

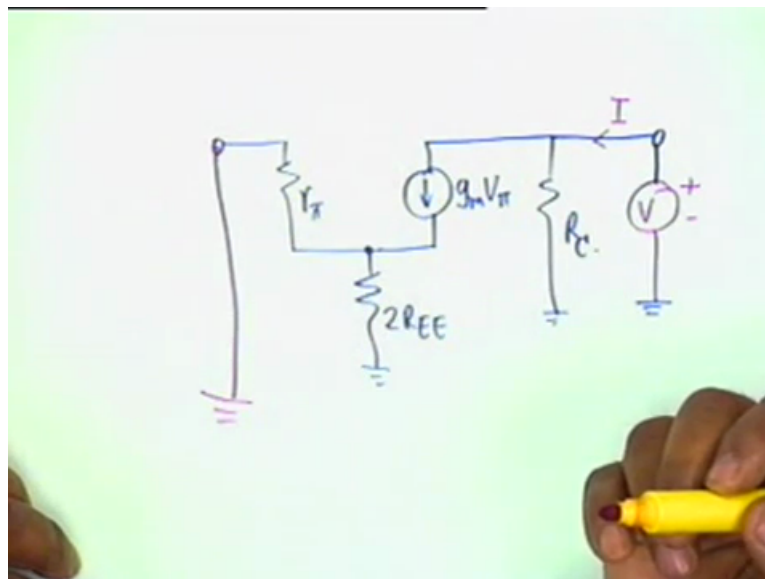
Analog Electronic Circuits
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Lecture 22

Discussion on Minor I Problems and Differential Amplifiers (Continued)

We are going to have a brief discussion on minor 1 problems and then we continue with differential amplifiers. Before we take the minor 1 problems the business of a common mode operation of the differential amplifier output impedance. This posed a problem. Apparently you have not tried. I should have left it to you but for the benefit of recording let me tell you what the trick is. This is the equivalent circuit $R_{sub C}$, okay.

And in order to find out the output impedance what we are going to do is to connect a voltage source here V and find out the (resist) current I , okay. With the input voltage source short circuit, that means this comes to ground, okay.

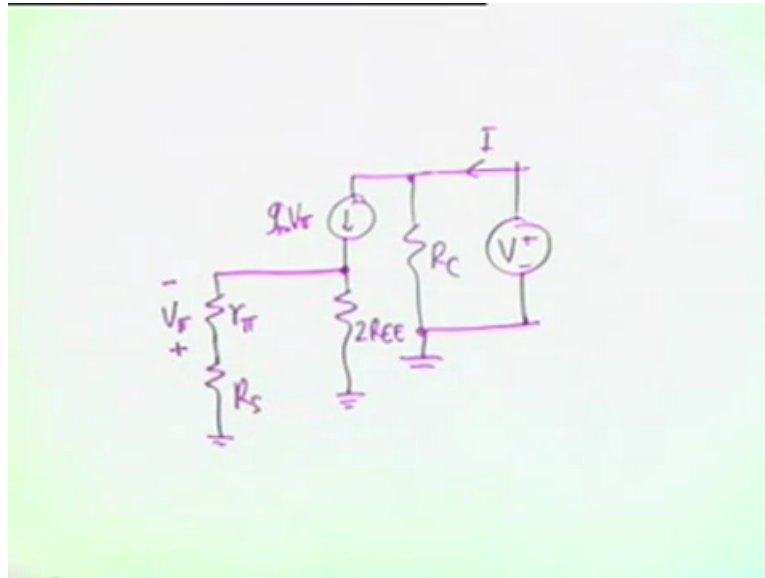
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Let us say if I find V by I then I will know what this is V_{pie} . I will know or there is something else. R_s , that is right. I forgot about that. R_s has to be brought in. Now if I draw this circuit in a little, is the point clear? What we are trying to find out is this and the question is I had claimed that it is equal to R_C . There is objection from the class because there is another current $g_m V_{pie}$. That we will see the trick what happens and V and I , I did draw the circuit in a slightly different manner.

There is an R_C , this is grounded. Then you have $g_m V_{\pi}$, you have two resistances, one is twice R_{EE} and the other is r_{π} . I will not combine them because then I will lose V_{π} . V_{π} with this polarity, plus minus and then an R_s , alright.

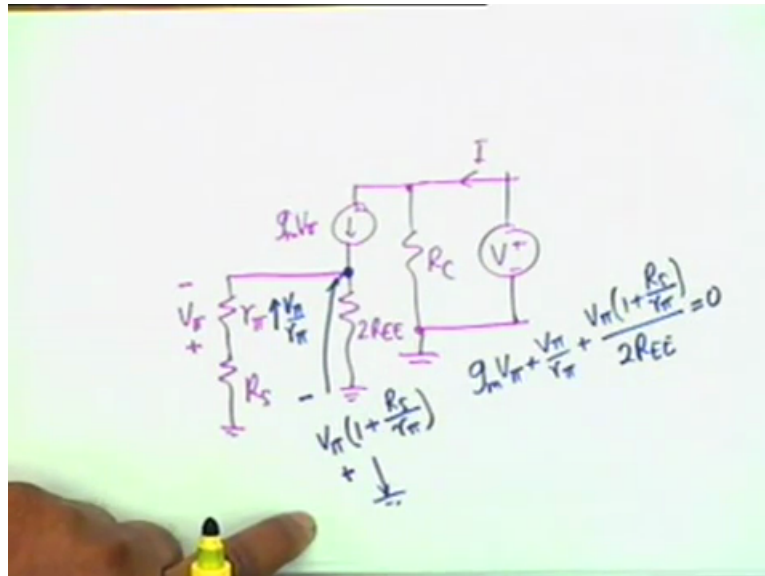
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Now what is the current through r_{π} ? Obviously this current goes up, equals to V_{π} by r_{π} , agreed? So what is the voltage across this? This will be V_{π} then $1 + R_s$ by r_{π} with this polarity plus and minus, agreed? This is the voltage. So now you can write a node equation at this node. What is the node equation? All the currents coming in should add to zero.

So $g_m V_{\pi}$, this is one current plus V_{π} by r_{π} , okay, plus this voltage by $2R_{EE}$. So $V_{\pi} (1 + R_s)$ divided by r_{π} divided by twice R_{EE} , this should be equal to zero. Is that point clear?

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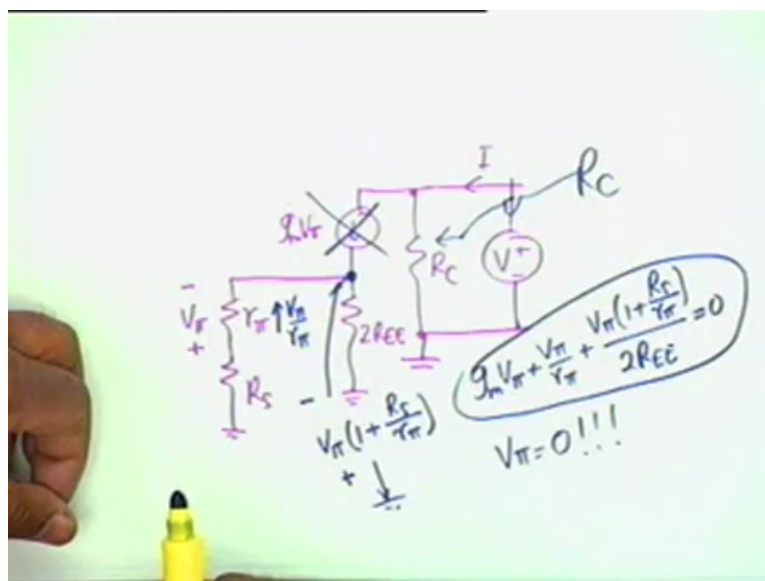


We had not assumed the voltage across $g_m V_{\pi}$. We do not have to. We write a case here. Now in this equation what is the variable? Variable is V_{π} and this equation should be true for all values of r_{π} , R_s and R_E . So what is the solution? V_{π} equal to zero which means, I beg your pardon. Please repeat, okay.

In this equation we are trying to find this voltage V_{π} , okay. V_{π} is the unknown and these are constants R_s , r_{π} , R_E and therefore the only possibility is that V_{π} shall be equal to zero which means that there is no current here and therefore the input impedance is indeed $R_{sub C}$. Do you see the trick?

Student: Yes sir.

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It is a hidden value. Even though the circuit looks complicated, the output impedance is very simple. We shall give another example of this maybe in the next class. Another example of such complicated thing but ultimately the voltage is zero. Yes?

Student: What is the trick in that sir? It is directly coming from the equation.

Trick is I saw this. You know you have to observe, not just see. I observed that all currents coming here depend on V_{π} only, nothing else and therefore the sum of all these currents will be equal to zero which means V_{π} equal to zero. I do not have to write all these equations. Yes?

Student: What happens if you consider small r_0 ?

What happens if we consider small r_0 , then the situation is quite different. Then the situation is quite different. Then you have to have V minus this voltage divided by r_0 . Therefore V will come. If r_0 is there then all this simplification vanishes. And life becomes a little bit uncomfortable, okay. Any other question? Yes?

Student: Why cannot we take the impedance at infinite directly?

Which impedance?

Student: The current source we get directly.

No, you may not because if this current depends on V , for example if we have an r_0 in parallel then there is a problem. You see if V_{π} depends on V then there is a problem. This is not an independent source. It is a dependent source. So we cannot take this as zero because then there will be a current drawn from here, okay. Now about minor 1 problems. Since the people who will be watching the film did not take minor 1 I have to repeat the question.

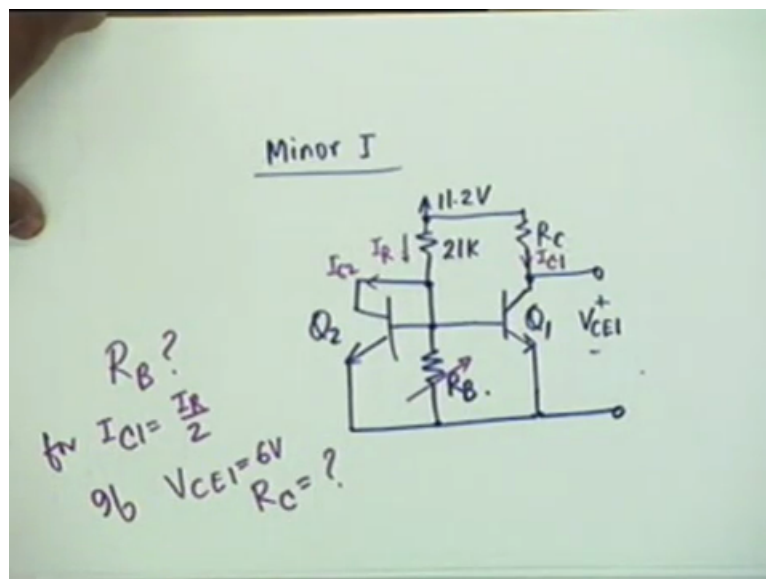
Question 1 was 11 point 2 volt, 21 K, then we have a current here Q_2 , the base and collector are connected, then you have Q_1 which is connected here, there is in addition a resistance $R_{sub B}$. This is the only difference between the ordinary current and the question that I have said. And this is $R_{sub C}$ and then connected here and this voltage is V_{CE1} plus minus. The question that we have asked for is to determine $I_{sub R}$.

This current is $I_{sub R}$, then $I_{sub C2}$ and $I_{sub C1}$ determine this as functions of R_B because R_B has come into the picture. Find out these three currents I_R , I_{C2} and I_{C1} as functions of R_B and show how they vary with R_B by means of a sketch then determine R_B

in order that I_{C1} is equal to I_{R2} . Obviously this question itself shows that this current which normally should be equal to I_{R1} is now being controlled by I_{B1} .

This current can be as low as half of this value by appropriate choosing R_{B1} and that is very obvious that R_{B1} draws a current. In addition to I_{B1} and I_{B2} there is an I_{B1} through R_{B1} and therefore R_{B1} controls the current. And for this under this condition we have to find out, V_{CE1} is 6 volt so we have to find out what is R_{C1} ? If V_{CE1} equal to 6 volt, we have to find out R_{C1} .

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The solution should be obvious that first is that I_{R1} is obviously the power supply 11 point 2 minus V_{BE1} or V_{BE2} because the two are equal, point 7 divided by 21 K which is equal to point 5 milliampere. And this is independent of R_{B1} . On the other hand point 5 milliampere that is this I_{R1} , if I write KCL at this node, okay, this would be equal to first I_{C2} plus I_{B1} plus I_{B2} plus I_{B1} which is equal to point 7 divided by R_{B1} , okay, point 7 divided by R_{B1} .

Now these two are equal because the bases are tied together and therefore I can write this as I_{C2} , what we wrote I_{C2} and I_{C1} . This should also be equal. So I can write this as I_{C1} , $1 + 2$ by beta, agreed? Plus point 7 divided by R_{B1} from which I get I_{C1} as equal to point 5 milliampere minus point 7 divided by R_{B1} divided by beta, beta has been given as 200, so 2 by 200 is point 01. So it is 1 point 01 and this is also equal to I_{C2} .

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$$I_R = \frac{11.2 - 0.7}{21k} = 0.5 \text{ mA}$$

undef. of
 R_B

$$0.5 \text{ mA} = I_{C2} + \underbrace{I_{B1} + I_{B2}} + \frac{0.7}{R_B}$$

$$= I_{C1} \left(1 + \frac{2}{\beta}\right) + \frac{0.7}{R_B}$$

$$I_{C1} = \frac{0.5 \text{ mA} - 0.7/R_B}{1.01} = I_{C2}$$

Obviously this sketch would be, where did it start from? If I plot I_{C1} and I_{C2} the maximum value obviously is point 5 divided by 1 point 01 milliampere. This occurs when R_B is infinity. Can you start from R_B equal to zero? No, we must start from a non zero small value such that the voltage can be maintained at point 7 which we had not asked you to determine but it is possible to determine. So do not start at R_B equal to zero. At R_B equal to infinity the curve goes towards point 5 divided by 1 point 01 milliampere, okay. Yes?

Student: Sir if we take R_B equal to zero, it is a short circuit.

So point 7.

Student: The current is zero sir.

Pardon me.

Student: So the current would be zero sir, I_C would be zero.

No but the transistor would be.

Student: But it is not been said that the transistor should be in active region sir. It is not specified.

Then all this calculation will vanish. That point 7.

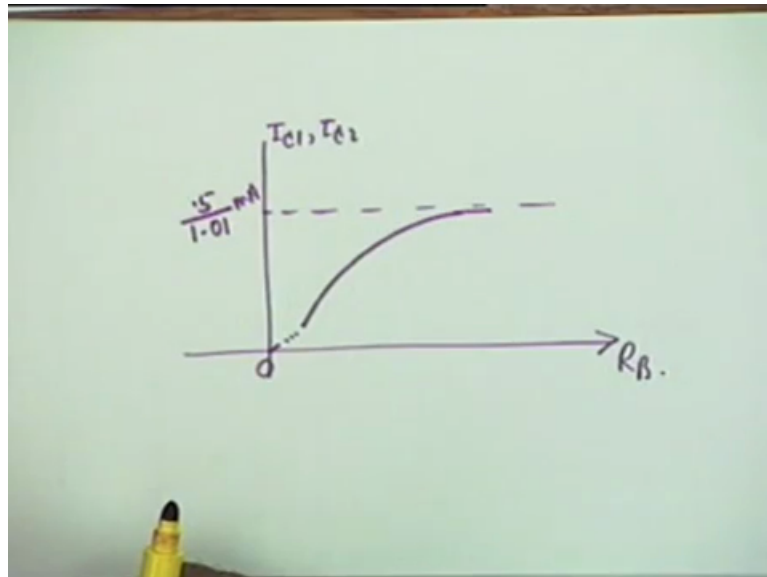
Student: But sir I_C would be zero if there is a short circuit.

If it is short circuit there cannot be a current. Correct, V_{BE1} . That is it, exponential this minus 1 would be zero, yes. Okay. I_{C1} would be equal to zero when R_B equal to zero.

Student: Yes sir.

Okay, wonderful. So we can start from here. Agreed all of you? Okay. I will however leave this a little dotted line here. Little dots because the region is a bit uncertain when actually it goes into the active region.

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You have thought correct that this is the perfect short circuit then the current has to be zero because V_{BE} equal to zero, exponential V_{BE} by V_T is 1 that minus 1 is equal to zero. That is perfectly alright, okay.

Student: Nature of the curve would be different in this region.

Nature of the curve would be different in this region. Yes.

Student: () (14:30)

We assume that it is silicon and you can assume a general thing, we will give you full credit.

Student: Sir, I have used a diode equation instead of V_{BE} and then I have done the whole calculation.

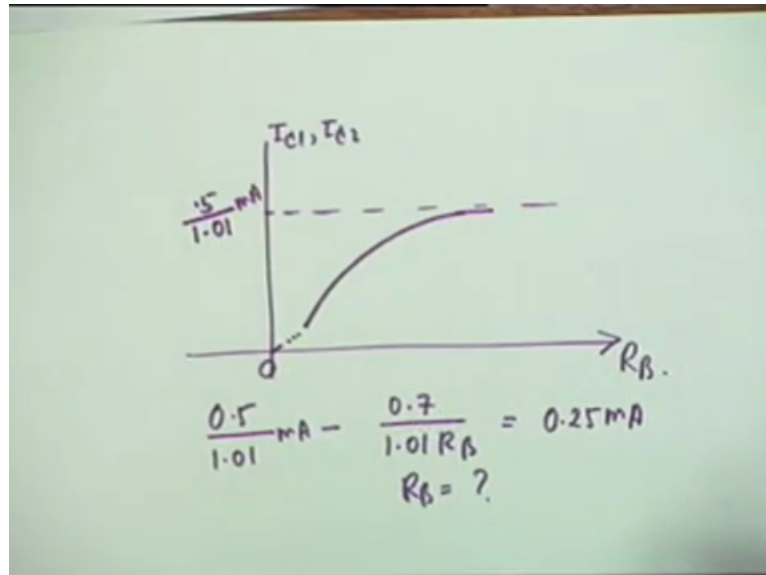
That we will see.

Student: Sir, in that case I_R will also matter because it has to be equal to () (14:52).

That is correct. The whole calculation will fall to the ground, okay. The other question was what value of R_B is required for I_{C1} equal to I_R by 2? So what we do is point 5 divided by

1 point 01 milliampere minus point 7 divided by 1 point 01 point R B is equal to point 25 milliampere. Then find out R B.

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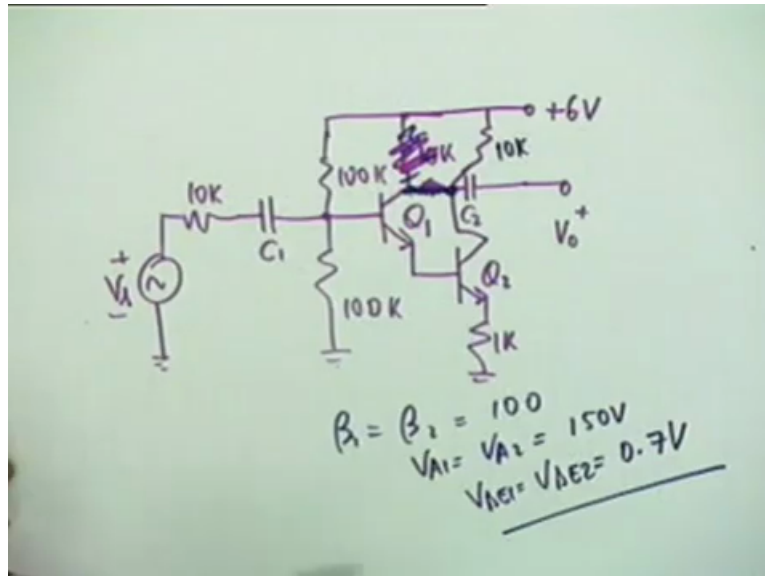


That is very simple and the other condition is that V C E 1 has to be equal to 6 volt. If V C E 1 is 6 volt this means that 11 point 2 minus R sub C into point 25 milliampere, this is V C E 1, this has to be 6 volt and therefore find out R sub C. These are not problems. Any question in question 1? Question 2, question 2 requires keeping your eyes and ears open, alright. Let me draw this circuit. There is a C 1, V s, then 100 K, 100 K, then you have two transistors in what is called a Darlington connection.

Q 1, Q 2, a Darlington connection, this is 1 K and you have 10 K. Then this goes to plus 6 volt. The output is taken from here C 2. This is V 0. Oh no! I have made a mistake. This is I am sorry. There is a capacitor. There is a 10 K here. This is not there. I have made a mess. Anyway this connection is not there. This is connected, Q 1 and Q 2 collectors are connected. There is a capacitor and this is 10 K, okay. The question was draw the midband equivalent circuit of the amplifier shown below.

Its numerical value components that is r pie, g m and everything has to be calculated numerically. Only the equivalence where no calculations were needed. R X 1 and R x 2 were to be ignored. The data given was beta 1 equal to beta 2 equal to 100. V A 1, the two early voltages are also equal 150 volt and V B E 1 is equal to V B E 2 for calculation. Assume that the points are involved.

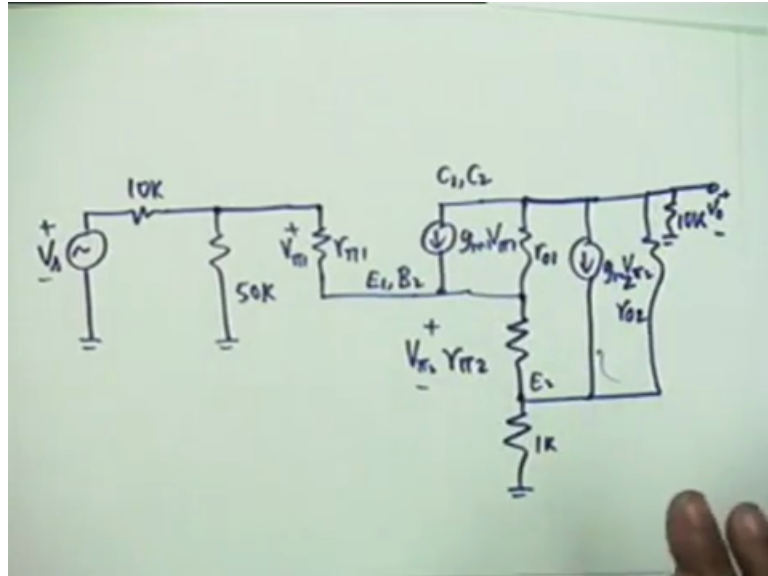
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The point of this example, suppose we draw the equivalent circuit blindly. Let us say what the equivalent circuit will look like? Then we will come to the actual intricacies of the problem. The midband equivalent circuit will obviously be V_s , 10 K, C_1 is a short, 100 K and 100 K in parallel gives 50 K. Then from the base to emitter 1 is $r_{\pi 1}$. This is $V_{\pi 1}$, this is E_1 and B_2 , emitter 1 and base 2, okay. Now from the collector, collectors are also common. C_1 and C_2 are connected together.

So from the collector you have a g_{m1} , $V_{\pi 1}$, the current source and r_{o1} , okay. From B_2 to E_2 you have an $r_{\pi 2}$. This is E_2 and this voltage is $V_{\pi 2}$ plus minus. Then from E_2 goes to ground 1 K, alright. Then go to collector 2 C_2 . From C_2 two emitter to E_2 you shall have g_{m2} $V_{\pi 2}$, agreed. This will come and in parallel with this will come r_{o2} . What else do we have? We have an RC which is 10 K and this is my V_0 . This is the equivalent circuit, very simple.

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Equivalent circuit drawing is not complicated and you can find out all the parameters if you know the currents I_{C1} and I_{C2} and that is where the problem lies. The current can be let us start from the Q_1 end. You see that 6 volt divides into $200K$. So, 3 volt is the equivalent voltage that should be equal to $50K$ multiplied by I_{B1} , okay, plus V_{BE1} which is point 7 plus V_{BE2} which is point 7 plus the drop in $1K$, okay. We are going from here to here, here to here and then drop in $1K$.

Now the current would be $1 + \beta_2$ times I_{B2} which is $1 + \beta_1$, I_{B1} multiplied by $1K$. And β_1 and β_2 are given to be 100 then therefore this equation can be solved. And my solution had come out to be how much, point 16 microampere. If this is point 16 microampere then obviously I_{C1} which is hundred times this is 16 microampere, okay.

Multiplied by 100, point 016 milliamperes, okay. And I_{C2} I have not multiplied by 101. It will get slightly different multiplied by 100. If I multiply this by 100 then this comes as 1 point 6 milliamperes and that is where the complete problem fills.

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$$3V = (50K)I_{B1} + 0.7 + 0.7$$

$$+ (1+\beta_2)(1+\beta_1)I_{B1} (1K)$$

$$I_{B1} = 0.16\mu A$$

$$I_{C1} = 16\mu A$$

$$I_{C2} = \underline{1.6\text{ mA}}$$

You see if I_{C2} is 1 point 6 milliampere then the drop in 10 K should be 16 volts and the drop in 1 K has to be 1 point 6 volt. So 17 point 6 volts is the minimum V C C that we need but the V C C given was plus 6 volt only and therefore the conclusion is that Q 2 goes into saturation and the equivalent circuit in terms of g_m , r_{π} and r_o is no longer valid and therefore the equivalent circuit is valid only up to the output of the first transistor. The rest of it is not valid.

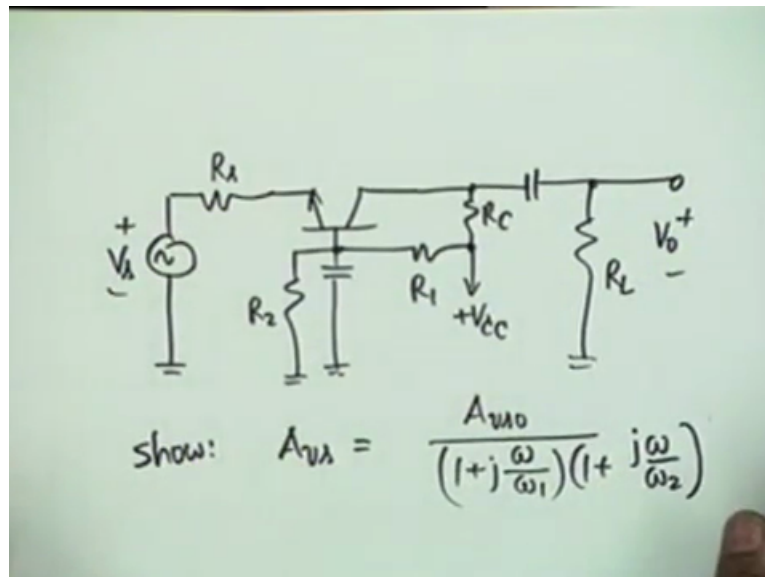
There is an equivalent circuit in terms of the diode which contains a voltage of point 2 across the collector to emitter. You can still calculate the currents by assuming this voltage to be point 2, the rest of it is dropped in 1 K and therefore you can find the current. The base obviously is over driven. The current that will flow now in I_{C2} , if you divide that by beta it would be much less than what actually comes here, that is $1 + \beta_1$, I_{B1} . And if you have recognised this point I will give you full credit.

But if you have not, if you have drawn it blindly, I have also been generous and ask mister Joshi to give you full credit. You do not expect it in the final. You must be able to recognize this. A few people recognize this. I do not remember the minor paper or outside the minor paper. Outside, but anyway I appreciate that. That is what I said that you have to keep your ears and eyes open. Now go to third problem.

The third problem was a common base amplifier and the question is this, V_s plus minus, then you have a common base. So a bypass capacitor, a resistance $R_{sub 2}$, a resistance $R_{sub 1}$, $R_{sub C}$, this is plus V C C and the output is taken here as R L. This is V_o . The question was to draw the high frequency equivalent circuit of this and show that A_{VS} is of the form $A_{VS} \omega$

over $1 + j\omega R_1 C_1$ times $1 + j\omega R_2 C_2$. That was the question, show.

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Now here one has to be careful drawing the equivalent circuit, okay. The equivalent circuit if I proceed step by step I have an R_s . Then from emitter to base, base is connected to ground so this is r_{π} and V_{π} would now be of this polarity plus minus, okay. This fact has to be recognized. Many people did not recognize it. I read question number 3. So I remember many people did not recognize it. So they wrote this current is V_s minus V_{π} by R_s . Obviously that is a mistake, okay. Then what do we have? From emitter we have a $g_m V_{\pi}$.

Now here comes the question of simplification. Should you recognize r_o or not? Okay. Well suppose we do, many people have also recognized the C_{μ} despite my saying that C_{μ} mainly is contributed by stray and stray should occur at the output, not across $g_m V_{\pi}$. Nevertheless let us grant it that they include a C_{μ} which is the very small device capacitance, okay, let us grant it that this is the collector and the collector goes to R_C . What else? R_s and this is V_o . Is this the equivalent circuit?

Student: Sir C_{μ} .

Where is C_{μ} ?

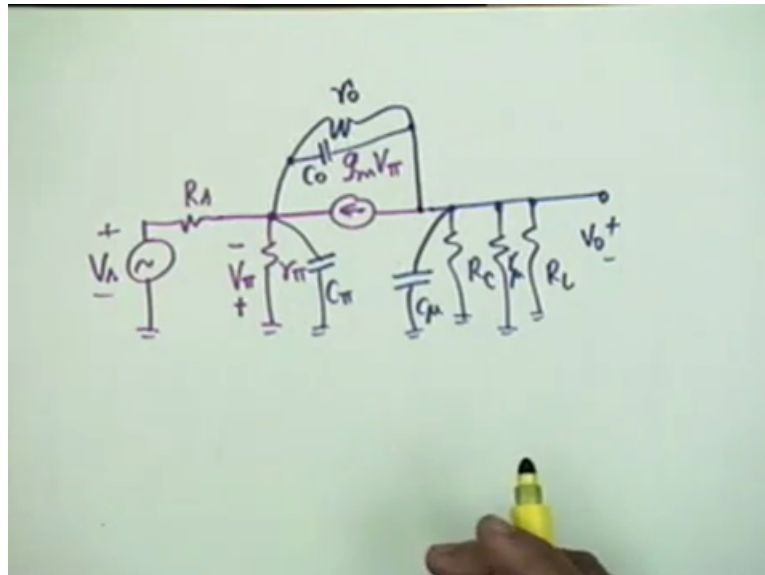
Student: Sir, in the output.

From the collector to base and there is no reason why you cannot include r_{μ} also because fortunately they come in parallel.

Student: Sir, C pie also.

Where is C pie? Okay, good there is a C pie also, alright.

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Now the problem is obviously this combination, r_0 , C_0 . There is no other problem. But suppose this can be combined into single resistance R_L prime, okay. Now will there be three critical frequencies or two critical frequencies?

Student: Three.

Is the house divided between three and two?

Student: Three.

You got three? You got it wrongly then, okay. If I write it should be two. I will tell you. Can you tell me the reason why it should be two?

Student: (())(28:59)

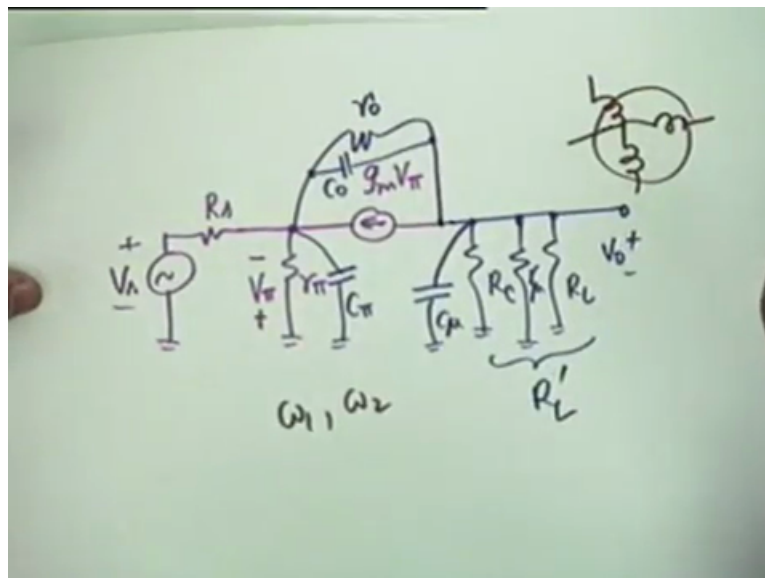
One loop which means that the voltages are not independent of each other. You see if I write a KVL around this loop, voltage across C_0 plus voltage across C_{π} plus voltage across C_{μ} should be equal to zero which means this is a fundamental thing of circuit theory. This means that these three capacitors are not independent of each other and therefore we shall get only two critical frequencies. If you have got three then you have got it wrongly or you have not been able to simplify, that is it, okay.

Three capacitors forming a loop is equivalent to two capacitors. That is two dynamic state not three. Similarly if you have a number of inductors connected at a common node then the degrees of freedom is reduced by one. If you have three (capci) inductors connected to a common node, the state of the system or the dynamics of the system will be governed by second order differential equation, not a third order. Similarly here it would be a second order differential equation.

So you have only two critical frequencies. Now if you ignore r_0 and C_0 then these critical frequencies can be obtained explicitly. On the other hand if you do not ignore r_0 and C_0 then you get a quadratic which you have to solve for ω_1 and ω_2 . But if you have left it as a quadratic and say that ω_1 and ω_2 are the two roots of this equation I have given you full credit.

There are two or three people whom I have given 12 out of 12. Was it 12 or 13? 12. I have given 12 out of 12 even though they have not completed because they saw the point. Only thing they did not do was to ignore r_0 and C_0 . If you ignore r_0 and C_0 life becomes very simple, absolutely simple.

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Now I do not blame you if you did not ignore. I have given you full credit but in practice if this was required to be designed then you better do that because otherwise you shall require a spies program or you have to write a program and writing a program cost engineer the time. And after all the exact calculations we will have to change resistances anyway. So, rough approximation would be alright for ω_1 , ω_2 and then the question of design.

So I will simply give you the approximate results that is if I assume g_m much greater than $g_{\pi} + G_A$, if this is true and if g_0 is assumed to tend to 0, C_0 assumed to tend to 0 then $A_{V_{s0}}$ is approximately equal to R_L prime by R_s . This result we have derived earlier $A_{V_{s0}}$ and ω_1 is approximately equal to g_m by C_{π} and ω_2 is approximately equal to 1 over $C_{\mu} R_L$ prime.

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Handwritten mathematical equations on a green background:

$$g_0 \rightarrow 0, C_0 \rightarrow 0$$

$$g_m \gg g_{\pi} + G_A$$

$$A_{V_{s0}} \approx \frac{R_L'}{R_s}$$

$$\omega_1 \approx \frac{g_m}{C_{\pi}}, \quad \omega_2 \approx \frac{1}{C_{\mu} R_L'}$$

These are the final results under these simplifications. The last part of the question number 3 was if ω_1 and ω_2 are comparable, some people asked me during the minor, comparable means they are equal? Comparable and equal are two different terms. If they are identical why should we use two terms? We call each of you by one name. Of course your father calls you by some other name but that is a different story. As far as public is concerned you are named by one name.

Why should we give two names unless they are synonymous? Okay, so comparable means that they are not much different. They are not different by the ratio of 1 is to 10. For an electronics engineer comparable means 1 is to 3, 1 is to 4, they are comparable. If they are comparable then the (())(33:23) point is neither ω_1 nor ω_2 . We have to calculate it exactly and the equation that gives it is $1 + \omega H^2$ divided by ω_1^2 multiplied by $1 + \omega H^2$ divided by ω_2^2 .

That should be equal to 2. That is correct and this gives you a quadratic from which you have to choose one solution. The solution which gives ωH^2 as a positive quantity, okay.

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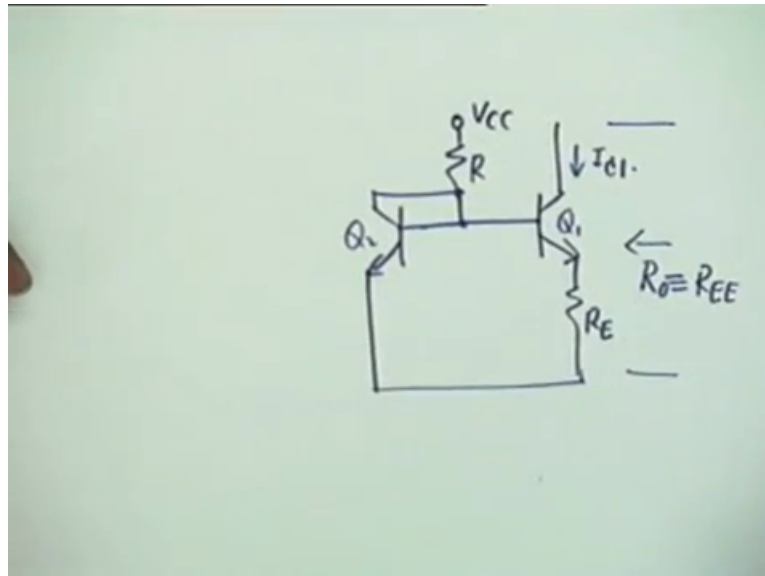
$$\begin{aligned}
g_0 &\rightarrow 0, C_0 \rightarrow 0 \\
g_m &\gg g_{\pi} + G_A \\
A_{V_{AO}} &\approx \frac{R_L'}{R_A} \\
\omega_1 &\approx \frac{g_m}{C_{\pi}}, \quad \omega_2 \approx \frac{1}{C_{\mu} R_L'} \\
\left(1 + \frac{\omega_H^{\sim}}{\omega_1^{\sim}}\right) \left(1 + \frac{\omega_H^{\sim}}{\omega_2^{\sim}}\right) &= 2.
\end{aligned}$$

Next the only discrimination or only judgement that you have to apply. Any other question on minor 1? Okay. Last time we had considered the question of the equivalent impedance offered by (34:25) current source. So we were in the process of drawing its equivalent circuit. The current source was a resistance R which is the reference resistance then the (34:42) current source. This goes here and this base is tied to another and there is a resistance of R sub E.

This is Q 1 and this is Q 2 and this is the current I sub C 1. You see we replaced R E E of a differential amplifier by this circuit and therefore it is of interest to know what output impedance is offered by Q 1? That would be our equivalent R E E, okay. Then what is the purpose? Why did you use the current period? Because we wanted to increase. Why should we increase R E E? To increase the C M R R. And why do we tend to increase the lumped resistor? Why did we take help of two transistors?

Because of integrated circuits we cannot go beyond the certain resistor. The absolute limit is 50 K. 20 K is honoured by IC designers as the limit that they can go. But absolute maximum is 50 K. Then if you increase R E E lumped value we also have to increase what? The power supply V C C and V E E which means that there will be much more dissipation in the circuit and integrated circuits are not designed to withstand heat, okay, because the volume is very small. Now we want to draw the equivalent circuit and find out R E E.

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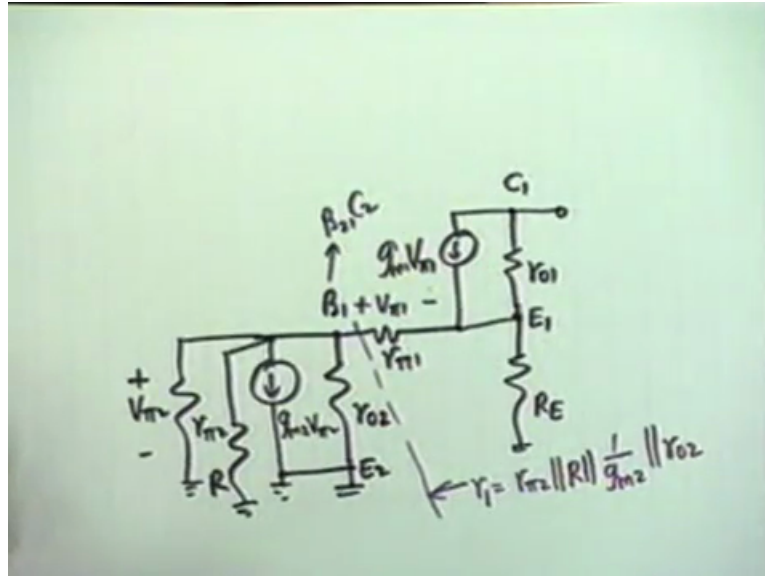


This is an interesting exercise. What we do is we start from C 1 and you see from collector 1, we shall have an r_{o1} to, what is this point? Emitter 1 and we shall have from collector to emitter a current source $g_{m1} V_{\pi 1}$, alright? Then from the emitter of Q 1 we have a resistance R_{C1} to ground and from the emitter to the base of transistor B 1 we have the resistance $r_{\pi 1}$ and the voltage is $V_{\pi 1}$ with this polarity plus minus, agreed? Now B 1 is also the same as C 2, collector 2.

Base 1, base 2 and collector 2 are connected together. So B 1 is the same as B 2 and C 2. So as far as C 2 is concerned we shall have a resistance r_{o2} , okay, to ground because the emitter of Q 2 is grounded, alright, r_{o2} and we shall have a $g_{m2} V_{\pi 2}$ from C 2 to emitter 2. What else do we have? We have an $r_{\pi 2}$. What we must have? R_{C2} and the voltage is $V_{\pi 2}$. Which polarity? Plus up or plus down? Plus up, okay, this polarity. This is B 2. In addition we have ignored something else.

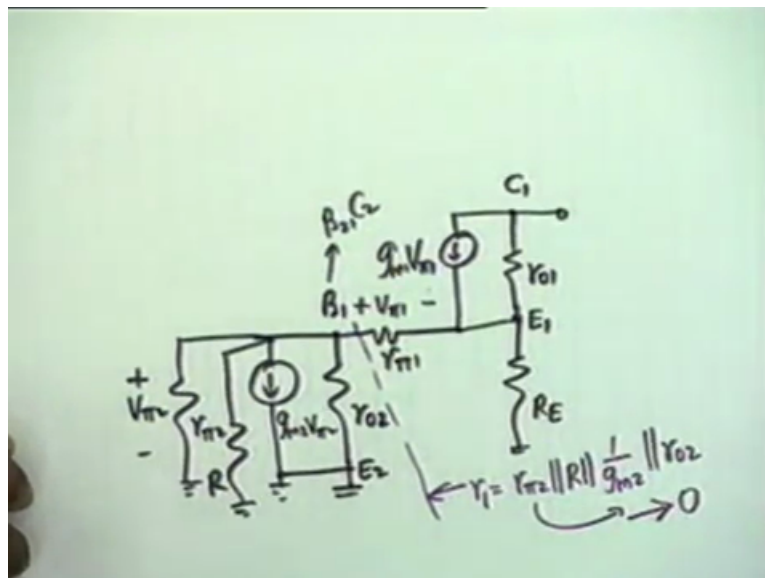
R_X we have ignored completely but there is something. Capital R which will come from C 2 to ground and therefore capital R comes here. And here is some observation we did. The observation is that if you look from here all of them are equivalent to a single resistance because $V_{\pi 2}$ is the voltage across g_{m2} to $V_{\pi 2}$. So what is its (impe) equivalent impedance is $1/g_{m2}$. And therefore if you call this resistance as r_1 , it is simply $r_{\pi 2}$ parallel, R_{C2} parallel, $1/g_{m2}$ parallel, r_{o2} , agreed?

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So this whole thing can be replaced by a single resistance and obviously $1/g_{m2}$ is a small resistance, right? This is being combined with $r_{\pi 2}$. Now since β is much greater than 1 what is this combination $r_{\pi 2} \parallel 1/g_{m2}$ approximately? Approximately, $1/g_{m2}$. This is a small resistance which is being parallel to r_{02} so we can ignore that and R_E we can ignore that also and therefore r_1 shall be a very small resistance and it tends to zero.

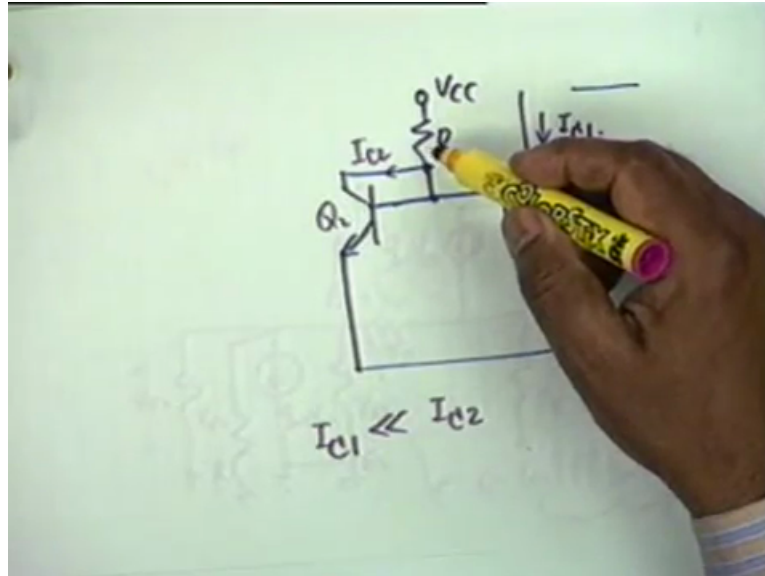
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The other reason is suppose now what does r_1 connect to? R_1 comes in series with $r_{\pi 1}$, is not it right? Now if r_1 is comparable with $r_{\pi 1}$ obviously we cannot ignore it. But can you show that r_1 is much less than $r_{\pi 1}$? Let us look at this circuit. I_{C1} and I_{C2} what is their relationship? Which one is greater? I_{C2} / I_{C1} is much less because its V_{BE1} is less than

this by this drop and therefore I_{C1} is usually much less than I_{C2} . In the example that we took 50 microampere and this is 1 point 43 milliampere, okay.

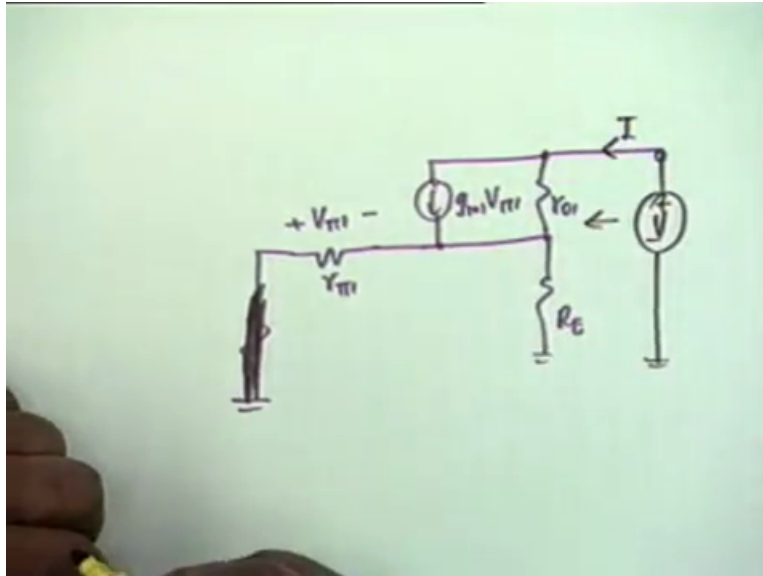
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Now if the currents are different what about their r_{π} ? No, what about their r_{π} ? R_{π} is β/g_m which means that r_{π} would be proportional to $1/I_C$. R_{π} would be proportional to $1/I_C$ and since I_{C1} is much less, $r_{\pi1}$ will be much greater than $r_{\pi2}$ which means that we are quite justified in assuming that $r_{\pi1}$ is far much less than $r_{\pi1}$, so we ignore it. And then the equivalent circuit becomes very simple. $R_{\pi1} \ll V_{\pi1}$ plus minus.

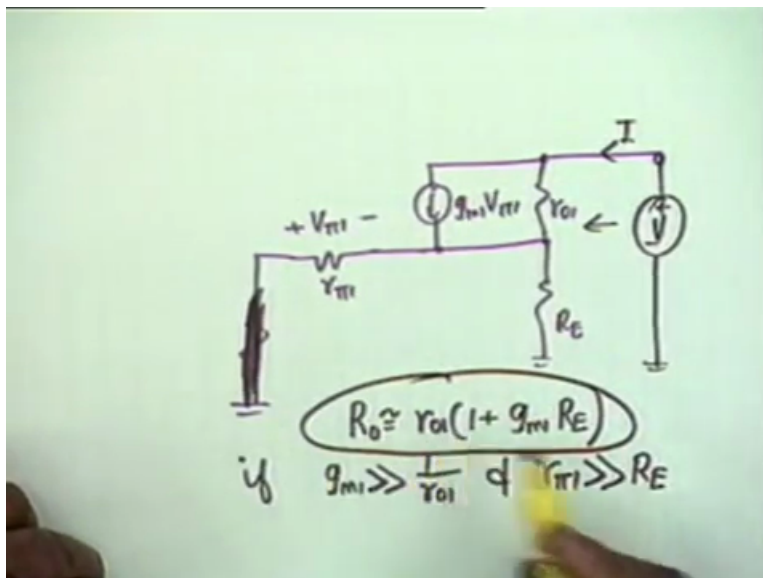
No, short circuit this, okay and we have a $g_{m1} V_{\pi1}$ here, r_{o1} then an R_E . We want to find out this resistance. Have we ignored something? We have ignored of course R_1 . That we have made equal to zero. So what we want to do is to calculate this. You connect a voltage source here and find the current I .

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Now you cannot ignore $g_m 1 V_{\pi 1}$ as having an infinite internal impedance because there is an impedance $r_{o 1}$. And I asked you to solve this circuit and show that $r_{o 1}$ is equal to, I will give you the final result only, approximately equal to $r_{o 1}, 1$ plus $g_m 1 R_E$ provided two conditions are valid that is if $g_m 1$ far much greater than 1 by $r_{o 1}$ and $r_{\pi 1}$ is much greater compared to R_E . If these are true then the output impedance is this.

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You see $r_{o 1}$ what is the order? Meg. Okay and therefore the effective output impedance effective R_E is not of the order of the meg. Not just a meg it is also enhanced by a factor of $g_m R_E$ which can be let us say if it is three then you have four times $r_{o 1}$. And what about $r_{o 1}$, the current was only 50 microampere and therefore V_a by $r_{o 1}$ will be of the order of a

meg and therefore capital R 0 would be a very large resistance and there is no (0)(44:12) in the world which does not use a current source for its R EE. We will stop here.