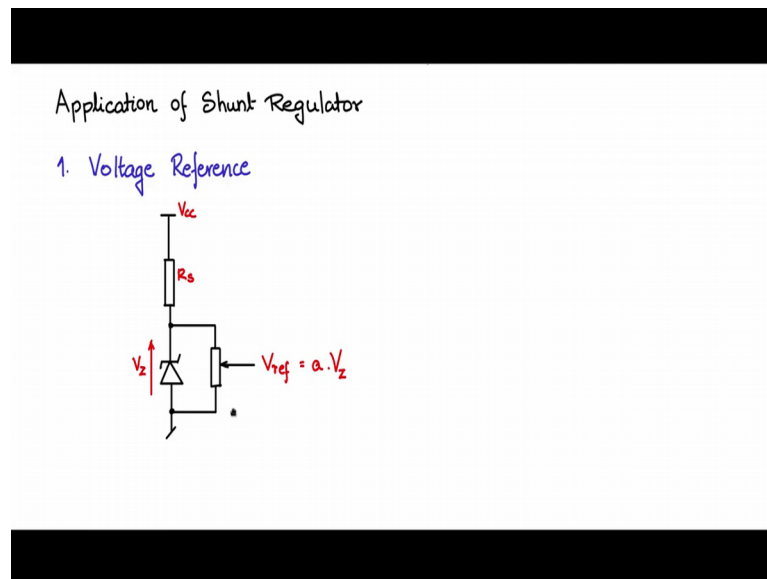


Fundamentals of Power Electronics
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Lecture – 35
Applications of shunt regulator

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Let us now discuss where we use shunt regulators, what are the applications of shunt regulators. We will look at couple of important ones, one is as a voltage reference. This is a very popular circuit used at many places in bigger circuits as a voltage reference. So, we have the shunt regulator, I am writing it in this fashion a V_{cc} here and the Zener diode and we have a load connected like this. Now, this is a shunt regulator.

This V_{cc} here is unregulated DC voltage, have an R_s , a Zener voltage V_z and across this you get a regulated constant V_z voltage. And many a times we would like to get a variable voltage reference, so you replace this resistance with the potentiometer and I reference is given by a times V_z , where a is the attenuation ratio of this potentiometer at this tap of point. So, this is a very common and popular circuit that you would use in many bigger circuits where this will come in as a voltage reference circuit.

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2. Current Regulator

$$V_{re} = V_z - V_{be}$$

$$I_E = \frac{V_z - V_{be}}{R_e} \Rightarrow \text{constant}$$

$$= I_B + I_o$$

$$= \frac{I_o}{\beta} + I_o = I_o \left(\frac{\beta + 1}{\beta} \right)$$

$$I_o = I_E \cdot \left(\frac{\beta}{\beta + 1} \right) \Rightarrow \text{constant}$$

$$V_{CE} = V_{CC} - V_{RE} - V_o$$

$$V_{CE} \gg V_{CEsat}$$

Another important application of the shunt regulator is in making a constant current regulator. Let us see how we make a constant current regulator. Let us first draw a Zener, I will now put the Zener and the series resistance R_s down below is V_{cc} . And at this point I will introduce a transistor I am using a PNP transistor in this case. One can make a constant current regulator with NPN transistor also. It is easy for explanation now.

So, I will put a resistor in the emitter like this, and here across these terminals we will take the load resistance R_{load} . So, constant current is supposed to flow through the load resistance. Whatever may be the variation in R_{load} the current that flows through R_{load} , I_{load} will be a constant. So, let us see how this is a constant current regulator, this is V_{cc} let us name this as R_e , this is R_s this is V_z and there is a drop V_{be} across the base emitter of the PNP transistor.

Let me mark this and take the potential across V_{re} in this fashion V_{re} , this I_E and this is the base current, ok. So, now, V_{re} is V_z constant minus V_{be} drop will be the voltage. So, if you take this loop and apply the Kirchhoff's voltage equation you will get V_z minus V_{be} . And I_E is V_{re} divided by R_e and there for you have I_{re} which is V_z minus V_{be} by R_e . Now, this is a constant, V_z is a constant V_{be} is a constant and R_e is a fixed value therefore, I_E is a constant.

Now, I_E is nothing but I_B plus I_{load} and I_B is nothing but I_{load} by beta, beta is the current gain of the transistor. So, I_{load} by beta plus I_{load} , so which is I_{load}

into $\beta + 1$ by β . So, therefore, we can write I_E as I_E into β divided by $\beta + 1$. Now, here I_E is a constant as we saw here β is a constant value for the transistor, so therefore, you can say I_E is a constant. So, I_E is constant irrespective of power supply variations V_{CC} irrespective of variation in R_E as we see that R_E does not figure in this equation. Therefore, this is a constant current regulator. So, a very nice circuit has a lot of applications.

Now, if you see this is V_E and let us say the voltage across the collector emitter of the BJT, V_{CE} . What is the limiting value of R_E ? On one end I can short circuit these R_E can be 0. Now, R_E is 0, V_E is 0, there is constant current that is going to flow through it. It will operate perfectly well. What is the max value? Can I open circuit it? If I open circuit it there is no way current can flow through and therefore, I_E is no longer constant. So, there is an upper limit on R_E . So, what is the upper limit on R_E ?

Now, let us write this voltage equation for this loop. So, V_{CE} , V_{CE} this is given by V_{CC} minus this drop minus I_E so which is V_{CC} minus V_{RE} minus V_E . Now, V_{CE} for the circuit to operate this drop has to be greater than 0 in the ideal case or it should be greater than $V_{CE\text{ sat}}$ in the ideal case. So, therefore, V_{CE} should be as shown here it should be positive, the positive, negative should be greater than $V_{CE\text{ sat}}$ and therefore, you will see that V_E should be less than V_{CC} minus V_{RE} minus $V_{CE\text{ sat}}$.

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$$I_{Re} = I_B + I_O$$

$$= \frac{I_O}{\beta} + I_O = I_O \left(\frac{\beta + 1}{\beta} \right)$$

$$I_O = I_{Re} \left(\frac{\beta}{\beta + 1} \right) \Rightarrow \text{constant}$$

$$V_{CE} = V_{CC} - V_{Re} - V_O$$

$$V_{CE} \geq V_{CEsat}$$

$$\therefore V_O \leq V_{CC} - V_{Re} - V_{CEsat}$$

$$I_O R_O \leq V_{CC} - V_Z + V_{be} - V_{CEsat}$$

$$R_O \leq \frac{V_{CC} - V_Z + V_{be} - V_{CEsat}}{I_O}$$

If you apply this relationship here at this value should be greater than V_{CEsat} , V_{naught} will be less than. What is V_{naught} ? V_{naught} is nothing but I_{naught} into R_{naught} that should be less than $V_{CC} - V_Z + V_{be}$, because V_{Re} is nothing but $V_Z - V_{be}$ and minus V_{CEsat} .

And therefore, R_{naught} should be less than $V_{CC} - V_Z + V_{be} - V_{CEsat}$ divided by I_{naught} and that is the limiting value $R_{naughtmax}$ that you can go up to. So, you can vary from 0 to this value of R_{naught} for the circuit to be perfectly in the constant current operating mode. So, this is a constant current regulator, a very interesting circuit has many applications.