

Elementary Electrochemistry
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Lecture 36
Dissociation Constant of Weak Acids

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Elementary Electrochemistry



A course designed for students studying B. Sc with Chemistry

Instructor

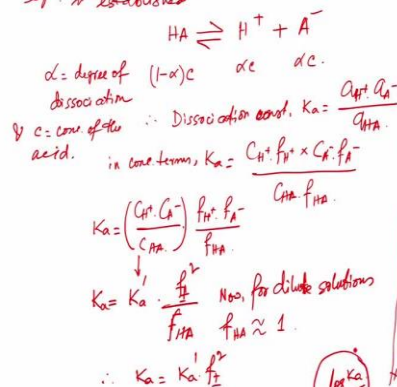
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Elementary Electrochemistry

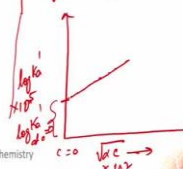


Dissociation const. of weak acids: -
 Weak acid (CH_3COOH) is written as HA. When dissolved in water, the following eqn. is established.



$$\log K_a = \log K_a' + 2 \log f_{\pm}$$

Using Debye-Hückel's limiting law,
 $\log f_{\pm} = -0.509 Z_+ Z_- \sqrt{I}$ in this case for uni-univalent ions,
 $\log f_{\pm} = -0.509 \sqrt{I}$
 $\therefore \log K_a = \log K_a' + 1.018 \sqrt{I}$



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Elementary Electrochemistry



Welcome back to the course entitled Elementary Electrochemistry. In this lecture, we are going to discuss about the determination of dissociation constant of weak acid using the conductance measurements dissociation constant of weak acids. We will discuss both weak monobasic acid and then weak di-basic acid like oxalic acid as well. So, suppose the weak acid for us let us assume it to be acetic acid is written as HA, A is the anion part of weak acid and H is the H plus ion of that acid.

So, weak acid is written as HA when dissolved in water the following equilibrium is established. HA dissociates into H⁺ plus A⁻ if you assume that alpha is the degree of dissociation and C is the concentration of the acid then at equilibrium the individual concentrations of these species will be 1 minus alpha C whereas, concentration of H⁺ is I will alpha into c concentration of A⁻ is also alpha into C. So, one can easily write the value of dissociation constant K_a activity of H⁺ into activity of A⁻ divided by activity of HA.

So, in concentration terms one can write K_a equal to $\frac{C_H^+ \times C_{A^-}}{C_{HA}}$ that is the activity coefficient multiplied by $\frac{C_{A^-}}{C_{HA}}$ into f_{A^-} divided by $\frac{C_{HA}}{f_{HA}}$. So, one can further rearrange this expression for K_a as $\frac{C_H^+ \times C_{A^-}}{C_{HA}}$ divided by $\frac{C_{HA}}{f_{HA}}$ into f_{H^+} into f_{A^-} divided by f_{HA} . And further one can write K_a equal to K_a' in terms of concentration this term is written as K_a' multiplied by $f_{H^+} \times f_{A^-}$ square by f_{HA} .

Now, for dilute solutions f_{HA} can be assumed to be equal to 1 therefore, K_a can be written as $K_a' \times f_{H^+} \times f_{A^-}$ square. So, now taking log on both side $\log K_a$ equal to $\log K_a' + 2 \log f_{H^+} \times f_{A^-}$. So, now one can use divide the limiting log and replace the value replace this $\log f_{H^+} \times f_{A^-}$ by something called the is it is the ionic product. So, using Debye Huckel's limiting law one can write $\log f_{H^+} \times f_{A^-}$ equal to $0.509 \times Z^+ \times Z^- \times \sqrt{i}$. And then for uni uni valent ions one can write that as $\log f_{H^+} \times f_{A^-}$ is equal to $0.509 \times \sqrt{\alpha C}$.

So, therefore one can write $\log K_a'$ which is this one equal to $\log K_a + 2 \times \log f_{H^+} \times f_{A^-}$ that turns out to be $1.018 \times \sqrt{\alpha C}$. So, now if you try to plot the value of $\log K_a'$ multiplied by 10 to the power 5 in y axis and square root of αC in x axis multiplied by 10 square one will get a nearly straight line for a decent range of concentration. So, when you extrapolate it to C equal to 0, you will get the value of $\log K_a'$ at C equal to 0 which essentially means, that it is the value of log of K_a .

So, from that one can calculate the value of the activity product of dissociation or rather the dissociation constant of weak acid using this method. So, this plot becomes important one has to do this experiment and using various concentration one has to calculate longer K_a' using conductometry method and from that one can determine the value of K_a .

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The Dissociation constants for a dibasic acid (H_2A), H_2A can also be determined. H_2A when dissolved in water, establishes the following reaction:—

$$H_2A \rightleftharpoons H^+ + HA^- \quad K_1 = \frac{C_{H^+} \cdot C_{HA^-}}{C_{H_2A}} \quad \text{--- (a)} \rightarrow \text{can be det. like before}$$

$$HA^- \rightleftharpoons H^+ + A^{2-} \quad K_2 = \frac{C_{H^+} \cdot C_{A^{2-}}}{C_{HA^-}} \quad \text{--- (b)}$$

We have a solution of H_2A of conc. C & it dissociates as—

$$\begin{aligned} H_2A &\rightleftharpoons H^+ + HA^- \quad \text{--- (i)} \\ HA^- &\rightleftharpoons H^+ + A^{2-} \quad \text{--- (ii)} \\ H^+ + HA^- &\rightleftharpoons H_2A \quad \text{--- (iii)} \\ 2HA^- &\rightleftharpoons H_2A + A^{2-} \quad \text{--- (iv)} \end{aligned}$$

In a dilute solution of H_2A , the conc. of acid salt (HA^-) & the neutral salt (A^{2-}) are negligible, we can write,

$$C = C_{H^+} + C_{HA^-} + C_{H_2A} \quad \text{--- (c)}$$

& also from (ii) & (iv) $C_{A^{2-}} = C_{H^+} + C_{H_2A} \quad \text{--- (d)}$

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$C_{HA^-} = C + C_{H^+} - 2C_{A^{2-}} \quad \text{--- (e) from (c) & (d)}$

\therefore From eq. (b) $C_{HA^-} = \frac{C_{H^+} \cdot C_{A^{2-}}}{K_2} = C + C_{H^+} - 2C_{A^{2-}}$

or $C_{H^+} \cdot C_{A^{2-}} = K_2 \cdot C + K_2 \cdot C_{H^+} - 2K_2 \cdot C_{A^{2-}} \quad \text{--- (f)}$

Now from eq. (a) & (b), $HA^- = \frac{K_1 C_{H_2A}}{C_{H^+}} \quad \text{--- (g)}$

On sub. to eq. (f), $\frac{C_{H^+} \cdot C_{A^{2-}}}{K_2} = \frac{K_1 C_{H_2A}}{C_{H^+}} - K_1 \frac{C_{H_2A}}{C_{H^+}} + C_{H^+} - 2C_{A^{2-}}$

or $C_{A^{2-}} = \frac{K_1 K_2 C_{H_2A}}{K_1 K_2 - C_{H^+}^2} \quad \text{--- (h)}$

Substituting in (f) $K_2 = \frac{[K_1 + C + C_{H^+}] C_{H^+}}{K_1 [C - C_{H^+}]} \quad \text{--- (i)}$

When C_{H^+} is small, $K_2 = \frac{(K_1 + C) C_{H^+}}{K_1 \cdot C} \quad \text{--- (j)}$

By measuring K_1 conductometrically and determining the conc. of H^+ using potentiometry one can evaluate K_2 using the eq. (j)

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The dissociation constant or constant for a dibasic acid for example, oxalic acid which is written as H_2A can also be determined. This dibasic acid when dissolved in water establishes the following reactions or reaction equilibria, what are those? First it dissociates from H_2A to H^+ plus HA^- that is mono dissociated acid ion and then this HA^- for the dissociates as H^+ plus A^{2-} . So, for the first reaction K_1 is written as C_{H^+} plus C_{HA^-} divided by C_{H_2A} , and the dissociation constant K_2 is C_{H^+} plus $C_{A^{2-}}$ divided by C_{HA^-} . So, this is equation a and this is equation b.

So, this K_a can be determined like before right using different methods described for monobasic acid, but then for K_2 we need to use a different slightly different method. So, we assume that we have a solution of H_2A of concentration C and it dissociates as follows. H_2A

dissociates as H^+ plus HA^- , equation 1. HA^- further dissociates as H^+ plus A^{2-} , equation 2. Then again H^+ combines with HA^- giving you H_2A , equation 3 and $2 HA^-$ also dissociates as H_2A plus A^{2-} which is equation 4.

So, when these 4 equations are established in a dilute solution of H_2A that is oxalic acid for example the concentration of acid salt that is HA^- and the neutral salt that is A^{2-} are negligible then we can write that C the concentration of oxalic acid is equal to concentration of A^{2-} plus concentration of HA^- plus concentration of undissociated H_2A , which we write equation as C.

And also, from equation 2 and 4 we can write that CA^{2-} is equal to CH^+ plus CH_2A^- , which we write as equation d and CHA^- equal to C plus CH^+ plus CH_2A^- minus $2 CA^{2-}$ write it as e, is written from c and d, using equation c and d we can write this. So, now from the equation b, we can write CHA^- is equal to CH^+ into CA^{2-} divided by K_2 which is then equal to C plus CH^+ minus $2 CA^{2-}$ or CH^+ into CA^{2-} is equal to K_2 into C plus K_2 into CH^+ minus $2 K_2$ into CA^{2-} , we write this equation as equation number f.

Now, from equations a and b sorry a and d, we can write CHA^- equal to $K_1 CA^-$ minus $K_1 CH^+$ divided by CH^+ as equation g. And then on substitution to equation b one can get CH^+ into CA^{2-} divided by K_2 is equal to $K_1 CA^-$ minus $K_1 CH^+$ divided by CH^+ or simplifying CA^{2-} is equal to K_1 , $K_2 CH^+$ divided by K_1 , K_2 minus CH^+ square which we write as equation number h. So, now we substitute this in equation number f which is here and then rearranging, one can solve for K_2 as K_1 plus C plus CH^+ into CH^+ H^+ square divided by K_1 into C minus CH^+ .

Now, when CH^+ is small, see, remember that the solution is a very dilute solution and it is a weak dibasic acid so, it dissociates very little. So, at infinite dilution the CH^+ is extremely small. So, then one can ignore the each term here and rewrite K_2 as equal to K_1 plus C into CH^+ sorry plus divided by K_1 into C . So, now by measuring the value of K_1 conductometrically and determining the concentration of H^+ plus using potentiometry one can evaluate K_2 using this equation j.

So, in a combination combined method of conductometry and potentiometry one can determine the dissociation constant of second dissociation constant of dibasic acid. So, I think

with this you will be able to solve some of the problems that you may encounter in various textbooks and one more lecture in which I will try to solve some of these problems which I have given you in one of the previous lectures hope you tried to solve those already.

So, we will discuss those problems and then we will conclude the course with the experimental demonstrations of conductometry titration followed by their calculations. So, thank you very much till the next lecture where we will talk about some of the solutions of problems. Thank you.