 2 bases of the emitter coupled pair and the input is connected to V_s , R_s , the noninverting terminal and the inverting terminal is connected to a resistance R_1 and a resistance R_2 , obviously this is feedback. And the output, to the output and the output is connected to a load R_L . Okay. The quantities that are required to be found out are if we call this as V_0 , we want to find out V_0 by V_s okay.

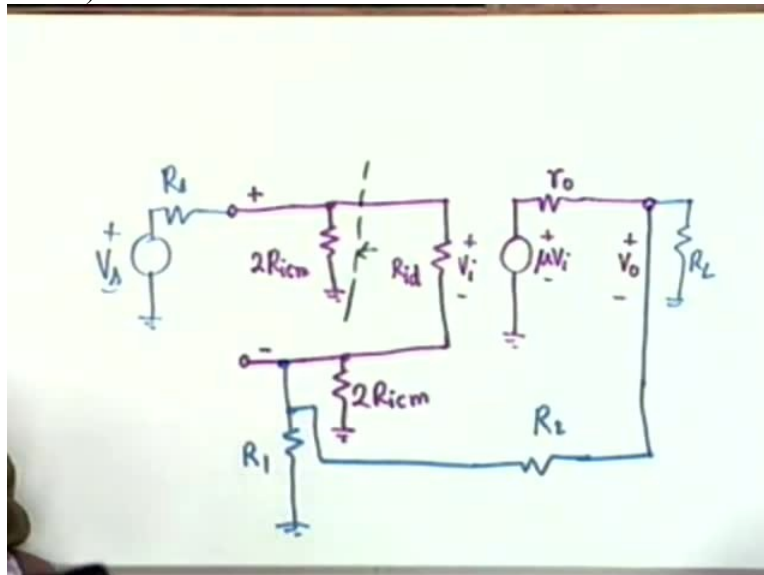
V_0 by V_s , that is the gain of the amplifier, we want to find out what impedance source sees, R_i , obviously this is with feedback. So let us call this as R_{if} prime. You will understand why I am saying prime now. I am not saying this is A_F . I am simply saying, I require V_0 by V_s because I shall have to identify what is A , only then I will be able to find out A_F . And A_F may not be V_0 by V_s . It may be something else as we will see in a minute. One has to be very careful about notations and one has to follow strict discipline. Even then you get approximate results. But the discipline, if you do not obey the discipline, then of course you are gone.

And then I also want to find out what the impedance R_L sees. I will call this also R_{of} prime. You will see why I am calling R_{of} prime later. The differential amplifier, it is given that the differential mode input resistance is R_{icm} and that, I am sorry, the common mode input resistance is R_{icm} and the differential mode input resistance is R_{id} . It is given okay. It is also given that the open circuit voltage gain, differential mode gain is μ , that is $A_{sub D}$ is equal to

mew and that the output resistance of the differential amplifier is small R_0 . Capital R I shall using for the basic amplifier, for the feedback amplifier and so on.

So I use this symbol small r. I also do not use capital A for obvious reasons right? Because I do not want to confuse. These are the parameters of the basic amplifier. Basic amplifier is a differential amplifier. Now to solve this problem, you see this is a series shunt because I am sampling a current. I am sampling the output current, it is a shunt connection. And there is a series because the the voltage that is applied between these 2 is the input voltage - the voltage that appears across the inverting terminal. So it is a series shunt connection.

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Now the differential amplifier can be modelled like this. Please I have not discussed this earlier. I thought this would be an appropriate occasion. Differential amplifier can be modelled like this. A resistance from here, this is the non-inverting terminal. Then the inverting terminal, a resistance from here to ground, then between these 2 obviously I shall have the common mode I am sorry, differential mode input resistance. That is, this will be R_{id} . And the voltage here is $V_{sub} I$. Can you tell about these resistances would be? R_{icm} , common mode. No. This would be.

Student: RC.

Professor: yes?

Student: RC.

Professor: No.

Student: Twice RICM.

Professor: Twice RICM, wonderful. Why twice? Because when I short these 2, the resistance should be RICM. Okay. You understand this?

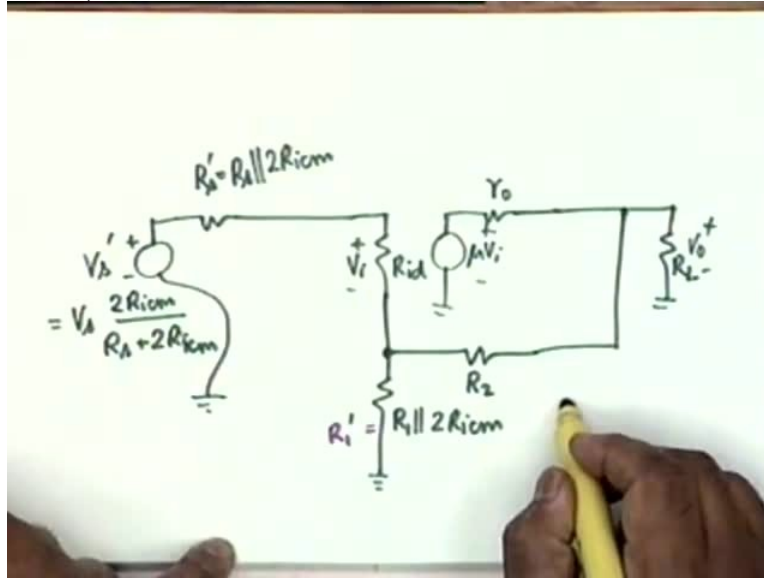
Student: yes.

Professor: And these 2 terminals are exactly identical. There is nothing to this comment and therefore we divide them equally. Then the output circuit will be μV_i . Okay, this is the differential mode gain and R_0 , this is my output voltage V_0 okay.

Let us use a prime because this is only we will come back. The circuit that we have now, this is a differential amplifier. The circuit that we have now is that from here 1st we have connected to a load R_L . Then we have made a connection from here through a resistance R_2 to this terminal which is where have I taken? Here. This resistance is R_1 all right. And I applied the source R_S , V_S here. That completes my model? Agreed? Is the point clear? Now that it is not quite similar to the even the equivalent circuit that we have drawn because that is a shunt resistance here.

Agreed? If it was not there, then $R_S + R_{ID}$, I could have absorbed the basic amplifier. But it is not too difficult. What we do is we apply Thevenin's theorem to the left of this. Then we have also was in series with a resistance. All right? And I combine R_1 and twice RICM. Let us see what happens. You also note that R_L has to be absorbed inside the amplifier, inside the basic amplifier.

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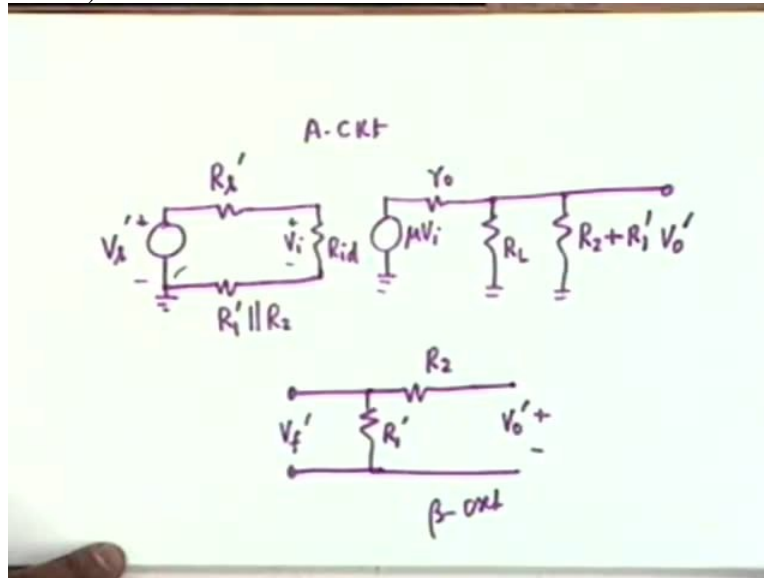


So my equivalent circuit would be V_s' which is equal to V_s multiplied by twice R_{ICM} divided by $R_s + 2R_{ICM}$ agreed? This is a Thevenin equivalent source. How do I connect it to ground? Okay. V_s' , then in series with R_s' . R_s' is the parallel combination of R_s and twice R_{ICM} . Then I have the R_{ID} , V_i and this goes to ground via a resistance, a single resistance which is R_1 parallel twice R_{ICM} . Agreed? That connects to the output through a resistance R_2 and here I have new V_i , a resistance R_0 , then all right let me draw the total circuit, then I shall identify the A and the B circuits.

This is A and this is B0. You see, this circuit has killed V_s . Is not that right? Has killed V_s and R_s because V_s has now been modified by the internal parameter of the differential amplifier, R_{ICM} . R_s has been combined with twice R_{ICM} but there is no other way. We have to identify the basic amplifier in terms of this. In other words, for the basic amplifier, for the A circuit now, our input would be V_s' , not V_s and this effective source resistance is this. So I have to include this inside the A circuit.

I have to include R_L inside the A circuit and in addition, I have to include two resistances, R_{11} and R_2 . What will be R_{11} ? If I call this as R_1' , R_{11} would be the resistance measured from here with the output, this is the feedback network with the output shorted. Therefore it will be R_1' parallel R_2 . On the other hand R_{22} would be the resistance measured here with this open and therefore it would be $R_2 + R_1'$. Is the point clear? Let us look at this.

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So the basic, the Acircuit would be V_S prime, R_S prime. No, I made a mistake. All right. R_S prime, then R_{ID} , then what then? Another resistance which is R_1 prime parallel R_2 and this is V_i . Then we have βV_i in series with small R_0 , then parallel connection of R_L and $R_2 + R_1$ prime, not parallel. And this is my output voltage and we call it V_0 prime okay. Input can remain the same, the output is different. This is my A circuit. Is this clear? We have found out by inspection, the A circuit. And the beta circuit now. For the beta circuit, what is our beta circuit? R_2 , you have to apply a V_0 prime here and you have to measure the voltage across here with these terminals open or short?

Student: Open.

Professor: Open and therefore this is V_S prime. This is the beta circuit. Agreed?

We had to do some manipulation to be able to identify the A circuit and the beta circuit. Now what we will have to do is to analyse this for A and analyse this for beta. Obviously, beta is, what is beta? R_1 prime divided by R_1 prime + R_2 . A also can be written down by inspection. What is A? Let us see if we can write down by inspection.

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$$A = \mu \frac{R_L \parallel (R_2 + R_1')}{r_0 + R_L \parallel (R_2 + R_1')} \cdot \frac{R_{id}}{R_{id} + R_L' + R_1' \parallel R_2}$$
$$\beta = \frac{V_0'}{V_L'}$$

A is, sorry this is new here. A is new VI, we shall substitute for VI later. New times RL parallel R2 + R1 prime divided by R0 + RL parallel R2 + R1 prime. Is that okay? This is new times this multiplied by VI. But what is VI? VI is RID divided by RID + RS prime + R1 prime parallel R2. So we know A, we know beta and everything else about this circuit is known. Agreed? The problem is what we have found out, if we find AF now, what is AF? AF is V0 prime divided by V0 divided by VS prime, not VS. Agreed?

Once we identify this as our A network and this as our beta network, we have found out V0 prime or V0. V0 divided by VS prime that VS prime is different from VS. You recall, there was a Thevenin equivalence but nevertheless, VS prime is very simply related to VS.

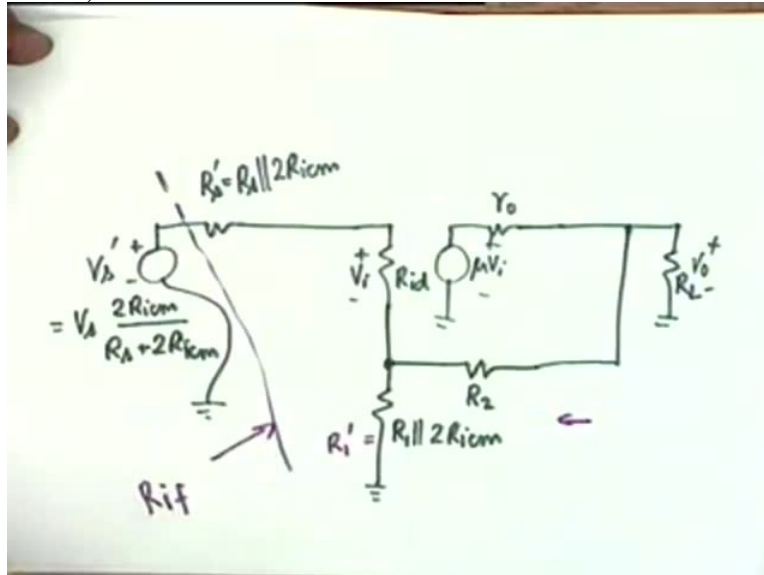
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$$\text{Gain} = A_f \cdot \frac{V_A'}{V_A}$$

R_{if}
 R_{of}

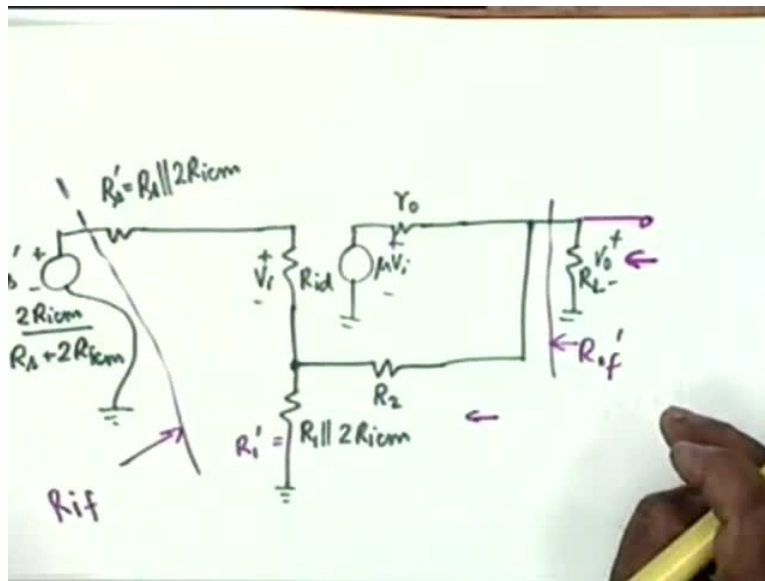
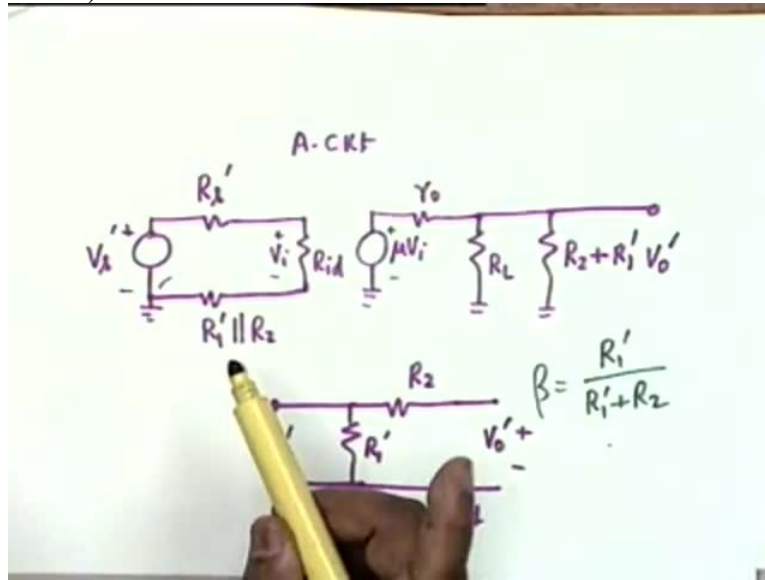
And therefore the desired quantity, gain of the feedback amplifier would be A_f multiplied by V_A' divided by V_A , which you know, is $2R_{icm}$ divided by $R_S + 2R_{icm}$ okay. The thing is not so easy in terms of R_{if} and R_{of} . What is R_{if} ?

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Let us go back. R_{if} obviously, please do concentrate on this. R_{if} obviously, let me use a different colour, R_{if} would be this right? That is, the resistance seen by V_A' in which V_A has been killed, R_{if} has been killed. So I can find out R_{if} from what is R_i ?

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RI, I can see from here as R_S prime + R_{ID} + R_1 prime parallel R_2 . So I know R_I , I know β , I know A and therefore I can find R_{IF} . I can also find R_{OF} . Now what will be R_{OF} now? This is my basic amplifier, this is my basic the A circuit and therefore R_{IF} would include R_L . Is the point clear?

Student: (0)(51:57)

Professor: yes, R_{OF} . R_{OF} therefore shall be this right.

circuit that we have manipulated are not necessarily the same as those of the original circuit. You have to go back to the original circuit in a careful manner. And this is the discipline, a strict discipline that must be followed in the analysis of feedback amplifiers. You must also realise that whatever we do, human beings, we can only obtain only approximate results because of that assumption to start with. Feedback amplifiers have posed difficulties in the past for analysis but I think this is a systematic procedure and we shall see many other examples by taking many other examples. Tomorrow we will consider another architecture.