

Course Name: Nuclear and Radiochemistry
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Department Name: Radiochemistry Division
Institute Name: Homi Bhabha National Institute
Week - 10
Lecture - 48

Hello everyone, welcome back to the series of lectures on Actinide Chemistry, I would like to have a recap of whatever we have learned in the previous lecture.

Actinide Hydrolysis

Hydrolysis behavior : dependent on the oxidation state

Near-neutral solutions : III, IV, and VI and

pH ≥ 8 : II and V states



$$^*\beta_{nq} = [\text{An}_n(\text{OH})_q^{nz-q}][\text{H}^+]^q / [\text{An}^{z+}]^n$$

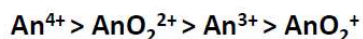
In terms of hydroxide ion



$$\beta_{nq} = [\text{An}_n(\text{OH})_q^{nz-q}] / [\text{An}^{z+}]^n [\text{OH}^-]^q$$

$$K_w = [\text{H}^+][\text{OH}^-]$$

$$\beta_{nq} = ^*\beta_{nq} / K_w^q$$



First hydrolysis constant



So, in the previous lecture, we started with actinide hydrolysis, and this is the general equation that I have given for actinide hydrolysis, we have talked about this tendency of hydrolysis dependent on the oxidation state. We have seen that oxidation state you can say +3, +4, and +6. As I have said when we talk about +6 it is basically 3.3, and when we say 5 it is basically 2.2. So, we have seen that in this higher oxidation state, they are having

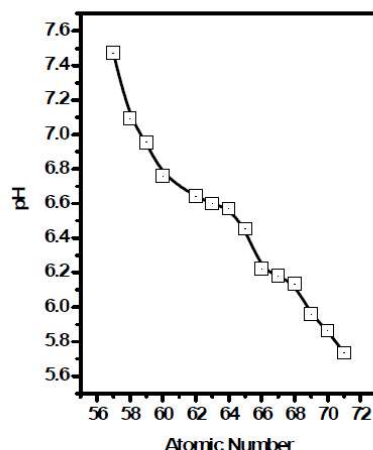
hydrolysis in the range of near neutral pH whereas for the lower that is 2.2, and their hydrolysis will start at pH greater than 8. So, we have also compared the hydrolysis constant of different actinide ions compared to different oxidation states, and the trend is the tendency is very high for the tetravalent followed by the hexavalent followed by trivalent, and then pentavalent which is very much according to their charge that is $+4 > +3.3 > +3 > +2.2$. This is very much according to their charges, and if you just compare the first hydrolysis constant of different oxidation states. if you just compare the thorium K value is $10^{-2.5}$, and for uranium, this is $10^{-5.5}$. So, we can say that Th has a higher tendency to get hydrolyzed compared to uranium, and when you compare uranium, and americium again it is almost 100 times higher for Uranium because of its higher charge that is $+3.3$ compared to 3 in the americium.

The lowest possible hydrolysis is for neptunium which has having lowest possible charge of $+2.2$ units, this is very weakly hydrolyzed, and the pH for its hydrolysis is generally >8 .

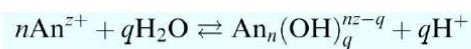
Actinide Hydrolysis

58 Ce Cerium 140.116	59 Pr Praseodymium 140.908	60 Nd Neodymium 144.243	61 Pm Promethium 144.913	62 Sm Samarium 150.36	63 Eu Europium 151.964	64 Gd Gadolinium 157.25	65 Tb Terbium 158.925	66 Dy Dysprosium 161.500	67 Ho Holmium 164.930	68 Er Erbium 167.259	69 Tm Thulium 168.934	70 Yb Ytterbium 173.055	71 Lu Lutetium 174.967
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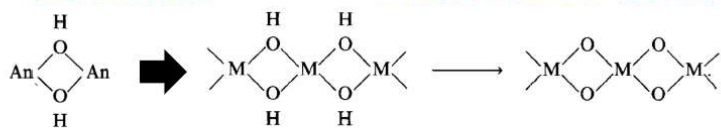
Handbook on the Physics and Chemistry of Rare Earths ;
Vol. 18 - Lanthanides/Actinides: Chemistry
Chapter 127: Lanthanides and actinides hydration and Hydrolysis
Emil N. RIZKALLA and Gregory R. CHOPPIN



pH for onset precipitation with
atomic number



Tetravalent ions First hydrolysis constant
 Th^{4+} (log k : -2.5) and Pu^{4+} (log k : 0.6)



Depolymerization difficult with ageing

Relative % of oxo and hydroxo bridging : important factor
factors to decide inertness of polymer.

we have seen how the trend of hydrolysis varies in the lanthanide series, we have seen that in the lanthanide series hydrolysis will start at a lower pH when we are moving to the right that is because of the z by r ratio or because of the higher ionic potential of the lanthanides when we are moving from the left to right.

We have also seen that in the hydrolysis of the tetravalent ion, they are forming some sort of polymers or we can say the polynuclear species, in which you have more than one metal ion, and when you have tetravalent ion, and they just precipitate into the solution when hydrolyzed into the solution. these are called amorphous or freshly prepared precipitates. they have mainly hydroxy bridging but the moment you leave it for sometime they are making extended polymeric compounds which are known as oxo bridge compounds or you can say oxo bridge polymers, and these kinds of polymers are very difficult to dissolve, and with aging their stability is going to be increased, and the relative stability or you can say the inertness of these polymers towards the acid.

When I say acid as you have seen from this equation.



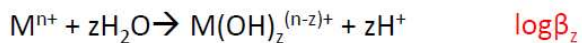
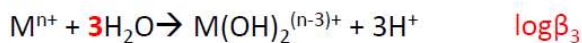
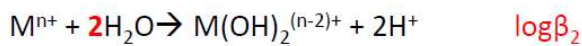
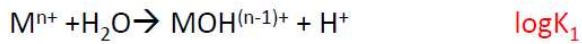
suppose you just prepare a hydroxide, and after the formation, add some acid, from the above equation 1, you can get back your metal ion of interest but if you leave it for a certain amount of time or maybe for the kinetics of going from here to here is very slow so if we leave it for a good amount of time they are forming this kind of complex (see slide), and they are very difficult to dissolve, and the difficulty will depend on the percentage of oxo bridging. The higher the oxo bridging more difficult is for the polymer to dissolve or you can say more inert is the hydroxy polymer.

Actinide Hydrolysis

Hydrolysis behavior : dependent on the oxidation state

Near-neutral solutions : III, IV, and VI and

pH ≥ 8 : II and V states



$$M^{n+}_{Total} = M^{n+}_{Free} + M(OH)^{(n-1)+} + M(OH)_2^{(n-2)+} + M(OH)_3^{(n-3)+} + \dots$$

$$M^{n+}_{Total} = M^{n+}_{Free} (1 + K_1 [H]^{-1} + \beta_2 [H]^{-2} + \beta_3 [H]^{-3} + \dots + \beta_z [H]^{-z})$$

Assuming only mono-hydroxy formation

$$M^{n+}_{Total} = M^{n+}_{Free} (1 + K_1 [H]^{-1})$$

Fraction of hydrolyzed species at pH 10

Log K_1 : -11.3 and pH : 10

$$M^{n+}_{Total} = M^{n+}_{Free} (1 + 10^{-11.3} \cdot 10^{10})$$

$$M^{n+}_{Total} = M^{n+}_{Free} (1 + 10^{-1.3})$$

$$95\% \times M^{n+}_{Total} = M^{n+}_{Free}$$

$$M^{n+}_{Total} = M^{n+}_{Free} + M(OH)^{(n-1)+}$$

at pH : 11.3

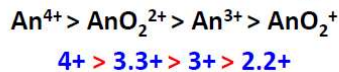
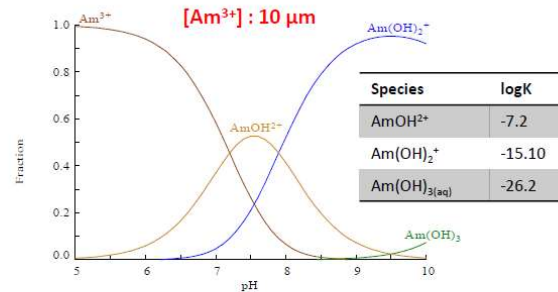
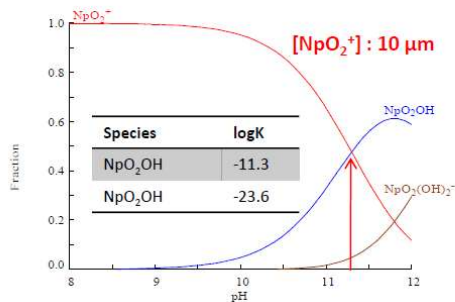
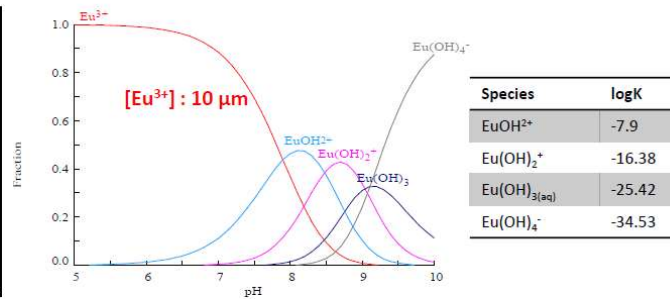
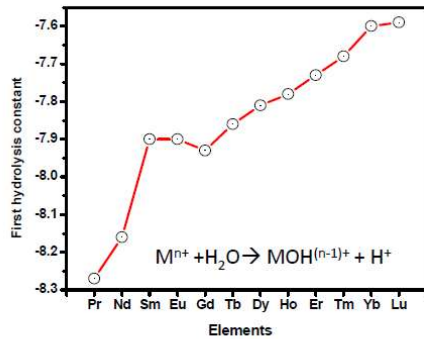
$$50\% \times M^{n+}_{Total} = M^{n+}_{Free}$$

$$M(OH)^{(n-1)+}_{Total} = M^{n+}_{Free}$$

Then we have also seen how to get the composition or you can say the percentage of the hydroxy species at a given pH. if the log K values are known, and with that we have seen that, we have taken an example also with the log K value having assumed that it is the only monohydroxy complex, and we have seen that if your pH is almost one unit lower than the log K value in the positive sense because it is 10. so, the 95% are present as free metal ions but when your pH is close to the log K value when I say close, I am just assuming the positive part. I am not using the negative, and this is the 11.3 when you are in that range then we are assuming that for the monohydroxy. if you are having this range more than 50 percent of the total metal ion is free which means that 50 percent is hydrolyzed.

Actinide Hydrolysis

Assuming No solid phase formation

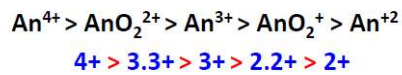
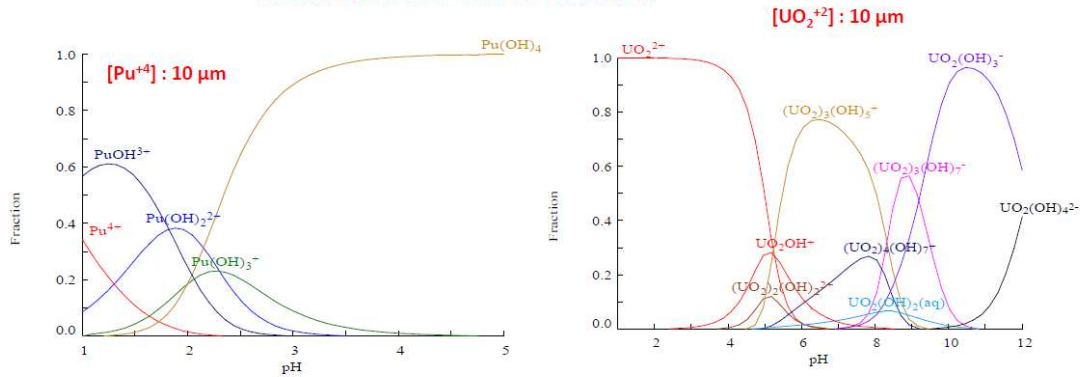


we have also seen this kind of speciation diagram. I requested you to try this diagram because the two important things that you require for this diagram is the concentration, and the log K value which is already given here, and you can just try to draw this diagram using these values, and I've given you an example of neptunium here that I've discussed with the value of $\log K = -11.3$ that if you are having a pH of 11.3 then 50 percent is free, and 50 percent is hydrolyzed. but it means that before this pH is 11.3, the system is dominated by the free metal ion, and after this pH, the system is dominated by the hydroxy complex, we have also shown you the speciation diagram or the formation of hydroxy species for americium, and the diagram is shown here also you can see the tendency of formation of hydroxy complex is more for americium compared to the europium.

Actinide Hydrolysis

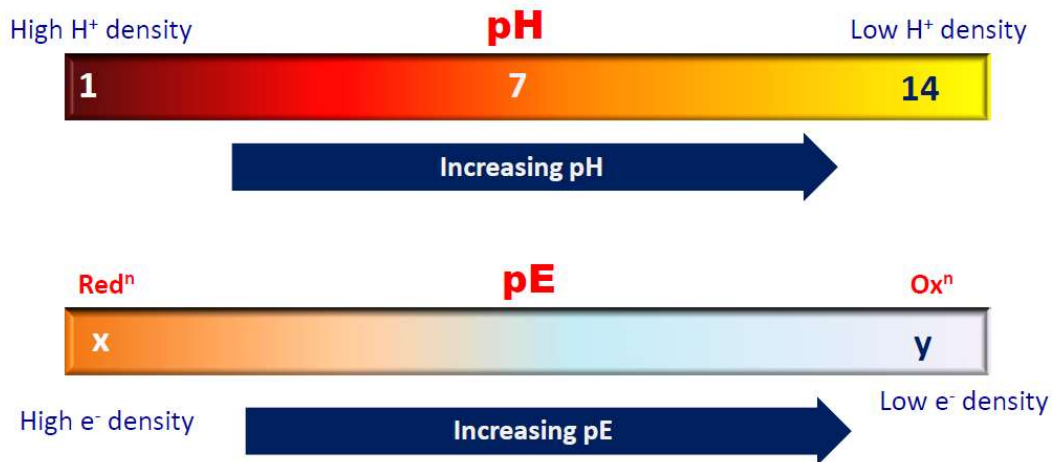
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Assuming No solid phase formation



This is speciation plot for plutonium, and uranium.

Actinide oxidation state Speciation limits



Another common practice is to use the pE, similar to pH

Just as pH is a measure of the availability of protons in the solution, pE represents the availability of electrons; thus the more negative the pE, the more "reducing" is the solution.

we have discussed some concepts in assuming that, we have a concept of pE that is very similar to the pH or analogous to the pH you can say just as a pH is a measure of the availability of protons but if we are having a concept or we are having some quantity which represents the availability of electron or is the measure of electron density then we can just change the quantity, and we can get an idea about the redox behavior of the metal ion in the solution.

We know that as pH increases the proton availability gets lower and lower, and when the pH decreases the proton availability gets higher and higher. in a very similar sense, because you have a variable called pE, and when the pE is increasing we have lower electron density, it means that you are having a more and more oxidizing condition, and when the pE is getting lower than you are having more, and more electrons. what it means that you are having a reducing condition so with this assumption that yes there is some variable called pE that will tell about the availability of electrons.

Here, I just want to mention that the free electrons are not available. we are not directly measuring any concentration or any number of free electrons that are present, so this is not about the free electron. But, let us just assume that there is some concept, and there is some variable that you can measure, and you can correlate with the pE that will give you some indirect information about the condition whether the system is reducing or oxidizing.

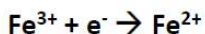


Eh/pE-pH Diagram

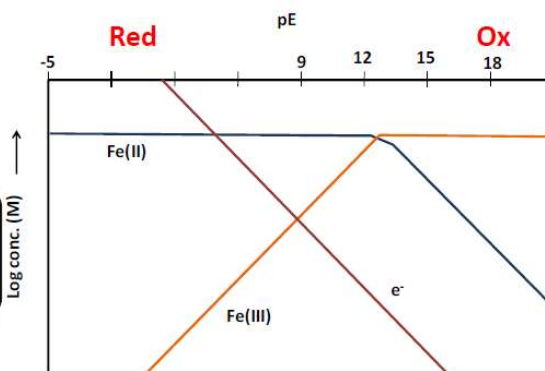
So we are going to use two concepts i.e. pE and Eh to decide the oxidizing or reducing tendency of the aqueous medium.

The two notation looks different but are related and you can express the state of natural water by using any one.

pE can be thought of as a master variable that controls the equilibrium distribution of the various oxidation states of an element, in very much the same way that the hydrogen ion concentration controls the relative concentrations of the conjugate acid-base species. This relationship is commonly expressed as a log-C (or log-activity) plot vs Eh/pE, for a fixed total concentration of the element.



The figure shows the fraction of total Fe present in Fe^{3+} or Fe^{2+} state depending on the pE of the solution.



so, we have two kinds of concepts one is called pE, and one is called pH as I've shown you for the pH you can always plot pH versus the fraction of hydrolyzed species or you can say, and you will get some kind of curve in which you say the fraction is decreasing, and the hydrolyzed fraction is increasing in a very similar case as I've shown you that suppose you have something called pE. this is that given you some reduction in which you assume that Fe^{3+} is taking an electron giving you Fe^{2+} , and you have pE you are somehow able

to measure the pE value of your solution, and you can vary that pE of your solution. what will happen when your pE value is on the higher side? when I say on the higher side these conditions are oxidizing in nature when your pE values are on the lower side the conditions are reducing in nature. it is just like pH when your pH value is on the higher side means less proton availability when your pH value is on the lower side more proton availability similarly when your pE is on the lower side more electron availability, and when your pE is on the higher side less electron availability.

Based on this very simple concept, we can say that if we can have pE if we just try to see how the redox potential varies with respect to pE you can see that when the conditions are oxidizing but the pE value is on the higher scale you are getting Fe^{3+} , and as we are moving in this line the Fe^{3+} is getting decreased, and the formation of Fe^{2+} takes place. so simply by having a variable that is like the pH which is giving me information about the hydrolysis, I can get information about the different kind of redox species that is present in the system so now the question arises?

okay, we have two sets of information then what is called pH that is we have a pH, and then you can vary the pH, and get the information about the hydrolysis species, and in a second set of experiments, I can get the value of pE. by varying the pE, I can get information about the redox species so we need two plots right, but this is not true.



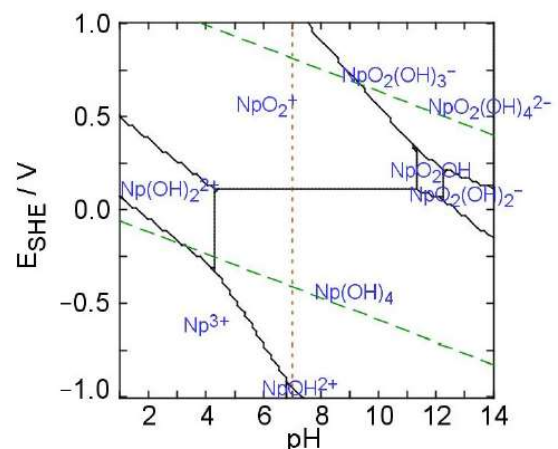
Oh so finally we need two plot pH vs hydroxo species distribution and pE vs oxidized species distribution to understand the speciation under different pH and pE /Eh condition.

The better way is to club the two i.e. pH and Eh/pE and plot a pH vs Eh/pE plot also known as Pourbaix plot. This will give lot more information in single plot.

- ✓ pE-pH stability field diagrams show in a comprehensive way how protons (pH) and electrons (pE) simultaneously shift equilibria of reactions under various conditions
- ✓ The diagrams indicate which species predominate under any given condition of pE and pH

Different regions in the plot and their significance

- ✓ **Area** in the Pourbaix diagram mark regions where a single species is stable. More stable species tend to occupy larger areas.
- ✓ **Lines** mark places where two species exist in equilibrium.
- ✓ **Horizontal Lines** shows pH-independent reactions
- ✓ **Vertical Lines** Pure acid-base reactions, these do not depend on potential
- ✓ **Slope** Reactions that are **both** acid-base and redox dependent



Generally these two plots that are pH, and Eh combine to give only one plot, and the plot looks like this (see slide). this is one of the plots that I have taken from the review paper, this is for neptunium, and here you can find a certain line in regions in certain lines which are vertical or horizontal, even with some slope.

we'll discuss these lines, and how we can arrive at this kind of line but in short, I can say that this pH or pE curve or pE curve these are the stability field diagram that shows how in a very comprehensive way your pH of the system, and electrons simultaneously shift the equilibrium of reaction under various conditions it will also show you that under a given set of pH, and pE which species will predominate, we will discuss this diagram which is also known as Pourbaix diagram in detail, and after that discussion, I'll come back to this slide, and then we'll try to understand that how we define this kind of line by the lines are straight by they are bend on by the different area. what does a different area mean? and

why we have this line and this boundary then we will try to understand, and then we will come back to this slide to understand what all these lines mean to us?

Some Basic Equations



$$\Delta G = -nFE$$

$$E = E^\circ + \frac{0.0592}{n} \log \left\{ \frac{\text{oxid}^a}{\text{reduc}^b} \right\}$$

$$pE = pE^\circ + \frac{1}{n} \log \left\{ \frac{\text{oxid}^a}{\text{reduc}^b} \right\}$$

Redox half-reaction are written as
REDUCTION

$$pE = \frac{F}{2.3RT} Eh$$

$$pE^\circ = \frac{1}{n} \log K$$

$$pE = -\frac{\Delta G}{2.3nRT}$$

I have said you cannot measure pE directly as electrons are not available as such into the media so you cannot measure them directly. but from our basic chemistry point of view, we all know certain relation certain very basic relation that is

$$\Delta G = -nFE$$

that is the free energy relation with the reduction potential, we also know the Nernst equation for the half-cell reaction



as

$$E = E^\circ + \frac{0.0592}{n} \log \left\{ \frac{\text{oxid}^a}{\text{reduc}^b} \right\}$$

and from this very well-known equation, we will try to drive these equations,

$$pE = pE^\circ + \frac{1}{n} \log \left\{ \frac{\text{oxid}^a}{\text{reduc}^b} \right\}$$

$$pE = \frac{F}{2.3RT} Eh$$

$$pE^\circ = \frac{1}{n} \log K$$

$$pE = - \frac{\Delta G}{2.3nRT}$$

and we will try to understand, what I mean by pE, and we also see one term that is pH but we will mainly try to understand what I mean by pE. these are very well-known equations, and then we'll try to reduce this equation of the pE from the known concepts that we already know.

pE derivation



$$K = \frac{\{\text{reduc}\}^b}{\{\text{oxid}\}^a \{e^-\}^n}$$

$$\frac{1}{\{e^-\}^n} = K \frac{\{\text{oxid}\}^a}{\{\text{reduc}\}^b}$$

Take the log :

$$n \log \frac{1}{\{e^-\}} = \log K + \log \frac{\{\text{oxid}\}^a}{\{\text{reduc}\}^b}$$

$$\text{but : } \log \frac{1}{\{e^-\}} = -\log \{e^-\} \equiv pE \quad \text{and divide by } n$$

$$\therefore pE = \frac{1}{n} \log K + \frac{1}{n} \log \frac{\{\text{oxid}\}^a}{\{\text{reduc}\}^b}$$

$$\text{but : } pE^\circ = \frac{1}{n} \log K$$

$$\therefore pE = pE^\circ + \frac{1}{n} \log \frac{\{\text{oxid}\}^a}{\{\text{reduc}\}^b}$$

$$\bullet \quad E = E^\circ + \frac{0.0592}{n} \log \left\{ \frac{\text{oxid}^a}{\text{reduc}^b} \right\}$$

$$\bullet \quad pE = pE^\circ + \frac{1}{n} \log \left\{ \frac{\text{oxid}^a}{\text{reduc}^b} \right\}$$

$$\bullet \quad pE = \frac{F}{2.3RT} Eh$$

$$\bullet \quad pE^\circ = \frac{1}{n} \log K$$

So let us assume that in an equation you have an oxidized species that is A it takes n number of electrons to give some kind of reduced species that is B,



and from the general chemistry point of view, we can always write some equilibrium constant for this reaction, and the equilibrium constant for the reaction is simply

$$K = \frac{\{\text{reduc}\}^b}{\{\text{oxid}\}^a \{e^-\}^n}$$

and we just do some mathematical juggling here, and there, and then we will find this term here.

$$\frac{1}{\{e^-\}^n} = K \frac{\{oxid\}^a}{\{reduc\}^b}$$

what does this term mean, let us see what we mean by pH. pH is nothing but $-\log\{H^+\}$ or I can write

$$pH = \log 1/[H^+]$$

So, we are having $1/[H^+]$, since I want to write pE which I want to put in a similar concept to pH. I am having this relation

$$\frac{1}{\{e^-\}^n} = K \frac{\{oxid\}^a}{\{reduc\}^b}$$

Where, $1/\{e^-\}$ like $1/[H^+]$ for pH, but if I take a log of this equation which I have done so when you take the log of this equation what we are ending is this equation

$$n \log \frac{1}{\{e^-\}} = \log K + \log \frac{\{oxid\}^a}{\{reduc\}^b}$$

which is nothing but pH so this quantity is nothing but our pE,

$$\log \frac{1}{\{e^-\}} = -\log\{e^-\} \equiv pE$$

and then we have other quantities that are already there, and we have taken log, and we can arrange them and we have defined as pE now the relation is like this

$$pE = \frac{1}{n} \log K + \frac{1}{n} \log \frac{\{oxid\}^a}{\{reduc\}^b}$$

Where,

$$pE^\circ = \frac{1}{n} \log K$$

here I just want to mention that in this log K, and this ratio we are talking about the half-cell reactions because we have started with this reaction so this is a particular half-cell reaction, we are talking about that it takes electron, and getting reduced to B. so now let us assume that this is a constant because K is a constant, and for a given reaction the number of electrons. let us assume 1 or 2 so if we assume that for a given reaction this is a constant that is given by pE^0 , what we can write is nothing but

$$pE = pE^0 + \frac{1}{n} \log \frac{\{oxid\}^a}{\{reduc\}^b}$$

and this we can write for any general equation having this kind of equilibrium then when your oxidation is there your oxidized species takes the electron, and gives some reduced species. it will be specific for this kind of half-cell reaction; we can write this kind of equation.

So, now the Nernst equation we know is this one

$$E = E^0 + \frac{0.0592}{n} \log \left\{ \frac{oxid^a}{reduc^b} \right\}$$

Here, the term E can also be written as E_h to represent that all the potential is measured against, SHE,

$$E_h = E^0 + \frac{0.0592}{n} \log \left\{ \frac{oxid^a}{reduc^b} \right\}$$

and a very similar thing you can write for pE,

$$pE = pE^0 + \frac{1}{n} \log \left\{ \frac{oxid^a}{reduc^b} \right\}$$

if you compare these $pE - pE^0$ equation with Nernst equation, we will find that there is a relation between pE, and E_h given as

$$pE = \frac{F}{2.3RT} E_h$$

and I have also told you that

$$pE^\circ = \frac{1}{n} \log K$$

Where $\log K$ is nothing but $\log K$ value of a half-cell reaction, and n is the number of electrons that are involved in that half-cell reaction.

with this understanding, let us try to get this equation for a different kind of system or different kinds of half-cell reactions.

Half Reaction	Log K (25 °C) $\Delta G = -RT \ln K$	Standard reduction potential (25 °C) $\Delta G = -nFE$
$\text{Na}^+ + \text{e}^- \rightarrow \text{Na(s)}$	-46	-2.71
$\text{Zn}^{2+} + 2\text{e}^- \rightarrow \text{Zn(s)}$	-26	-0.76
$\text{Fe}^{2+} + 2\text{e}^- \rightarrow \text{Fe(s)}$	-14.9	-0.44
$\text{Co}^{2+} + 2\text{e}^- \rightarrow \text{Co(s)}$	-9.5	-0.28
$\text{V}^{3+} + \text{e}^- \rightarrow \text{V}^{2+}$	-4.3	-0.26
$2\text{H}^+ + 2\text{e}^- \rightarrow \text{H}_2(\text{g})$	0.0	0.00
$\text{Cu}^{2+} + 2\text{e}^- \rightarrow \text{Cu(s)}$	+2.7	+0.16
$\text{Fe}^{3+} + \text{e}^- \rightarrow \text{Fe}^{2+}$	+13.0	+0.77
$\text{Co}^{3+} + \text{e}^- \rightarrow \text{Co}^{2+}$	+31.0	+1.82
$\text{Ag}^+ + \text{e}^- \rightarrow \text{Ag(s)}$	+13.5	+0.80
$\text{Cl}_2(\text{g}) + 2\text{e}^- \rightarrow 2\text{Cl}^-$	+46	+1.36

so, there are several reactions given to you, and you can see this is a half-cell reaction in the table. we have a standard electrode potential, and from there you can get the $\log K$ values I hope this is not a very tedious task because you already know the relationship of ΔG with the electrode potential, and you also know that a relation of ΔG with the $RT \ln K$, and then you can easily work out on this, and you can get the relation between the $\log K$, and the standard reduction potential, and from here you can easily derive these values

so for all these couples, we can derive the log K values that are tabulated with respect to their standard electrode potentials these values are taken from the book that is the Aquatic chemistry from Werner, Stumm, and Morgan.

Let's assume,

The pE for a given environment is controlled by Fe redox couple

Half Reaction	Log K (25 °C)	Standard reduction potential (25 °C)
$\text{Fe}^{3+} + \text{e}^- \rightarrow \text{Fe}^{2+}$	+13.0	+0.77

Number of electron, n: 1

$$[\text{Fe}^{3+}] = 10^{-5} \text{ and } [\text{Fe}^{2+}] = 10^{-3}$$

$$pE = pE^\circ + \frac{1}{n} \log \left\{ \frac{\text{oxid}}{\text{reduc}} \right\}$$

$$pE^\circ = \frac{\log(K)}{n} = 13.0$$

$$\therefore pE = 13.0 + \log \left(\frac{10^{-5}}{10^{-3}} \right) = 11.0$$

$$\{e^-\} = 10^{-11}$$

So now suppose you have a system with this kind of equilibrium that Fe^{3+} is taking some electrons from half-cell reaction, and making some species that is Fe^{2+} , and I would like to ask what the pE of this system suppose, I know somehow the concentration of Fe^{2+} , and Fe^{3+} in my system, and I would like to ask what is the pE of this system? the equation is very simple as I have shown you that

$$pE = pE^\circ + \frac{1}{n} \log \left\{ \frac{\text{oxid}^a}{\text{reduc}^b} \right\}$$

we must find out pE values, I have shown you that pE^0 is nothing but $\log K$ upon n , and from the previous table you can see that, and for this reaction. we are talking mainly so n is 1, oxidized species, and reduced species concentration suppose you know you just simply put this value in the above pE equation to get the value of pE. you get a pE value of 11.0 but from that, you can compare the electron activity. so, you see that from this simple equation having some redox potential, we have tried to find out the concentration you can see the activity of the electron in the media. so, this is not the direct electron that are involved in the media but there are certain redox reactions couple are there that are always happening in the media, and because of those redox reaction there is always some redox or oxidizing condition that are maintained in the media. We can always try to get pE corresponding to those equations if we know the concentration of those oxidizers or reduced species, we can do the reverse also.

Suppose you know the pE in that case you can always calculate at least the ratio of the oxidized species to the reduced species.

Water as medium for redox reactions in the environment



Half Reaction	pE^0 (Log K/n) (25 °C)
$1/4O_2(g) + H^+ + e^- \rightarrow 1/2H_2O$	-20.75

Now as we are talking about a media which is generally aqueous media in our case the water itself has tendency to get either oxidized to O₂ or reduced to H₂, and here we have given the reaction of oxidation of water this is a reduction reaction but this is basically a reduction reaction, and we have calculated the log K value, and this the pE^0 which is

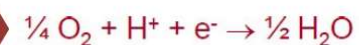
obviously $\log K/n$, and since one electron is involved so it is the $\log K$ value so for this kind of reactions also what we can calculate is this kind of equilibria so when we talk about the water as a media, what is the problem that when water is as a media, and you are having some redox couple whose potentials are on a very higher side or on a very lower side in both the cases if the potentials of the couples are so that that they can oxidize water or you can say the water itself get oxidized because of electrons that are present in the media or from any other couple then you cannot work with the media so for water as a media, we have certain limitation or rather we should say certain boundary condition under which we have to work, and it is boundary conditions are basically decided by two things one the oxidizing limit of the water, and second is the reducing limit of the water.



In the pH-Eh plot, since all the equilibrium reaction are in water we can't go to the higher Eh where water itself can oxidize to O_2 , similarly we can not go too low, where water get reduced to H_2 . so we have a stability regions between two lines

Oxidizing limit of the pH-pE diagram

Half Reaction	pE^0 (Log K/n) (25 °C)
$1/4 O_2(g) + H^+ + e^- \rightarrow 1/2 H_2O$	-20.75

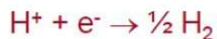
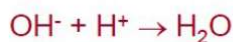
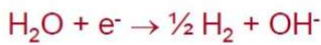


$$pE = pE^0 + \frac{1}{n} \log \frac{\{O_2\}^{1/4} \{H^+\}}{\{H_2O\}^{1/2}}$$

$$pE = 20.75 - pH$$

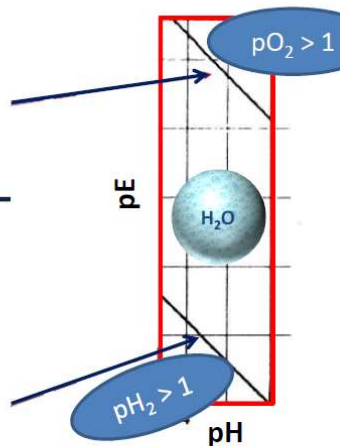
Reducing limit of the pH-pE diagram

Half Reaction	Log K (25 °C)
$2H^+ + 2e^- \rightarrow H_2(g)$	0.0



$$pE = pE^0 + \frac{1}{n} \log \frac{\{H^+\}}{\{H_2\}^{1/2}}$$

$$pE = -pH$$



when we talk about the oxidizing limit what we mean is that water is getting oxidized to O_2 when we talk about the reducing limit, we say that water is getting reduced to hydrogen so this is the equation that is in the reduced form we have written for the oxidizing limit of this water media, and we know pE equation

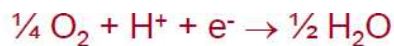
$$pE = pE^\circ + \frac{1}{n} \log \left\{ \frac{\text{oxid}^a}{\text{reduc}^b} \right\}$$

from this equation, we can write all these components here, and the pE value we can get from the table is 20.75, and the value of these other quantities except oxygen is assumed to be 1 proton you must assume is like this, and then we take a log, and this, the proton will be nothing but pH, and activity of H₂ is also assumed to be 1, and with these assumptions but we are getting this this is a linear equation

$$pE = 20.75 - pH,$$

if you compare it with the linear equation that is $y = mx + c$

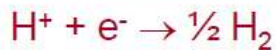
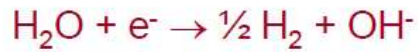
which your y is nothing but your pE scale and X is nothing but your pH scale but you are getting a negative slope right so you are getting a negative slope like this similarly when you talk about the reducing limit you can write this equilibrium, and from this equilibria if we add another equilibrium that is your hydroxy, and combining with the proton to give you water molecule, and when you club you are getting this equilibrium, and again for this particular equilibrium what you have to do if we just write the pE equation and solve it to get an oxidizing limit of water as



$$pE = pE^\circ + \frac{1}{n} \log \frac{\{\text{O}_2\}^{1/4} \{\text{H}^+\}}{\{\text{H}_2\text{O}\}^{1/2}}$$

$$pE = 20.75 - pH$$

Similarly, you can derive a reduction limit of water as



$$pE = pE^\circ + \frac{1}{n} \log \frac{\{\text{H}^+\}}{\{\text{H}_2\}^{1/2}}$$

$$pE = -pH$$

so here again if you compare the oxidizing and reducing limit equation with the linear equation

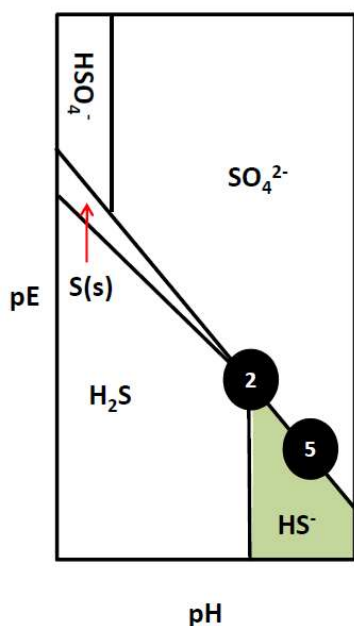
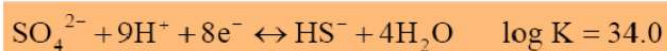
$$y = mx + c$$

where X is nothing but pH, and y is your pE you are again getting a negative slope. why the boundary is important? because if we have a pE value above or below this range it can either oxidize or reduce the water, and the reaction may not be feasible in water.

So, I need to work with those systems which are stable in the water medium. I can say the system which does not react with my solvent which does not make my solvent unstable with respect to its oxidation or reduction. So, water as a medium anyway to water as a medium we have to think of this boundary line so we have two boundary lines, one is because of the oxidation of water, and one is because of the reduction of the oxidation we have this boundary line, for the reduction we are having this boundary line both are having a slope of -1 that we have seen this, and this sets that working limit into the aquatic media so, now as I've shown you in the previous slide that there are some boundaries so now we have some idea that why the boundary is, and what is the concept of boundary. Now we will try to learn about lines and why we are getting certain straight lines certain bend lines or certain horizontal lines into our pH-pE diagram.

Redox reaction of dissolved species

5



$$pE = pE^\circ + \frac{1}{8} \log \frac{\{ \text{SO}_4^{2-} \} \{ \text{H}^+ \}^9}{\{ \text{HS}^- \} \{ \text{H}_2\text{O} \}^4} = 1$$

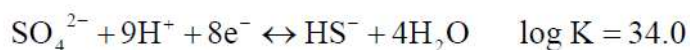
$$pE^\circ = \frac{1}{n} \log K = \frac{34}{8}$$

$$pE = \frac{34}{8} + \frac{1}{8} \log \frac{\{ \text{SO}_4^{2-} \}}{\{ \text{HS}^- \}} - \frac{9}{8} pH$$

At boundary line

$$\{ \text{SO}_4^{2-} \} = \{ \text{HS}^- \}, \quad pE = \frac{34}{8} - \frac{9}{8} pH$$

so here I have taken redox reaction



for this equation the log K value is 34.0 you must set up the equation. our pE-pE⁰ equation, and from this equation if you try to add all these values that you are having what do you get pE is

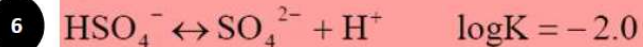
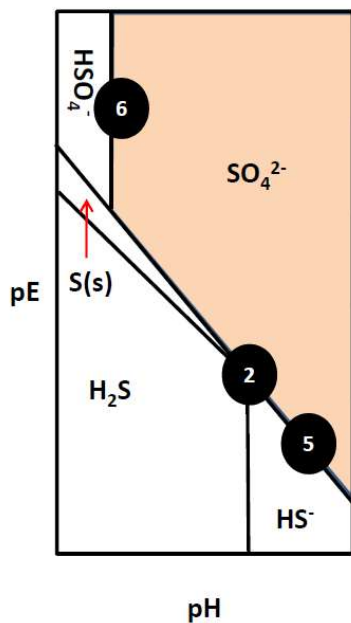
$$pE = pE^\circ + \frac{1}{8} \log \frac{\{ \text{SO}_4^{2-} \} \{ \text{H}^+ \}^9}{\{ \text{HS}^- \} \{ \text{H}_2\text{O} \}^4} = 1$$

Finally, reach to equation (See slide for solution)

$$pE = \frac{34}{8} - \frac{9}{8} pH$$

which can easily be plotted onto the graph so this line (5) is shown in the slide. this is the line which is shown what it means that the activity of HS^- , and SO_4^{2-} is same at this line (5) right so you can see this is a slopy line (5) so the slope means the equation contains both pE term, and a pH term, and pE term is basically electron activity pH term is basically proton activity so when you are having some sort of slope some slopy lines it means that the reaction equilibrium that you are talking about is controlled by both pH, and pE so your proton as well as electron both are influencing that particular equilibria what about the straight lines.

Redox reaction of dissolved species



$$K = \frac{\{\text{SO}_4^{2-}\} \{\text{H}^+\}}{\{\text{HSO}_4^-\}}$$

$$\log K = -2.0 = \log \frac{\{\text{SO}_4^{2-}\}}{\{\text{HSO}_4^-\}} - \text{pH}$$

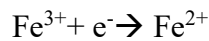
At boundary line

$$\{\text{SO}_4^{2-}\} = \{\text{HSO}_4^-\}, \quad \text{pH} = 2.0$$



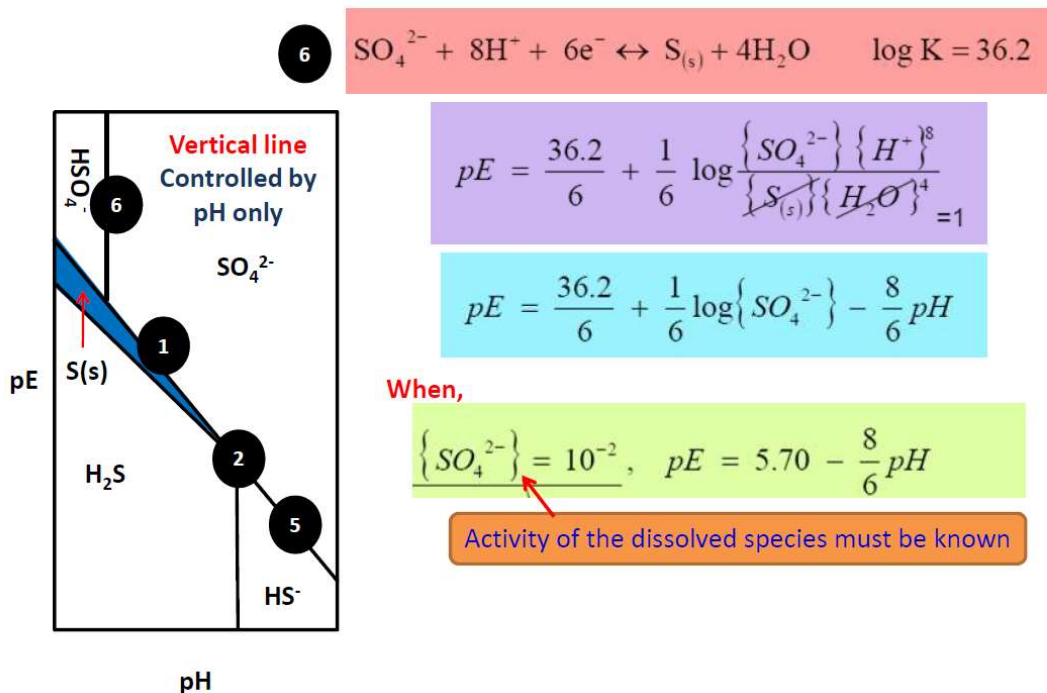
let us take a very simple example of sulfuric acid or sulfate plus proton which is giving you HSO_4^- with a log K value of -2.0 so here since we are not having any electrons we need not to set up the pE equation but what we can easily write is the K we can always write the K for this equation which is the sulfate proton, and then HSO_4^- , and since we are having log K value, and we can just put this value, and as I told you that, we assume that that along this line (6) the activities are same so the moment you get this, and you put the activity of this equal to activity of this but we are getting pH is equal to 2 when we say pH is equal to 2,

and I have to plot on pH-pE diagram where pH is in the x-axis, and pE is on the y-axis, what we get a straight line that is falling on the pH scale so this kind of redox equilibria which are only controlled by the proton they are giving you a straight vertical line what about the redox system when I say the redox system suppose you have a certain redox system, as I have shown in the previous slide that is



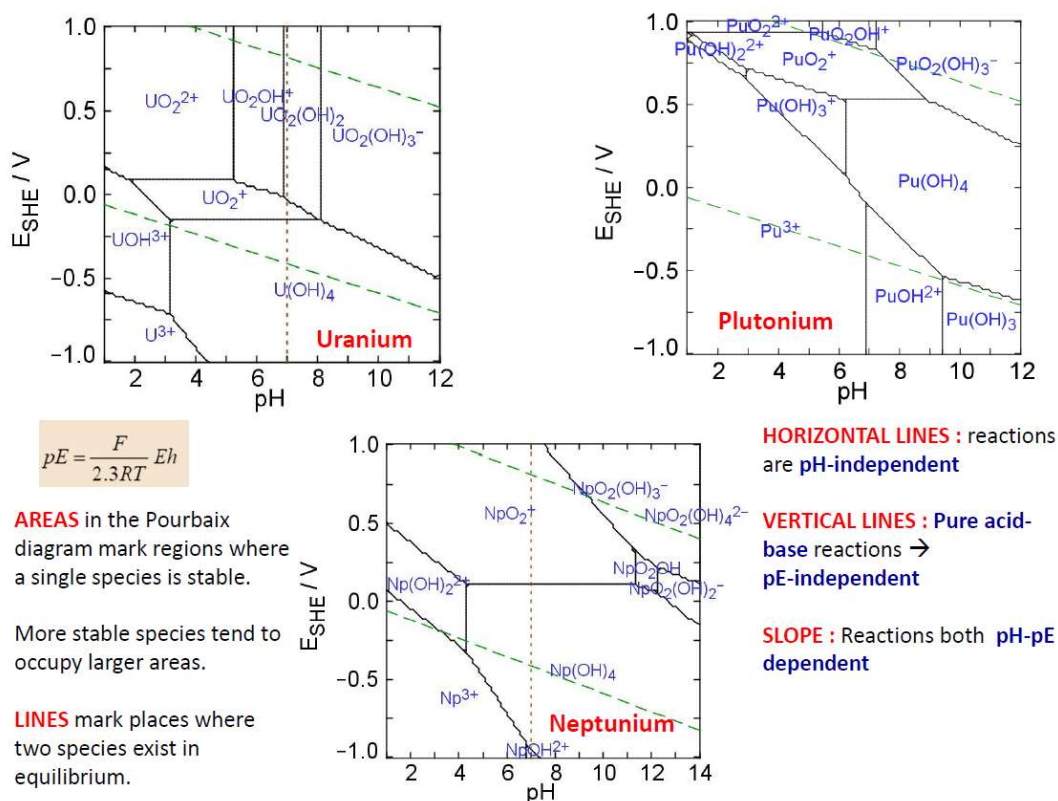
suppose you have this kind of equilibria in which only electron activity is to be mattered what kind of lines we are getting in this kind of system I hope you can work easily with this kind of system, and you will get a horizontal line like this please try to work on this, and if any problems there we can discuss so we can know how these equations or how the factors that are controlling this equation will give different kind of line, whether they are vertical whether they are horizontal, and some kind of slant line with this understanding.

Redox reaction of dissolved and solid species



let us say this is one more example, I think you can easily work on that here. I've shown you that if the system also incorporates some solid species. how to work with that? so I think

you can easily work on that so now with this understanding that we are having three kind of line that is some are horizontal line some are vertical line some are slopey lines. what information we can get?



so let us try to see the simple graph of neptunium that is this one, and we say neptunium is always NpO_2^+ . we start with not this because we are in the power of x diagram so oxidation states will keep on changing I should not say like it is this it is not neptunium only because I have not specified the oxidation state so in this simple diagram the first thing you can see this slant lines two lines that they have already seen that this is the limits because of the medium out of this it will be having some oxidizing nature it will be having a reduced so what it will get water itself will get oxidized above this, and get reduced below this so we have to work in this, and you can see this limit is in all diagrams because they all are plotted into the water media, and if you see the equation here that water is going to O_2 , and water is getting to H_2 is given as

$$pH = -pE, \text{ and}$$

$$pE = 20.75 - pH$$

so, you have equations for these lines so now we know about these lines now we are in certain vertical lines what the vertical lines mean as I have shown in the example where I am talking about the dissociation, or you can say the combination of sulfate ion with the protons where we are getting HSO_4^- . we have seen we are getting a certain straight line. we have seen there this equilibria is totally dependent on the proton, so when the equilibria is totally dependent on proton or you can say the two species are mainly dependent on each other with the protons, and there is no change in oxidation state then we are getting this kind of straight line so here we see neptunium is 5 here you see neptunium is also 5 but the difference in the species is because of the involvement of the proton so it is carbonated which is not carbonated because we are in different pH what about this red lines (horizontal), red lines are mainly controlled by the electron activity or you can say e^- so here if you see the species are almost same but the oxidation states are very different here we are talking about the pentavalent or you can say NpO_2^+ , and here it is becoming the tetravalent, and slant line as I've said that they are dependent on both pH as well as electron activity into the medium so with this basic idea that how the pH, and electron activity will control my equilibria we can draw this kind of diagram, and in this kind of diagram we can get all the information in one diagram that how my pH, and pE of the system is changing my equilibria both my redox as well as my chemical equilibria, and here also I just want to mention one thing that if you see there are certain areas which are having different colors again if you take the example of neptunium you can see this area (sky-blue) is almost everywhere this is one color area then this the second one is this one, and third one is this one what it says that the stability of a particular oxidation state in this working range so you can see that in this particular working range (1) the stability of neptunium 5 is very high so if you are maintaining somehow this kind of condition of pH, and pE you will always bound to get neptunium 5 whereas if you are changing the pE value you may reach to this which is the green one where neptunium 4 is predominant so just by playing pE, and pH of the media, and by seeing this diagram you can always tell under what condition my neptunium 4 will be predominant, and under what condition my neptunium 5 will be predominant, and the higher the area obviously higher the stability of that particular species so we have discussed about the Pourbaix diagram, and what we mean by this vertical or a

slopy lines, and we have also seen that how one can draw this kind of diagram using very normal chemistry or very simple equations that I've shown you, and I would like to request you that you will try these equations to draw by yourself, and you can take certain other equilibria also certain pure equilibria in which you can have the reaction dependent on either proton or electron or certain reactions in which both are playing a role, and you will try to draw this pH-pE diagram that will give you an idea about the stability fields of that particular species that you are interested in so with that.

thank you thank you very much.

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