

Process Equipment Design
Prof. Shabina Khanam
Department of Chemical Engineering
Indian Institute of Technology – Roorkee

Lecture –20
STE Design – Bell's Method Example-4

I welcome you all in this lecture which is lecture number 20 of the course Process Equipment Design and here we are at the end of 4th week of this course and in this lecture we will illustrate design of shell and tube heat exchanger using Bell's method with the help of one example. In this example, I am going to discuss the Bell's method in detail with each and every step.

So as far as design of shell and tube heat exchanger using Bell's method is concerned that I have already covered in 2nd, 3rd and 4th lecture of this week and all those steps will be applied in this example.

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Design of Shell and Tube Heat Exchanger

Example – 1

20000 kg/h of kerosene leaves the base of kerosene side stripping column at 200°C and is to be cooled to 90°C by exchanger with 62500 kg/h light crude oil available at 50°C. A pressure drop of 1 bar is permissible on both streams. Allowance should be made for fouling by including a fouling factor of 0.0004 m²°C/W on the crude stream and 0.0002 m²°C/W on the kerosene stream. Carbon steel material (k = 55 W/m °C) is used for shell and tube. Design a split-ring floating head shell-and-tube exchanger using Bell's method.

Necessary information:

- Use 19.05 mm outside diameter, 14.28 mm inside diameter, 5 m long tubes on a triangular pitch.
- Assume h_c as 920 W/m² °C
- Take $N_s = 300$, $l_o = D_s/5$ (As initial guess)

Property	Kerosene	Crude oil	Unit
Cp	2.47	2.05	kJ/kg °C
Ther. cond.	0.132	0.134	W/m °C
density	730	820	kg/m ³
viscosity	0.43	3.2	mN/sm ⁻²

So, let us start this. So, here I am having example 1 and in this example we have 20,000 kg per hour of kerosene which exits the base of kerosene side stripping column at 200 degree Celsius and to be cooled to 90 degree by exchanging heat with 62,500 kg per hour of light crude oil which is available at 50 degree Celsius. A pressure drop of one bar is permissible on both streams.

Allowance should be made for fouling by including fouling factor of 4 into 10 to the power – 4 meter square degree Celsius per watt on crude side and 2 into 10 to the power – 4 meter square degree Celsius per watt on kerosene side. So, carbon steel material is used for shell and tube and here we have split ring floating head shell and tube exchanger and we have to design this exchanger using Bell's method.

Now, if I ask you that you are given the fouling factor of two fluids. So, which fluid you should allocate to shell side and which you should allocate to tube side. The fluid having more fouling tendency should be allocated to tube side. So, if you see the less fouling tendency fluid is kerosene in this case because it has lesser dirt factor as compared to crude. So that is basically 2 into 10 to the power – 4 which is less than that for crude stream.

So kerosene should be allocated to shell side and here we have some more information like tube dimensions are given where OD of the tube, ID of the tube and total length of the tube are given along with arrangement and that is triangular pitch. We have to assume h_i as 920 watt meter square per degree Celsius. It means tube side heat transfer coefficient is already given.

So, we have to focus only on shell side because Bell's method is applicable to shell side only. Number of tubes are given as 300 and baffle spacing is given as $D_s / 5$. Now in this problem heat transfer coefficient of tube side is already given. For example if you are not given the tube side heat transfer coefficient then for example if you are not given the heat transfer coefficient of tube side.

And you have been asked to design the shell and tube heat exchanger using Bell's method. So tube side calculation you should carry out as we have discussed in examples of Kern's method and then shell side calculations you have to carry out using Bell's method. So let us start the solution of this example. As you understand that Bell's method first consider heat transfer coefficient on ideal tube bank and then different correction factors are involved in this.

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Design of STE – Bell's Method

Solution

Calculations:

$$k_1 = 0.249$$

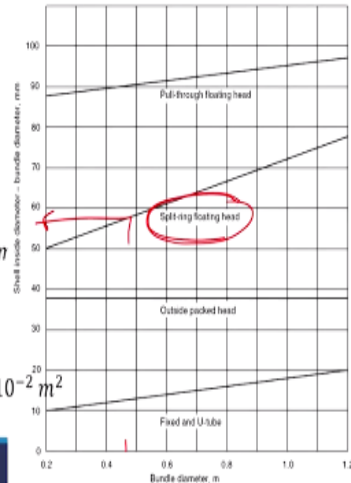
$$n_1 = 2.207$$

$$D_b = 19.05 \left(\frac{300}{0.249} \right)^{\frac{1}{2.207}} = 474.1 \text{ mm}$$

$$\text{Clearance} = 58 \text{ mm} \Rightarrow D_s = 523.1 = 532 \text{ mm}$$

$$l_b = \frac{D_s}{5} = 106.4 \text{ mm}$$

$$A_s = \frac{0.25}{1.25} \times 532 \times 106.4 \times 10^{-6} = 1.132 \times 10^{-2} \text{ m}^2$$



So, the first step is to find out h_{oc} . So we have to consider calculations for h_{oc} and this h_{oc} will depend on u_s and g_s value which is as per Kern's method. So, first of all we should find out A_s value and for that we should calculate baffle spacing and shell dia. So, to find out shell dia we should first find out the bundle dia depending upon the arrangement and the passes. So here I am having 1-2 pass and arrangement is triangular.

So you can consider k_1 and n_1 values like this. So you can consider k_1 and n_1 values like this and these values can be used to find out bundle dia because 300 tubes are given to you. So bundle dia you have found as 474.1 mm and then you can find out the clearance. So here as far as exchanger is concerned split ring floating head is given to you and the bundle diameter you have already obtained as 0.47 so that will be somewhere here.

So, you can understand the value from this graph and that value you can obtain as 58 mm and so you can calculate shell dia and further if you have the shell dia baffle spacing is given as $D_s / 5$ so you can consider baffle spacing like this and then you can find out cross flow area that is A_s which comes out as 0.01132 meter square. So, in this way you can calculate the cross flow area and now you should find out velocity Reynolds number j_h factor and heat transfer coefficient that is h_{oc} .

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Design of STE – Bell's Method

Solution

h_{oc} Calculations:

$$U_s = \frac{(20,000/3600)}{730 \times 1.132 \times 10^{-2}} \checkmark$$

$$= 0.67229 \text{ m/s} = 0.6723 \text{ m/s} \checkmark$$

$$Re_s = \frac{d_o U_s \rho}{\mu} = \frac{19.05 \times 0.6273 \times 730}{0.43 \times 10^{-3}}$$

$$= 2.174 \times 10^4 \checkmark$$

$$Pr_s = \frac{C_p \mu}{k} = 8.046 \checkmark$$

$$j_h = 5.98 \times 10^{-3} \checkmark$$

$$\frac{h_{oc} d_o}{k_f} = j_h Re Pr^{1/3} \left(\frac{\mu}{\mu_w} \right)^{0.14} \checkmark$$

$$h_{oc} = 1780.94 \text{ W/m}^2\text{°C}$$

So, velocity of shell side you can find considering kerosene flow rate because that is allocated to shell side only its density as well as A_s value considering all these you can find velocity in shell side at bundle equator as 0.6723. Now, if you see this problem here we are already given the properties because the collection of property we have already discussed in Kern's method in detail and in the similar line you can find the properties of the fluid.

And it is the repeated calculation I am not going into detail of that I am already providing you the properties assuming that you can collect the property in the given method as we have discussed in Kern's method. So, once you have the shell side velocity you can calculate Reynolds number which you can find as 2.174 into 10 to the power 4 so that is basically the turbulent region.

Prandtl number you can find out because all properties are known to you so this is not R it should be K that should be the thermal conductivity of the fluid. So, Prandtl number you can obtain as 8.046 so depending upon the Reynolds number like 2.17 so somewhere it will lie over here and here you can read this value so value will come almost equal to 6. So, value of j_h you can obtain as 5.98 into 10 to the power -3 .

So, considering all these value you can use this expression where you can neglect viscosity correction factor and h_{oc} you can obtain as 1780.94 watt per meter square degree Celsius here this W should be capital so in this way you can find out h_{oc} value.

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Design of STE – Bell's Method

Solution

F_n Calculations:

$$H_b = \frac{474.1}{2} - 532(0.5 - 0.25)$$

$$= 104.05 \text{ mm} \quad \checkmark$$

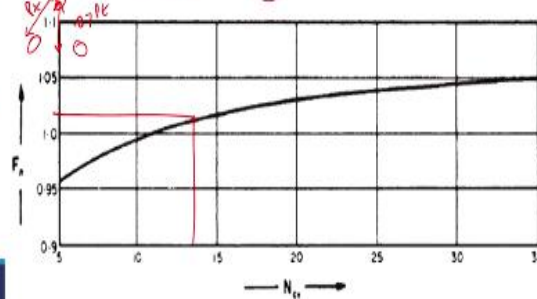
$$N_{cv} = \frac{474.1 - 2(104.05)}{0.87 \times 1.25 \times 19.05}$$

$$= 12.839 = 13 \quad \checkmark$$

$$\Rightarrow F_n = 1.01 \quad \checkmark$$

$$H_b = \frac{D_b}{2} - D_s(0.5 - B_c) \quad \checkmark$$

$$N_{cv} = \frac{(D_b - 2H_b)}{P_t} \quad \checkmark$$



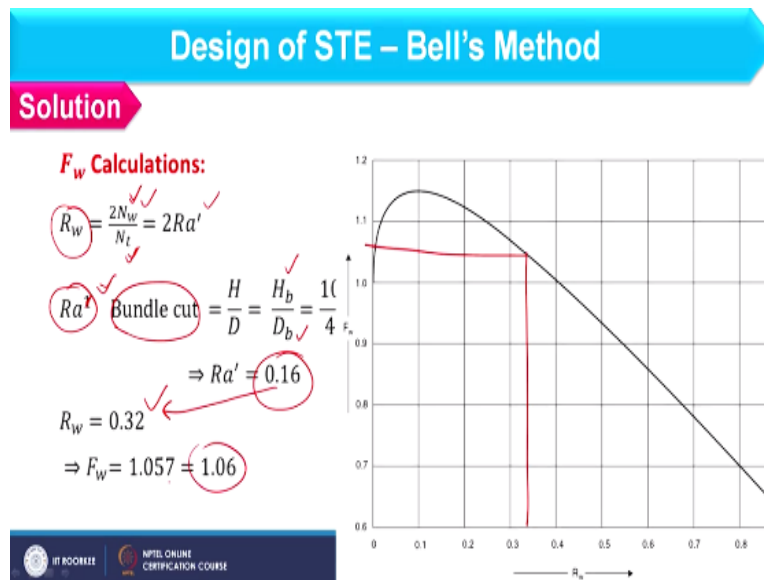
Now once you have h_{oc} value we should find out other correction factors and let us see how to find out F_n , F_w , F_b and F_L . So let us start with F_n value. So here I am having F_n calculation and you have already seen that fluid is falling in turbulent flow. So we have to use the graph of F_n for which N_{cv} should be known to me. So to find out N_{cv} we should consider H_b . So first of all I will find out H_b using this expression.

So bundle diameter you have already calculated and the shell diameter 0.5 into 0.25 because I am considering baffle spacing as 25%. So considering all these value, you can find out H_b as 104.05 mm. Now once you have H_b value you can find out N_{cv} using this expression. So, here you already know the bundle diameter which is this and twice of H_b I am considering and at bottom we have P_t dash and if you see we are having triangular pitch so that should be arranged in this way.

So, total height between two rows should be 0.87 into P_t if this is the P_t . So considering this we can find out N_{cv} as 12.839 and that I have considered as 13 because whatever N_{cv} I have obtained that should be the complete number because N_{cv} is the number tube rows and that can never be in decimal. So, what you have to do you have to round it up N_{cv} should be round up.

So, whatever value you have obtained just consider next integer value of that and so we can obtain N_{cv} as 13. Now once I am having N_{cv} as 13 you can use this graph and somewhere here you can find the value and if you see the value will be around 1.01 if you find the value from this graph it should come as 1.01 F_n value.

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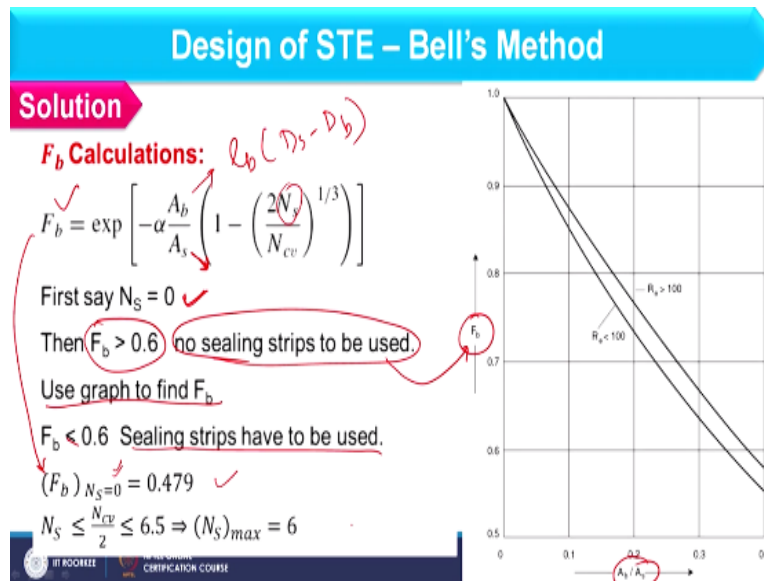
Next, I have to find out F_w that is window correction factor. Now F_w now to find out F_w you should know R_w because you are given the graph of F_w and R_w in books. So R_w you can consider as $2N_w / N_t$ N_w is the number of tubes in window zone and N_t is the number of tubes in bundle and that should be equal to 2 into Ra' . So, first of all I have to find out Ra' this is not one this is Ra' and we have already discussed that Ra' will depend on bundle cut and bundle cut how I can define that should be H_b / D_b .

So, all these parameters we have already discussed in Bell's method in lecture 2, 3 and 4 of this week. So you can understand this so I am simply explaining that how to use that instead of explaining each and every parameter. So, if I ask you what is bundle cut so that should be H_b / D_b and H_b / D_b values you have already calculated and so you can find the bundle cut as 0.22.

Now, if you have bundle cut you can find out Ra' from this graph so on X axis I am having the cut and on Y axis I am having Ra' value. So as far as cut is concerned your cut should be somewhere here because it is 0.22 and if you are considering this you can find out value of Ra' as 0.16 from this graph and once you are having Ra' 0.16 R_w you can find out as 0.32 just twice of that and once you have all these value you can trace R_w over here that should be 0.33.

So, somewhere here it will lie and then you can read the value from here. So, the value should come as 1.06 so in this way you can find out window correction factor and now we will focus on bypass correction factor.

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So as far as bypass correction factor is concerned here we have the expression for F_b where number of sealing strips are given as N_s . So, first of all we should find out whether sealing strips are required or not and to calculate that we should consider $N_s = 0$ in this expression and to find F_b value. So, considering $N_s = 0$ we can find out F_b based on A_b and A_s value. A_b is basically the baffle spacing into $D_s - D_b$.

So, all these values are known to you so you can simply calculate A_b . A_s you have already calculated in h oc calculations and here I am having $N_s = 0$ and for that so how we can find out whether sealing strips are required or not. For that I will put $N_s = 0$ and then I will calculate F_b value. If F_b value is coming more than 0.6 no sealing strips are required and if this is the case where no sealing strips are required we have to find out correct F_b value from this graph where A_b / A_s we have already calculated.

So in this case F_b we can find out by graph. Now for $N_s = 0$ if F_b value we can obtain as less than or equal to 0.6 we should use sealing strips. So, in this case if I am putting $N_s = 0$ in this expression so F_b we can obtain as 0.479. So, in this case you can understand that F_b is coming less than 0.6 it means we required sealing strips. So, how many sealing strip should be required the maximum will depend on N_{cv} value.

Maximum number of sealing strip should be equal to or less than $N_{cv} / 2$. Now in this problem N_{cv} is given as 13. So, maximum N_s value we can consider as 6. So you can consider different value of N_s and you should stop where you will find F_b value more than 0.85.

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Design of STE – Bell's Method

Solution

$$\frac{N_s}{N_{cv}} = \frac{1}{13}, \frac{2}{13}, \frac{3}{13}, \frac{4}{13}, \frac{5}{13}, \frac{6}{13}$$

$$A_b = 6.16 \times 10^{-3} \text{ m}^2$$

$$A_s = 1.132 \times 10^{-2} \text{ m}^2$$

$$\alpha = 1.35$$

$$-1.35 \times \frac{A_b}{A_s} = -0.7369 = \lambda$$

$$F_b = \exp \left[\lambda \left(1 - \left(2 \frac{N_s}{N_{cv}} \right)^{0.33} \right) \right]$$

$$\frac{1}{13} \rightarrow F_b = 0.711$$

$$\frac{2}{13} \rightarrow F_b = 0.7876$$

$$\frac{3}{13} \rightarrow F_b = 0.8462$$

$$\frac{4}{13} \rightarrow F_b = 0.896$$

$$\frac{5}{13} \rightarrow F_b = 0.9403$$

$$\frac{6}{13} \rightarrow F_b = 0.9808$$

Handwritten notes on slide:
 - Red checkmarks next to each calculation.
 - Red circles around $\frac{4}{13} \rightarrow F_b = 0.896$ and the F_b equation.
 - Red arrow pointing to $F_b = 0.896$ with text "0.85 $N_s = 4$ ".

So, let us see the calculations if I am having N_s and N_{cv} like 1 / 13, 2 / 13 in this way. So further we can obtain A_b and A_s which we have already used in F_b calculation in the last equation and here alpha value should be used as 1.35 depending upon the flow. So in this case we can consider this term in the expression as lambda and we can further reduce the F_b expression like this where it is the function of N_s and N_{cv} .

So, considering different N_s values because maximum N_s I can use as 6 and different N_s value we can consider to find out F_b value and you can see we can have all F_b values. So you can consider another approach also as we have already discussed in last lecture that sealing strip should be used in pair so that value should be even. So, initially I should consider $N_s = 2$ then 4 and then 6 instead of 1, 2, 3, 4, 5. So you can do that also.

Now, if you consider different N_s value where you should stop. As the guideline is F_b value should be more than 0.85 so you can choose 4 number as sealing strips so N_s should be 4 in this case because in this case F_b value you can obtain as 0.896 which is more than 0.85. So, N_s you can fix as 4. So now we can calculate leakage correction factor.

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Design of STE – Bell's Method

Solution

$$A_{tb} = \frac{c_t \pi d_o}{2} (N_t - N_w) \quad A_{sb} = \frac{c_s D_s}{2} (2\pi - \theta_b)$$

F_L calculation:

$$N_w = N_t R a'$$

$$A_{tb} = \frac{0.8 \times 10^{-3} \times 3.14 \times 19.05 \times 10^{-3}}{2}$$

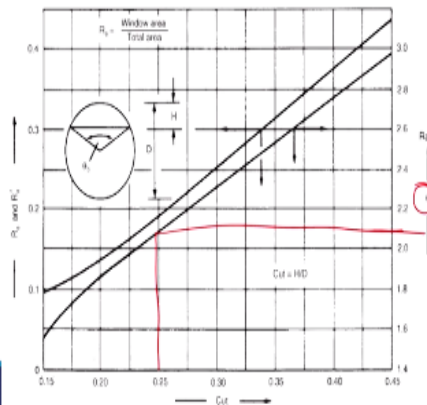
$$A_{tb} = 6.03 \times 10^{-3} \text{ m}^2$$

$$A_{sb} = \frac{1.6 \times 532}{2} (2 \times 3.14 - 2.1)$$

$$= 1.78 \times 10^{-3} \text{ m}^2$$

$$\frac{H_c}{D_s} = 0.25; \theta_b = 2.1$$

$$A_L = 7.81 \times 10^{-3} \text{ m}^2$$



So as far as leakage correction factor is concerned we should calculate A_{tb} and A_{sb} so A_{tb} and A_{sb} expressions are given over here and here we require N_w so N_w should be N_t into $R a$ dash $R a$ dash we have already calculated and A_{tb} you can find out using this expression where c_t is basically clearance between hole in baffle and tube OD. So this c_t is always equal to 0.8 mm so in this way you can find out A_{tb} value.

So, considering all these value and N_w N_w you can find as 48 so you can use this expression and you can find out A_{tb} value as 6.03 into 10 to the power -3 . So, here we should also consider $N_t - N_w$ N_w over here is 48 N_t is 300 and next we have to find out A_{sb} value and to find out A_{sb} we should also consider c_s and θ_b . So, c_s how I can obtain c_s will depend on the shell dia if you see in this problem the shell dia is 532.

So, it will fall in this range and in this range also, but I have told you if I have the choice between pipe shell and plate shell I should choose pipe shell. So, this is basically the c_s value so depending upon the shell dia we can consider c_s 1.6 as you can see here and next we have to find out θ_b value and that θ_b value we can obtain from this graph and this θ_b value should be corresponding to baffle cut.

So, here I am having 0.25 because 25% baffle cut is there so you can simply see the value of θ_b and that should come out as 2.1. Considering all these value, you can find out A_{sb} and this is also mentioned over here that H_c / D_s is 0.25 that is basically the baffle cut and θ_b should be 2.1. So considering all these values you can find out A_L .

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Design of STE – Bell's Method

Solution

F_L calculation:

$$F_L = 1 - \beta_L \left[\frac{(A_{tb} + 2A_{sb})}{A_L} \right]$$

$$\frac{A_L}{A_s} = \frac{7.81 \times 10^{-3}}{1.132 \times 10^{-2}} = 0.6899 \Rightarrow \beta_L = 0.41$$

$$F_L = 1 - 0.41 \left[\frac{(6.03 + 2 \times 1.78) \times 10^{-3}}{7.21 \times 10^{-3}} \right]$$

$$\Rightarrow F_L = 0.4965 \quad \checkmark$$

$$h_s = 1780.94 \times 1.01 \times 1.06 \times F_b \times 0.4965$$

$$F_b = 0.896 \quad N_s = 4$$

$$h_s = 848.21 \text{ W/m}^2\text{C} \quad \checkmark$$

And further you can find out A_L / A_s and the value should come as 0.69. Depending upon that you can find out value of β_L from this graph so 0.69 somewhere it will lie here and if you see this value it should come as 0.41. So considering all these values, you can find F_L value and which is coming as 4965. So considering F_n F_b and F_L values, you can find out heat transfer coefficient in shell side by multiplying these with h_{oc} value.

So you can consider H_s as this so F_b value at $N_s = 4$ you can find as 0.896 this we have already discussed. So, heat transfer coefficient over shell side is 848.21 watt meter square degree Celsius. So that is basically heat transfer coefficient in shell side.

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Design of STE – Bell's Method

Solution

$$\Delta P_c = \Delta P_i F'_b F'_L$$

Pressure drop

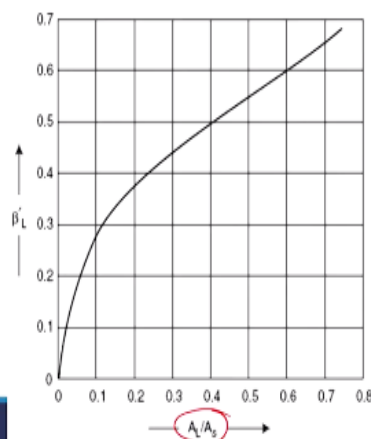
(i) cross flow zone

$$F'_L = 1 - \beta'_L \left[\frac{(A_{tb} + 2A_{sb})}{A_L} \right]$$

$$\frac{A_L (7.81 \times 10^{-3})}{A_s (1.132 \times 10^{-2})} = 0.6899 \quad \checkmark$$

$$\beta'_L = 0.65 \quad \checkmark$$

$$F'_L = 0.2018 \quad \checkmark \quad \Delta P_c = 149.49 \text{ Pa}$$



Now we should quickly cover pressure drop in shell side. Now as you know that pressure drop we should consider in cross flow zone, window zone and end zone separately. So let us

start with cross flow zone so this is the expression for pressure drop in cross flow zone and ΔP_i is basically the pressure drop in ideal tube bank and that you can calculate using this equation.

So, here u s you already know N_{cv} 13 and Reynolds number you can obtain like this and then you can find out j_h value as shown over here. So, depending upon this you can find out ΔP_i value as 1026.014 pascal and after that you can find out F_b dash as well as F_L dash. So F_b dash for that you should consider alpha value otherwise all parameters will remain same. Number of sealing strips we have already fixed to 4 A_b and A_s value you can consider like this.

And putting all these values in F_b dash you can find out bypass correction factor for pressure drop as 0.722 and for cross flow zone we should also find out leakage correction factor. So expression of leakage correction factor is same only β_L dash value will differ. So, you can find out β_L dash value from this graph depending upon A_L / A_s and all these value you have already calculated so that comes out as 0.69 and based on that β_L dash you can obtain as 0.65 so F_L value you can consider as 0.2018.

So, ΔP_i F_b dash and F_L dash you can find out pressure drop in cross flow zone as 149.49 pascal.

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Design of STE – Bell's Method

Solution

Pressure drop

$$\Delta P_w = F_L' (2 + 0.6 N_{wv}) \frac{\rho U_z^2}{2} \left(A_w \left(\frac{\pi D_s^2}{4} \times R_d \right) - \left(N_w \frac{\pi d_o^2}{4} \right) \right)$$

(ii) Window zone

$$\frac{H_b}{D_b} = \frac{104.05}{474.1} = 0.2195 = 0.22$$

$$Ra = 0.16$$

$$R_a = 0.17$$

$$N_w = 48$$

$$U_z = (U_w \times U_t)^{0.5} = 0.4607 \text{ m/s}$$

$$N_{wv} = \frac{H_b}{P_t} = \frac{104.05}{0.87 \times 1.25 \times 19.05} = 5.0224 (\approx 5)$$

$$F_L' = 0.2018$$

$$\Delta P_w = 78.166 \text{ Pa}$$

$$A_w = \left[\frac{3.14 \times 532^2}{4} \times 0.17 - \frac{48 \times 3.14 \times 19.05^2}{4} \right] \times 10^{-6} = 0.0241 \text{ m}^2$$

$$U_w = \frac{20,000/3600}{0.0241 \times 730} = 0.31568 \text{ m/s}$$

Now we have to find out pressure drop in window zone. So, this is the expression for pressure drop in window zone. Here I have to find out N_{wv} and U_z and U_z is basically the

geometric mean of U_s and U_w . So first of all we should find out U_w and that will depend on A_w and A_w is basically the free flow area in window zone and that we can obtain by this expression.

So here we have to find out R_a . So, once I am having bundle cut, we can find out R_a dash and once I am having baffle cut we can find out R_a using this graph. So, I think you can read this graph I am not going into detail of that. So considering that R_a and R_a dash you can find out N_w and that you have already calculated previously so that should be equal to 48 and its value should be equal to N_t into R_a dash.

So, considering this we can find out A_w which is coming as 0.0241 meter square. So, once you have A_w value you already know the mass flow rate in shell side that is of kerosene and density of the kerosene you can find out U_w as 0.31568 meter per second. So considering U_w as well as U_s which you have already found in h oc calculation so you can consider U_z as 0.4607 meter per second.

And after that we should find out N_{wv} that is the vertical tube rows in window zone and that should be equal to H_b / P_t dash H_b we have already calculated and P_t dash is 0.87 into P_t because I am considering triangular pitch. So considering all these values we can find out N_{wv} as 5.0224 and here you should keep in mind that N_{wv} should be round off because N_{wv} is the vertical tube rows which will never be in a decimal.

So, if you consider N_{cv} that was also the vertical tube rows that we have made round up so N_{wv} should be round off or you can do vice-versa also like N_{wv} should be round up or N_{cv} should be round off because if both values you make round off or round up the number of tube rows will be different in bundle. So, here we have considered N_{wv} as 5 so leakage correction factor we have already calculated.

So, putting all these value in ΔP_w we can obtain pressure drop in window zone as 78.166 pascal.

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Design of STE – Bell's Method

Solution

Pressure drop

$$\Delta P_e = \Delta P_i \left[\frac{N_{wv} + N_{cv}}{N_{cv}} \right] F_b$$

(iii) End zone

$$\Delta P_e = 1026.014 \left[\frac{5 + 13}{13} \right] \times F_b$$

$$\Delta P_e = 1025.7 \text{ Pa}$$

$$\text{Total shell side pressure drop } (\Delta P_s) = 2\Delta P_e + \Delta P_c(N_b - 1) + N_b \Delta P_w$$

$$N_b = \frac{L}{l_b} - 1 = \frac{5}{106.4} - 1 = 46.98 - 1 = 45.98 \approx 45$$

$$\begin{aligned} \Delta P_s &= 2 \times 1025.7 + 149.49(45 - 1) + 45 \times 78.166 \\ &= 12146.43 \text{ Pa} = 0.12146 \text{ bar} \end{aligned}$$

And further we have to find out pressure drop in end zone and the expression for that is given over here where N_{wv} is 5 and N_{cv} is 13 ΔP_i we have already calculated previously. So considering all these values, you can find out ΔP_e as 1025.7 pascal. So, total shell side pressure drop that is ΔP_s should be equal to 2 into ΔP_e because we are having two end zone.

ΔP_c that is the pressure drop in cross flow zone into total cross flow zones and similarly pressure drop in window zone into total window zone in shell. So, here we have to find out N_b value so N_b value that is the number of baffles and that should be equal to capital $L / l_b - 1$ so you can find out 45.98 as N_b . So because it is very close to 46 you can consider 46 also, but here I am considering 45 as the length of the shell is fixed so N_b should be round off.

So, here I am considering 45 as number of baffles. So, putting all these value in this expression we can find out total pressure drop in shell side as 0.12146 bar which is very less than one bar which is known as the permissible limit in shell side if you read the example. So in this way you can consider Bell's method to design the shell and tube heat exchanger.

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References

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2	Sinnott, R.K., "Coulson and Richardson's Chemical Engineering Series: Chemical Engineering Design", Vol. VI, 4 th Ed., 2005, Elsevier Butterworth-Heinemann.
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4	Shah, R.K. and Sekulic, D.P., "Fundamentals of heat Exchanger Design", 2003, John Wiley & Sons.

And here you can find the references to study details about this method and here I am summarizing this video.

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Summary of the video

- ✓ Design of shell and tube heat exchanger using Bell's method is illustrated.
- ✓ Tube row correction factor, window correction factor, bypass correction factor and leakage correction factor are determined.
- ✓ Heat transfer coefficient as well as pressure drops of shell side considering different correction factors are found.

So, in this video design of shell and tube heat exchanging using Bell's method is illustrated with the help of one example where tube row correction factor, window correction factor, bypass correction factor and leakage correction factors are determined and finally heat transfer coefficient as well as pressure drop in shell drop considering different correction factors are found.

So, I hope you can use the Bell's method to design shell and tube heat exchanger effectively and that is all for now. Thank you.