

**Power Electronics**  
**Prof. B.G. Fernandes**  
**Department of Electrical Engineering**  
**Indian Institute of Technology, Bombay**  
**Lecture - 31**

In the last class we discussed the forward converter. The transformer which is used in forward converter requires 3 windings, 2 for energy transfer and the third 1 for continuity of flux. So, in our analysis, we connected the third winding to the supply to  $V_{DC}$ . It is not an essential condition that we need to connect the third winding to  $V_{DC}$ . Instead, we can have a fly back converter between primary and the tertiary winding. Similar to fly back converter, if you have more number of secondary, you can have multiple outputs. So, even in forward converter multiple outputs are possible.

Now, coming to the the the third 1, the tertiary winding, we select the number of turns to be same as the primary.  $N_3$  is equal to  $N_1$ , if that is the case; the cross sectional area of the conductor that is used for the tertiary winding should be very small because tertiary winding carries only the magnetizing current. So, number of turns in the primary as well as tertiary is the same. But then cross sectional area of the primary depends on the secondary current also because primary carries the magnetizing current as well as as well as the equivalent secondary current, whereas, the tertiary winding just carries the magnetizing current.

So, you can use a very thin conductor for the tertiary winding and the primary conductor depends on depends on the secondary current. So, if the number of turns is the same, the maximum value of  $D$  can be 0.5. So, if you go above 0.5, the flux will be continuous and it will so happen that it may saturate the core. So,  $D_{max}$  is 0.5.

So, we discussed about the fly back as well as forward converters. Both converters operate in the first quadrant.  $H$  is either positive or 0, we are not applying the negative ampere turns or  $HH$ . So, before going into other power supplies, I will solve a problem in forward converter as well as a fly back converter.

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**Problem 1 :**  
Find the turns ratio such that o/p V required is 100V at 0.5 for nominal i/p V = 12V

a. Compute min & max value of D, if i/p varies from 10–14V. Keep  $V_o$  constant

b. Compute the value of  $L_s$  on sec. side so that  $i_2$  is just continuous at the min. value of D.

c. Find the value of 'C' for o/p voltage ripple of 1% at  $D = D_{max}$

Take  $V_s = 0.8V$ ,  $V_o = 0.8V$ ,  
 $f_s = 2KHz$

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So, first one is on fly back converter. The problem states that see, required output voltage is 100 volts and nominal input is 12 volt, input is 12 volts. So, the **the** problem says find the turns ratio such that output voltage required is 100 volts at D is equal to 0.5. See, generally the nominal value of the D is around 0.5, even for fly back as well as **as well as** the forward converters, at 0.5 for a nominal input voltage of 12 volts. See, input is 12 and output voltage is 100 volts.

Now see, we are applying 12 volts to the primary. There is a device, a non ideal device when it is conducting even if it operates in saturation, voltage drop across it will be approximately 2 volts or so, it depends, again. So, maximum voltage that is applied to the winding is **the** of the order of 10 and that winding has its own resistance, again. So, maximum voltage that is applied to the winding is less than 10 and output is 100.

So, ratio of 10, the boost, output by input is ratio is of the order of 10. So, it would be extremely difficult if I do not use a transformer. If I just use a boost converter, it would be extremely difficult to get a ratio of 10 in this because we found in boost as well as buck – boost, it is a strong function of the ratio of the load resistance to the inductor winding resistance and part A compute the minimum and maximum values of D if input varies from 10 to 14 volts.

Keep  $V_o$  constant, problem **...** (6:19). So, input itself is varying from 10 to 14. Output should be regulated at 100 volts. Therefore, as the input changes, we need to change the duty cycle. So, that is why I said a close loop control is a must. **One for** one reason is that if the load gets disconnected, I am storing the energy, dumping it. The output capacitor voltage goes on building up and for second reason in order to maintain a constant output voltage; we need to have a close loop control **we need to have a close loop control**.

Now, part B of the problem - compute the value of  $L_s$ ;  $L_s$  is the secondary inductance or inductance of the secondary. So, that  $i_2$  is just continuous at the minimum value of D. So, first

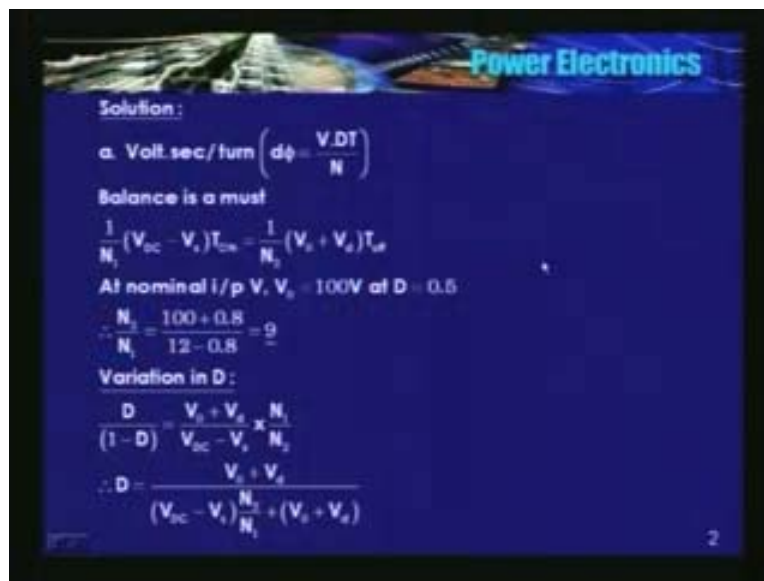
we need to find out the minimum value of D and for that value,  $i_2$  should be just continuous and the part C it says, find the value of C for output voltage ripple of 1% at D is equal to D max.

So, we need to find out the output voltage ripple or we need to regulate the output voltage at 1% for maximum value of D. Again, we need to find out the maximum value of D, nominal is 0.5. So, when we need to have minimum D and when we should have maximum D; when the input is varying from 10 to 14, we will find out.

See again, **it is going to it is** it is a non ideal converter in every sense. Take  $V_S$  is equal to 0.8 volts.  $V_S$  in the sense, voltage across the switch when it is conducting is 0.8 volts, looks like it is on the lower side **lower side**.  $V_d$  is 0.8 volts, voltage across the diode and switching frequency is 2 kilo hertz. Looks like all 3 values are on the lower side. If it is a fly back converter; may be, generally, a power rating is of the order of 100 to 150 watts or so. Switching frequency is definitely higher than 2 kilo hertz and in that case, voltage across the switch when it is conducting is **is** much higher than 0.8 volts. Anyway, we will take this and we will solve the problem.

What is the condition or how will you derive the transfer function? We said, volts second per turn balance is a must. In other words, at steady state, increase in flux should be equal to the decrease in flux.

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So,  $d\phi$ , positive of  $d\phi$  is when I close the switch and it is closed for  $DT$  seconds.  $N$  is the number of turns in the primary. So, voltage across the primary is  $V_{DC}$  minus  $V_S$ . See in this figure,  $V_{DC}$  is voltage applied to the primary the winding, 0.8 volts is the drop here, remaining voltage appears across the winding and in the secondary, what is the voltage here? Secondary is this is 100 volts. Output is regulated at 100 volts. There is a diode here, so 0.8 volts is the drop across the diode, plus, minus. So, voltage here is 100.8 **100.8**. This is 100 - the voltage drop across the diode, so this will be 100.8.

So, volt second per turn balance equation is this -  $N_1$  into  $V_{DC}$  minus  $V_S$  into  $T_{on}$  should be equal to  $V_0$  plus  $V_d$  into  $T_{off}$  divided by  $N_2$ . At nominal input that is  $V$  is at 12 volts,  $V_0$  is 100 volts at  $D$  is equal to 0.5. So, you substitute in this. So, you will get  $N_2$  by  $N_1$  is 9 is 9.

Now, what is the variation in  $D$  that is required when the voltage varies from 10 to 14 volts? Definitely,  $D$  is higher than 0.5 when the input is is less than 12 and  $D$  is less than 0.5 when when input voltage is higher than 12. So, you substitute for  $T_{on}$  and  $T_{off}$  in terms of  $D$  and solve this equation. You will get the equation for  $D$  in terms of supply voltages and and the turns ratio.

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Now,  $V_{DC}$  is changing. All other parameters are constant. What should be the value of  $D$ ? You just substitute it. You will find that at  $V_{DC}$  equal to 12 volts,  $D$  is 0.5, see and the input is 10 volts.  $D$  has increased to 0.5 5 and when  $D$  is 14 volts sorry when  $V_{DC}$  is 14 volts, duty cycle is 0.6.

Actually, a closed loop controller does this. There is a regulator or a controller which senses the output voltage. If I see, initially the input voltage was 12,  $D$  is 0.5, a steady state was attained. Now, the input has changed to 10,  $D$  is still 0.5. So, output voltage starts falling, immediately controller senses because this is a continuous process, sensing is a continuous process; measure the output, compare with reference, take the corrective action. So, reference has been kept at 100 volts. Output is falling because input has reduced, so immediately controller takes action; a suitable action. That action is nothing but increasing the value of  $D$  and it will attain a steady state.

Now, how do I solve the part B of the problem? The part b of the problem says that what is the value of  $L_s$  so that  $i_2$  is just continuous when  $D$  is equal to  $D$  minimum? So, the current wave form of a secondary current is looks like, it is just continuous at  $DT$ . It jumps to the peak value.

It starts falling and it becomes 0 at T and slope of this line is voltage across the secondary winding which is nothing but  $V_0$  plus  $V_D$  divided by  $L_s$ .

This is the slope of this line and this is the secondary circuit, a capacitor parallel with the resistor. So, at steady state, average value of the current that is flowing through a capacitor should be 0. So,  $i_2$  average should be equal to average value of the load current. So, average value of the load current is nothing but  $V_0$  by R. I am neglecting the ripple in  $V_0$  I am neglecting the ripple in  $V_0$ . So, average value of  $i_2$  is nothing but average value of the load current. Average value of the load current is 1 ampere now. What is the average value of this wave form from 0 to DT.  $i_2$  is 0 and it is a right angled triangle. So, what is an average value of this? It is the area of this triangle divided by the time period.

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$$i_1(1-D)T = \frac{V_0}{R}$$

$$\therefore i_1 = \frac{2V_0}{R(1-D)}$$

$$\rightarrow i_1 = \frac{V_0 + V_D}{L_s} (1-D)T$$

$$\therefore L_s = \frac{V_0 + V_D}{2V_0} (1-D)^2 T R$$

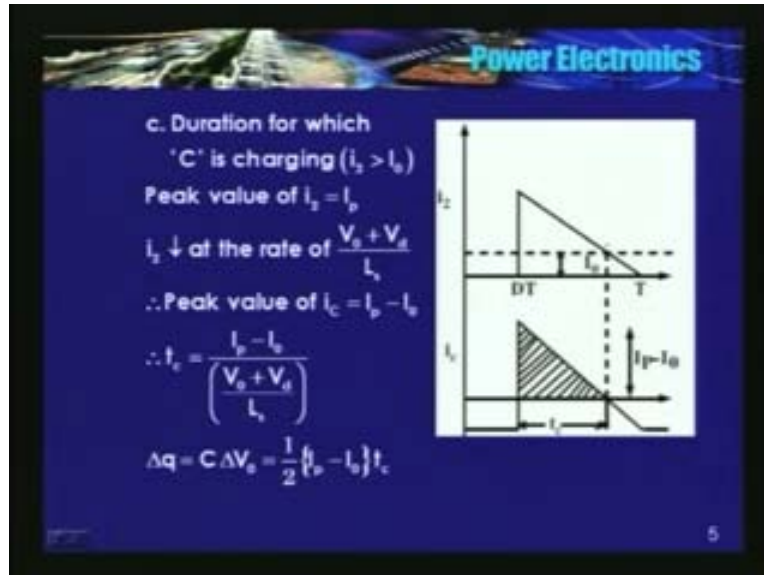
' $V_0$ ' is held constant.  $L_s$  should be just continuous at  $D = D_{\min} = 0.46$

$$\therefore L_s = 612 \mu\text{H}$$

So, this is the equation; average  $i_2$  should be equal to average  $i_0$ . So, the peak value of the current is given by this equation, Now, from this figure I know the slope, I know this time period. So, I can calculate this current, this value. I know the slope, I know this period; I can calculate this current.

So, what is the relationship between this duration and the slope of this line? It is this - 1 minus D into T is the time, this is the slope, the peak current. So, equate it; equate these 2 equations, we will get equation for  $L_s$ .  $V_0$  is held constant,  $i_2$  should be just continuous at D is equal to D minimum, it is been given. So, D is 0.46. So,  $L_s$  comes out to be 612 micro henries **612 micro henries.**

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Now, that the last part of the problem; **this is** output voltage ripple is 1% at D is equal to D max. Previous is current should be just continuous at D is equal to D minimum. Now, we will see when the capacitor is charging and when is discharging? It is all depends on **depends on** the duration for which capacitor is charging and the duration for which capacitor is discharging. Secondary current wave form for a right angled triangle, average value is 1 ampere and the circuit is this;  $i_2$  is the input current coming from a secondary, divides into 2 parts. This current is constant.

So, if  $i_2$  is higher than 1 ampere, the difference between  $i_2$  minus 1 ampere will flow through the capacitor and when  $i_2$  falls below 1 ampere, capacitor starts discharging. So, we will go back. So, above 1 ampere the current that is flowing through the capacitor. So this duration, capacitor is charging and the remaining entire duration, from 0 to DT and from  $t_c$  onwards, capacitor is discharging.

Now, we need to find out the charge transferred to the capacitor or first we will find out the time for which the capacitor is charging or  $t_c$  below this slope because the voltage is  $V_0$  plus  $V_D$  and the inductance is  $L_s$ . So,  $i_2$  is falling at the rate of  $V_0$  plus  $V_D$  divided by  $L_s$ , peak value of  $i_c$ . This current is  $I_p$  minus  $i_0$ .  $i_0$  is 1 ampere, so our  $t_c$  is peak value of this current divided by the slope of this line.

So,  $\Delta q$  or the charge that is transferred to the capacitor that is nothing but  $C \Delta V_0$  by DT is equal to this, the area of this triangle. That is nothing but half of  $I_p$  minus  $i_0$  that is peak into  $t_c$ .



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$$\rightarrow \Delta q = \frac{1}{2} (I_p - I_0) \frac{I_p - I_0}{(V_o + V_d)} \cdot L_s$$

we know,  $I_0 = \frac{V_o}{R}$ ,  $I_p = \frac{2V_o}{R(1-D)}$

$$\rightarrow \Delta q = \frac{1}{2} \left[ \frac{2V_o}{R(1-D)} - \frac{V_o}{R} \right] \frac{L_s}{V_o + V_d}$$

$$\rightarrow C \Delta V_o = \frac{1}{2} \left[ \frac{V_o}{R} \right]^2 \frac{1}{V_o + V_d} L_s \left( \frac{1+D}{1-D} \right)^2$$

$$\therefore \frac{\Delta V_o}{V_o} = \frac{L_s V_o}{2R^2 C (V_o + V_d)} \times \left( \frac{1+D}{1-D} \right)^2 = 0.01$$

$$\rightarrow C = 36 \mu F$$

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Now, value of  $t_c$  is again given by this equation. Now, you substitute it, you will get equation for  $\Delta q$ . Now,  $I_0$  is  $V_0$  by  $R$ ,  $I_p$  is  $2V_0$  divided by  $R$  1 minus  $D$ ; this equation, we already solve in part B. So, you substitute here, you will get  $\Delta q$  is equal to this term. So, this is nothing but  $C \Delta V_0$  and percentage voltage ripple is nothing but  $\Delta V_0$  divided by  $V_0$ . So,  $C \Delta V_0$  is this. So,  $\Delta V_0$  by  $V_0$  is this equation. Same;  $C$  is here,  $V$  square was here, so comes here,  $V_0$ . Remaining terms is the same. Now, this is 1%, it is given, value of  $D$  is also known. So,  $C$  is found to be 36 micro farads. This is about the problem on fly back converter. We will solve another problem on forward converter.

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**Problem 2:**  
 A Forward converter is operating at the boundary of continuous / discontinuous conduction. Switching frequency is 100 kHz.  
 Assume  $\mu \rightarrow \infty$  so that energy recovery winding is ignored  
 A load of 10A at 20V is being supplied

- Determine the value of 'L' &
- Determine peak to peak ripple in output voltage

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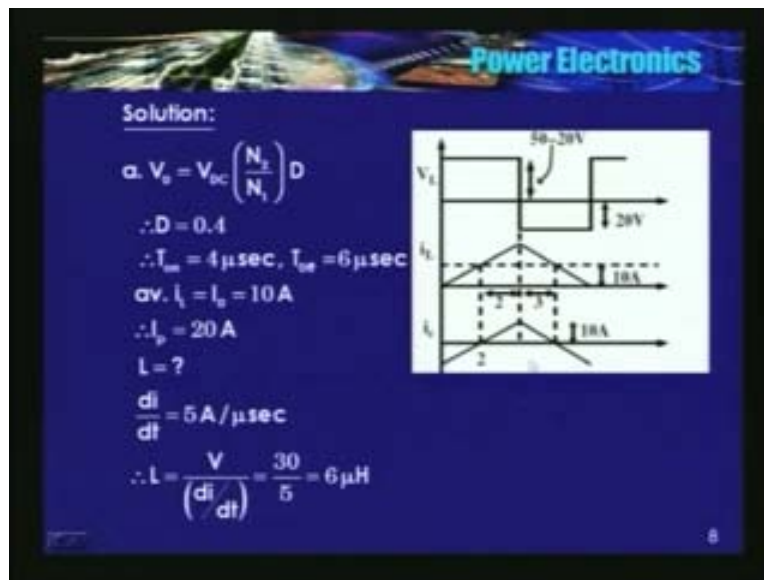
The problem says; a forward converter is operating at the boundary of continuous and discontinuous conduction, switching frequency is 100 kilo hertz; a realistic figure, 100 kilo hertz. Another ideal feature, assume  $\mu$  is equal to infinity so that energy recovery winding is ignored. So, we have just 2 windings. We said that 1 is to 1, it does not matter, **it does not matter**. It was a 50 and a 20, so voltage ratios are not or voltages are not greatly different. But then problem says that they assume the forward converter, it is fine. May be, just provides isolation between input and output.

A load of 10 amperes at 20 volts is being supplied, 10 amperes at 20 volts is being supplied. Determine the value of L and peak to peak ripple in the output voltage. In the previous problem, we have to find out to C to limit the **ripple of to** ripple to 1%. Here, we need to find out the peak to peak voltage ripple and C is 100 microfarad, it is given. How do I solve the problem? I think we need to ignore all the device drops. We can take into account, **not a** it is not a problem.

Now, voltage across the inductor when the switch is on is how much? It is a voltage induced here, in this winding minus  $V_0$ . That is the voltage across the inductor. Diode is conducting when the switch is on, so voltage induced in secondary is  $V_{DC}$  into  $N_2$  divided by  $N_1$  and it so happens that  $N_1$  is equal to  $N_2$ . So, voltage induced here is 50 volts itself, this is 20.

So, when the switch is on, voltage across the inductor is 30 volts and when the switch is off, DF starts conducting because  $I_L$  should be continuous. So, voltage across the inductor is 20 volts. See,  $\mu$  is infinity; so, magnetizing current is 0. So, you do not require a tertiary winding; some sort of an ideal case.

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So, this is the voltage wave form across the inductor. Equate it, so we will get a transfer function;  $V_{DC}$  into  $N_2$  divided by  $N_1$  into D. Again, we have ignored the device drops. We can take this if



it they are given, you can take into account and you will get another equation. So,  $D$  is 0.4. So therefore,  $T_{on}$ , this period is 4 micro second;  $T_{off}$  is 6 micro seconds **6 micro seconds.**

Here, by the way, problem says that forward converter is operating at boundary of continuous and discontinuous conductions. Part B says assume  $\mu$  is equal to infinity. So, the energy recovery winding is ignored. Now, please do not get confused. I have told that for forward and fly back if I say discontinuous conduction; it implies that flux in the core is discontinuous. Load current for a fly back is nothing but a voltage source where it is continuous and here in a forward converter, I have an approximately current source. So, I can safely assume that load current is continuous.

But in this problem they have said that  $\mu$  is equal to infinity. So therefore, neglect the recovery winding or third winding. So, **there is** the question of taking the  $I_M$  into account does not exist. Please, just try to understand. It is mentioned that energy recovery winding is ignored. So, there is no third winding. Therefore, **current** the continuity of current in third winding does not exists here.

So, when it is said that forward converter is operating at the boundary of continuous and discontinuous, here we need to assume that this current is nothing but the current flowing through the inductor **L inductor L**. So,  $i_L$  starts from 0, increases, just prior to closing the switch; it attains a peak and again it comes down. Average value of this current is 10 amperes, it is given.

Now, what is the peak value of the  $i_L$ ? What is the peak value of  $i_L$ ? Because, to plot  $I_C$ , current that is flowing through the capacitor and to determine the voltage ripple, **I know** I need to know the current that is flowing through a capacitor, this. So, when  $i_L$  is less than the average value of the load current, capacitor is discharging and **it** when it is, when the inductor current is higher than the 10 amperes, capacitor is charging.

So, what is this peak value? Peak value is nothing but area divided by area of this, the whole triangle divided by the time. So, we will find that this peak is 20 amperes, **this peak is 20 amperes**. Now, what is the value of the inductor  $L$ ? Current reaches peak in 4 micro seconds, voltage that is supplied across the inductor is 30 volts. Therefore,  $L$  is 6 micro henries. I will repeat; this  $DT$  is 4 micro seconds, voltage applied to the winding is or **voltage applied to the** voltage applied across the inductor is 30 volts and this is the variation of current. So,  $L$  is 6 micro henries **6 micro henries.**

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$$\text{b. } C dV_o = dq = \frac{1}{2} \times 10 \times 5 = 25 \mu\text{C}$$
$$\therefore \Delta V = \frac{25 \mu\text{C}}{100 \mu\text{F}} = 0.25 \text{ V}$$
$$\therefore \frac{\Delta V}{V_o} = \frac{0.25}{20} = 1.25\%$$

And, the same procedure to determine the output voltage ripple;  $C dV_o DT$  should be equal to  $dq$  is equal to half. See, area of this angle. This is  $DT$  by 2 because entire  $DT$  is 4, this is linear, so this is this point is  $DT$  by 2 **DT by 2** or midpoint in between 0 to  $DT$  and this is the midpoint between  $DT$  and  $T$ .

So, for 5 micro second, capacitor is charging. The peak value is 10 amperes. This is 10 amperes because peak of  $i_L$  is 20. So, this is 10 amperes. So, area of this triangle, **I need to** is 25 micro coulomb. So,  $\Delta V$  is 25 micro coulomb divided by 100 micro farads is 0.25 volts. So, voltage ripple **is** is of the order of or is equal to 1.25 %. So, that is the reason we neglect the change in the average value of the load current because see, the voltage ripple itself is of the order of 1.25% **1.25%**.

In other words, **voltage** change in output voltage is 0.25 volts at an **and a** average value of 20. For an engineer it is constant. So, that is the reason we always assume that  $i_o$ , the load current is assumed to be constant. Though **we change the**, we plot the variation of the capacitor voltage and we assume that output current remains constant. Somehow, there is a contradiction there. But then, see, this problem clearly says; change in the output voltage is 0.25 volts, average is 20. So, change in **in** the load current, average value of the load current is approximately 0 **0**. So, that is about the fly back as well as the forward converter.

In both the cases; we are using a transformer. In one case, source supplies only the magnetizing current in the fly back converter, whereas, in a forward converter; source supplies the magnetizing as well as the equivalent load current. But then in both cases, operation is always in the first quadrant.

Now, let us see the operation in both the quadrants. I have told you that fly back converter is very attractive if the power rating, if the power supply **is** is of the order of 100 to 150 watts. May be, from 100 to 500 watt or 600 watts, forward converter is preferred. Now, so high power range;

what sort of a power supply to choose? Now definitely, we need to use bidirectional core excitation.

See, in fly back and forward, it is a unidirectional core excitation. Current in the core is DC. Please, DC does not mean that constant value of DC, average value is finite. Now, bidirectional core excitation is nothing but AC excitation to the transformer. Now, again AC need not be a sinusoid. AC implies average value is 0 that is all. So, current that is flowing through the transformer should be AC now.

Input is DC, now how do I do this? So, what I will do is, I use 2 forward converters and connect them in anti phase. I will draw the figure and I will show you. So, 1 forward converter is pushing the power or **it is apply** it is working in the first quadrant, positive NI and another forward converter is negative NI. So, I am applying both; positive core excitation as well as a negative core excitation. That is why **that is why I am calling** I am saying that current that is flowing through the transformer is AC. It is AC because average value is 0 that is all.

So definitely, for **high power** high power applications, I need to use bidirectional core excitation. That I can achieve. One of the ways to achieve is to use 2 forward converters working in anti phase. So, both the converters are pushing the power to the load. **In one** one converter is working **in** when NI is positive or **in when I working the** or when I working the first quadrant, the forward converter supplies power to the load and even when I applied negative NI, forward converter still supplies power to the load.

In other words, both are pushing power to the output. So, the obvious name should have been a push - push converter; I do not know, the name that is prevailed is push - pull converter. I do not why this is push - pull converter. Here, both the converters are pushing power to the load; it should have been push - push converter but **push push** push - pull converter has prevailed. Let us see, how does it work? It is bit a bit difficult **a bit difficult**. Try to understand **I need to find**

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**Push-Pull converter :**

$$N_{11} = N_{12} = \frac{N_1}{2}$$

$$N_{21} = N_{22} = \frac{N_2}{2}$$

From  $t = 0$  to  $t = \frac{DT}{2}$ ,  $T_1$  is ON &  $T_3$  is OFF

$t = \frac{DT}{2}$  to  $t = \frac{T}{2}$ ,  $T_1$  &  $T_3$  are OFF

$t = \frac{T}{2}$  to  $t = \frac{(1+D)T}{2}$ ,  $T_2$  is ON &  $T_4$  is OFF

$t = \frac{(1+D)T}{2}$  to  $t = T$ ,  $T_2$  &  $T_4$  are OFF

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Here is push pull converter. I said it is a AC excitation, so therefore, voltage induced in the secondary is AC. Again, I am not saying that it is a sinusoid. So, I want a DC power supply. So, voltage induced in the winding is AC because AC excitation or bidirectional core excitation. I want a DC power supply; definitely, you need to have a 1 more stage which converts AC to DC or you can use either a bridge rectifier or a **center tapped** center tapped version of the full wave rectifier using 2 diodes.

So, I am using 2 diodes. So, this is secondary, secondary side of the push - pull converter. A center tapped winding, see the dotted polarities; number of turns in both the winding is the same. So, these 2;  $D_1$  and  $D_2$  are diodes and this is the output stage. Looks like a forward converter, isn't it? This is nothing but a forward converter stage or a buck converter stage and I said, 2 forward converters working anti phase. So definitely, transfer function should be **should be** same as that of a forward converter with some other multiplying factor and see in the primary; I have again **again** a 2 winding, a center tapped **a center tapped** transformer,  $N_{11}$   $N_{12}$ .  $N_{11}$  is equal to  $N_{12}$ , a  $V_{DC}$  power supply and 2 switches. I need to use 2 switches.

So, how would have this **how would have this** circuit worked? How would have this circuit worked? From 0 to  $DT$  by 2; see here, all this time I said 0 to  $dt$ , switch is on, it is fine. But then, here there are 2 switches **2 switches**. So, from 0 to  $DT$  by 2,  $T_1$  is turned on and  $T_2$  should be off. I will repeat; from 0 to  $DT$  by 2,  $T_1$  is on and  $T_2$  should be off. Why? We will see later.

From  $DT$  by 2 to  $T$  by 2, that is half the wave cycle is over here,  $T$  by 2;  $T_1$  and  $T_2$  are off. Both the switches are off. Now, I am not going to tell you what happens in the secondary. Sometime later I will tell you. It is not very obvious. So, whatever that happened from 0 to  $T$  by 2, for  $T_1$  it will happen from  $T$  by 2 to  $T$  over  $T_2$ . So, from  $T$  by 2 to  $1$  plus  $d$  into  $T$  by 2,  $T_2$  is on and  $T_1$  is off and from  $1$  plus  $D$  into  $T$  by 2 to  $t$  is equal to  $T$ ,  $T_1$  and  $T_2$  are off. So, both the switches are off. I have not told anything about the secondary. Fine, we will see now.

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From  $0 < t < \frac{DT}{2}$   $T_1$  is ON

- 'V' across  $N_{11} = V_{11} = V_{DC}$  (with '+' as +ve)
- 'V' across  $N_{12} = V_{12} = V_{DC}$
- 'V' across  $T_2 = 2V_{DC}$
- $i_1$  enters the DOT
- $i_{11}$  can leave the DOT =  $i_1$
- $i_{12} = 0$
- 'V' across  $N_{21} = V_{21} = V_{DC} \frac{N_2}{N_1} =$  'V' across  $N_{22}$
- ' $D_2$ ' is off
- $\therefore$  'V' across  $D_2 = 2V_{DC} \frac{N_2}{N_1}$

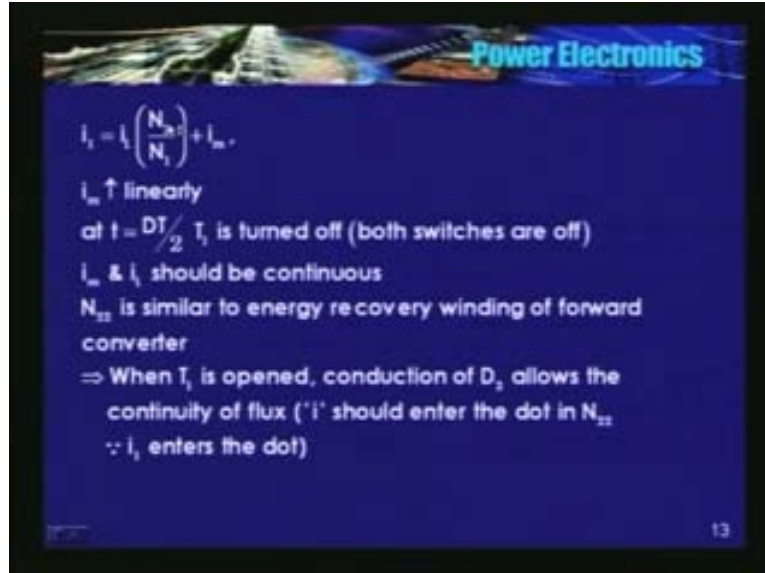
From  $T_2$   $T$  is equal to 0 to  $T$  is equal to  $DT$  by 2,  $T_1$  is on. See, in this equivalence circuit; in the primary side, current enters the dot in  $N_{11}$  turns, current enters the dot. So, in this secondary if you see, current should leave the dot. Yes,  $D_1$  can conduct now because current  $i_{D1}$ . So,  $D_1$  is on,  $D_2$  is off. So, voltage applied to  $N_{11}$  is  $V_{DC}$  with the dot as positive. Voltage induced in  $N_{12}$  is again  $V_{DC}$  because number of turns is the same with the dot as positive.

Therefore, voltage across the switch  $T_2$ , how much is that? It is  $V_{DC}$ . See, minus is connected to positive half the voltage induced in  $N_{12}$  or  $V_{12}$ ; positive, positive voltage, so  $V_{12}$ . So, it is nothing but  $2 V_{DC}$ . Voltage across this switch is twice the supply voltage, remember. So,  $T_2$  should block twice the input voltage. Current enters the dot here,  $i_1$  is; I will not talk about  $i_1$ . Current enters the dot, current leaves the dot,  $i_{D1}$  starts increasing because  $i_{D1}$  is same as  $i_L$  same as  $i_L$ . Voltage induced in  $N_{21}$  is  $V_{DC}$  into  $N_{21}$  divided by  $N_{11}$  or  $N_2$  by 2 divided by  $N_1$  by 2 because number of turns in  $N_{21}$  is half of the total number of turns and here also. So, I can write  $V_{21}$ , voltage induced in  $N_{21}$  is nothing but  $V_{DC}$  into  $N_2$  divided by  $N_1$ .

Actually, it is  $N_{21}$  divided by  $N_{11}$ . So,  $N_{11}$  is nothing but  $N_1$  by 2 and  $N_{21}$  is the nothing but  $N_2$  by 2. So, voltage induced in  $N_{21}$  is same as voltage induced in  $N_{22}$  turns. Diode  $D_2$  is off, so voltage across the diode  $D_2$  is twice  $V_{DC}$  into  $N_2$  divided by  $N_1$ . Sum of these 2 voltage sources sum of these 2 voltage sources because  $D_1$  is conducting. This point gets connected here, so voltage across  $D_2$  is  $2 V_{DC}$  into  $N_2$  divided by  $N_1$ .

$i_L$  starts increasing slowly. Primary winding of the transformer, it has to provide the magnetizing current which again increases linearly and  $i_1$  should have the equivalent secondary load current. I said  $i_1$  also increases linearly,  $I_M$  also increases linearly. But then the rate of increase of  $i_L$  is not the same as rate of increase of  $I_M$ .  $I_M$ , rate of increase of  $I_M$  depends on depends on the magnetizing inductance of the transformer, whereas, rate of increase of  $V_L$  sorry rate of increase of the inductor current  $i_L$  depends on voltage across the inductor and a value of  $L$  value of  $L$ . So, they increase linearly but then rates are not the same are not the same. So, see here.

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Therefore,  $i_1$  is the load current. This  $i_L$  is flowing in  $N_{21}$ , this  $N_{21}$  is nothing but  $N_2$  by 2 but whereas,  $i_1$  is flowing in  $N_{11}$  and  $N_{11}$  is nothing but  $N_1$  by 2. So,  $i_1$  is equal to  $i_L$  into  $N_2$  divided  $N_1$  plus the magnetizing current.  $I_M$  increases linearly.

Now, at  $DT$  by 2, switch is turned off. What happens? What happens in the circuit? When the switch is turned off, magnetizing current should be continuous and the inductor current  $i_L$  should be continuous. Now, in the forward converter there was a diode which is **which is** providing a path for  $i_L$  and we use a tertiary winding for continuity of flux. Magnetizing current starts flowing in the tertiary winding but if you see in this figure,  $N_{22}$  is similar to the energy recovery winding of the fly back converter.

See, current is entering the dot here. So, any coil, wherein current can enter when the switch is turned off, can provide a path for the flux. I will repeat; current was entering the dot when I closed the switch in the primary. So, when I open the switch, current should enter the dot in some other winding which is mutually coupled with the primary winding.

Now, if you see in this figure, current in  $N_{22}$  can enter **can enter**.  $i_2$  enters the dot. Here,  $T_2$  is not closed, we have not closed  $T_2$  **we have not closed  $T_2$** . So,  $i_1$  or the magnetizing current can enter  $N_2$  or this coil or can enter this coil because of this diode and it can flow through this path. So,  $i_L$  also can flow through this path. I said; can. What happens? I will tell you later.

So, I can say that  $N_{11}$  and  $N_{21}$ , they form a forward converter and  $N_{11}$  and  $N_{22}$  of similar to a fly back or  $N_{22}$  is **is** similar to an energy recovery winding **energy recovery winding**. Now here, it is feeding power back to this load. This energy recovery winding is feeding power to the same load **same load looks like** and continuity of  $i_L$  also can be provided by the same circuit. But then if you see this circuit very carefully,  $N_{21}$  and  $N_{22}$  are also mutually coupled. I will repeat;  $N_{21}$ ,  $N_{22}$  are mutually coupled. Current in  $N_{22}$  is entering the dot. I will repeat; current in  $N_{22}$  is entering the dot. So, the right direction for the current in  $N_{21}$  is to leave the dot and it is possible.



See, we have a very interesting case here. When switch is closed; current enters the dot in the primary, current can leave the dot in the secondary. That can happen only in the upper half or it can happen only in  $N_{21}$  coil because of  $D_1$ . So, no current in  $N_{22}$  because of  $D_2$ . So, when I open the switch, if there is a coil; wherein current can enter the dot, this will provide a path for the magnetizing current or the continuity of flux. Which is possible here? It is  $N_{22}$  coil. Current can enter the dot because of  $D_2$ . But then if current enters the dot in  $N_{22}$ , current in  $N_{21}$  will try to leave the dot and it is possible because diode is connected in that way.

So, in this circuit, just see here; if current tries to enter this dot here, current can leave the dot here and there is a path **there is a path**. So therefore, when I open the switch, both  $D_1$  and  $D_2$  starts conducting both  $D_1$  and  $D_2$  starts conducting. Let us see how they share the inductor current, sometime in our next lecture.

Thank you.